

Two-photon exchange: Experimental Overview

OR

"How to turn an $O(\alpha_{EM})$ effect into a 200% error"

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Introduction

Rosenbluth measurements: G_E, G_M

Polarization transfer: G_E/G_M

E01-001 "SuperRosenbluth": G_E/G_M

Two-photon exchange corrections

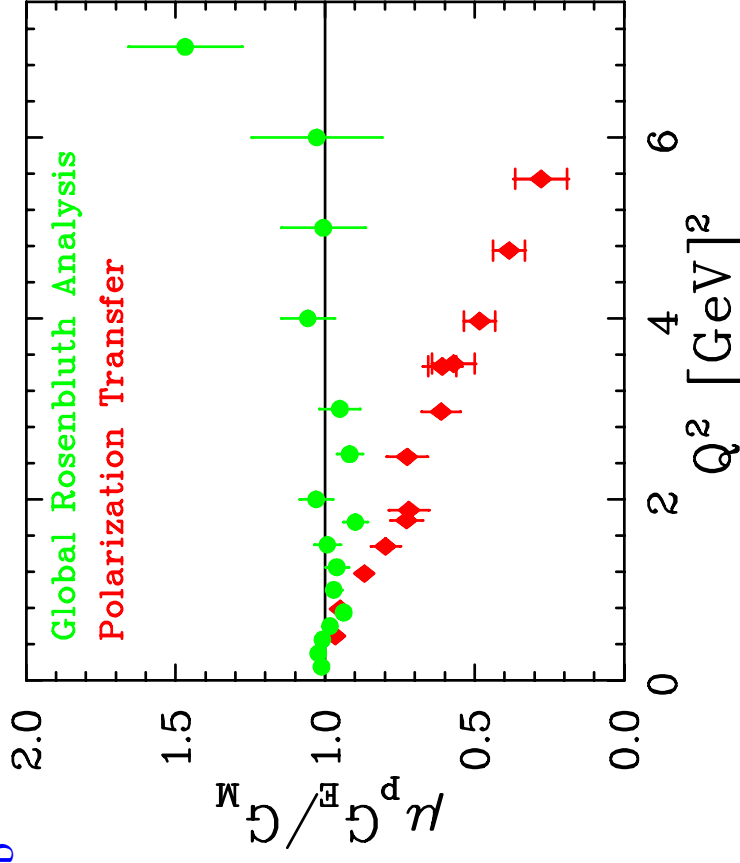
Evidence for two-photon exchange

Uncertainties in the TPE, form factors

Future experiments

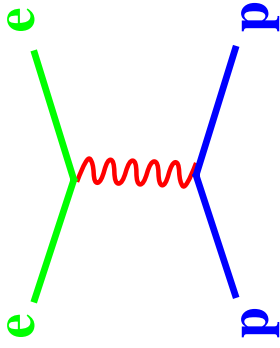
Size of TPE effects: e+/e- comparisons, PT/LT comparisons

ϵ -dependence of TPE effects: Cross section and polarization transfer



Rosenbluth extractions of G_E and G_M

In the Born approximation:



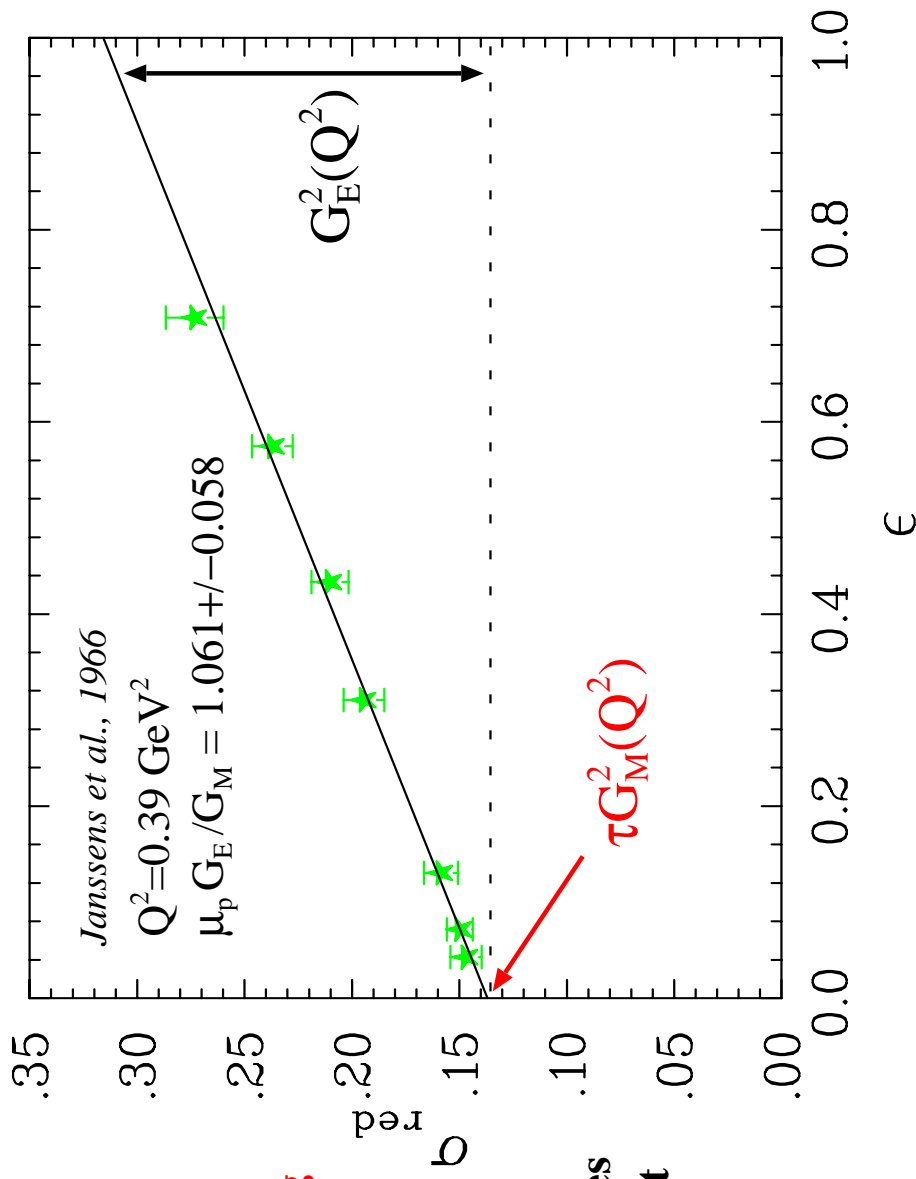
$$\sigma_R = \frac{d\sigma}{d\Omega} \frac{\varepsilon(1+\tau)}{\sigma_{\text{Mott}}} = \tau G_M^2(Q^2) + \varepsilon G_E^2(Q^2)$$

$\tau = Q^2 / (2M)^2$

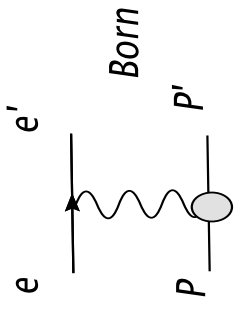
Initial Rosenbluth measurements consistent with form factor scaling

$$G_M(Q^2) \cong \mu_p G_E(Q^2)$$

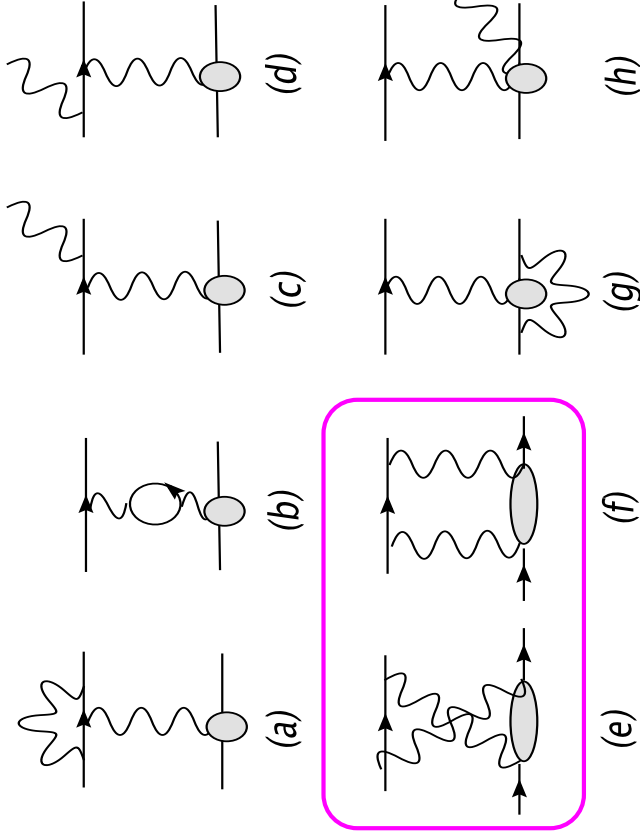
For large Q^2 values, τG_M^2 dominates and G_E^2 becomes difficult to extract



Radiative Corrections (1950s-1970s)



Rosenbluth formula: single-photon exchange (Born approximation)



Meisner, Mo and Tsai, others...

Prescriptions to correct for higher-order elastic [(a), (b), and (g)] and inelastic [(c), (d), and (h)] diagrams

Two-photon exchange [(e) and (f)] treated in a limited way:

Soft photon approximation
Simplified photon propagator ($1/q^2$)
Neglects internal nucleon structure

Theoretical estimates generally indicated ~1% corrections

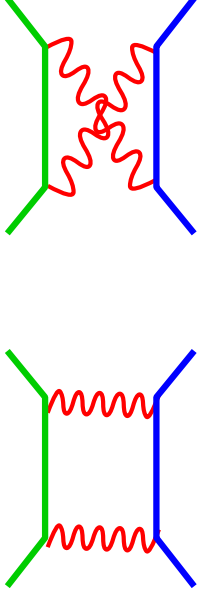
R.R.Lewis, PR 102, 537 (1956); S.D.Drell and M.Ruderman, PR 106, 561 (1957); S.D.Drell and S.Fubini, PR 113, 741 (1959); J.A.Campbell, PR 180, 1541 (1969); G.K.Greenhut, PR 184, 1860 (1969)

Linearity of Rosenbluth plot taken as additional evidence of small corrections

Studies of two-photon effects ('50s and '60s)

Definitive test: Positron-proton scattering vs. electron-proton scattering

$$R \equiv \frac{\sigma_{e^+}}{\sigma_{e^-}} = \frac{(A_{1\gamma} + A_{2\gamma})^2}{(A_{1\gamma} - A_{2\gamma})^2} \approx 1 + 4 \operatorname{Re}(A_{2\gamma}/A_{1\gamma})$$



e^+/e^-

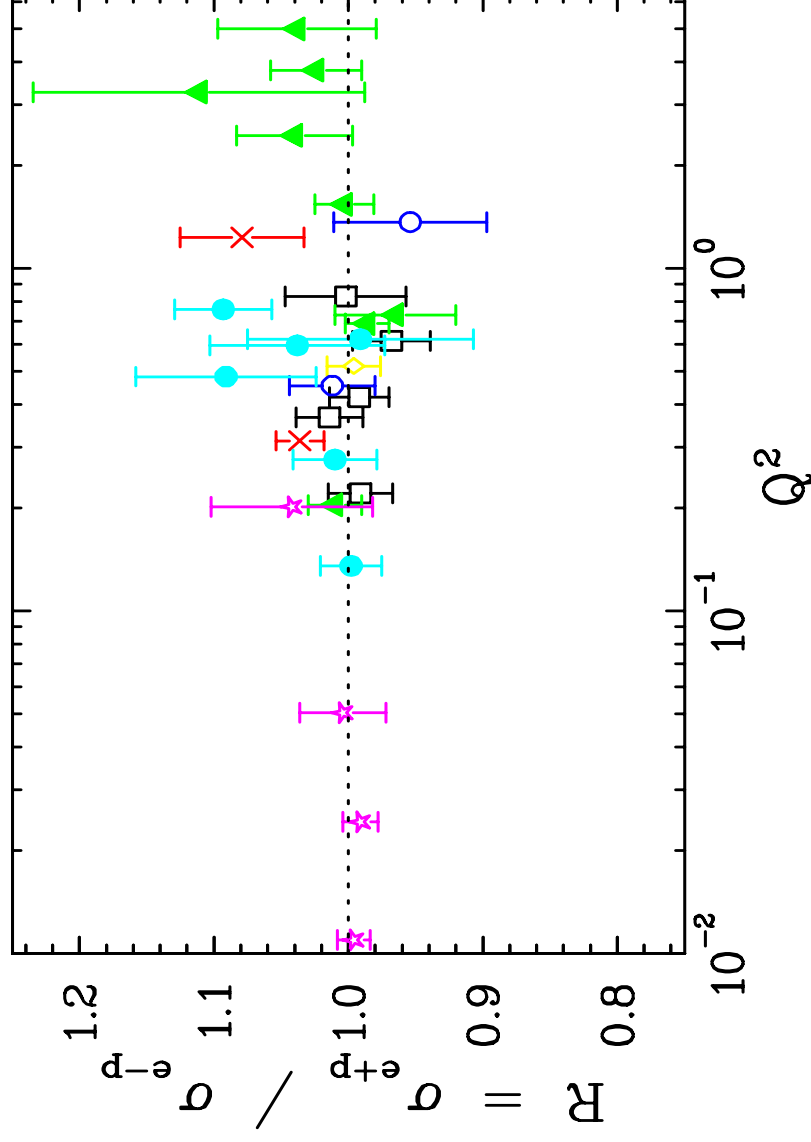
$$\langle R \rangle = 1.003 \pm 0.005$$

*J. Mar et al., PRL 21, 482 (1968)
and refs therein*

μ^+/μ^-

$$\langle R \rangle = 0.993 \pm 0.006$$

*L. Camilleri et al., PRL 23, 149 (1969)
($Q^2 < 1 \text{ GeV}^2$)*



*One-photon approximation
assumed to be good to ~1%*

However: Low luminosity of secondary e^+/μ^- beams meant that precise limits were only available for low Q^2 and/or small scattering angles

G_E/G_M from Polarization Transfer

Use polarized electron beam, unpolarized proton target, measure the polarization transferred to the struck proton

$$P_L = M_p^{-1} (\mathbf{E} + \mathbf{E}') \sqrt{\tau(1+\tau)} \mathbf{G}_M \tan^2(\theta_e/2)$$

Polarization along \mathbf{q}


$$P_T = 2\sqrt{\tau(1+\tau)} \mathbf{G}_E \mathbf{G}_M \tan(\theta_e/2)$$

Polarization perpendicular to \mathbf{q} (in the scattering plane)

$$P_N = 0$$

Polarization normal to scattering plane

N. Dombey, Rev. Mod. Phys. 41, 236 (1969)


$$\frac{G_E}{G_M} = - \frac{P_T (\mathbf{E} + \mathbf{E}') \tan(\theta_e/2)}{2M_p P_L}$$

G_E/G_M goes like *ratio* of two components

--> insensitive to absolute polarization, analyzing power

--> less sensitive to radiative corrections

Comparison of different electron polarizations

--> cancellation of false asymmetries

Also useful for neutron (where $G_E \ll G_M$, so L-T very difficult)

G_E/G_M from Polarization Transfer

MIT-Bates:

B. D. Milbrath, *et. al.*, PRL **82** (1999) 2221(E)

Jefferson Lab:

M. K. Jones, *et. al.*, PRL **84** (2000) 1398

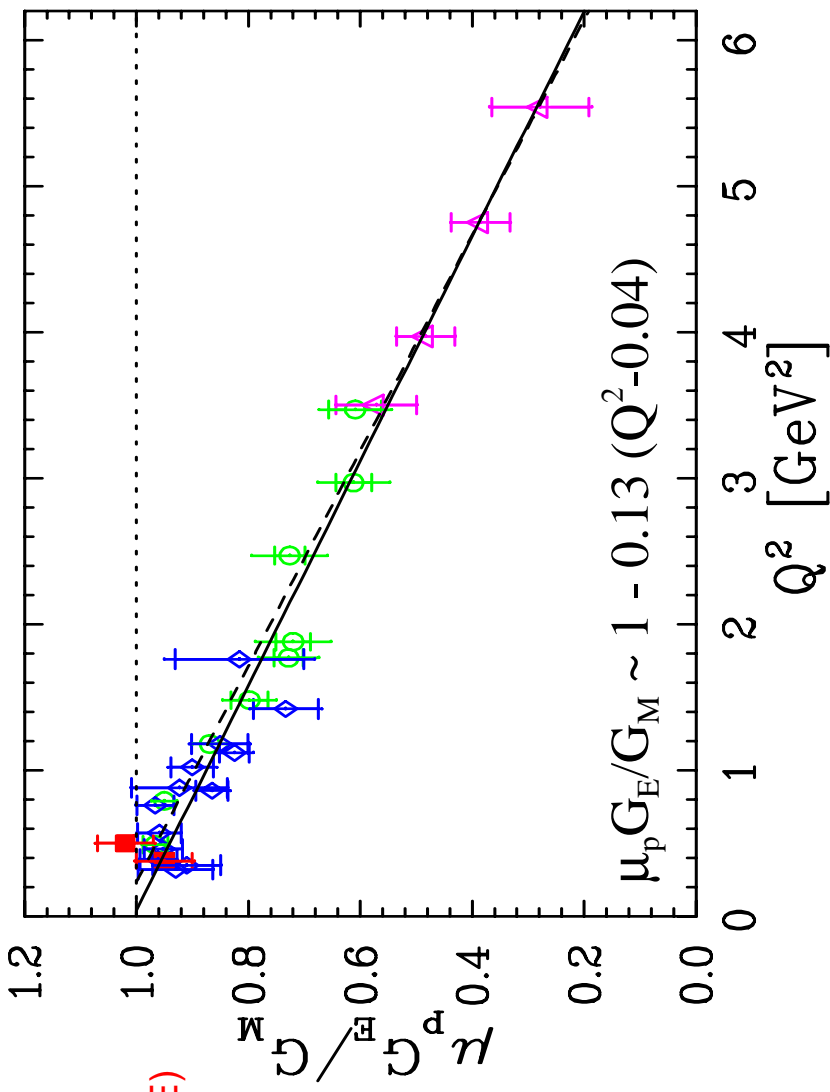
O. Gayou, *et. al.*, PRC **64** (2001) 038202

O. Gayou, *et. al.*, PRL **88** (2002) 092301

Mainz:

Th. Pospischil, *et. al.*, EPJA **12**, (2001) 125

(low Q^2 - not shown in figure)



Surprising result: $\mu_p G_E \neq G_M$ at large Q^2

- Renewed interest in nucleon form factors, nucleon structure
- New examination of long-standing pQCD predictions
- Highlighted the role of relativity, angular momentum
- Generated interest outside of the field

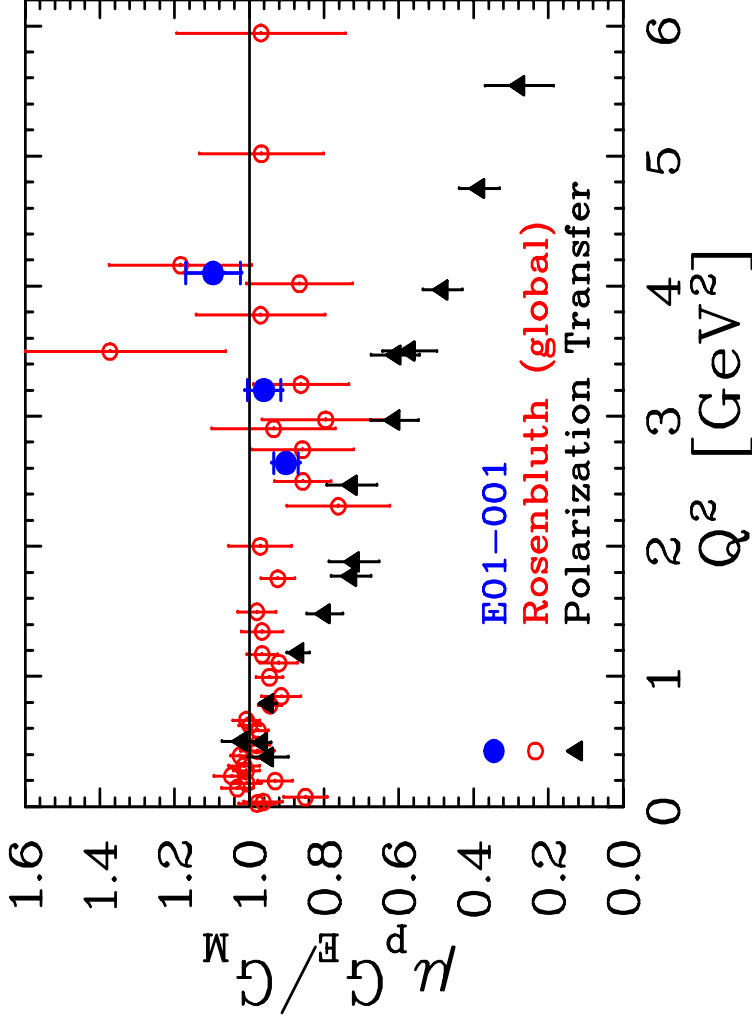
Articles in Science News, Physics Today, New York Times, USA Today, etc...

A small problem with the form factors...

G_E/G_M values differ by factor of three at large Q^2

Question about the form factors:
as proton structure

Question about the form factors:
*as parameterization of σ_{ep}
(input to other experiments)*



Problem with Rosenbluth technique? cross section data?

Ruled out by reanalysis of old data, along with new Rosenbluth and "Super-Rosenbluth" extractions

JA, PRC 68, 034325 (2003)

M.E.Christy, et al., PRC 70, 015206 (2004)

I.A.Qattan, et al., PRL 94, 142301 (2005)

Problem with polarization transfer technique? data?

Appears to be OK: systematics have been studied and will be checked in future independent measurements

V. Punjabi, et al., nucl-ex/0501018 (2005)

Polarization transfer: JLab E04-119, E04-108

Polarized target: JLab PR04-111

Two-photon exchange corrections

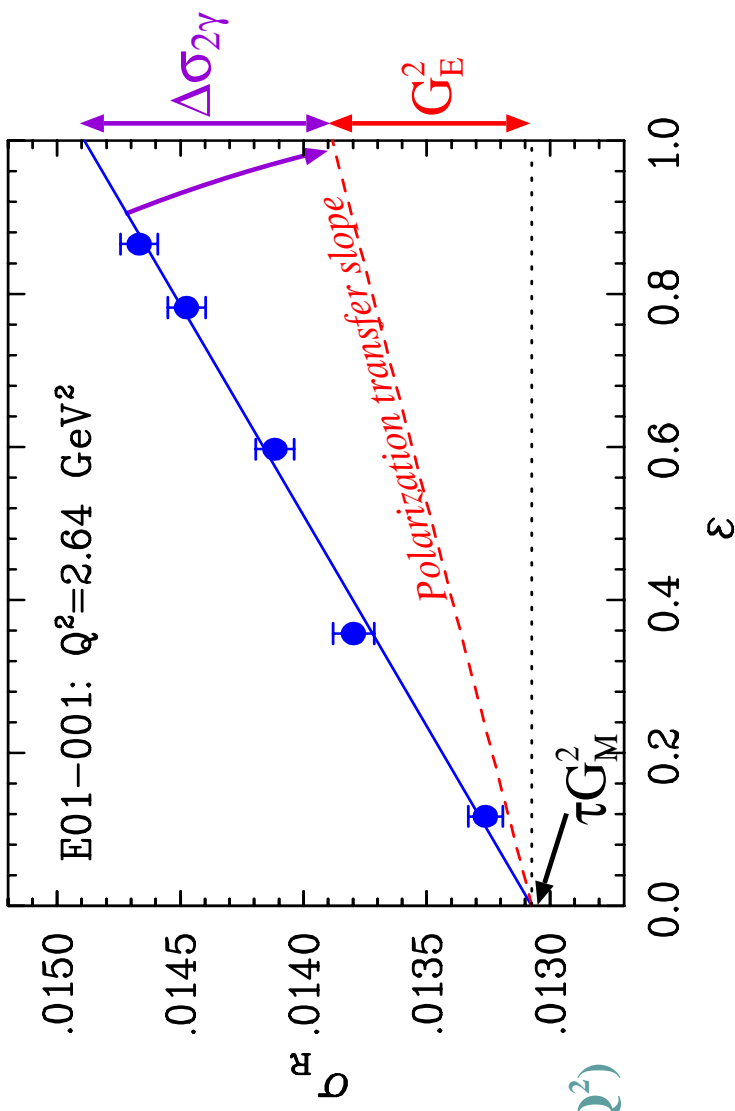
Two-photon exchange effects can explain the discrepancy in G_E

Guichon and Vanderhaeghen, PRL 91, 142303 (2003)

Requires $\sim 6\%$ ϵ -dependence, weakly dependent on Q^2 , roughly linear in ϵ

JA, PRC 69, 022201 (2004)

$$\sigma_R = \frac{d\sigma}{d\Omega} \frac{\epsilon(1 + \tau)}{\sigma_{\text{Mott}}} = \tau G_M^2(Q^2) + \epsilon G_E^2(Q^2)$$



If this were the whole story, we would be done: L-T would give G_M , PT gives G_E

However, still need to be careful when choosing form factors as input in data analysis

There are still issues to be answered

What about the constraints ($\sim 1\%$) from positron-electron comparisons?

TPE effects on *polarization transfer*?

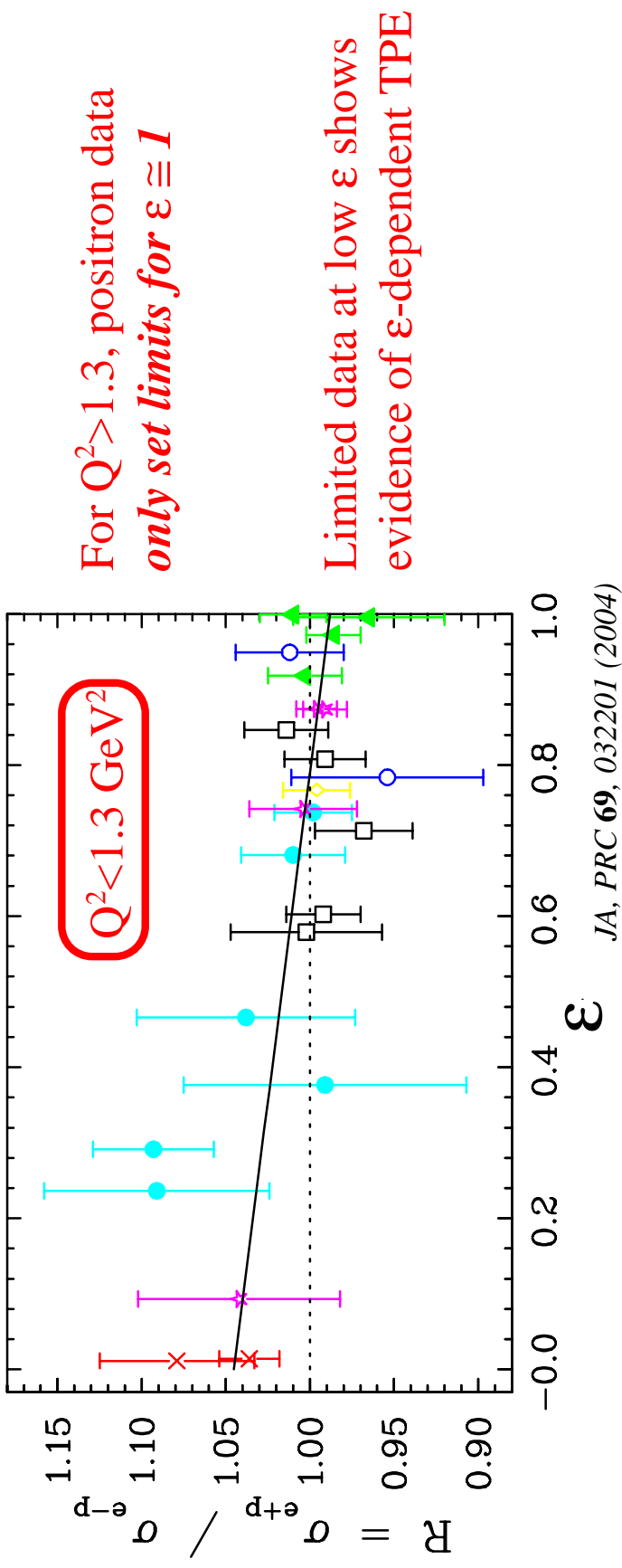
TPE effects on G_M ?

TPE effects on *other measurements*?

Limits from positron-electron comparisons?

Data indicated very small effects: $\langle R \rangle_{e^+e^-} = 1.003 \pm 0.005$
 $\langle R \rangle_{\mu^+\mu^-} = 0.993 \pm 0.006$

Problem: Data limited to low Q^2 or small θ ($\epsilon > 0.7$) because of low luminosities

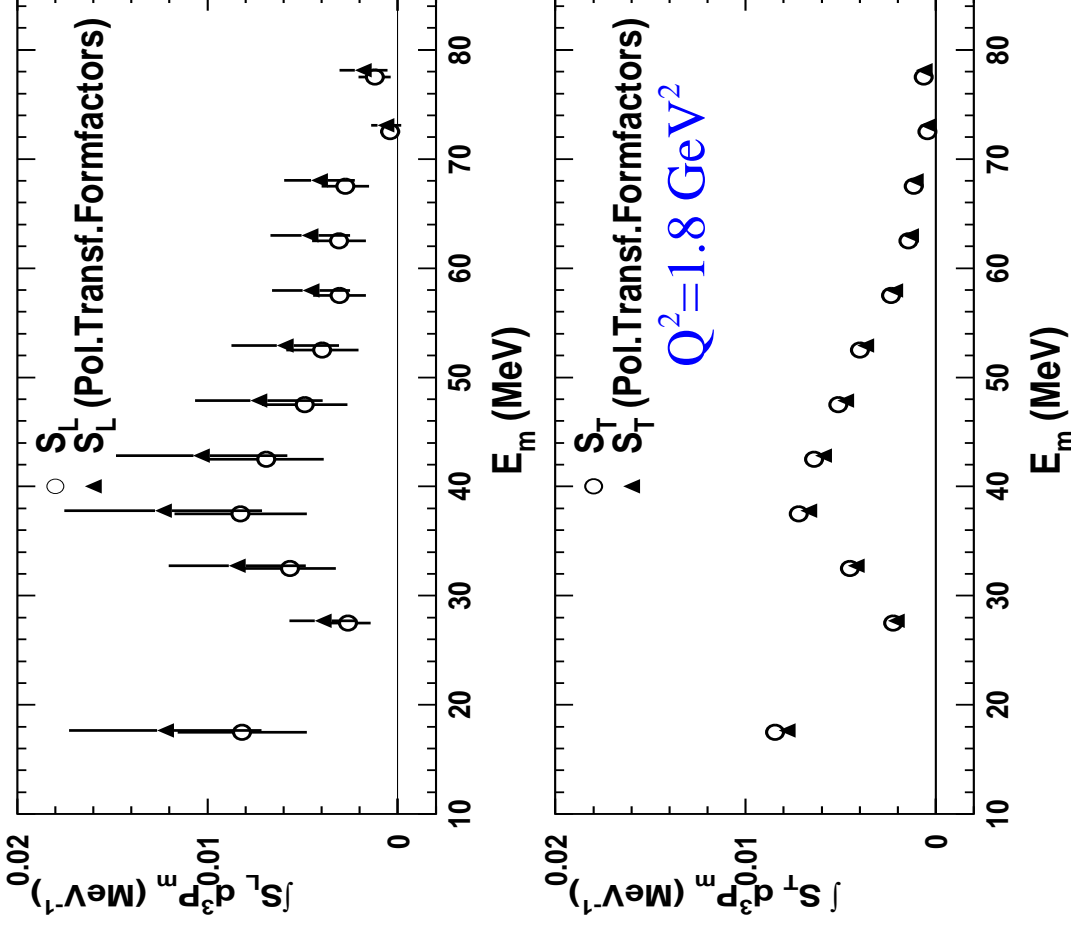


NOTE: TPE effects appear to be largest at low ϵ , so effect on G_M cannot be ignored

Impact of the discrepancy

Some cases need form factors to give cross section (including TPE)

- *Experiment normalizations
- *Cross sections as input to analysis, e.g. $A(e,e'p)$
D. Dutta et al., PRC 68:064603(2003)
 Rosenbluth form factors $\longrightarrow S_L \cong S_T$
 Polarization transfer form factors
 $\longrightarrow S_L \sim 60\%$ larger than S_T



Not always clear if you need the true form factors, the elastic cross section, or something in between

- *Extraction of weak/axial form factors: ν -N or PV e-N
H. Budd, A. Bodek, JA, hep-ex/0308005
- *Calculations using the form factors (e.g. Bethe-Heitler)

A *mixture* of form factors (G_M from LT, G_E from PT) is never correct, and will almost always give the largest error

Old (2004)

~~Modern~~ calculations

P. Blunden, W. Melnitchouk, and J. Tjon, PRL 91 142304 (2003)

-Improved calculation of box diagrams, (unexcited intermediate state only)

Chen, Afanasev, Brodsky, Carlson, Vanderhaeghen: PRL 93 122301 (2004)

-GPD based model, photons interact with two different quarks

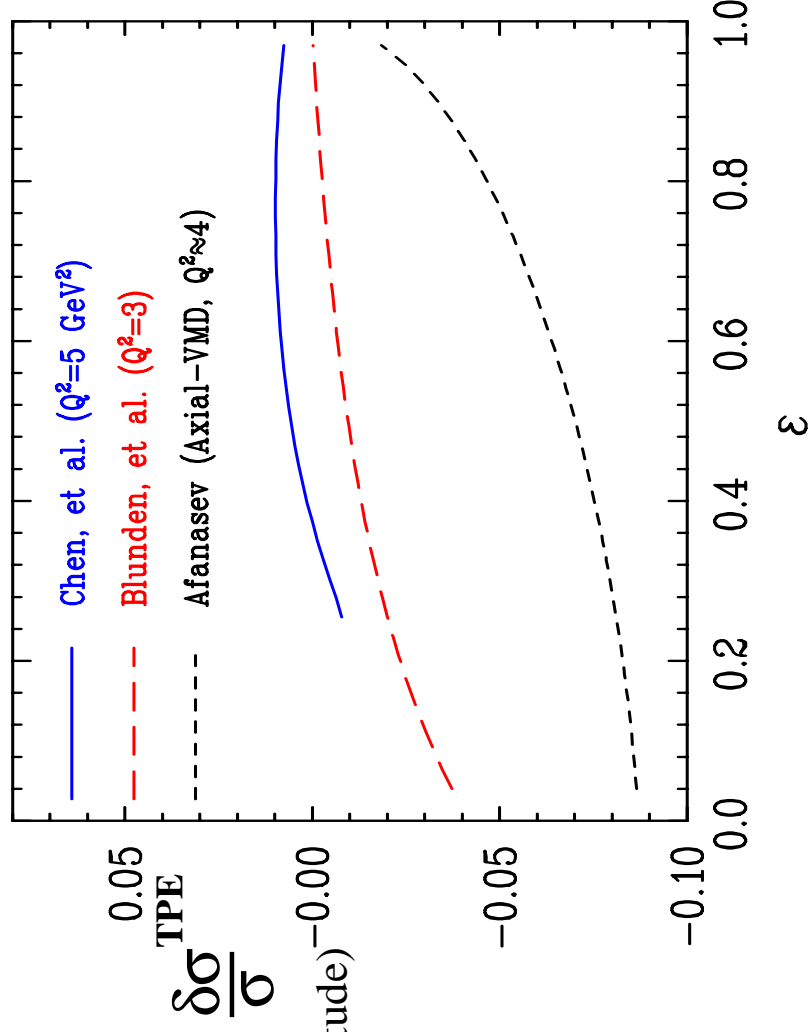
-Not valid at low Q^2 or ϵ values

A. Afanasev, private communication

-Axial-VMD model

-Provides ϵ -dependence (arbitrary magnitude)

-*Out of date, included for completeness*



My summary:

1) Calculations differ in magnitude and ϵ -dependence, but rapidly improving

2) All show small effects at large ϵ

All show decrease at low ϵ

All show weak Q^2 -dependence



Consistent with e^+e^- ratios and observed form factor discrepancy

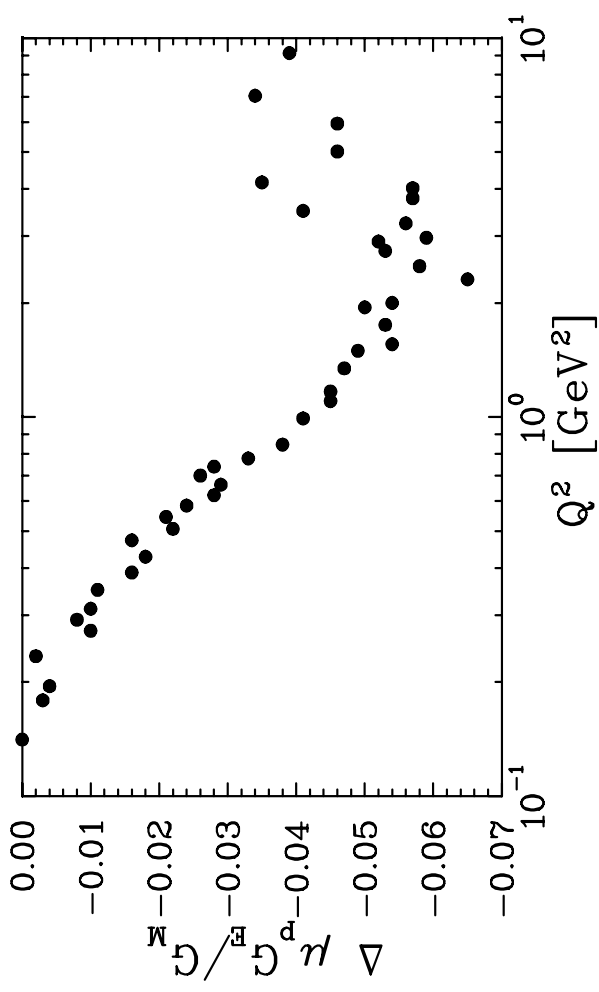
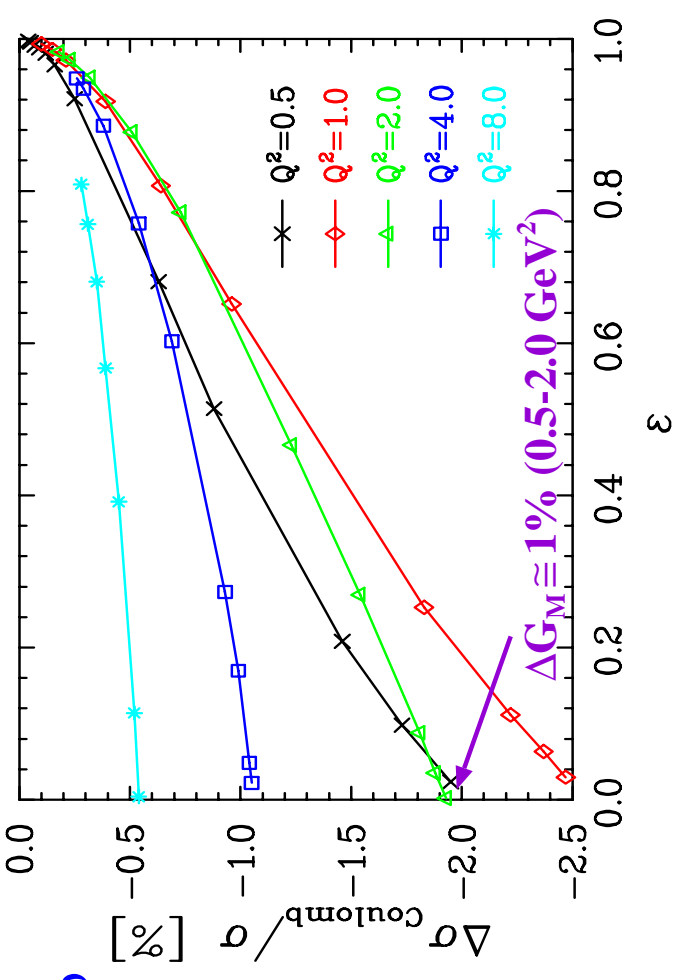
Coulomb distortion

Other higher-order processes can also contribute - not just two-photon exchange

Soft multi-photon exchange (Coulomb distortion) also enters at order α

Effects are generally small, but do have a significant ε -dependence

JA and I. Sick, PRC 70, 028203(2004)



*Only explains a small part of the discrepancy above 3-4 GeV^2

*Can explain up to 30-40% of the discrepancy for $Q^2 \approx 1 \text{ GeV}^2$

*Explains much (most?) of the low- Q^2 positron/electron ratio

Two-photon corrections: Model-independent analysis

Three amplitudes: $\tilde{G}_E(\varepsilon, Q^2)$, $\tilde{G}_M(\varepsilon, Q^2)$, $Y_{2\gamma}(\varepsilon, Q^2)$

*P.A.M. Guichon and M. Vanderhaeghen,
PRL 91, 142303 (2003)*

$$R_{\text{poltrans}} = (\tilde{G}_E/\tilde{G}_M) + (1 - 2\varepsilon/(1+\varepsilon))\tilde{G}_E/\tilde{G}_M Y_{2\gamma}$$

$$R_{\text{Rosen}}^2 = (\tilde{G}_E/\tilde{G}_M)^2 + 2(\tau + \tilde{G}_E/\tilde{G}_M) Y_{2\gamma}$$

$$\frac{\Delta\sigma_R}{G_M^2} \sim 2\tau \frac{\Delta G_M}{G_M} + 2\varepsilon \frac{G_E^2}{G_M^2} \frac{\Delta G_E}{G_E} + 2\varepsilon(\tau + G_E/G_M) Y_{2\gamma}$$

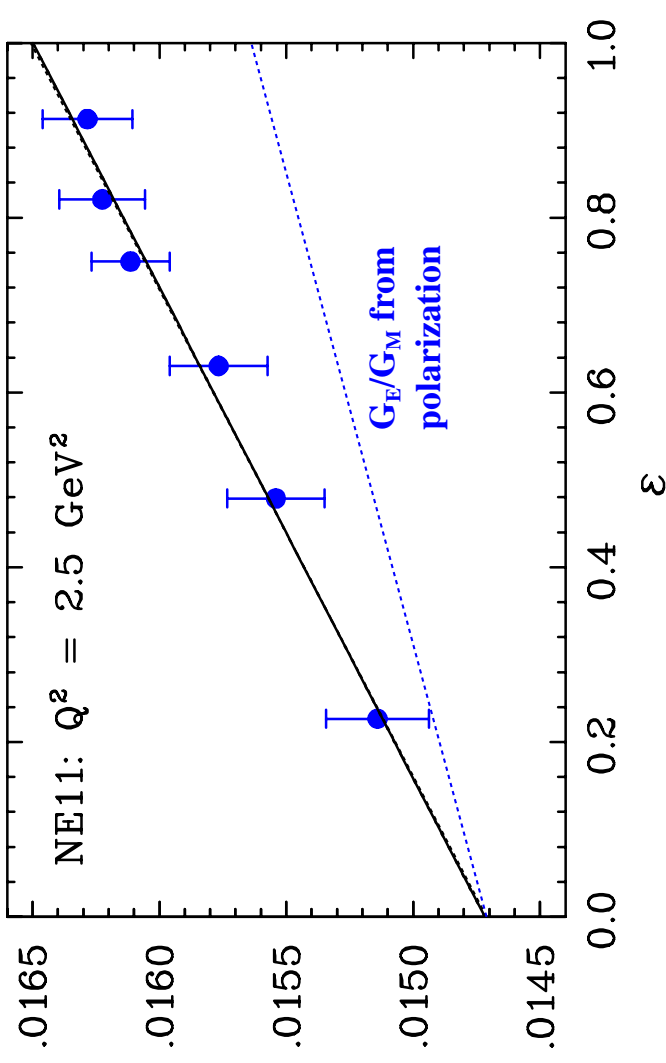
$R = G_E/G_M$ as extracted in one-photon formalism
assuming ε -independent amplitudes
(convenient, but not necessary)

$$\tilde{G}_E(\varepsilon, Q^2) = G_E(Q^2) + \Delta G_E(\varepsilon, Q^2)$$

$$\tilde{G}_M(\varepsilon, Q^2) = G_M(Q^2) + \Delta G_M(\varepsilon, Q^2)$$

$$Y_{2\gamma}(\varepsilon, Q^2) = 0 + Y_{2\gamma}(\varepsilon, Q^2)$$

↑ Born
↑ TPE contribution



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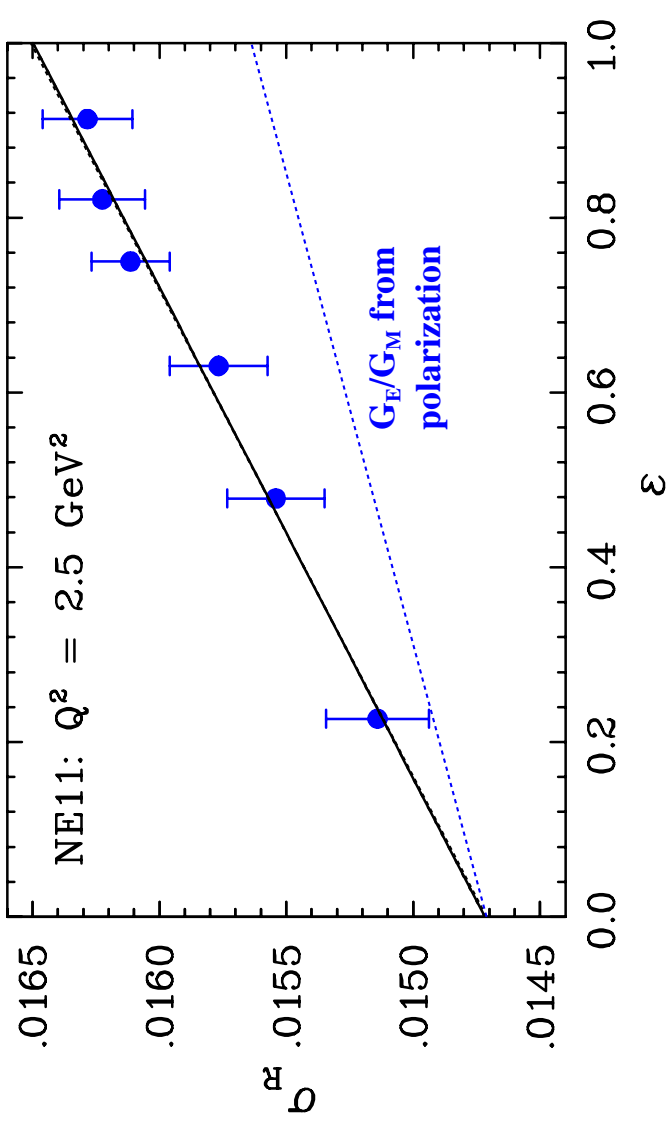
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$\sim 0.05-0.10$
small effect

ΔG_E term is strongly suppressed



Two-photon corrections: Model-independent analysis

Three amplitudes: $\tilde{G}_E(\epsilon, Q^2)$, $\tilde{G}_M(\epsilon, Q^2)$, $Y_{2\gamma}(\epsilon, Q^2)$

P.A.M. Guichon and M. Vanderhaeghen, PRL 91, 142303 (2003)

$$R_{\text{poltrans}} = (\tilde{G}_E/\tilde{G}_M) + (1 - 2\epsilon/(1+\epsilon)) \tilde{G}_E/\tilde{G}_M \cdot Y_{2\gamma}$$

$R = G_E/G_M$ as extracted in one-photon formalism

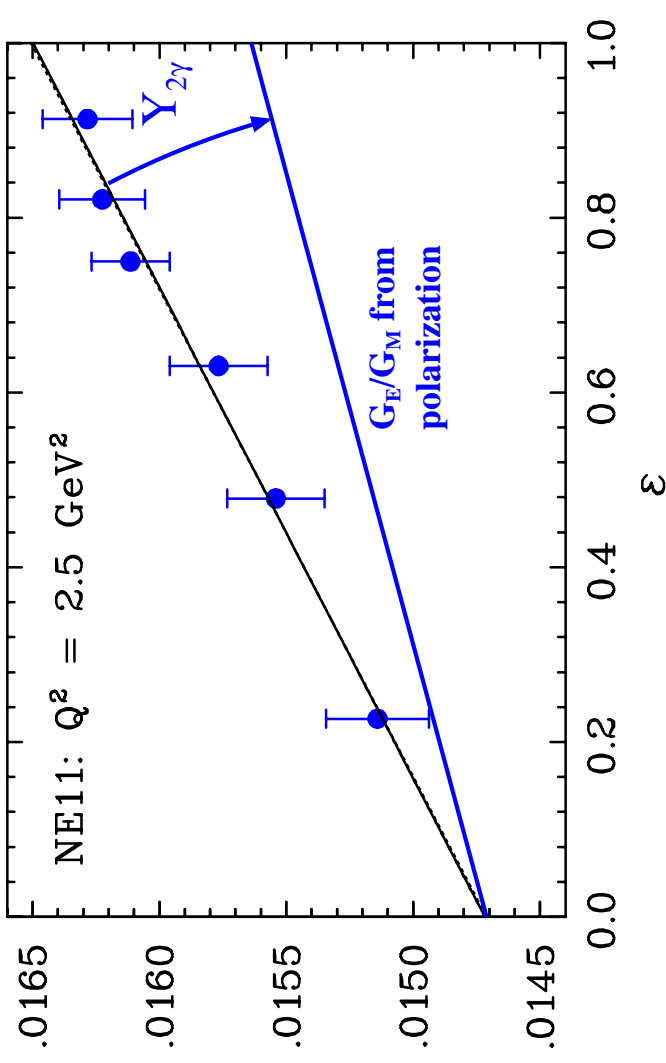
$$R_{\text{Rosen}}^2 = (\tilde{G}_E/\tilde{G}_M)^2 + 2(\tau + \tilde{G}_E/\tilde{G}_M) Y_{2\gamma}$$

$$\frac{\Delta\sigma_R}{G_M^2} \sim 2\tau \frac{\Delta G_M}{G_M} + 2\epsilon \frac{G_E^2}{G_M^2} \frac{\Delta G_E}{G_E} + 2\epsilon(\tau + G_E/G_M) Y_{2\gamma}$$

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ΔG_E term is strongly suppressed

Discrepancy must come from $Y_{2\gamma}$



Two-photon corrections: Model-independent analysis

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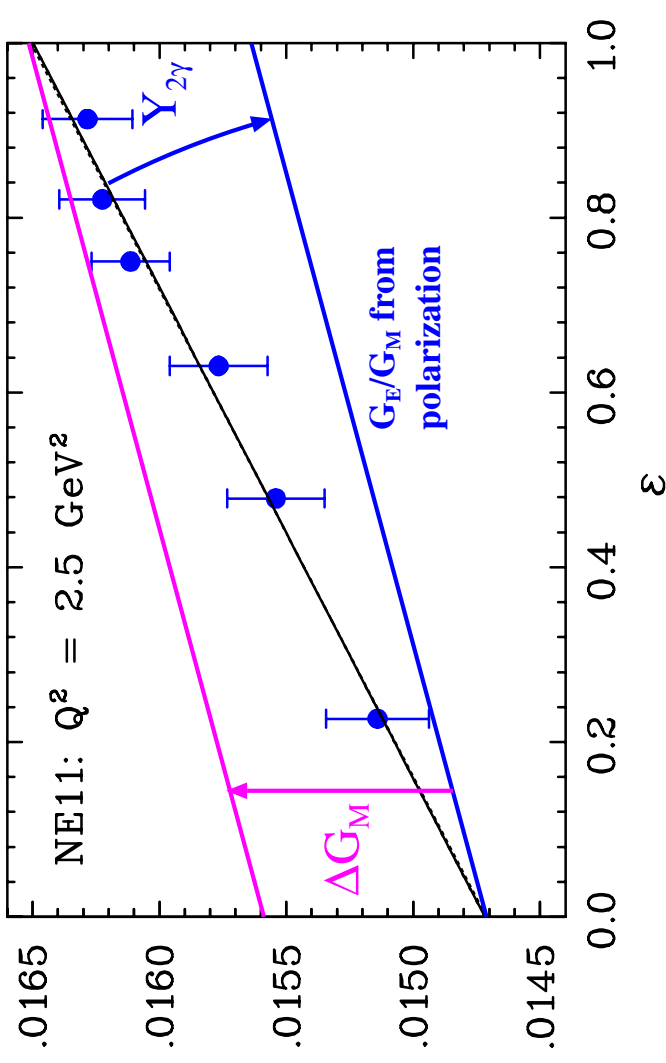
Fixed by LT/PT discrepancy

ΔG_E term is strongly suppressed

Discrepancy must come from $Y_{2\gamma}$

$e+/e-$ requires $\Delta\sigma_{2\gamma} \cong 0$ at $\epsilon = 1$,

--> **constrains** $\Delta G_M/G_M$



Assuming knowledge of the ϵ -dependence, we basically have two unknown amplitudes and two observables

Empirical extraction of two-photon amplitudes

Uses full e^-p cross section and polarization data sets and constraint from e^+p data

Assumes ε -independent TPE amplitudes

JA, PRC 71, 015202 (2005)

$Y_{2\gamma}$ extracted from the difference between R_{L-T} and R_{Pol}

Extract $Y_{2\gamma}$ with ~50-100% uncertainty

ΔG_M determined by e^+e^-

constraint: $\Delta\sigma \cong 0$ at large ε

$$\Delta G_M/G_M \cong -\varepsilon(1+\rho/\tau) Y_{2\gamma} \quad (\rho = G_E/G_M)$$

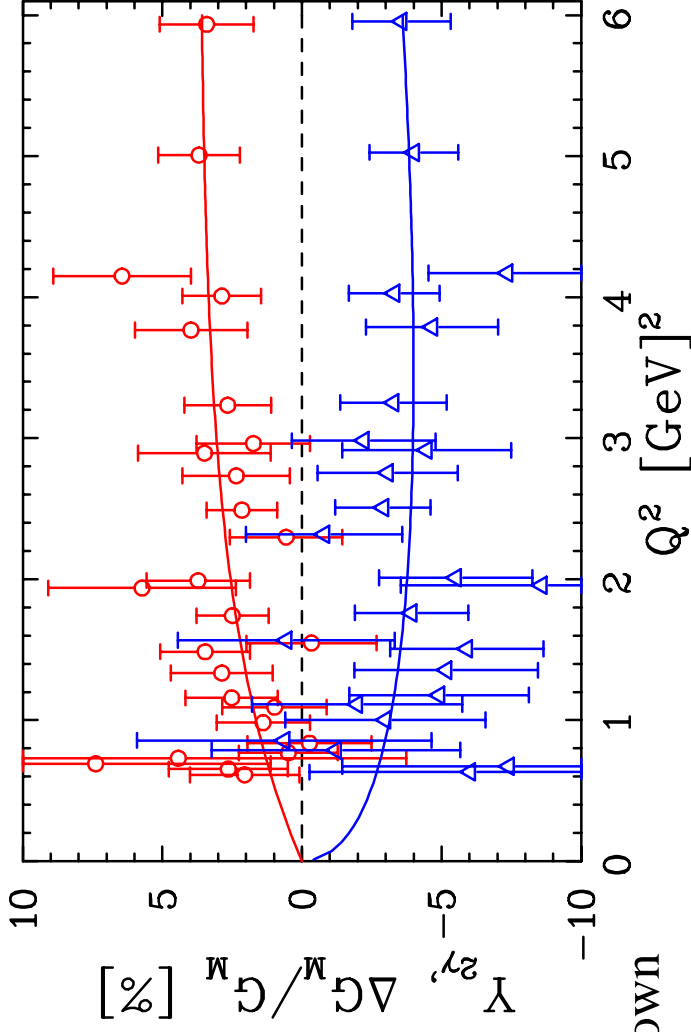
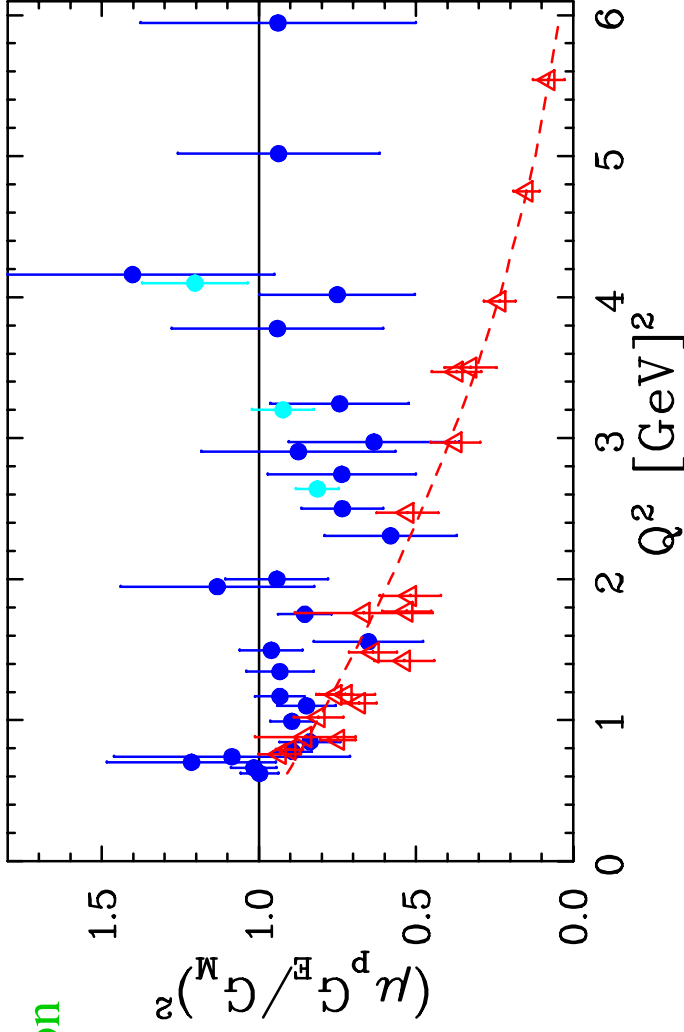


Significant corrections to G_E, G_M

TPE corrections *dominate the uncertainty in the form factors*

Extraction limited by quality of present Rosenbluth extractions

Would be easy to resolve with better LT measurements **IF** ε -dependence were known



Additional uncertainties from ε -dependence

Nonlinearity leads to uncertainty in extrapolation to $\varepsilon=0$, extraction of G_M

$$\delta G_M^{\text{TPE}} = 3.0\% \text{ (best SLAC limit)}$$

$$\delta G_M^{\text{TPE}} = 1.1\% \text{ (best E01-001 limit)}$$

Correction to polarization transfer (G_E) is *extremely* sensitive to ε -dependence

Even the sign depends on ε -dependence

Empirical extractions:

$$Y_{2\gamma} = A, \Delta G_M = B$$

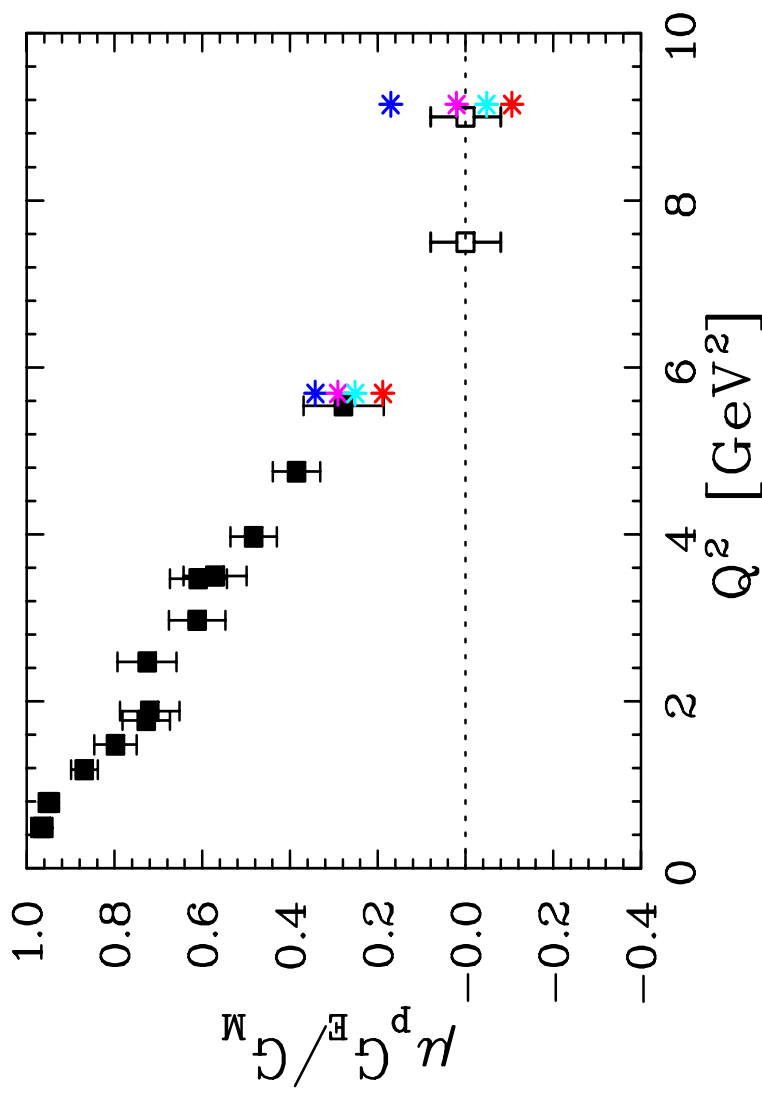
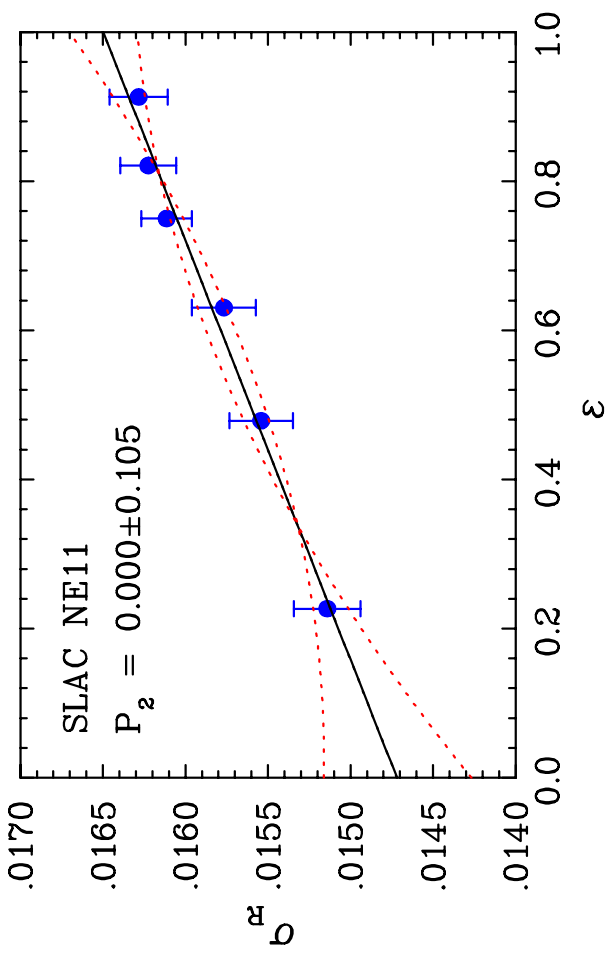
$$Y_{2\gamma} = A + B/\varepsilon, \Delta G_M = 0$$

(Both yield linear correction to σ_R)

Calculations:

Blunden, et al. (PRC-2005)

Chen, et al. (PRL-2004)



Present status

There appear to be significant corrections to both G_E (from PT) and G_M (from LT)

TPE is dominant source of uncertainty in both G_E and G_M

G_M : Main uncertainty from *size* of TPE effect on reduced cross section ($\sim 1-1.5\%$)

Additional uncertainty due to possible non-linearities at low ϵ ($\sim 1\%$)



e+/e- comparisons at small to moderate Q^2 , large scattering angle

Better Rosenbluth data for precise LT - PT comparisons

G_E : Main uncertainty in ϵ -dependence of TPE amplitudes



Measure ϵ -dependence of *both* cross section and Polarization transfer

Calculations of TPE effects improving very rapidly [Talks by Blunden, Chen, Afanasev, Pascalutsa]

Better data can help resolve differences between different approaches

Need best possible constraints for e-p scattering to provide reliable calculations for processes where we cannot make measurements

Signatures of two-photon exchange terms: elastic e-p scattering

Real part of TPE amplitudes:

Positron-electron comparisons (*VEPP, JLab*)

- Clean extraction of two-photon terms
- Map out Q^2 and ϵ dependence of $\Delta\sigma^{\text{TPE}}$

[Talk by L. Weinstein]

Can test TPE explanation

Map out TPE for $Q^2 < 1\text{-}2 \text{ GeV}^2$

Precise e-p elastic cross sections (*JLab*)

- ϵ -dependence of cross section

Polarization transfer: P_l / P_t (*JLab*)

- ϵ -dependence of polarization ratio

Map out TPE for $Q^2 > 1\text{-}2 \text{ GeV}^2$

Imaginary part of TPE amplitudes:

Born-forbidden observables (e.g. normal polarization transfer P_N)

- No *direct* impact on form factors, but provide additional *independent constraints* on TPE calculations

Already have data from SAMPLE, A4, G0. More to come...

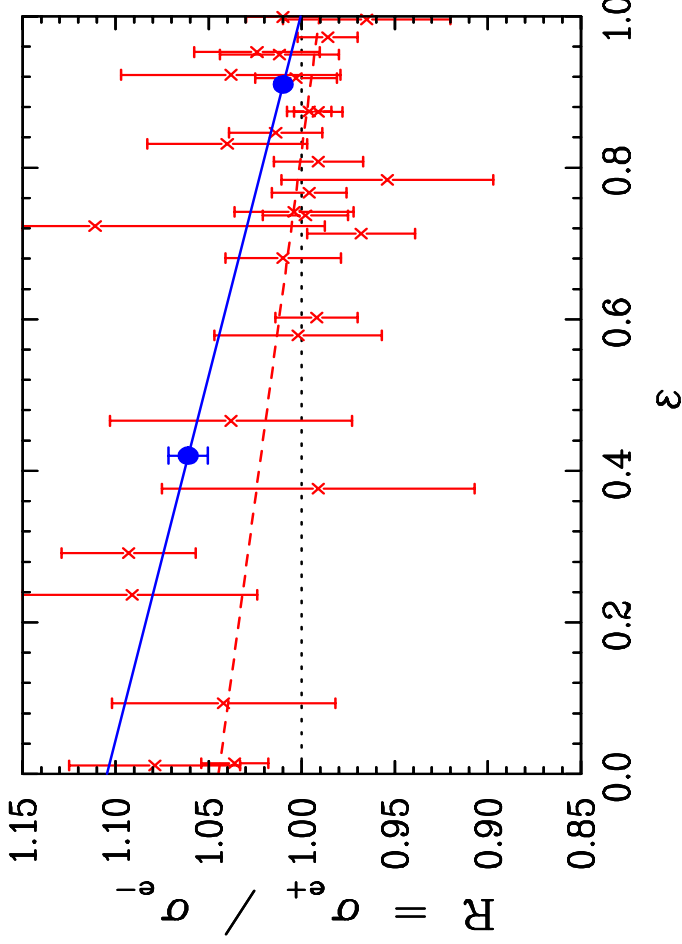
Approved experiment to measure A_y (target single spin asymmetry) from ^3He

[Talk by X.Jiang]

New positron-electron experiment at VEPP-3 (2006)

"Two-photon exchange and elastic scattering of electrons/positrons on the proton"

JA, D. Nikolenko, spokespersons, nucl-ex/0408020



$\langle Q^2 \rangle$ e+/e- slope

World's e+/e- data **0.4 GeV²** **5.8 +/- 1.8%**

Novosibirsk e+/e- **1.6 GeV²** **10.4 +/- 2.2%**

Projected slope based
on TPE amplitudes
from global extraction

Precise comparison of positron-proton and electron-proton scattering at moderate Q^2

- Confirm TPE as source of the discrepancy
- Provide best measurement on size of TPE effects at 1-2 GeV²

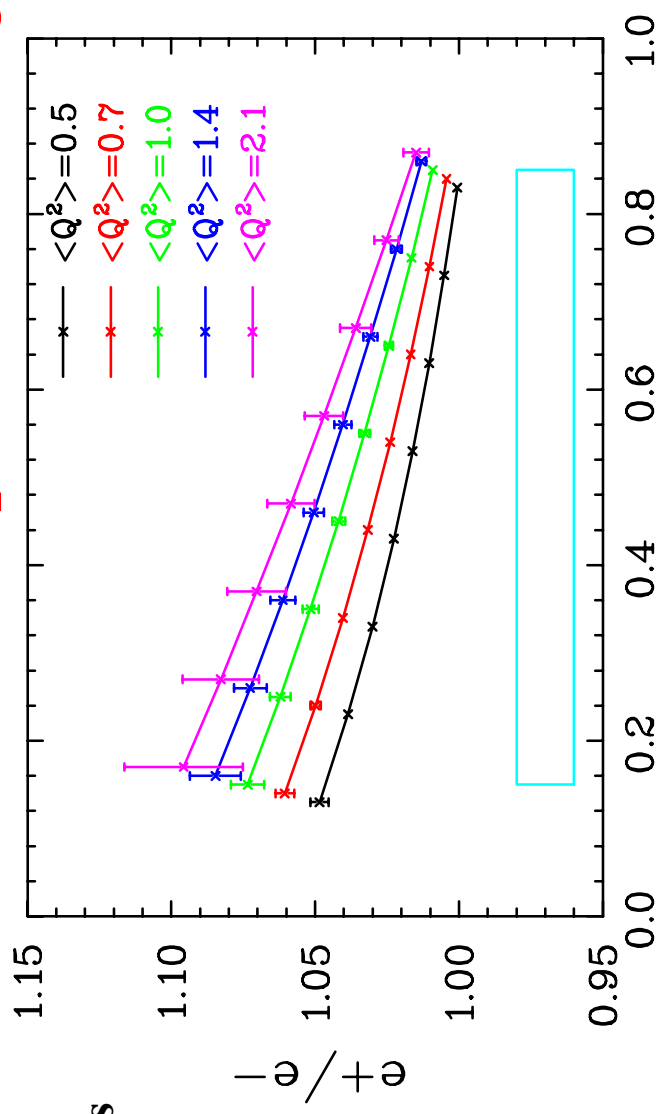
Would also like to have positron data over range in Q^2 , and with complete ϵ coverage

E04-116 (Hall B): positron- and electron-proton scattering

1 μ A beam on 5% radiator --> photons
(electron beam send to tagger dump)

Photon beam through 2% converter
--> electrons, positrons and photons

Chicane + photon blocker --> mixed
beam of positrons and electrons

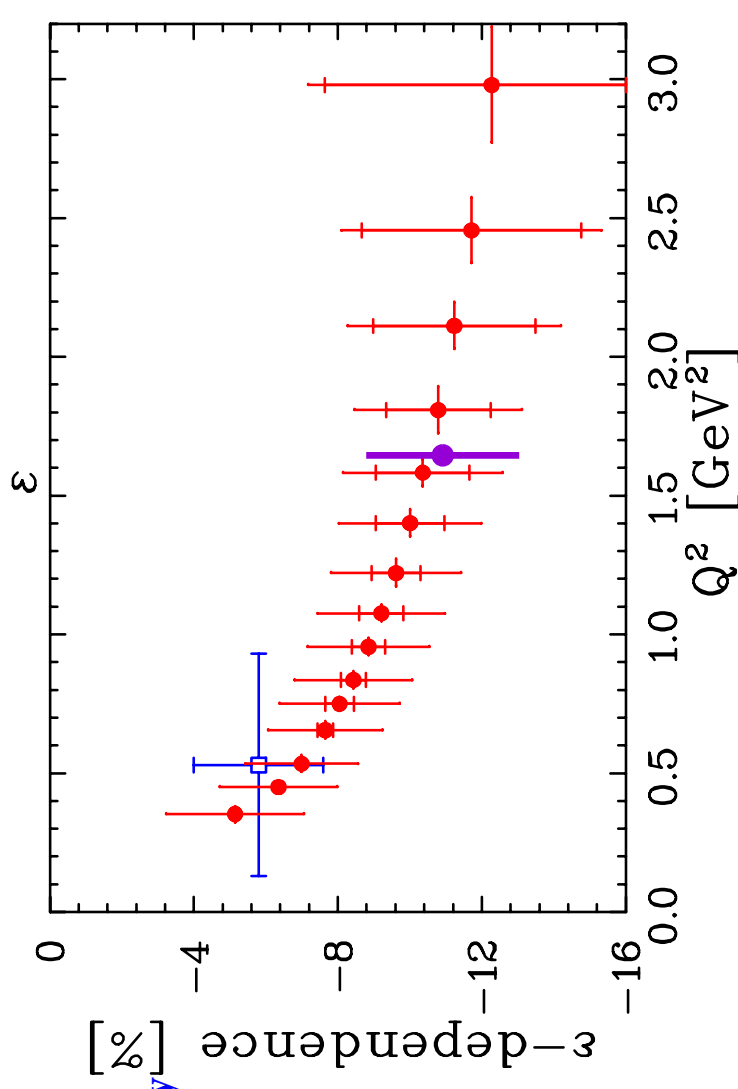


Detect scattered lepton and proton in
CLAS - reconstruct initial lepton energy

Approved for five days
(engineering run) by PAC26

*W. Brooks, A. Afanasev, JA, K. Joo,
B. Raue, L. Weinstein, spokespersons*

Main background from beam dump:
Simulations and short tests runs
performed to optimize shielding



JLab E05-017 (Hall C): Improved Rosenbluth data

Proton detection can give factor of 2-3 improvement over world's L-T data on G_E/G_M

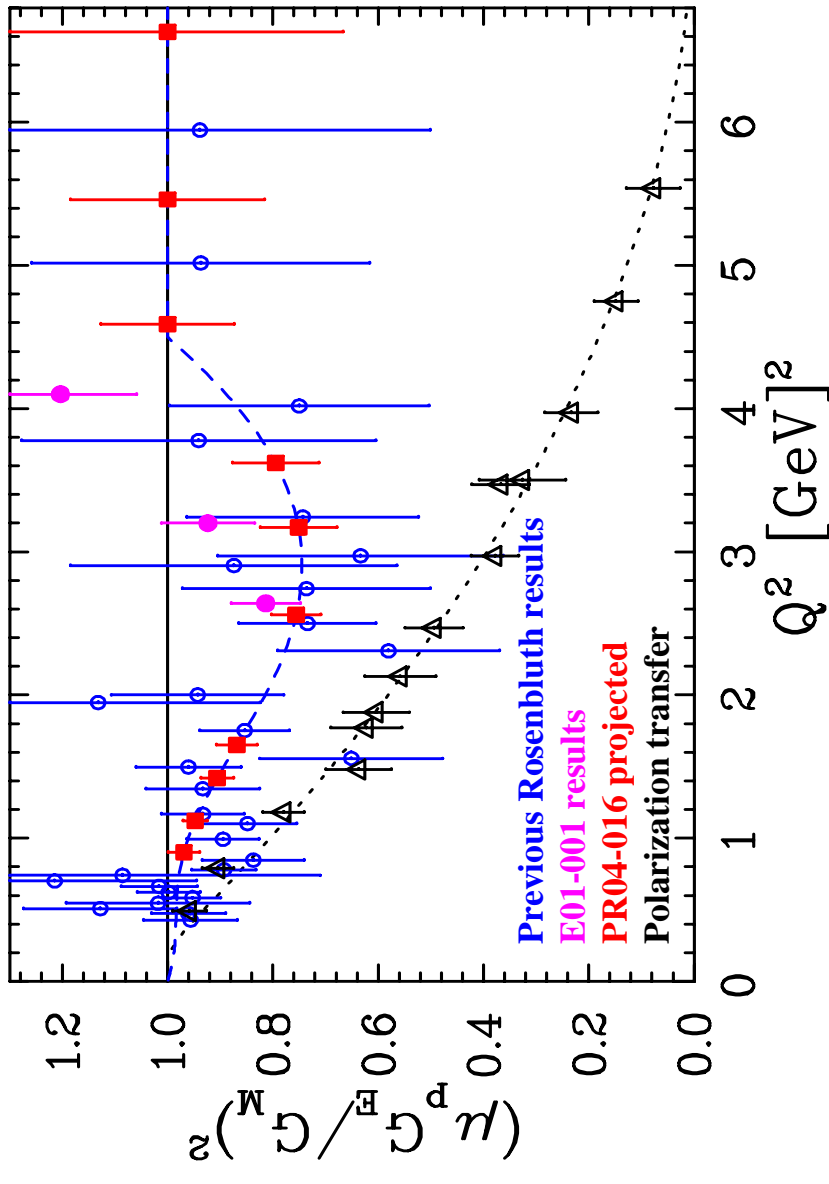
(as demonstrated by E01-001)

I.A.Qattan, et al., PRL 94, 142301 (2005)

LT-PT comparisons provide $\Delta\sigma^{\text{TPE}}$ with 50-100% uncertainty

Reduce to 20-30% for $Q^2 > 1-2$

At lower Q^2 , positron-electron comparisons will determine the size of $\Delta\sigma^{\text{TPE}}$



Reduce TPE uncertainties on G_M by factor of 2-3 for all Q^2 , ***at or below the experimental uncertainties*** (if ϵ -dependence known)

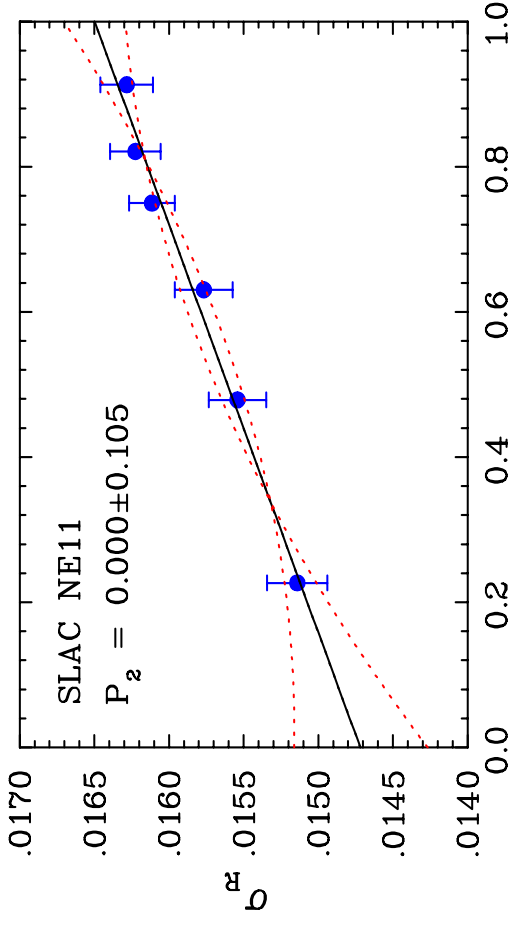
Final step: better knowledge of ϵ -dependence of amplitudes

E05-017: ε dependence of $\Delta\sigma^{\text{TPE}}$

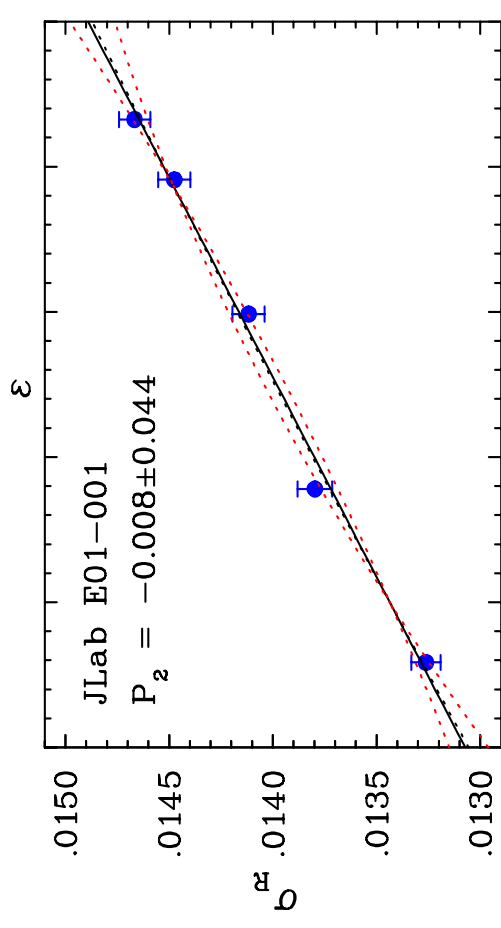
Can't separate G_E from TPE terms, but can isolate (or limit) non-linear part


$$\text{Fit to } \sigma_R = P_0 (1 + P_1\varepsilon + P_2\varepsilon^2)$$

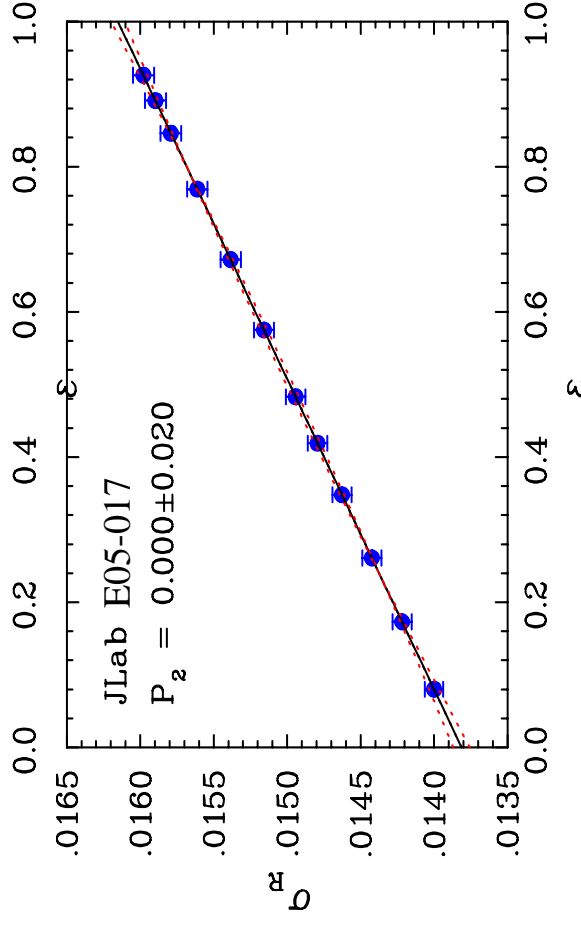
SLAC NE11  **$P_2 = 0.000 \pm 0.105$**
 (2.5 GeV²) **$\delta\sigma (\varepsilon \rightarrow 0) = 3.0\%$**



JLab E01-001  **$P_2 = -0.008 \pm 0.069$**
 (2.64 GeV²) **$\delta\sigma (\varepsilon \rightarrow 0) = 1.1\%$**



JLab E05-017  **$P_2 = ??? \pm 0.020$**
 (1.12, 2.56 GeV²) **$\delta\sigma (\varepsilon \rightarrow 0) = 0.4\%$**



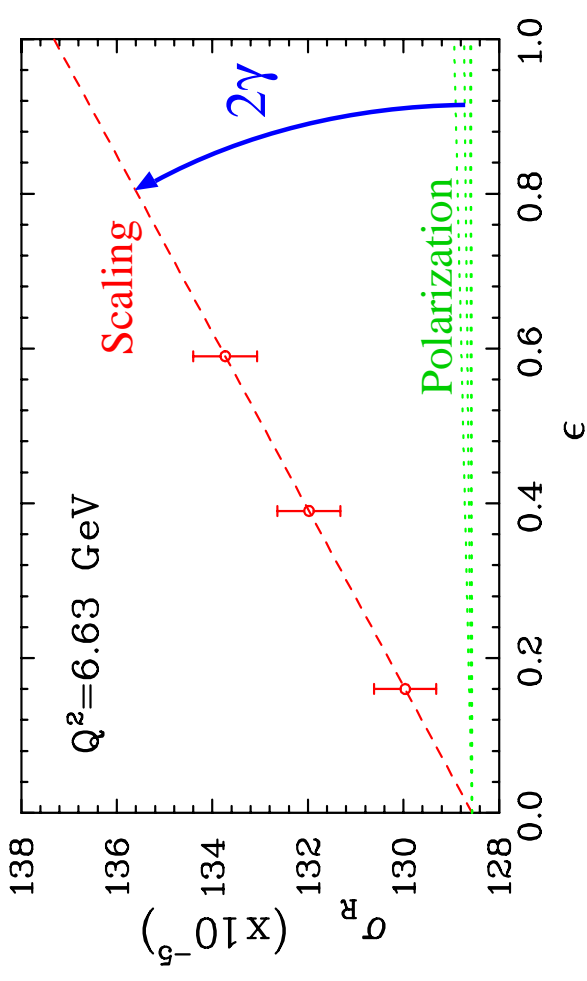
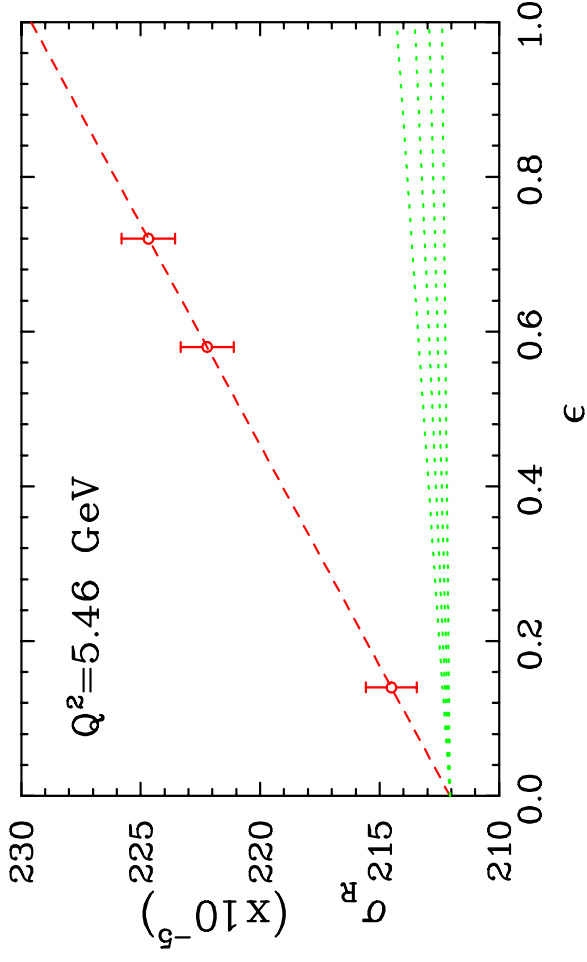
Calculations predict non-linearity that would be ~5-7 sigma for this measurement

ϵ -dependence at lower (and higher) Q^2

At low-to-moderate Q^2 , we can't separate effect of G_E from linear part of TPE
Rosenbluth data **only constrains non-linearity** in $\Delta\sigma_{TPE}$

At lower Q^2 values, e^+e^- comparisons can yield a clean measure of the ϵ -dependence
providing both **linear and non-linear components**

At large Q^2 values, $G_E \rightarrow 0$ and the ϵ -dependence is almost entirely from TPE



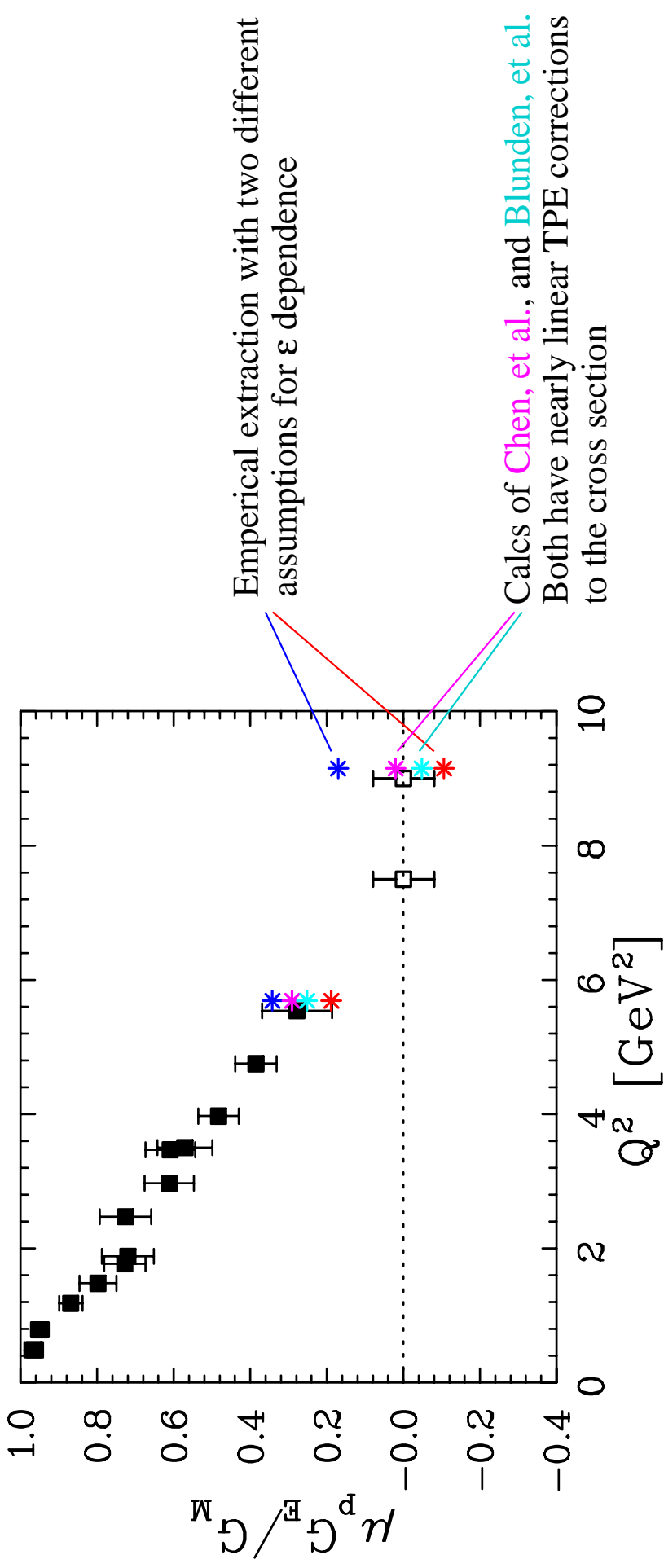
Extraction of TPE is almost as clean as in the e^+e^- comparison

E04-019 (Hall C): ϵ dependence of polarization transfer

ϵ dependence of the cross section constrains *one combination* of TPE amplitudes:

ΔG_M , $Y_{2\gamma}$ both ϵ -independent yields linear effect on cross section
but $\Delta G_M=0$, $Y_{2\gamma} = A + B/\epsilon$ also yields linear effect on cross section

These are *indistinguishable* in the cross section, but yield different corrections to polarization transfer



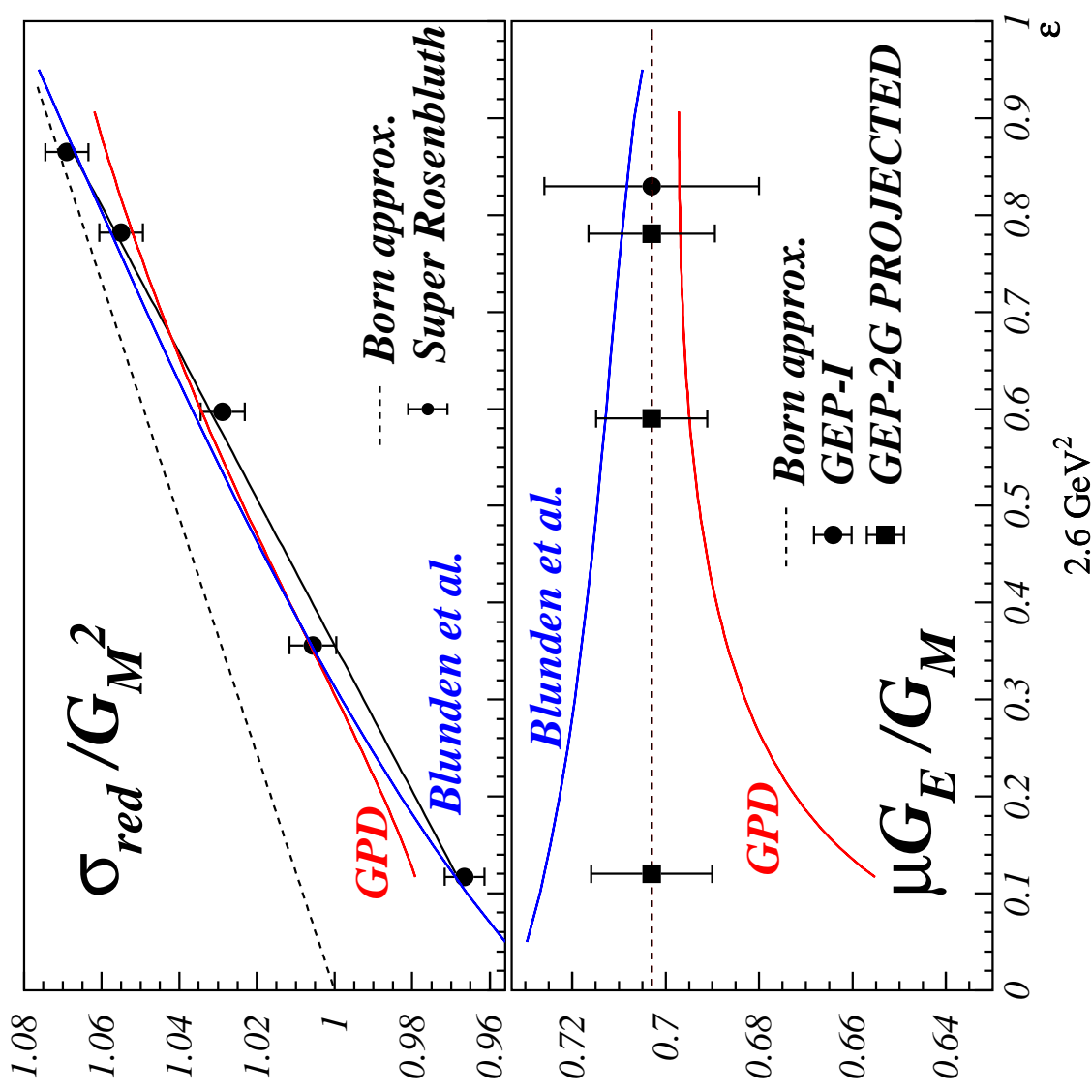
E04-019 (Hall C): ε dependence of polarization transfer

ε -independent TPE amplitudes yield linear effect on cross section, but $\Delta G_M=0$, $Y_{2\gamma} = A + B/\varepsilon$ also yields linear effect on cross section.

These are *indistinguishable* in the cross section, but yield different corrections to polarization transfer

E04-019: Measure ε dependence of *polarization transfer* result

Very different sensitivity to ε -dependence of $Y_{2\gamma}$, ΔG_M



Two-photon corrections: Future plans

Short term (direct connection to form factors):

Demonstrate that two-photon exchange is responsible

Experimental evidence is indirect (discrepancy) or weak (e+/e-)

More data to *extract TPE corrections to G_E , G_M* and to *constrain calculations*

Better constraints on ϵ -dependence of the amplitudes

More precise positron-electron comparisons

More precise data for Rosenbluth-Polarization comparisons

Longer term (test models, study two-photon physics/GPDs):

Born-forbidden observables in $p(e,e'p)$ - imaginary part of the TPE amplitudes

- Beam single-spin asymmetries (SAMPLE, A4, G0...)
- Normal polarization transfer, normal target spin asymmetries

Measurements to constrain TPE effects in other reactions

- Elastic form factors for neutron or light nuclei
 - Other exclusive processes (e.g. $N \rightarrow \Delta$ form factors)
 - Indirect impact due to uncertainty in form factors (e.g. extracting PV form factors)
 - Experimentally, very little can be done without positron beams
- Need well tested, well constrained calculations

TPE corrections in other reactions (even at low Q^2)

Neutron form factors: G_E^n

Simple model: Two magnetic scatterings \rightarrow TPE is $\sim 50\%$ of e-p $[(\mu_n/\mu_p)^2]$

For $Q^2 \lesssim 1 \text{ GeV}^2$, G_E^n is smaller than G_E^p by a factor of three or more, yielding a **larger fractional correction to G_E^n**

➡ Important to know if e-p corrections are 1% or 10% ($\sim 10\%$ in global analysis)

Eventually, need a well tested model for e-p which can then be applied to e-n

Weak form factors: e.g. HAPPEX K. Aniol, et al., PRC69:065501 (2004)

Global analysis: $\Delta G_E^{2\gamma} = 7.5\%$ at $Q^2 = 0.5 \text{ GeV}^2$

➡ **1.2 ppm change in physics asymmetry** (twice the assumed systematic)

Two-photon effects on G_M^p , G_E^p , G_M^n will yield **additional corrections**

[NOTE: The HAPPEX example is probably a factor of two overestimate - needs to be redone]

Deuteron form factors: $B(Q^2)$

E91-026: A and B extracted for $0.7 < Q^2 < 1.3$, $\theta_{\text{MAX}} = 145^\circ$

Expect **larger** TPE for deuteron, but if we assume same $\Delta\sigma_{2\gamma}/\sigma$ as for proton:

➡ **$\Delta B/B = 30\%$ at $Q^2 = 1.3$** *Roughly twice the experimental uncertainties*

Different form factors (G_M , G_Q , and G_C) are combinations of A, B, and t_{20}

Probably even worse for ^3He - can't isolate G_E

There are many reactions where TPE might be important ($> 1-2\sigma$), but often a rough understanding of TPE (30-50%) will be enough

Positron beams?

A high-quality positron beam would allow test of TPE effects in other reactions

1999: Workshop on positron beams at Jefferson Lab

2004: Informal "micro-workshop" to discuss new options, new physics

Much of the physics program could be done with 100-200nA beams, \$5-10M

Many **TPE** studies, **Coulomb distortion**, etc...

Certain options require more: 1-2 μA , \$30M

DVCS, Time-reversal invariance?

Late 2005: Want to reexamine options for positron sources, start setting parameters

Do we need electron/positron reversal in a day, a week, or a month?

What current is good enough?

What other measurements can we make?

DICS [see Bogdan's talk]

Need to start thinking about what we can do and what we need to do it!