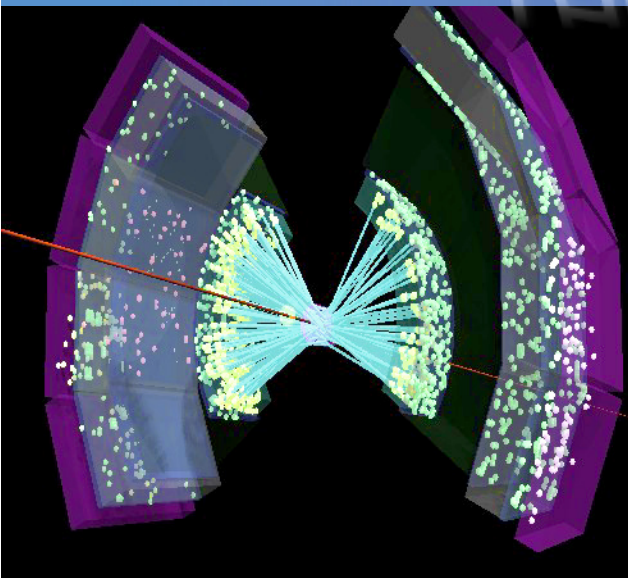


# THE RELATIVISTIC HEAVY ION COLLIDER THE ONLY COLLIDER IN THE US



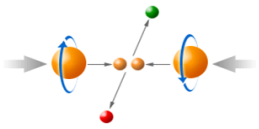
**BROOKHAVEN**  
NATIONAL LABORATORY

*a passion for discovery*



U.S. DEPARTMENT OF  
**ENERGY**

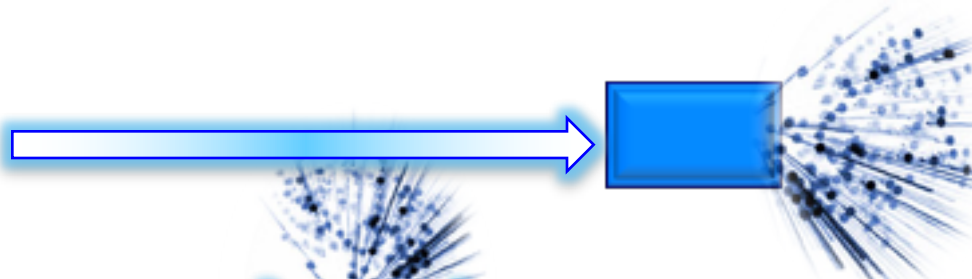
Office of  
Science



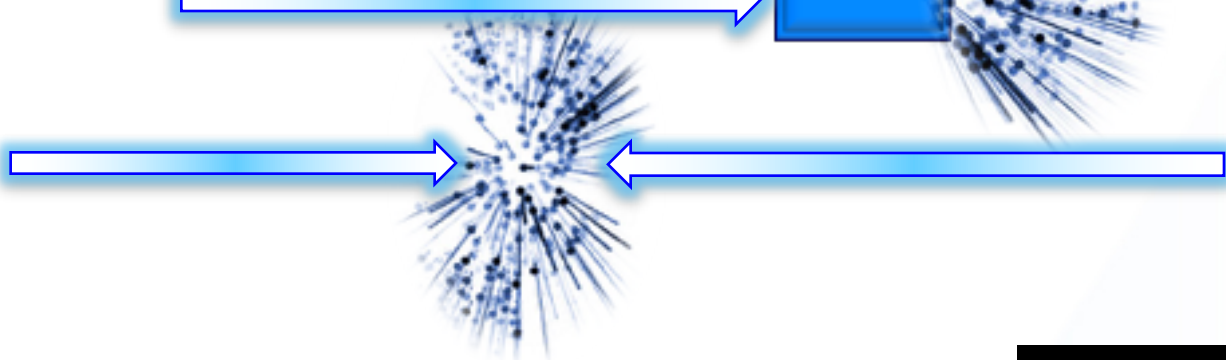
# PARTICLE ACCELERATORS

Large scientific instruments that produce and accelerate subatomic particles and 'smashes them'

Fixed target

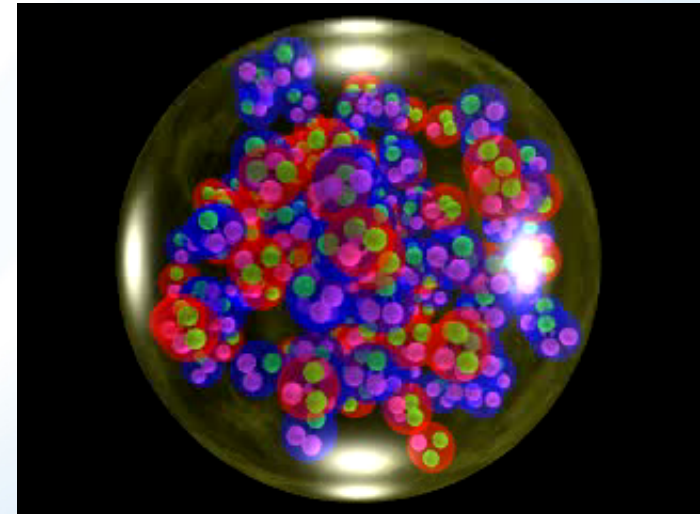


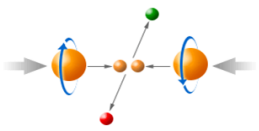
Collider



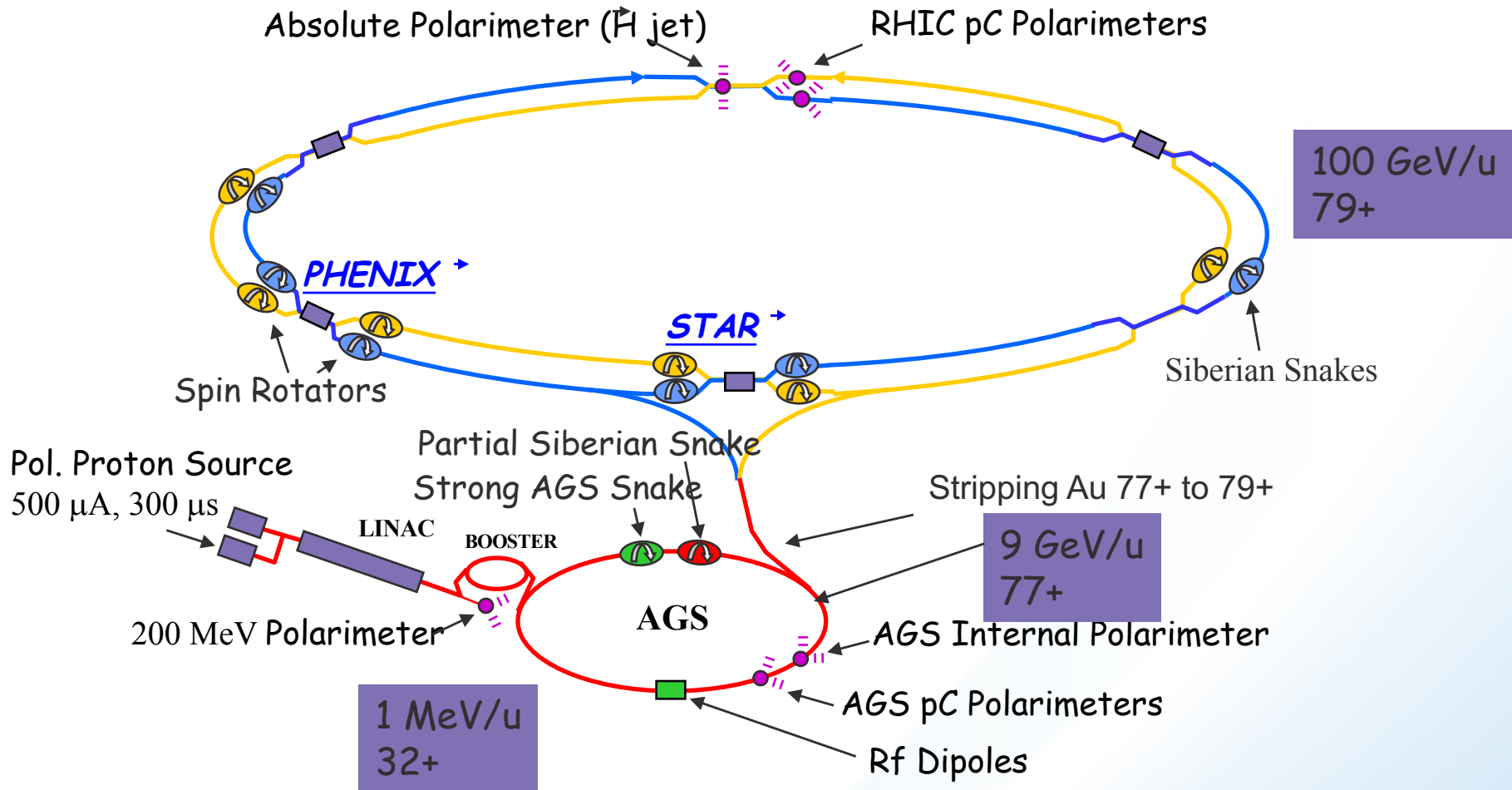
Particles: electrons, positrons, protons, anti-protons, ions....  
(atoms stripped of electrons: nuclei)

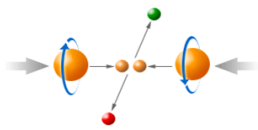
Nuclei  $\rightarrow$  protons + neutrons  
 $\rightarrow$  quarks + gluons





# THE RHIC COMPLEX

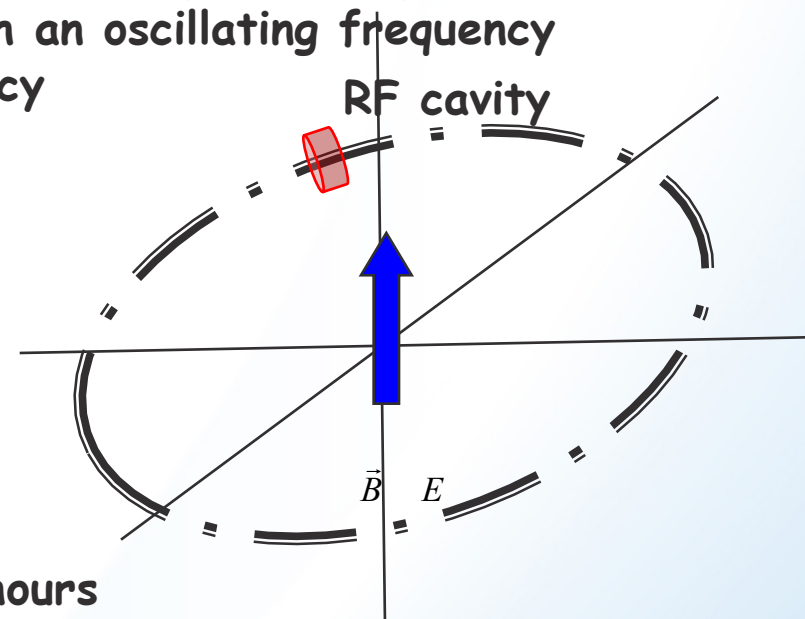




# SYNCHROTRONS AND STORAGE RINGS

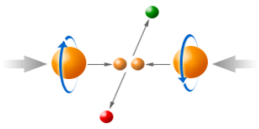
## Synchrotrons (Booster, AGS):

- ❑ Circular machines used to rapidly accelerate particles to higher energies
- ❑ The acceleration comes from the electric field with an oscillating frequency synchronized with the particle's revolution frequency
- ❑ Typical cycle time: 1 sec



## Storage rings (RHIC):

- ❑ Circular machines used to store beams over many hours
- ❑ May be used to slowly accelerate beams from injection to top energy in minutes



# THE LORENTZ FORCE

Charged particles are guided by magnetic fields, using the Lorentz force:

$$\vec{F} = q \cdot (\vec{v} \cdot \vec{B})$$

F : force

q : electric charge of the particle

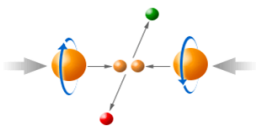
v : particle velocity

B: magnetic field

Vector equation: **F** is perpendicular to **v** and **B**

**Important consequence:**

Magnetic fields can only deflect particles, but cannot change their velocity (or energy)



# BASICS OF CIRCULAR ACCELERATOR

## □ bending dipole

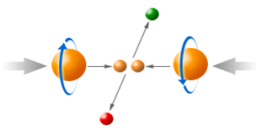
- Constant magnetic field
- Keeps particles circulating around the ring

## □ quadrupole

- Magnetic field proportional to the distance from the center of the magnet.
- Keeps particles focused

## □ radio frequency cavities

- Electric field for acceleration and keeping beam bunched longitudinally



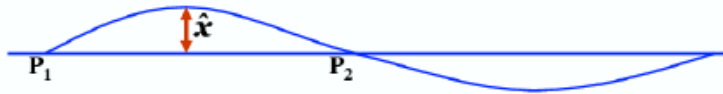
# WEAK FOCUSING

- In a homogeneous dipole field, all particles travel on circles with slightly different centers depending on initial particle direction:



„Geometric focusing“ in a homogeneous field:  
consider three particles, starting at the  
same point with different angles

Geometric focusing in the horizontal plane



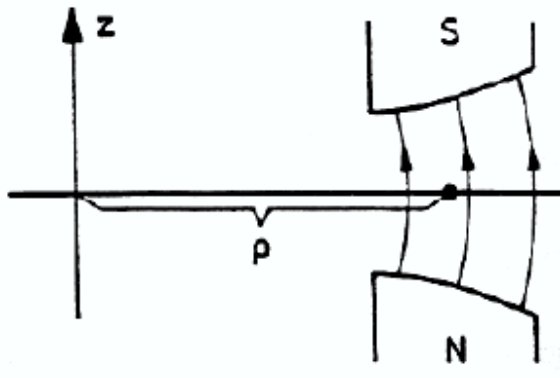
Problem: amplitude of betatron oscillation in this case  $\hat{x} \approx \alpha * \rho$

$$\left. \begin{array}{l} \alpha \approx 1 \text{ mrad for a particle beam} \\ \rho \approx \text{several } 100\text{m} \end{array} \right\} \hat{x} \approx 1 \text{ m}$$

## The vertical plane

Without vertical focusing, particles inevitably spiral out of the horizontal plane

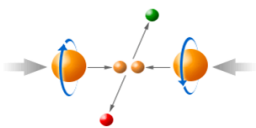
**Solution:** Provide a restoring force  $F_z/z$



Modified pole faces provide horizontal field component

$$B_x(z) = z \cdot dB/dz = z \cdot \text{const.}$$

→ Restoring force  $F_z = q \cdot v \cdot z \cdot dB/dz$  (harmonic oscillator)



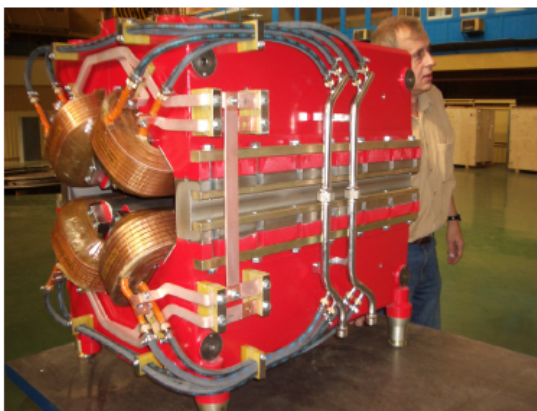
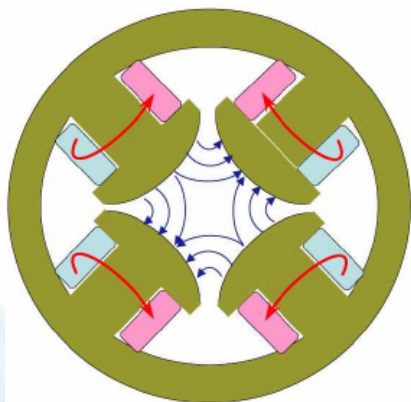
# SUMMARY OF WEAK FOCUSING

- ❑ Simultaneous bending and focusing by combined-function magnets (dipoles with modified pole face shape)
- ❑ Typical beam size: 1m
- ❑ Requires large vacuum chambers (beam pipes) that become more and more impractical in larger machines

**Remedy:** Separate bending and focusing functions (= "strong focusing")

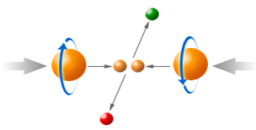
## Strong focusing

Quadrupole magnets focus the beam in one plane, and de-focus in the other



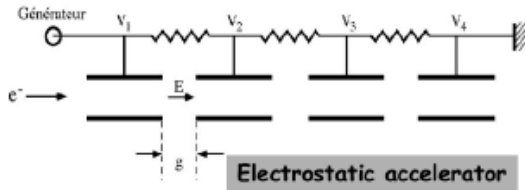
- ❑ Alternate focusing and defocusing quadrupoles
- ❑ Typical beam size: 1mm to 1 cm
- ❑ Beam optics described by matrix multiplication



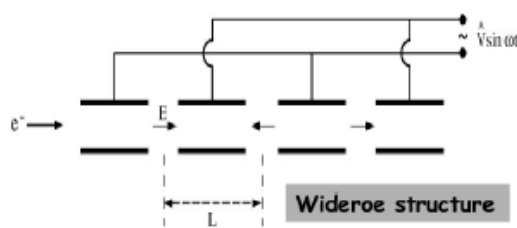


# LONGITUDINAL DYNAMICS

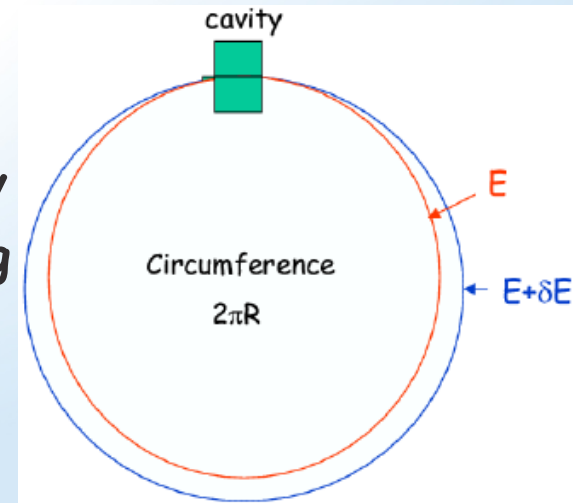
- How does an accelerator accelerate the beam?
- Magnetic fields only deflect the beam, but **electric fields can change the beam energy**



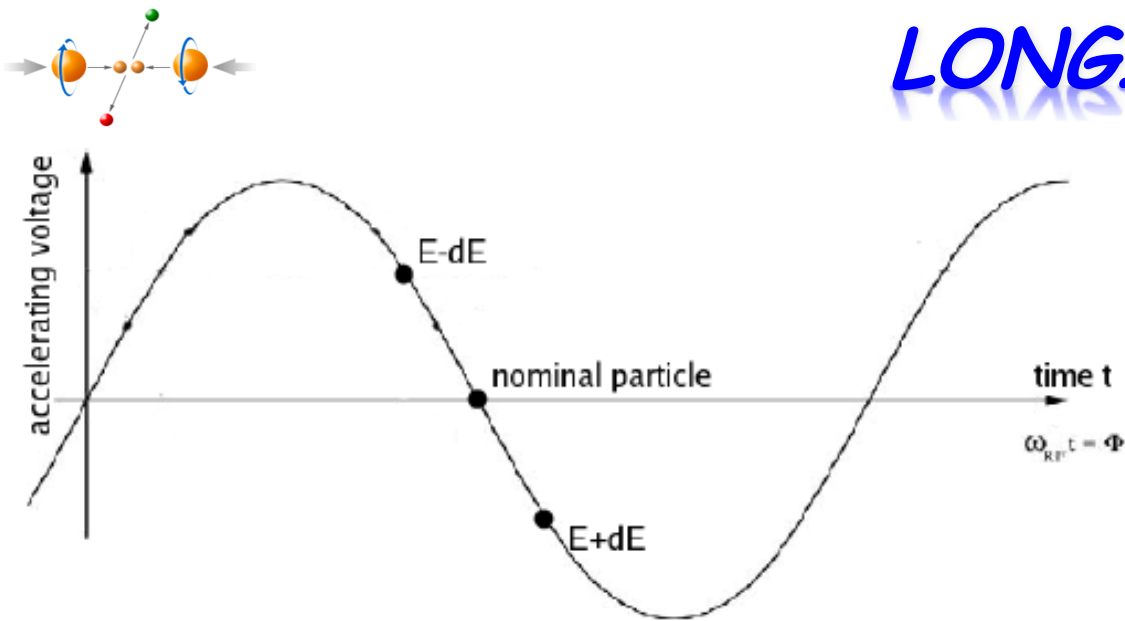
While the particle is inside the field-free drift tube, the polarity changes



- A **highly relativistic** particle ( $v \sim c$ ) with an energy  $E + \delta E$  is heavier ( $E + \delta E = (+\delta m)c^2$ ) than the nominal particle at energy  $E$ , and therefore travels at a larger radius  $R + \delta R$ .
- Since the pathlength (circumference)  $2\pi(R + \delta R)$  at this larger radius is larger while the velocity  $v$  is practically unchanged, the particle **arrives late** at the accelerating section (cavity).



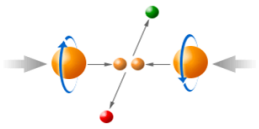
# LONGITUDINAL DYNAMICS



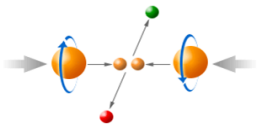
At fixed energy (no acceleration):

- ❑ the nominal particle receives no longitudinal kick, so its energy  $E$  remains unchanged
- ❑ a particle with higher energy  $E + \delta E$  arrives at a later time, receives a negative kick, and gets decelerated
- ❑ a particle with lower energy  $E - \delta E$  arrives early, receives a positive kick, and gets accelerated

To accelerate the entire beam, gently increase the dipole field to reduce the path length, so all particles arrive early and get accelerated



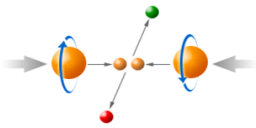
# Polarized proton beams Or How to do magic with an accelerator



# WHAT IS SPIN? FROM GOOGLE...

- revolve quickly and repeatedly around one's own axis, "The dervishes whirl around and around without getting dizzy"
- twist and turn so as to give an intended interpretation, "The President's spokesmen had to spin the story to make it less embarrassing"
- a distinctive interpretation (especially as used by politicians to sway public opinion), "the campaign put a favorable spin on the story"





# WHAT IS SPIN?

## □ Classical definition

- the body rotation around its own axis



## □ Particle spin:

- an intrinsic property, like mass and charge
- a quantum degree freedom associated with the intrinsic magnetic moment  $\mu_s$ .

$$\mu_s = (1 + G) \frac{q}{m} S$$

$q$ : electrical charge of particle

$m$ : particle mass

$G$ : anomalous gyromagnetic factor, describes the particle internal structure.

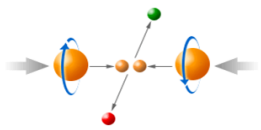
For particles:

point-like:  $G=0$

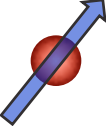
electron:  $G=0.00115965219$

muon:  $G=0.001165923$

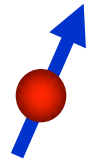
proton:  $G=1.7928474$

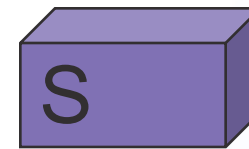


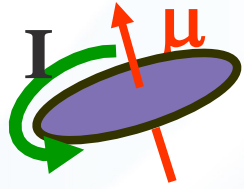
# SPIN VECTOR AND SPIN-ORBIT INTERACTION

- **Spin:** single particle
  - ❖ pure spin state aligned along a quantization axis
  
- **Spin vector  $S$ :** a collection of particles
  - ❖ the average of each particles spin expectation value along a given direction 
  
- **Spin orbit interaction**



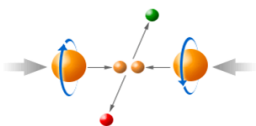
$$\frac{d\vec{S}}{dt} = \vec{\mu}_s \cdot \vec{B}$$




$$\frac{d\vec{J}}{dt} = \vec{\mu} \cdot \vec{B}$$


$$\mu = IA$$



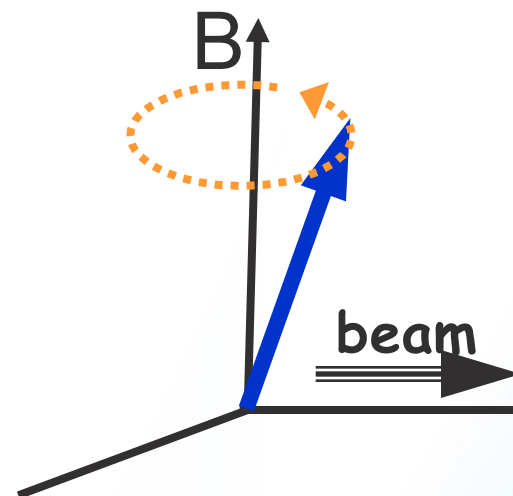


# SPIN DEPOLARIZING RESONANCE

- In a perfect accelerator, spin vector precesses around the bending dipole field direction: vertical
- Spin tune  $Q_s$ : number of precessions in one orbital revolution. In general,

$$Q_s = G\gamma$$

$G$ : anomalous magnetic moment  
 $\gamma$ : relativistic Lorentz factor



## □ Imperfection resonance

- Source: dipole errors, quadrupole mis-alignments
- Resonance location:

$$G\gamma = k$$

$k$  is an integer

## □ Intrinsic resonance

- Source: horizontal focusing field from betatron oscillation
- Resonance location:

$$G\gamma = kP \pm Q_y$$

$P$  is the periodicity of the accelerator,

$Q_y$  is the vertical betatron tune

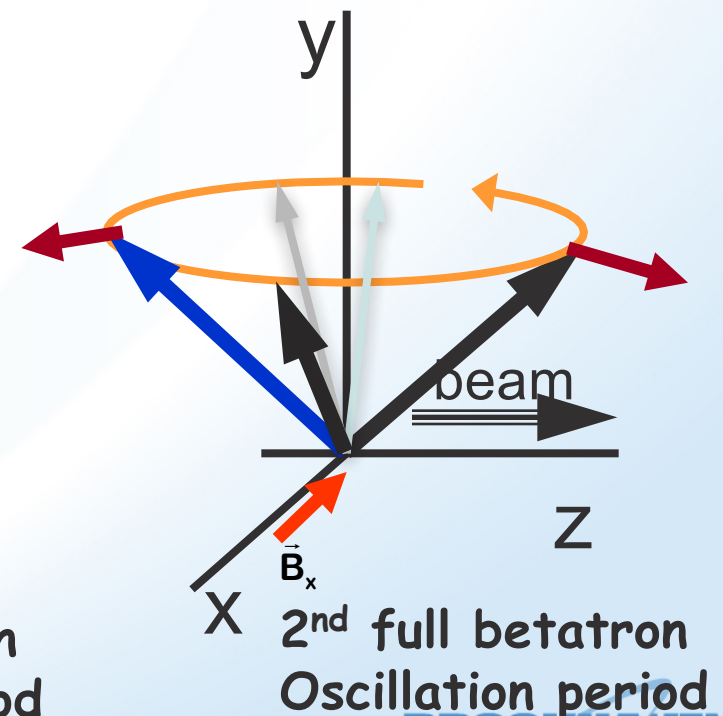
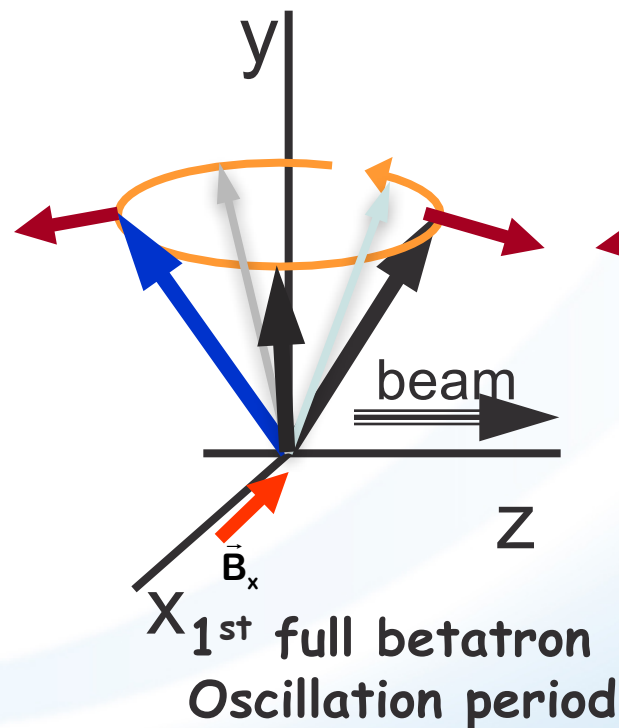
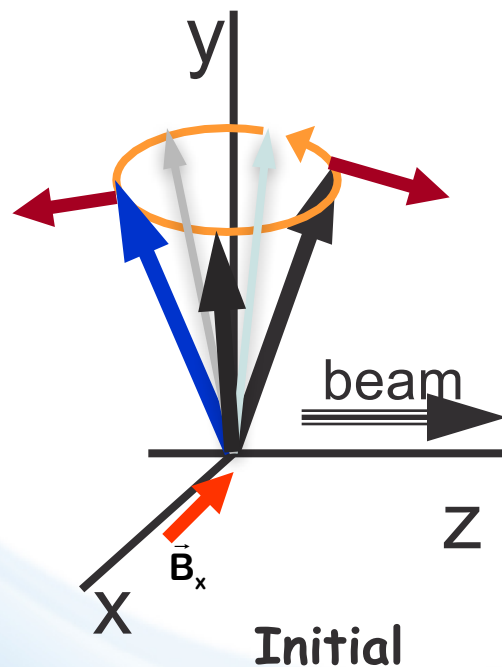
# **POLARIZED PROTON ACCELERATION CHALLENGES: PRESERVE BEAM POLARIZATION**

## ➤ Depolarization (polarization loss) mechanism

➤ Come from the horizontal magnetic field which kicks the spin vector away from its vertical direction

## ➤ Spin depolarizing resonance :

coherent build-up of perturbations on the spin vector when the spin vector gets kicked at the same frequency as its precession frequency

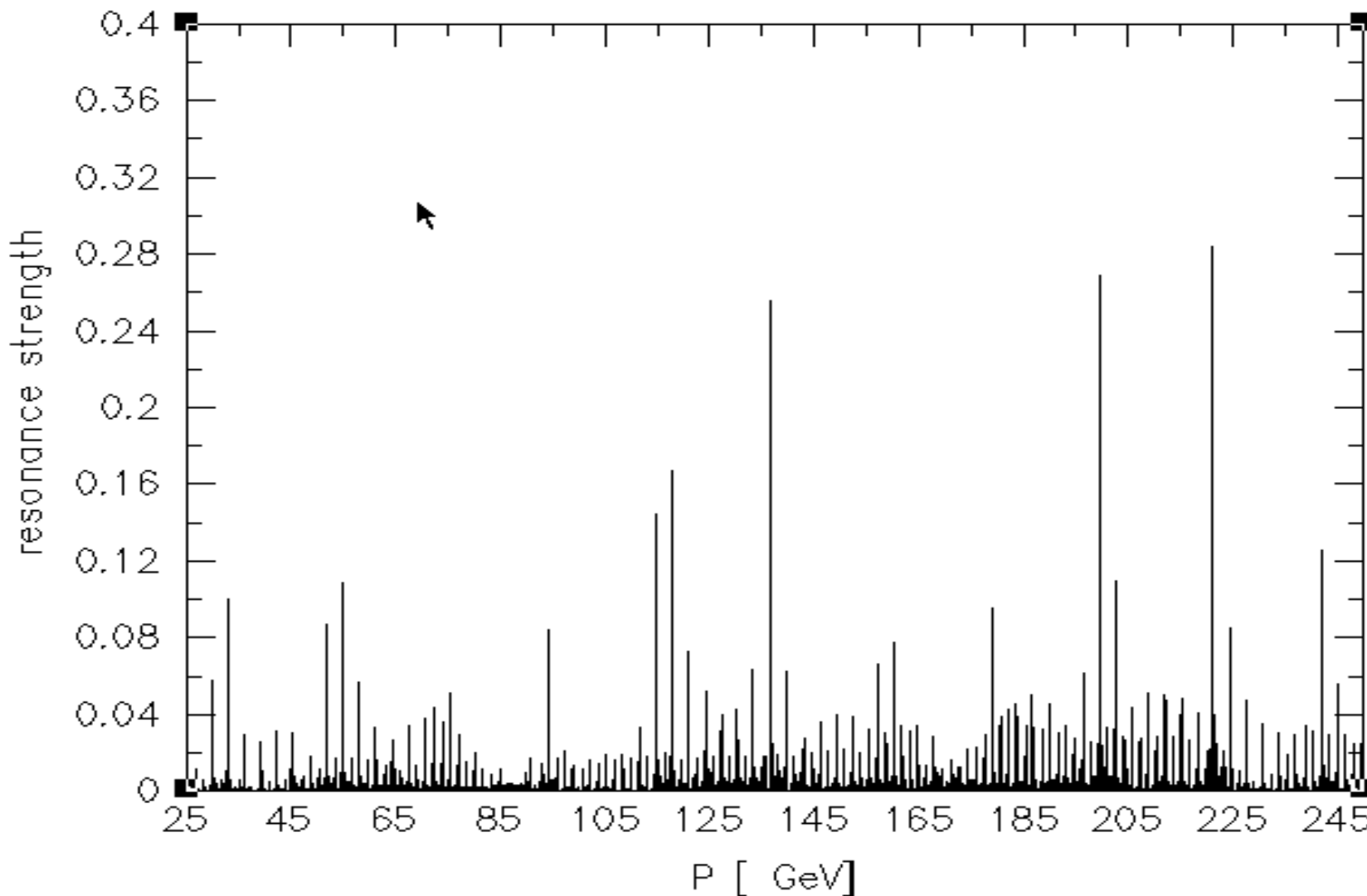


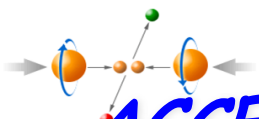


# SPIN DEPOLARIZATION RESONANCE IN RHIC

For protons, imperfection spin resonances are spaced by 523 MeV the higher energy, the stronger the depolarizing resonance

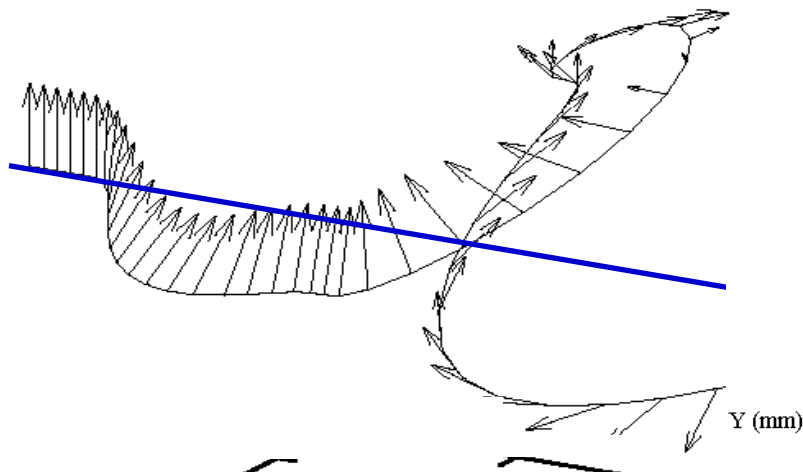
Intrinsic spin resonance  
 $Q_x=28.73$ ,  $Q_y=29.72$ ,  $\text{emit}=10$



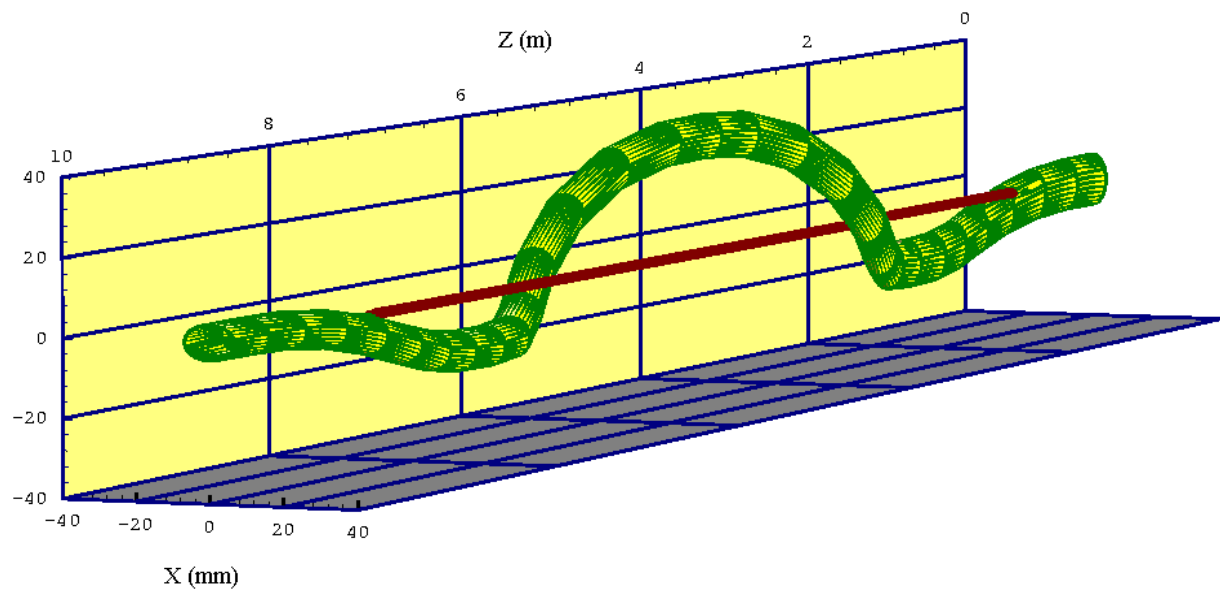


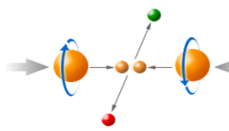
# INNOVATIVE POLARIZED PROTON ACCELERATION TECHNIQUES: SIBERIAN SNAKE

- First invented by Derbenev and Kondratenko from Novosibirsk in 1970s
- A group of dipole magnets with alternating horizontal and vertical dipole fields
- rotates spin vector by  $180^\circ$  about a horizontal axis, the stable spin direction remains unperturbed at all times as long as the spin rotation from the Siberian Snake is much larger than the spin rotation due to the resonance driving fields. Therefore the beam polarization is preserved during acceleration. An alternative way to describe the effect of the Siberian Snake comes from the observation that the spin tune with the Snake is a half-integer and energy independent.



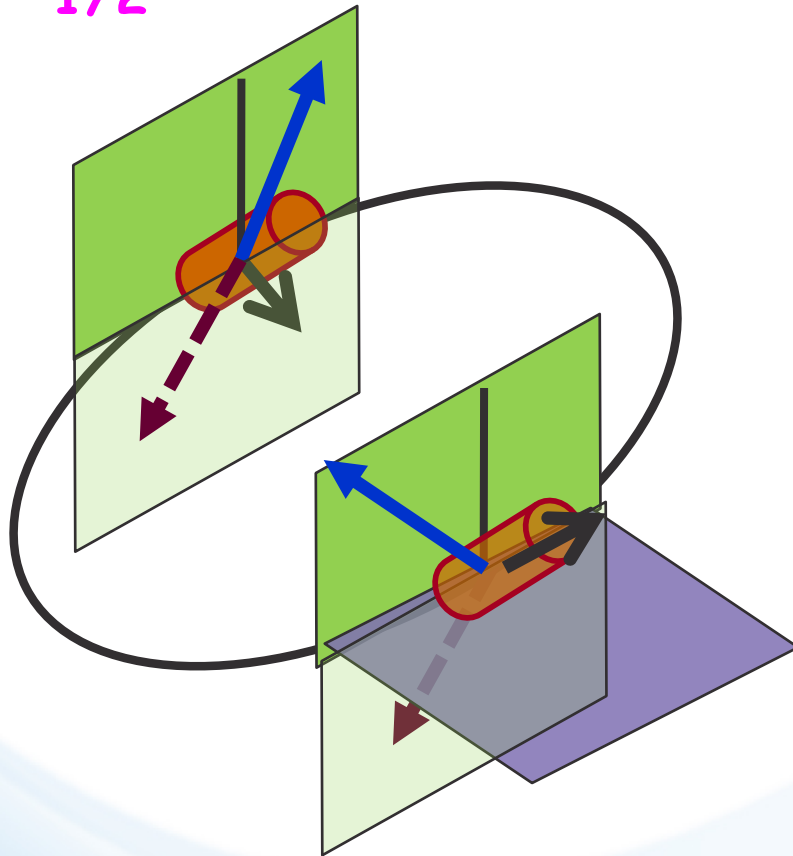
Particle trajectory in a snake:



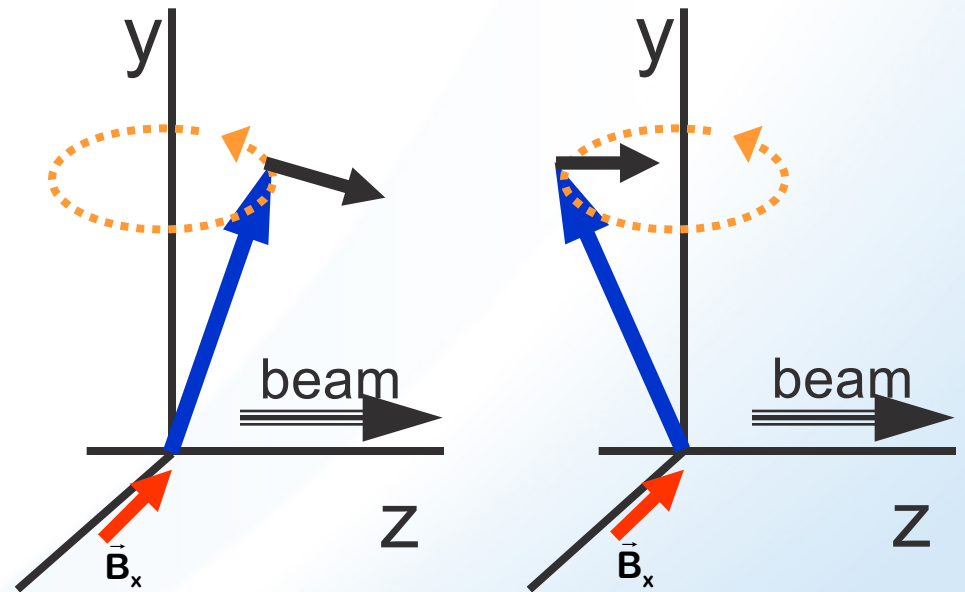


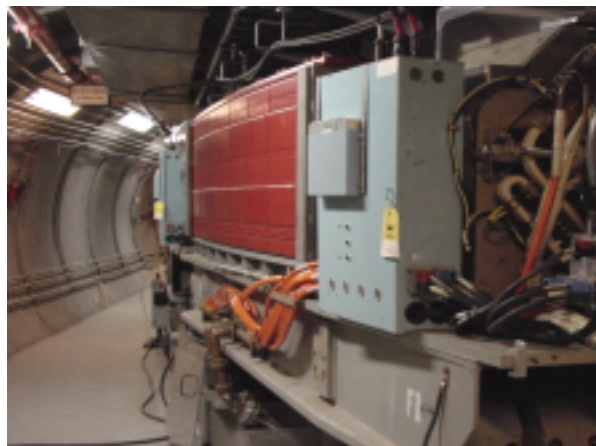
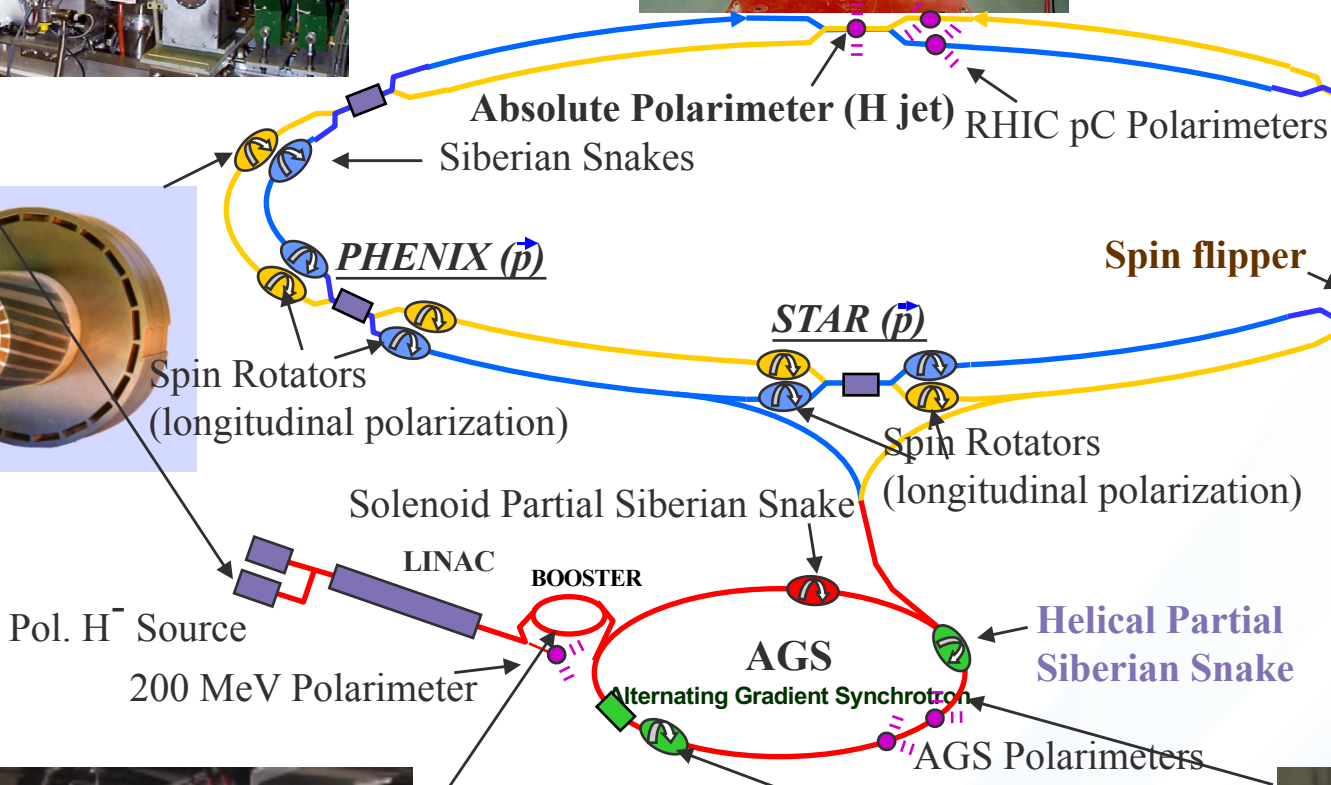
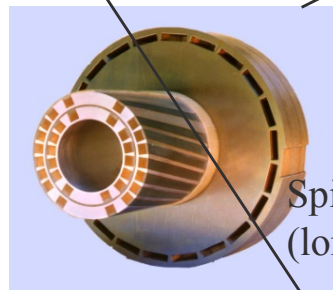
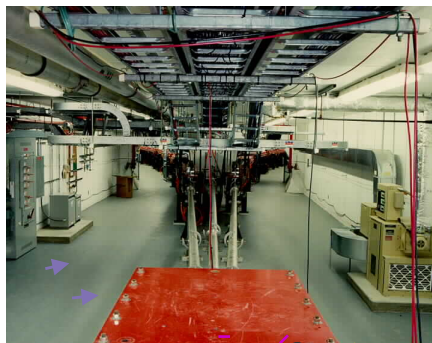
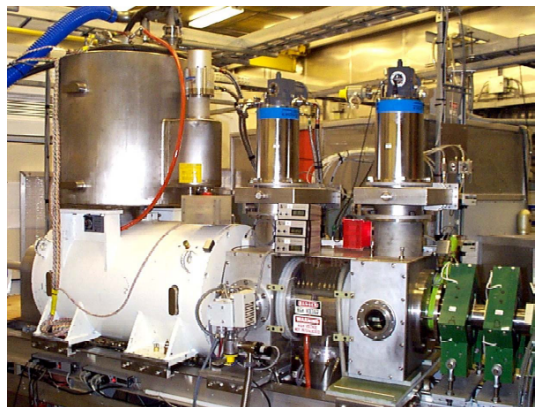
# HOW TO PRESERVE POLARIZATION USING SIBERIAN SNAKE(S)

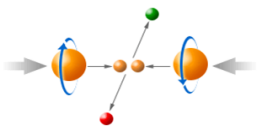
- Use one or a group of snakes to make the spin tune to be  $1/2$



- Break the coherent build-up of the perturbations on the spin vector







# RHIC @ BROOKHAVEN NATIONAL LAB

1<sup>st</sup> Collisions: 13/06/2000



PHENIX  
8:00 o'clock

Jet/C-Polarimeters  
12:00 o'clock

RHIC

2:00 o'clock

RF

STAR  
6:00 o'clock

LINAC  
EBIS  
Booster  
NSRL

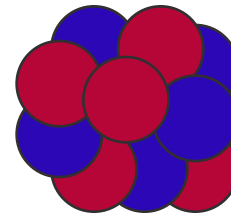
AGS

Tandem

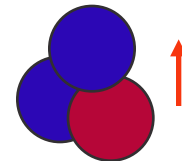
## What do we collide ?



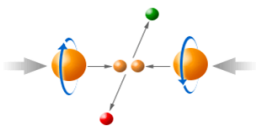
Polarized protons  
24-255 GeV



Light ions (d, Si, Cu)  
Heavy ions (Au, U)  
5-100 GeV/u



Polarized light ions  
He<sup>3</sup> 16 - 166 GeV/u

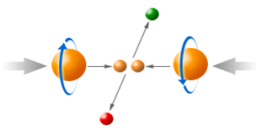


# THE RHIC PROJECT CHRONOLOGY

- 1989 RHIC design
- 1991 construction starts
- 1996 commissioning AtR injection lines
- 1997 sextant test (1/6 of the ring)
- 1999 RHIC engineering/test run
- 2000 first collisions
- 2001-02 Au-Au run, polarized p run
- 2003 deuteron-Au run, pp
- 2004 Au-Au physics run and 5 weeks pp development
- 2005 .....

RHIC is also a giant engineering challenge:

magnets (3000+ industry and lab built superconducting magnets)  
cryogenics (2 weeks to cool down to 4.2K), instrumentation, etc.



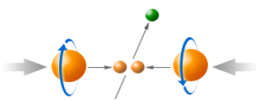
# RHIC OPERATIONS

The operation of RHIC and its injectors is a rather challenging endeavor....

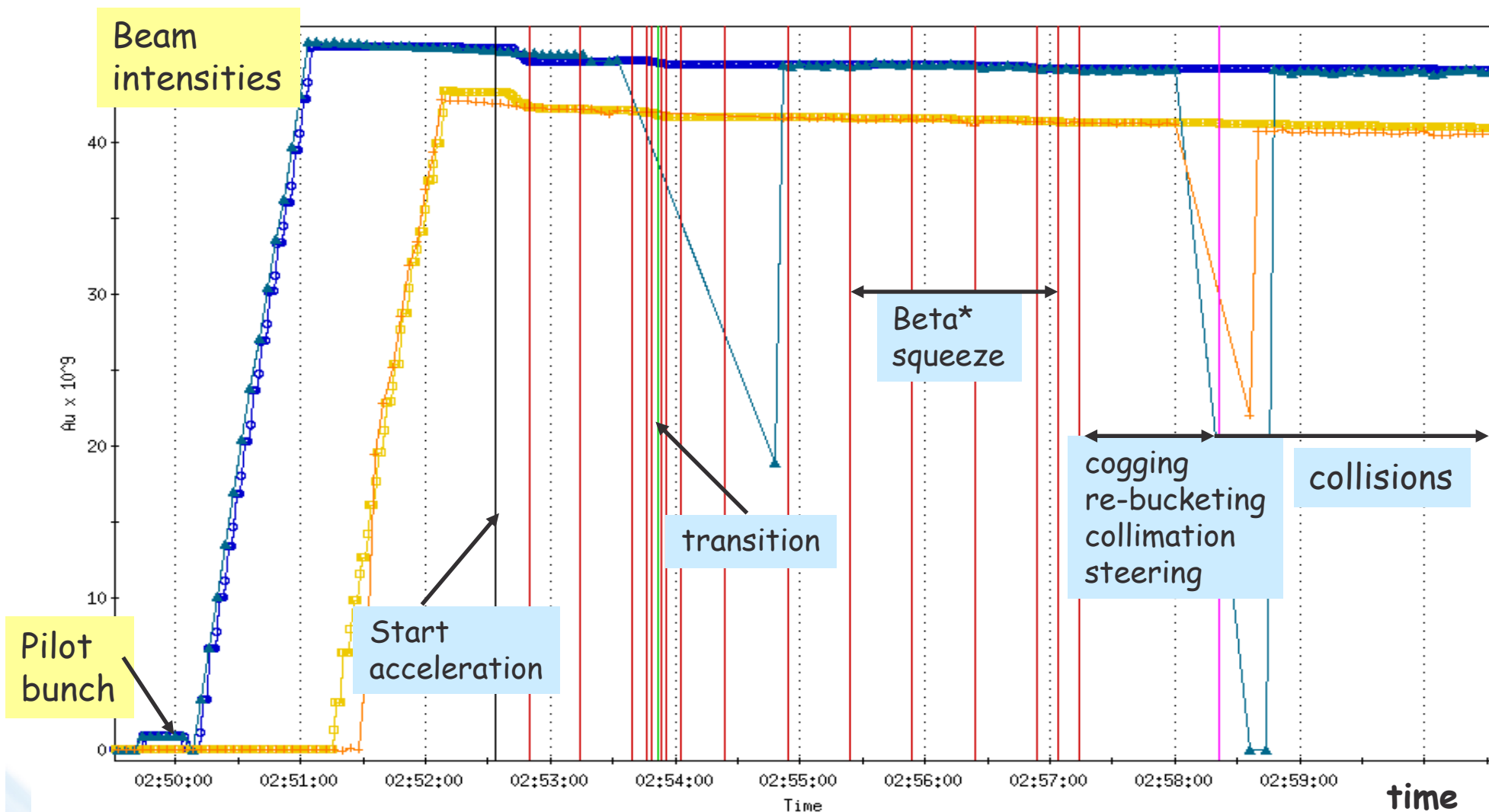
RHIC operates for ~5-6 months/year - 24h/day 7 days/week

RHIC Shutdown 6-7 months, for machine improvements (other programs are run by the injectors, Tandem delivering ions for industrial R&D, Booster delivering ions for NASA experiments, etc.)

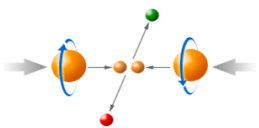
- ❑ CONTROL ROOM : remote access to instrumentations and controls
- ❑ Accelerator physicists, shift leaders (machine initial set-up, new developments, beam experiments)
- ❑ Operations group: operation coordinator, operators ("routine" operations, shifts 1 OC + 2 operators)
- ❑ Technical support (engineers and technicians on call and/or site for system diagnosis and trouble-shooting)



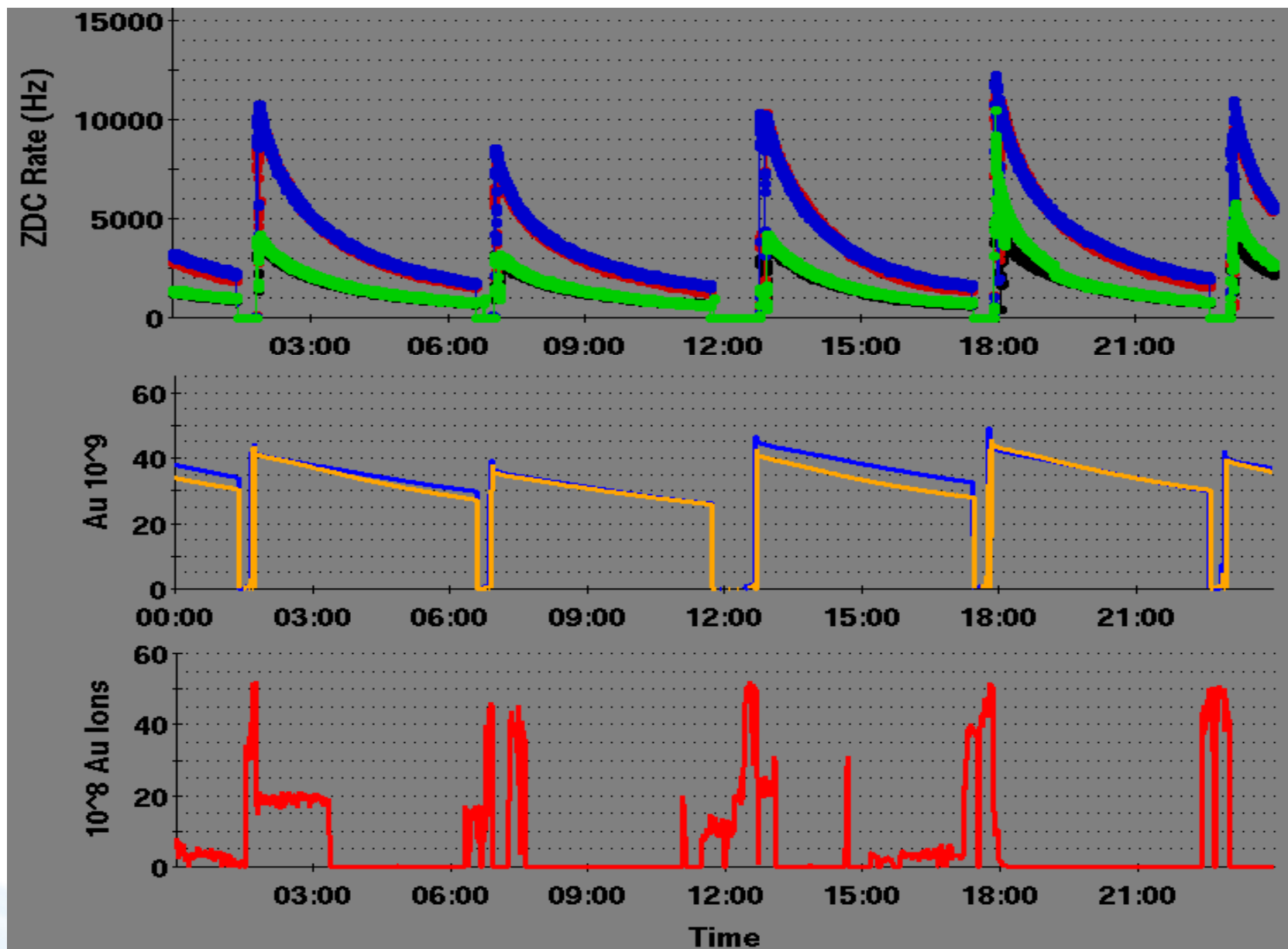
# INJECT, ACCELERATE, COLLIDE.....!

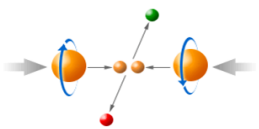






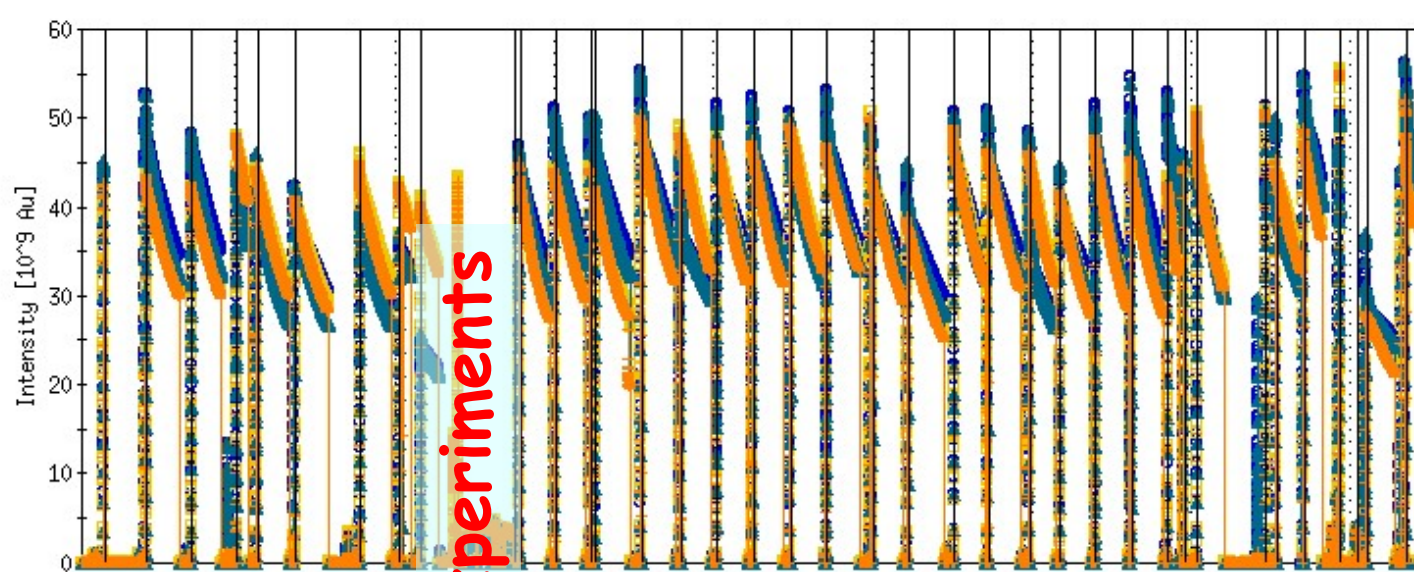
# A DAY IN THE LIFE OF RHIC...





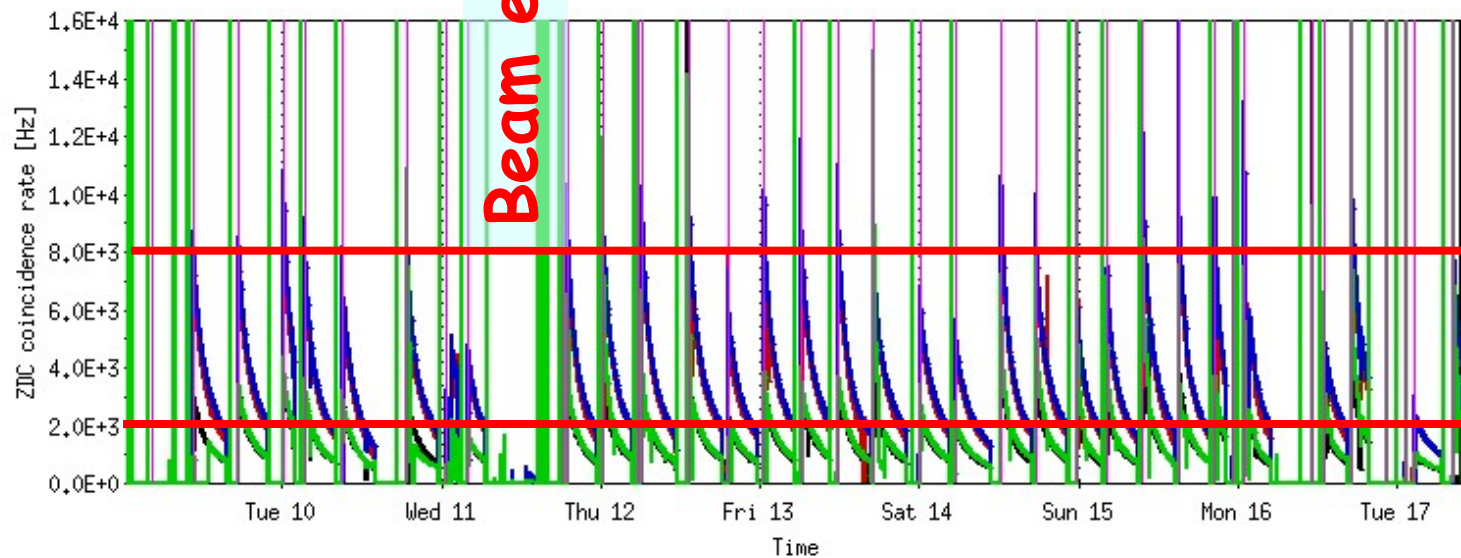
# A WEEK IN THE LIFE OF RHIC...

Week 9 Feb to 17 Feb [66% of calendar time in store]

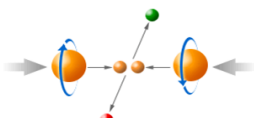


←  $60 \times 10^9$  Au intensity

Beam experiments

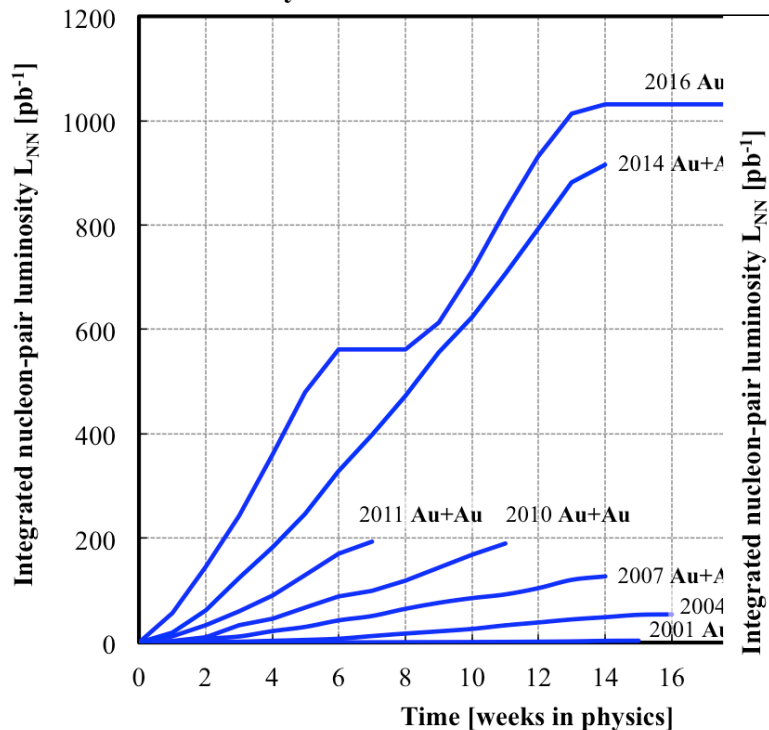


enhanced  
luminosity  
design  
luminosity

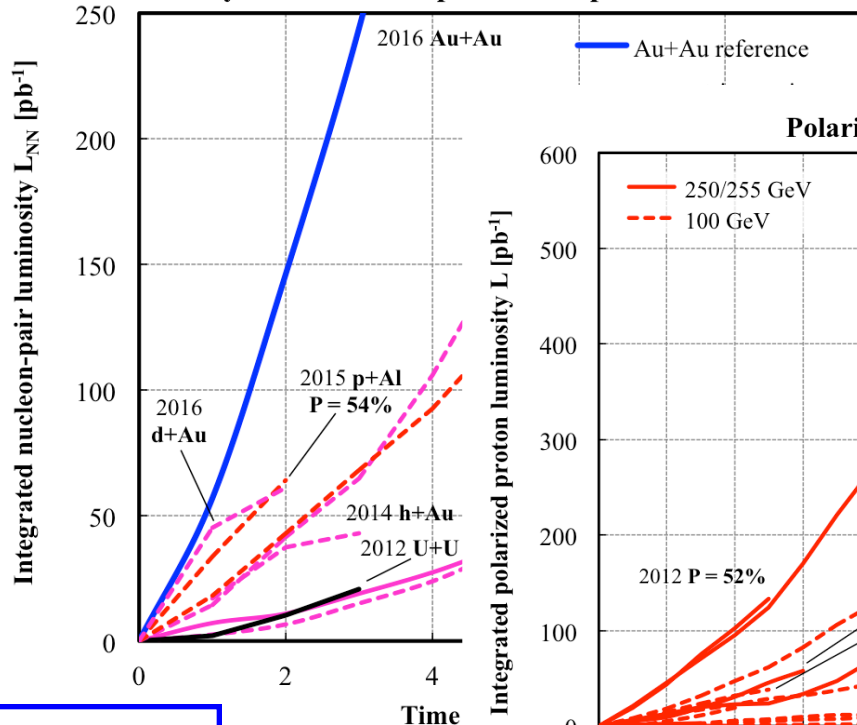


# A FEW YEARS IN THE LIFE OF RHIC...

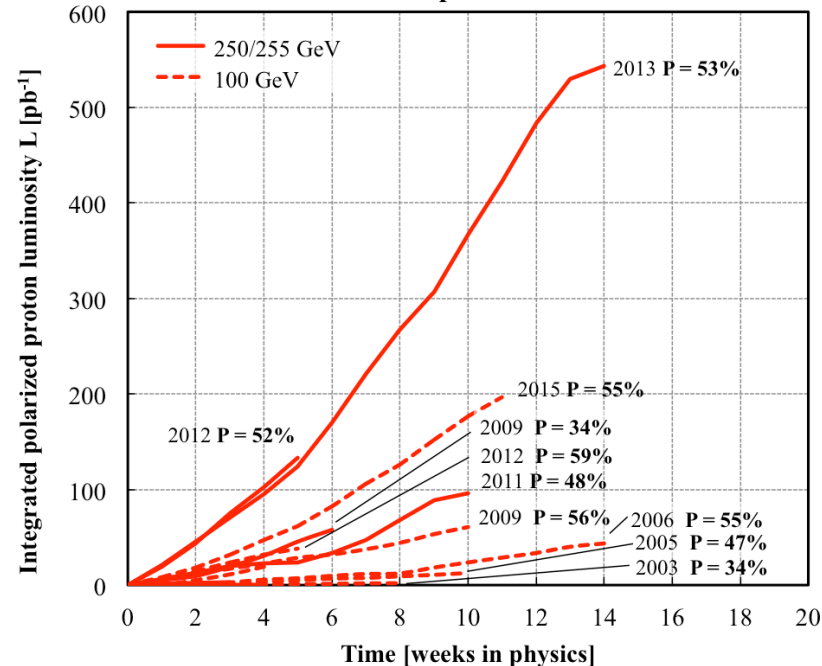
Heavy ion runs - time evolution of Au+Au



Heavy ion runs - comparison of species combinations



Polarized proton runs



## Operated modes (beam energies):

Au-Au 3.8/4.6/5.8/10/14/32/65/100 GeV/n

d-Au\* 100 GeV/n

Cu-Cu 11/31/100 GeV/n

$p\uparrow$ - $p\uparrow$  11/31/100, 250 GeV

## Planned or possible future modes:

Au - Au 2.5 GeV/n (~ SPS cm energy)

U - U 100 GeV/n

$p\uparrow$  - Au\* 100 GeV/n

Cu - Au\* 100 GeV/n (\*asymmetric rigidity)

## Achieved peak luminosities (100 GeV, nucl.-pair):

Au-Au  $195 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$

$p\uparrow$ - $p\uparrow$   $60 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$

Other large hadron colliders (scaled to 100 GeV):

Tevatron ( $p$  -  $p\bar{p}$ )  $43 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$

LHC ( $p$  -  $p$ )  $37 \times 10^{30} \text{ cm}^{-2} \text{ s}^{-1}$

# FIGURE OF MERIT OF POLARIZED PROTON COLLIDER

## □ Luminosity:

- number of particles per unit area per unit time. The higher the luminosity, the higher the collision rates

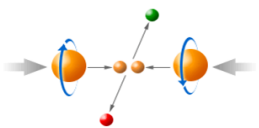
$$L(t) = \frac{1}{4} f_0 N \frac{n^2(t)}{r_{rms}^2(t)}$$

# of bunches      # of particles in one bunch  
Transverse beam size

## □ beam polarization

- Statistical average of all the spin vectors.
  - zero polarization: spin vectors point to all directions.
  - 100% polarization: beam is fully polarized if all spin vectors point to the same directions.

# *How do we know the protons are polarized*



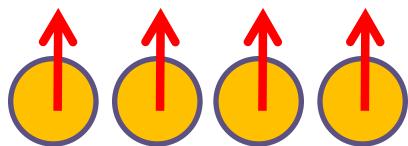
# WHAT IS BEAM POLARIZATION?

Simple example: spin-1/2 particles (proton, electron)

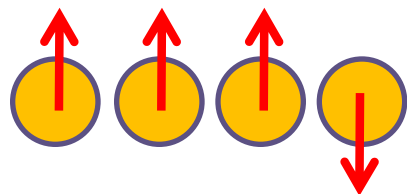
Can have only two spin states relative to certain axis Z:  $S_z = +1/2$  and  $S_z = -1/2$

$$P = \frac{N_{S_z = +1/2} - N_{S_z = -1/2}}{N_{S_z = +1/2} + N_{S_z = -1/2}}$$

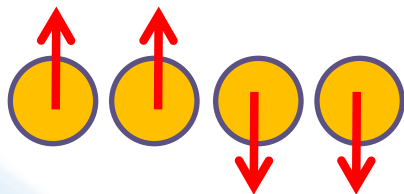
$$|P| < 1$$



$$P = \frac{4 - 0}{4 + 0} = 1$$

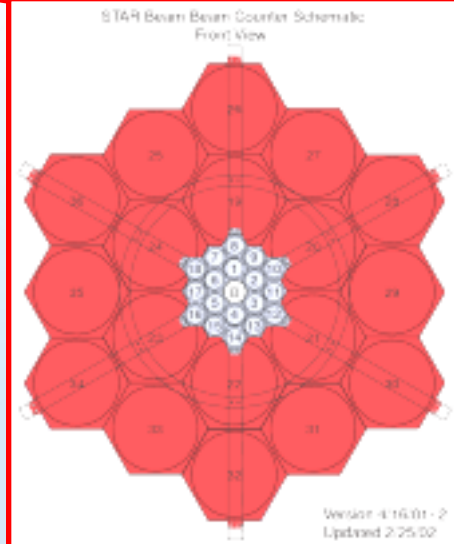
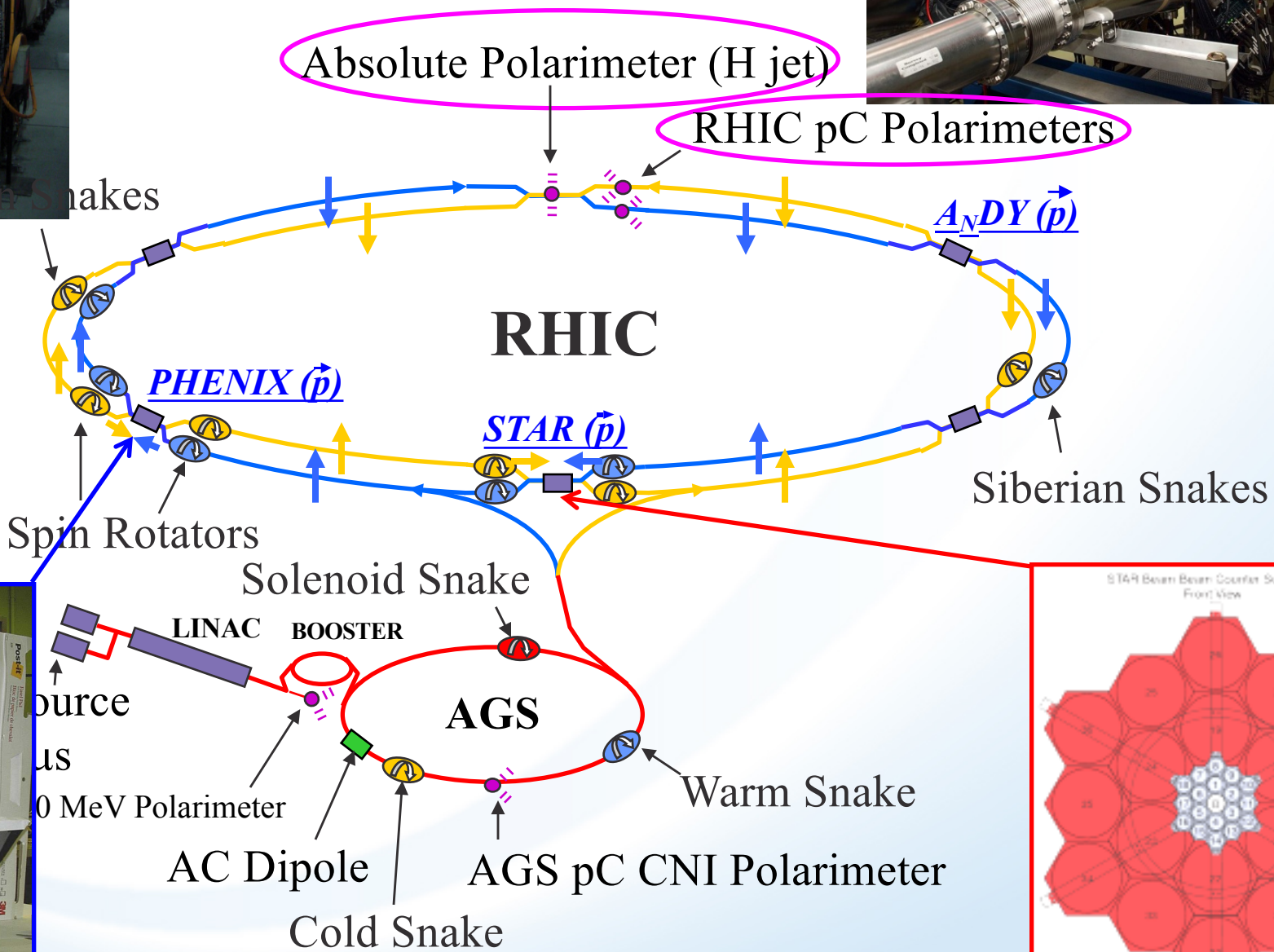
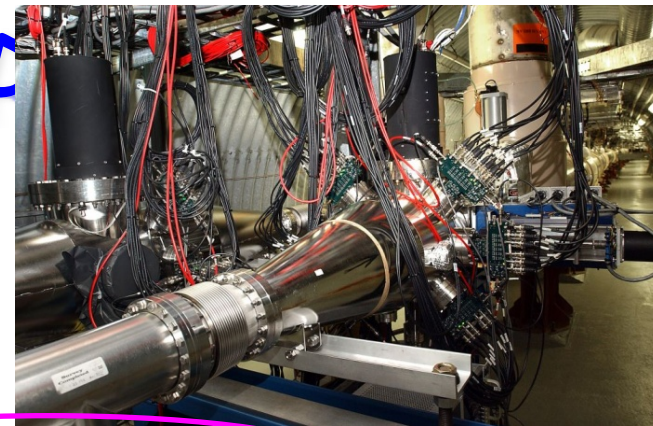
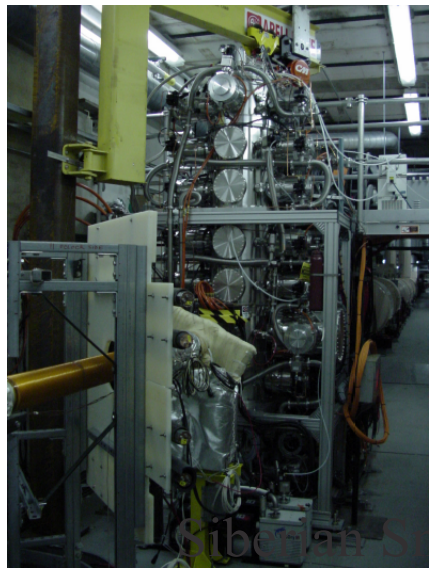


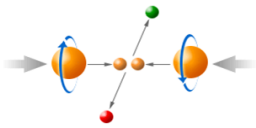
$$P = \frac{3 - 1}{3 + 1} = 0.5$$



$$P = \frac{2 - 2}{2 + 2} = 0$$

# RHIC AND





# RHIC POLARIMETRY

## Polarized hydrogen Jet Polarimeter (HJet)

Source of **absolute** polarization (normalization of other polarimeters)

Slow (low rates  $\Rightarrow$  needs **loong** time to get precise measurements)

## Proton-Carbon Polarimeter (pC) @ RHIC and AGS

Very fast  $\Rightarrow$  main polarization monitoring tool

Measures polarization lifetime and profile (polarization is higher in beam center)

Needs to be normalized to HJet

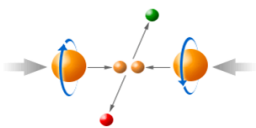
## Local Polarimeters (in PHENIX and STAR experiments)

Defines spin direction in experimental area

Needs to be normalized to HJet

All of these systems are necessary for the proton beam polarization measurements and monitoring

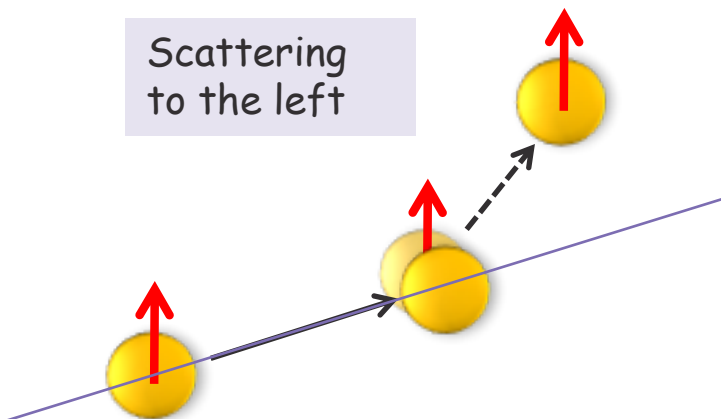




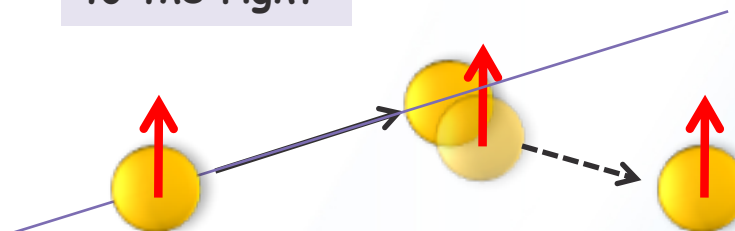
# HOW TO MEASURE PROTON BEAM POLARIZATION

There are several established physics processes sensitive to the spin direction of the **transversely** polarized protons

Scattering  
to the left



Scattering  
to the right

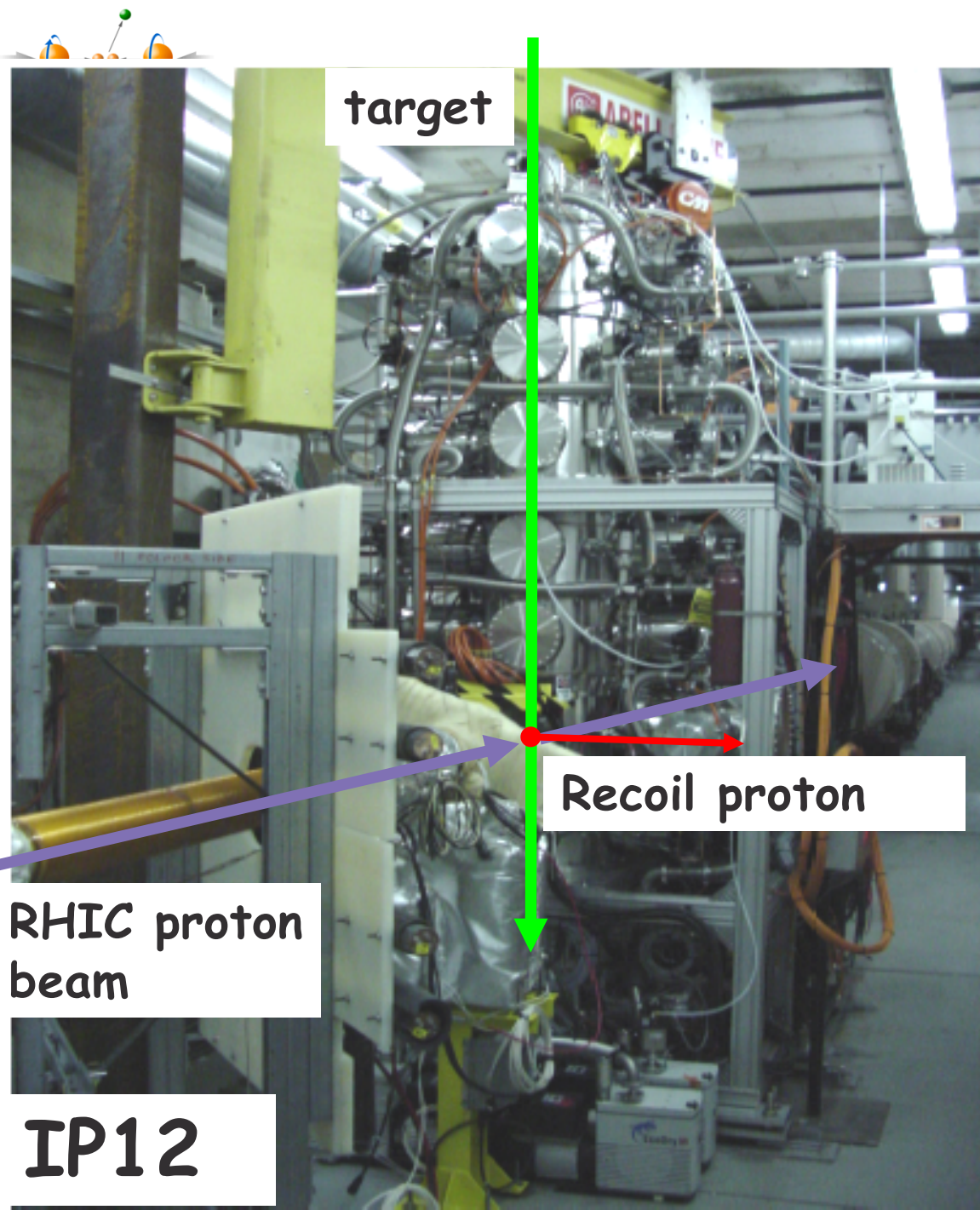


$$\varepsilon = \frac{N_{\text{left}} - N_{\text{right}}}{N_{\text{left}} + N_{\text{right}}} = A_N P$$

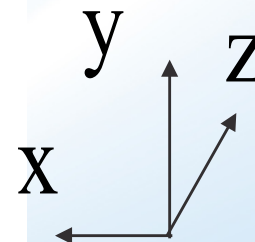
$A_N$  - the Analyzing Power ( $|A_N| < 1$ )  
(left-right asymmetry for 100% polarized protons)

Once  $A_N$  is known:  $P = \frac{\varepsilon}{A_N}$

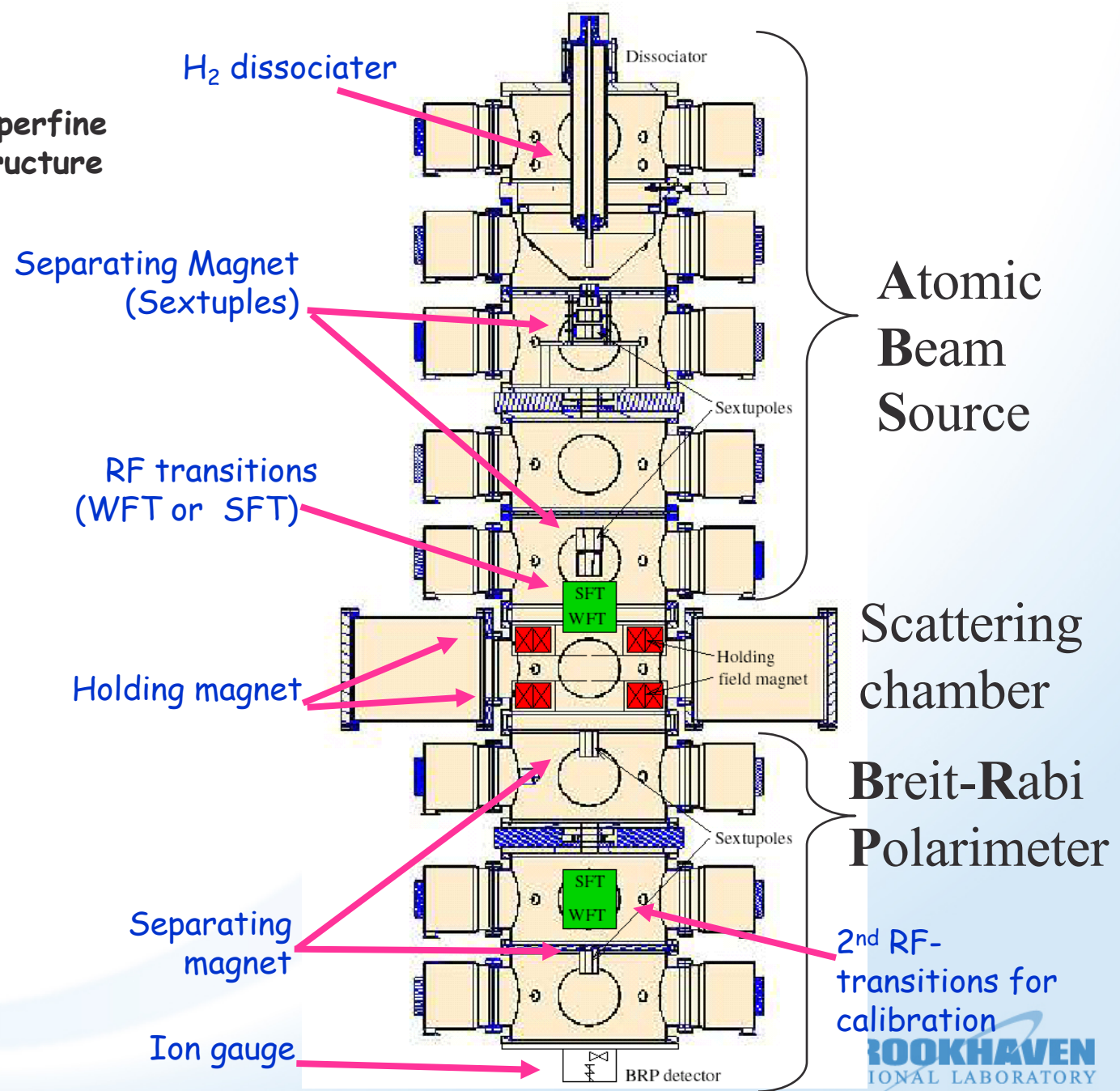
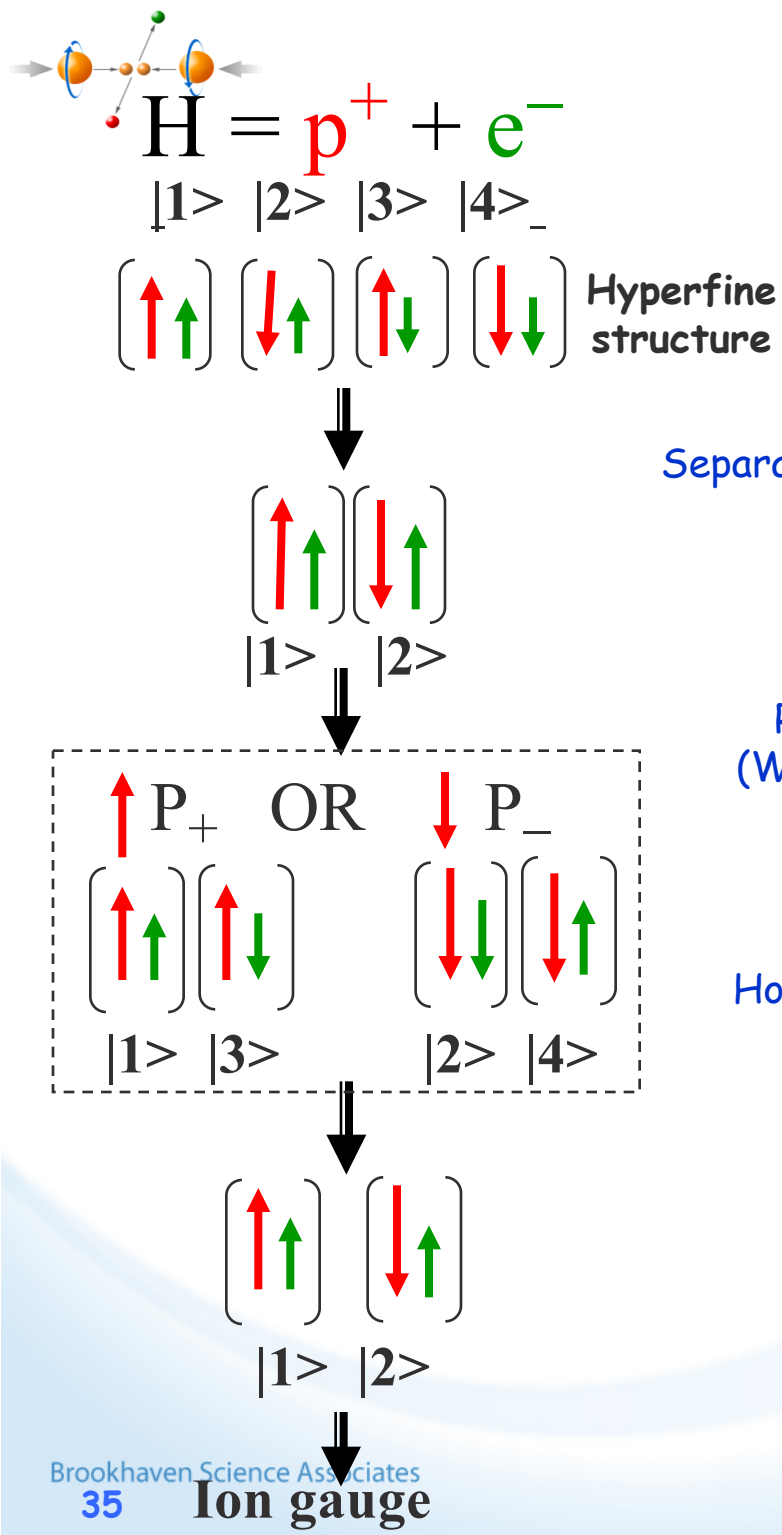
# H-JET SYSTEM

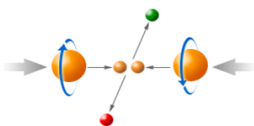


- ✓ Height: 3.5 m
- ✓ Weight: 3000 kg
- ✓ Entire system moves along x-axis  $-10 \sim +10$  mm to adjust collision point with RHIC beam.



# H-JET TARGET SYSTEM





# POLARIZED H-JET POLARIMETER

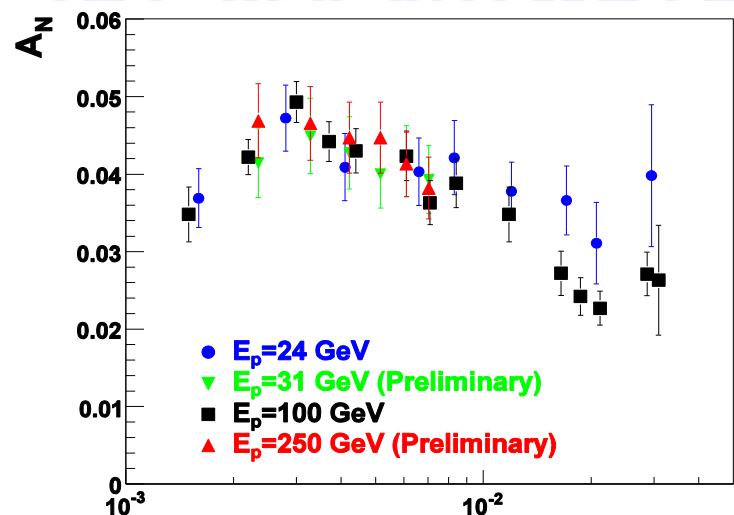
Left-right asymmetry in elastic scattering due to spin-orbit interaction:

interaction between (electric or strong) field of one proton and magnetic moment associated with the spin of the other proton

Beam and target are both protons

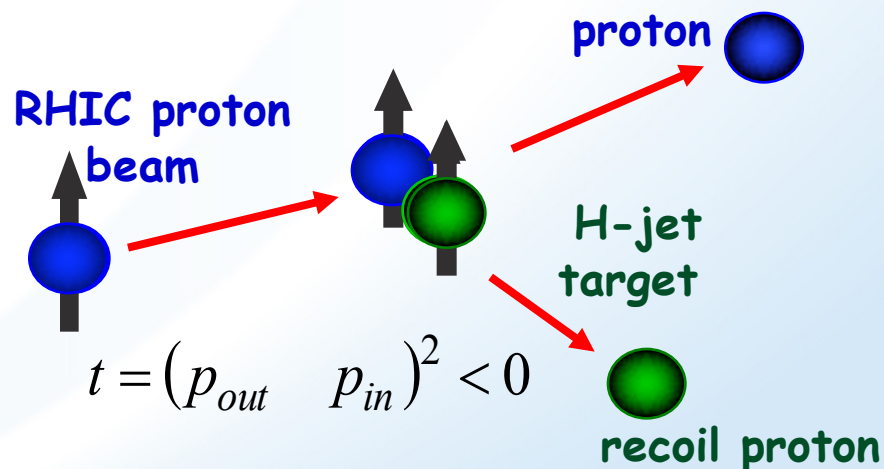
$$A_N(t) = \frac{\text{target}}{P_{\text{target}}} = \frac{\text{beam}}{P_{\text{beam}}}$$

$$P_{\text{beam}} = P_{\text{target}} \frac{\text{beam}}{\text{target}}$$

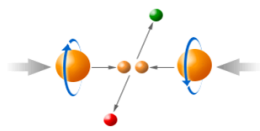


$$A_N = \frac{N_L - N_R}{N_L + N_R} = \frac{\epsilon_N}{P} -t \text{ (GeV/c)}^2$$

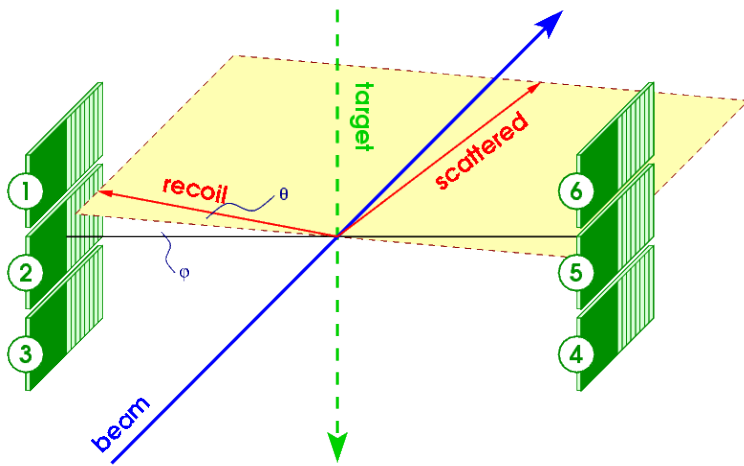
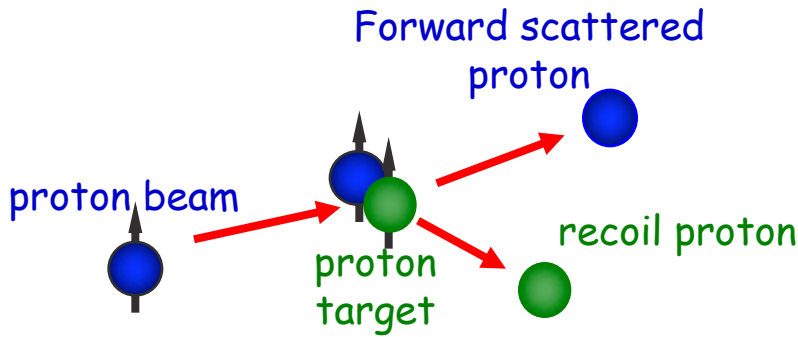
Forward scattered proton



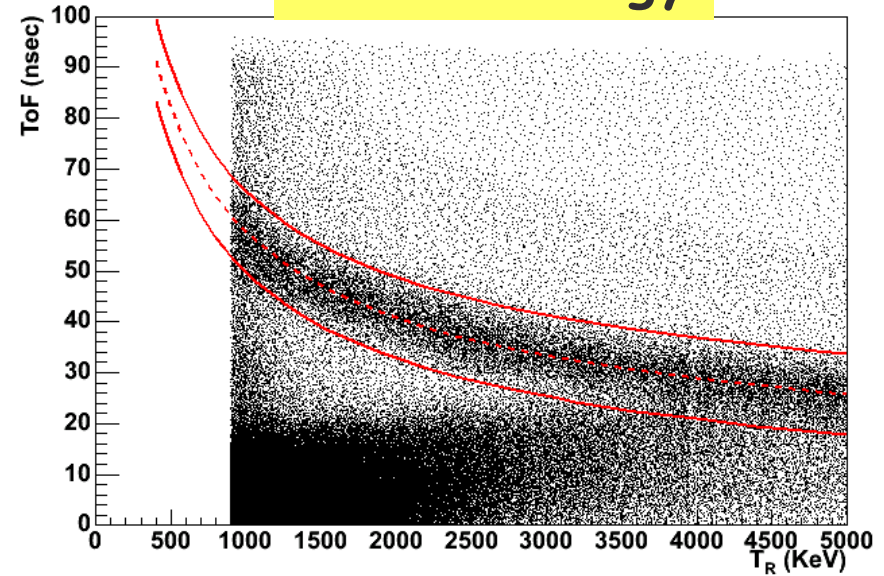
$P_{\text{target}}$  is provided by Breit Rabi Polarimeter



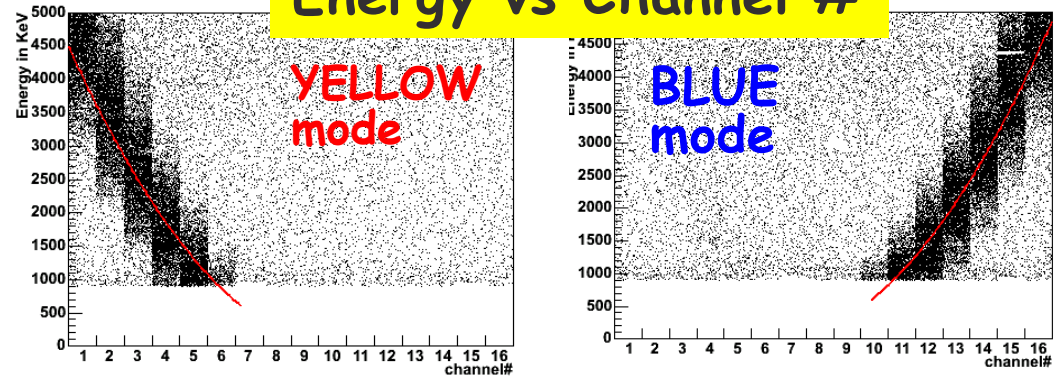
# H-JET: IDENTIFICATION OF ELASTIC EVENTS



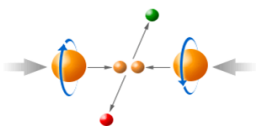
## ToF vs Energy



## Energy vs Channel #

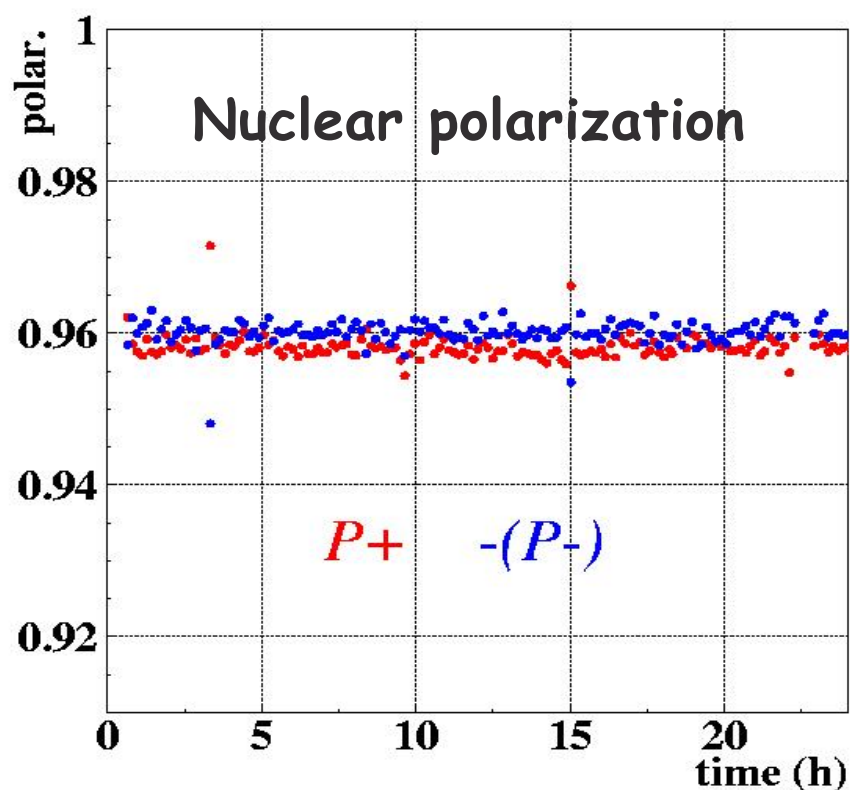


Array of Si detectors measures  $T_R$  &  $ToF$  of recoil proton.  
 Channel # corresponds to recoil angle  $\theta_R$ .  
 Correlations ( $T_R$  &  $ToF$ ) and ( $T_R$  &  $\theta_R$ )  $\rightarrow$  the elastic process



# H-JET: $P_{TARGET}$

Source of normalization for polarization measurements at RHIC



Breit-Rabi Polarimeter:

Separation of particles with different spin states in the inhomogeneous magnetic field (ala Stern-Gerlach experiment)

Nuclear polarization of the atoms:

$$95.8\% \pm 0.1\%$$

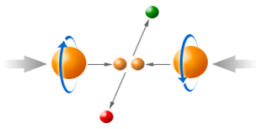
After background correction:

$$P_{target} = 92.4\% \pm 1.8\%$$

Very stable for entire run period !

Polarization cycle:

$$(+ / 0 / -) = (500 / 50 / 500) \text{ s}$$



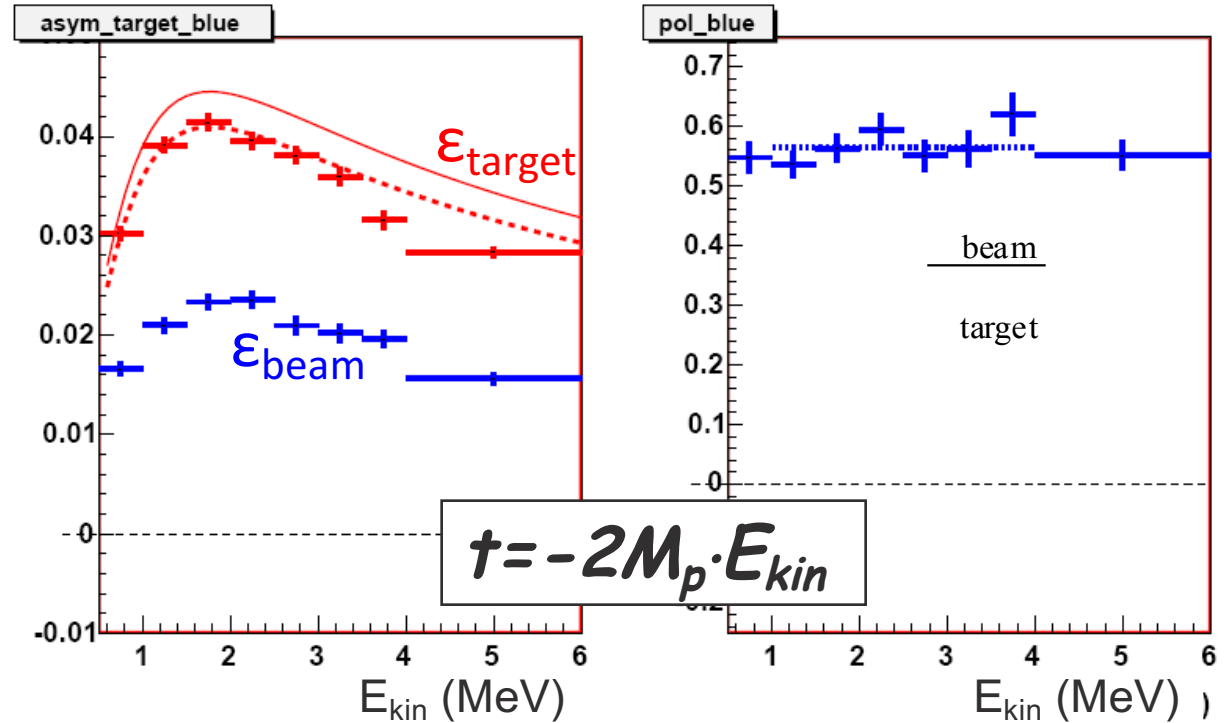
## Example Plots

$$P_{beam} = P_{target} \frac{beam}{target}$$

Use the same statistics (with exactly the same experimental cuts) to measure

$\epsilon_{beam}$  and  $\epsilon_{target}$  (selecting proper spin states either for beam or for target)

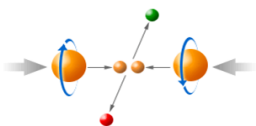
→ Many systematic effects cancel out in the ratio



Provides statistical precision  $\delta(P)/P \sim 0.10$  in a store (6-8 hours)

HJet Provides very clean and stable polarization measurements but with limited stat. precision

⇒ Need faster polarimeter!

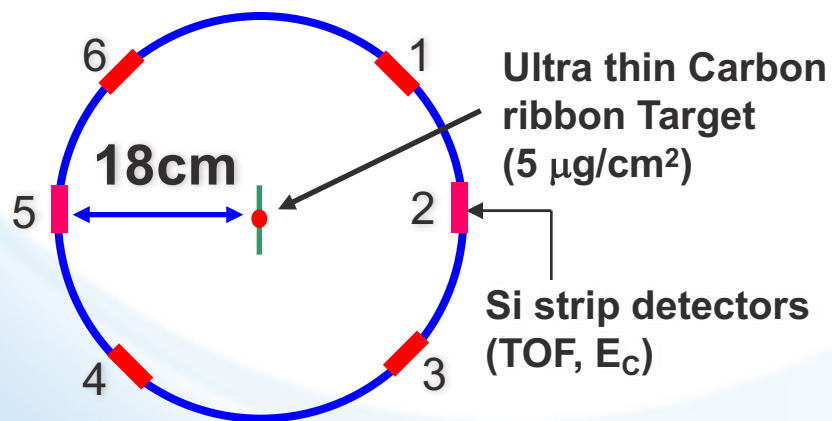
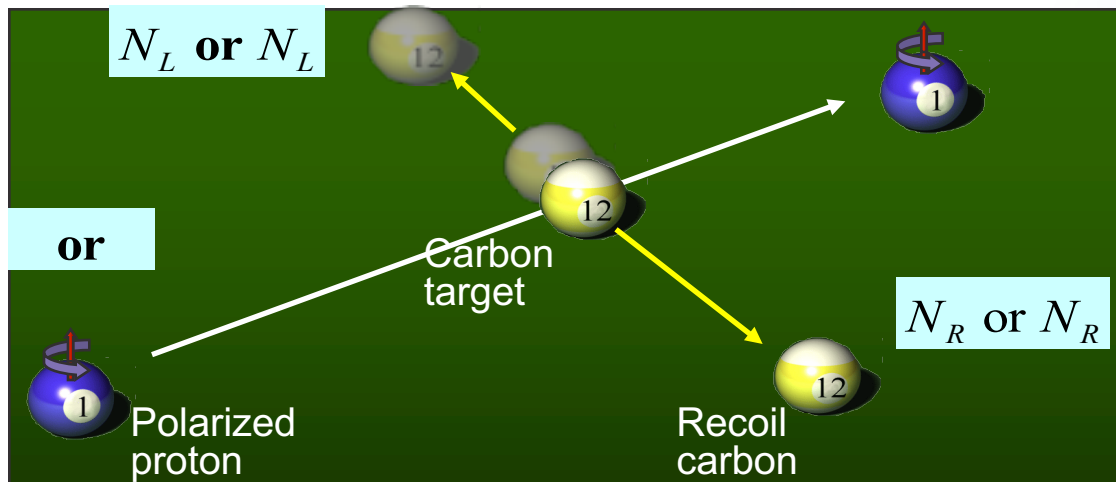


# P-CARBON POLARIMETER:

Left-right asymmetry in elastic scattering due to spin-orbit interaction:  
interaction between (electric or strong) field of Carbon and magnetic moment associated with the spin of the proton

$$P_{beam} = \frac{N}{A_N^{pC}}$$

$$N = \frac{N_L - N_R}{N_L + N_R}$$



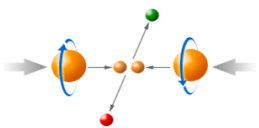
Target Scan mode (20-30 sec per measurement)

Stat. precision 2-3%

Polarization profile, both vertical and horizontal

Normalized to H-Jet measurements over many fills (with precision <3%)

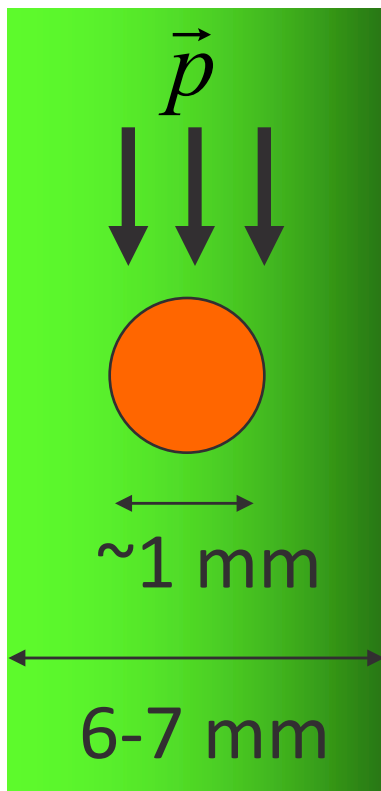




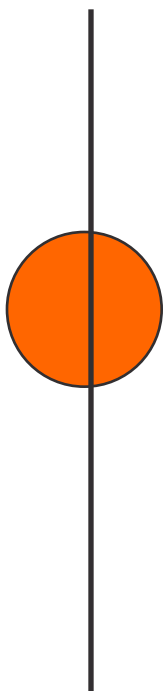
# POLARIZATION PROFILE

If polarization changes across the beam, the average polarization seen by Polarimeters and Experiments (in beam collision) is different

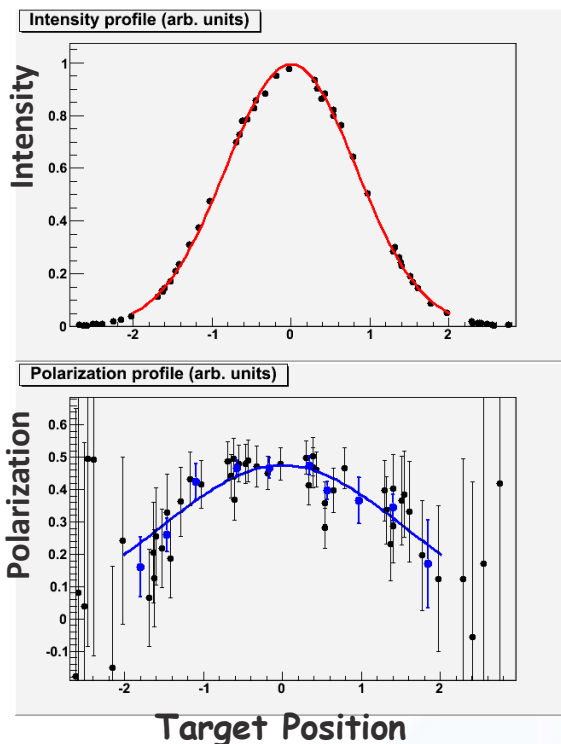
H-Jet



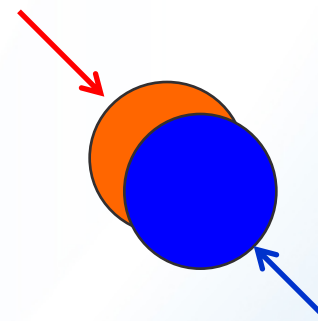
pC



Scan C target across the beam in both X and Y directions



Collider Experiments



$$\langle P_1 \rangle = P_1(x, y) \otimes I_1(x, y) \otimes I_2(x, y)$$

$$\langle P_1 \rangle = P_1(x, y) \quad I_1(x, y)$$

$$X=X_0 \quad \langle P_1 \rangle = P_1(x_0, y) \quad I_1(x_0, y)$$

$$R = \frac{I}{P} \quad \frac{\langle P \rangle_{Exp}}{\langle P \rangle_{HJet}} \approx 1 + \frac{1}{4}(R_X + R_Y)$$

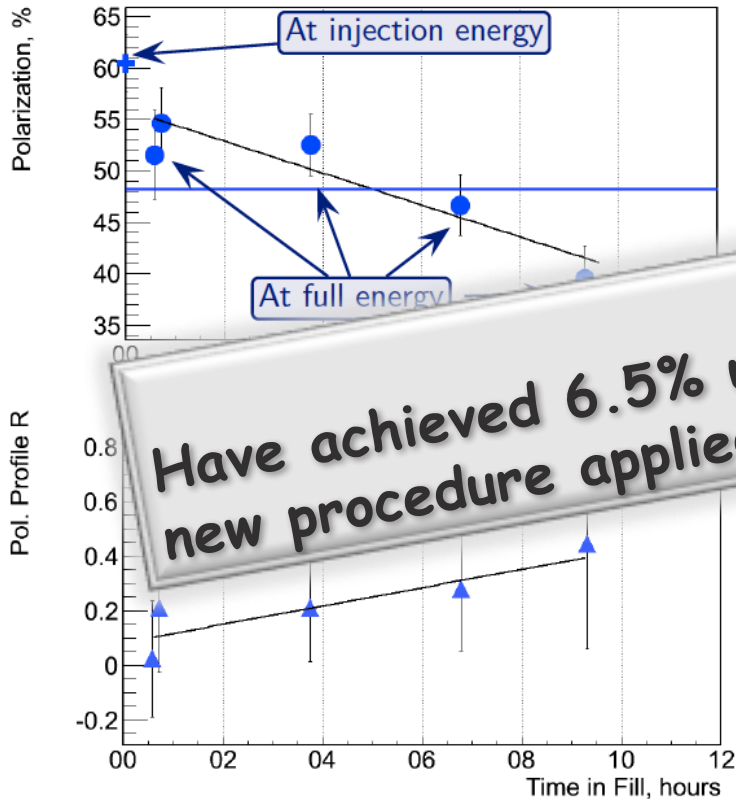
$P_{1,2}(x, y)$  - polarization profile,  $I_{1,2}(x, y)$  - intensity profile, for beam #1 and #2

# RHIC HADRON POLARISATION

Account for

beam polarization decay through fill  $\rightarrow P(t) = P_0 \exp(-t/\tau_p)$   
 growth of beam polarization profile  $R$  through fill

pCarbon  
polarimeter



Collider  
Experiments

$$\langle P_1 \rangle = P_1(x_0, y) \quad I_1(x_0, y)$$

$= x_0$

**Result:**

Have achieved 6.5% uncertainty for DSA and 3.4 for SSA  
 new procedure applied to 2009 to 2015 data

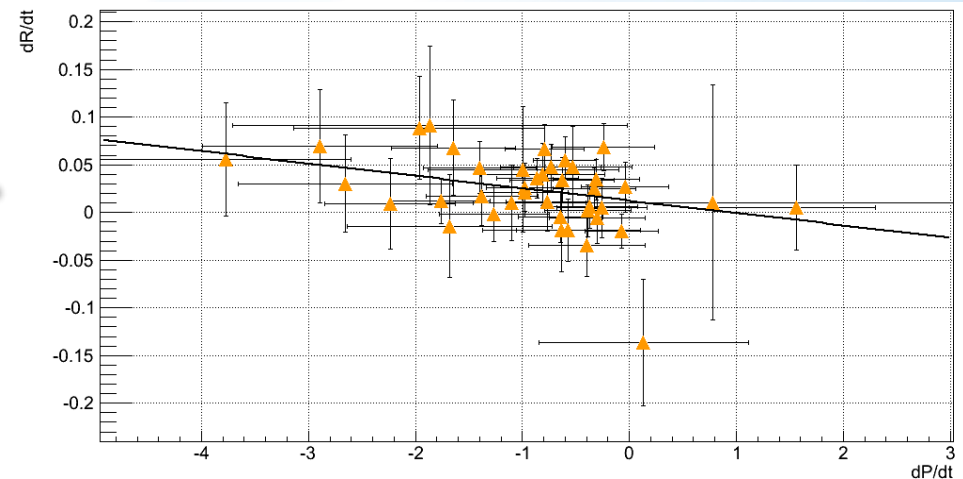
for all 2012 fills  
 at 250 GeV

$$R = \frac{\sigma_I^2}{\sigma_P^2}$$

Polarization lifetime has consequences for  
 physics analysis

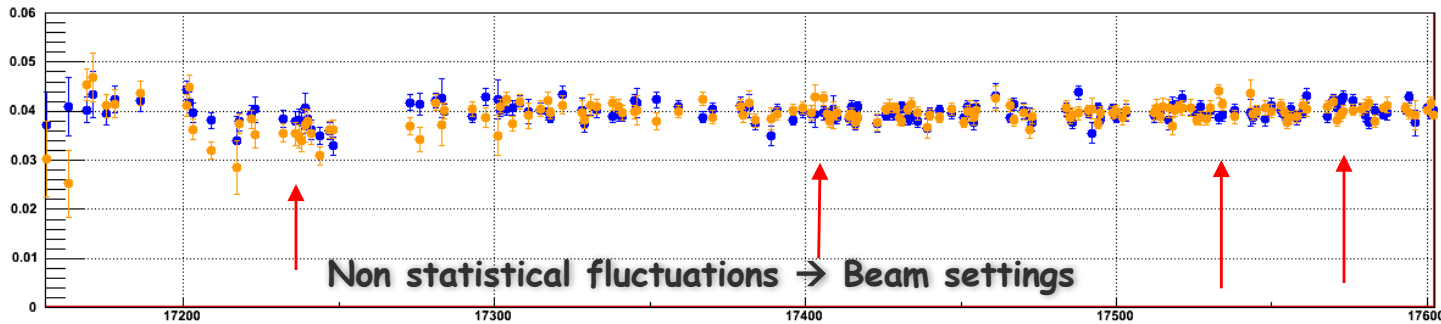
$\rightarrow$  different physics triggers mix over fill

$\rightarrow$  different  $\langle P \rangle$

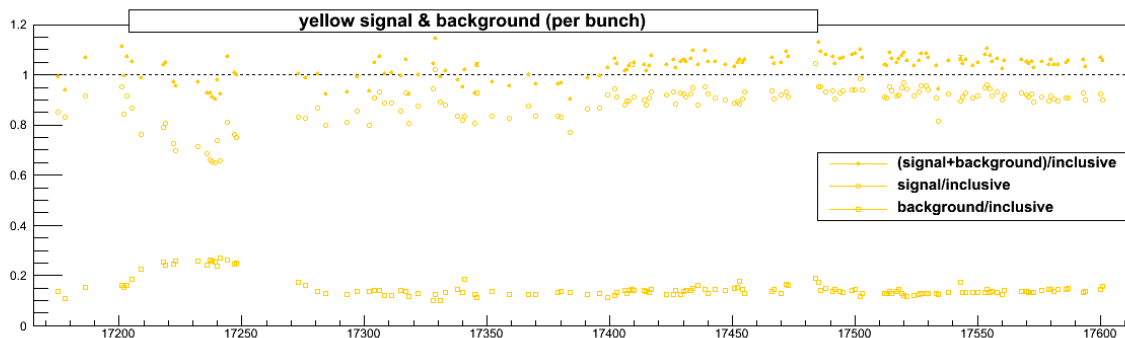


# RHIC POLARIMETRY: OPS EXAMPLES FROM RUN-13

## H-Jet: Analyzing power $A_N = \epsilon/P_T$



→ developed method determine background fraction and correct for it



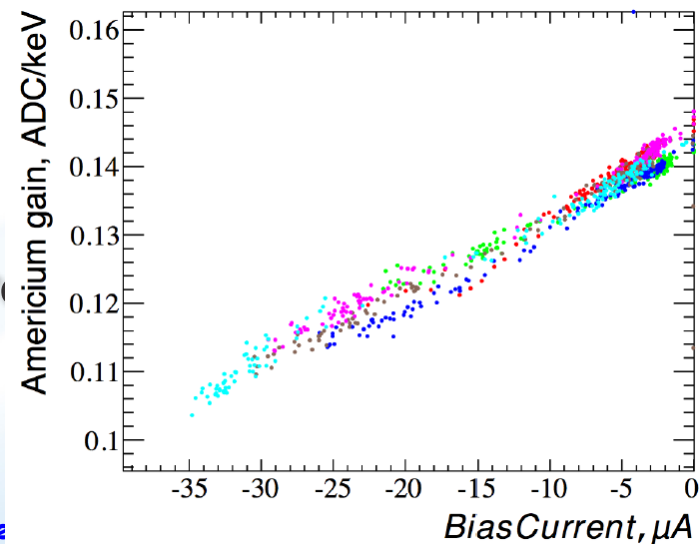
## p-Carbon:

gain variations up to 25%

correlated with bias current variations

→ monitored through  $\alpha$ -calib. runs

→ corrections are applied to all the data



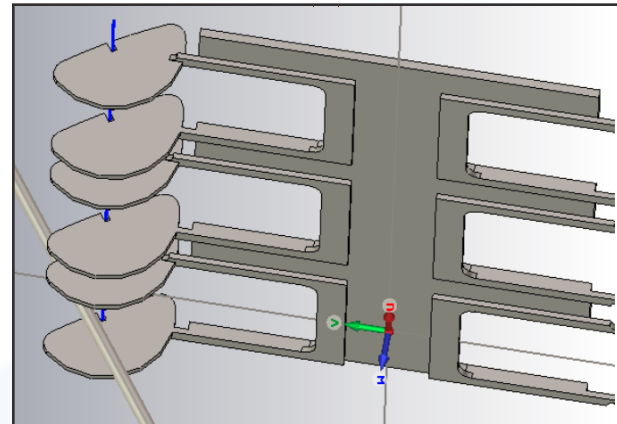
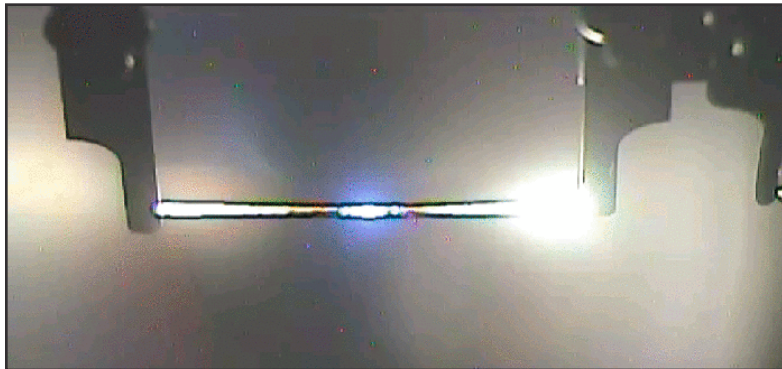
# IMPROVEMENTS FOR RUN-15

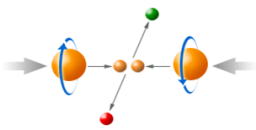
## □ H-Jet:

- measure molecular fraction in the H-Jet prior to run-15
  - currently dominant systematics
- new Si-detectors: → bigger acceptance & better resolution

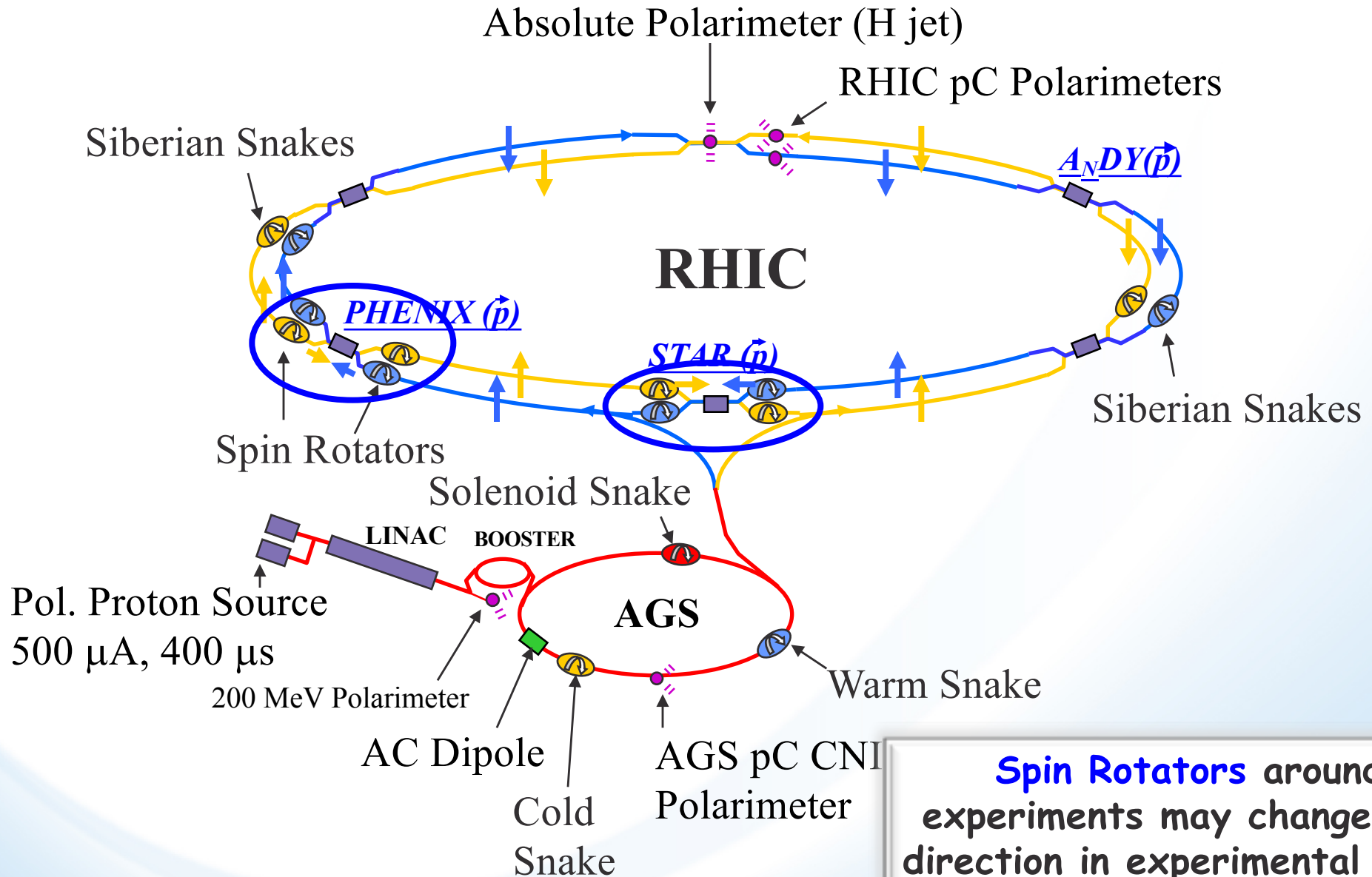
## □ pC-polarimeters

- continue the regular  $\alpha$ -calibrations at every end of the fill
- redesign the Si-ceramic board to have better gain stability
- improve target lifetime with new target holders to reduce heating tested in Run-14 with Au/He-3 beams → reduced heating/glowing



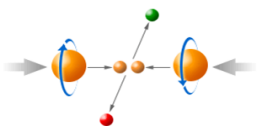


# NEED FOR LOCAL POLARIMETERS



**Spin Rotators** around experiments may change spin direction in experimental areas

$\Rightarrow$  Need to monitor spin direction in experimental areas

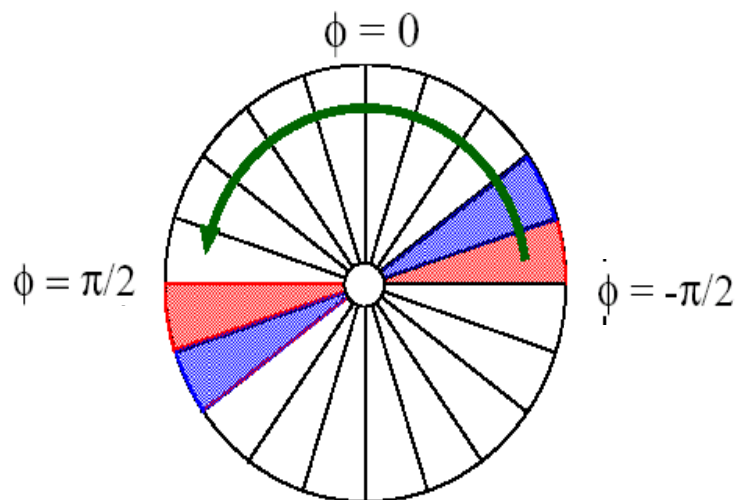


# MONITOR SPIN DIRECTION

Measures transverse polarization  $P_T$ ,  
Separately  $P_x$  and  $P_y$

$$P_L = \sqrt{P^2 - P_T^2}$$

Longitudinal component:  
 $P$  - from CNI polarimeters

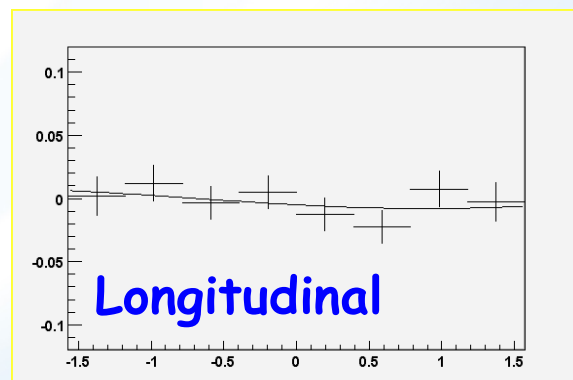
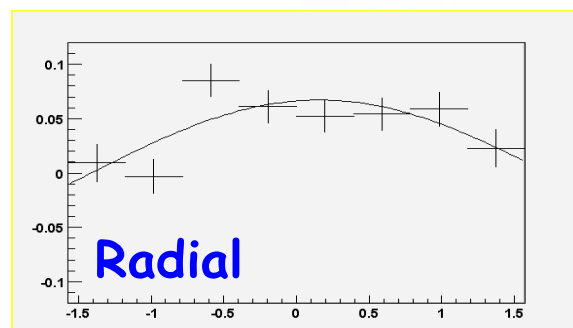
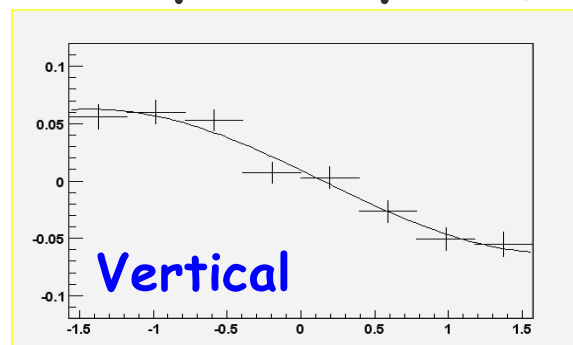


Vertical  $\rightarrow \phi \sim \pm\pi/2$

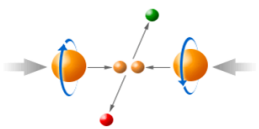
Radial  $\rightarrow \phi \sim 0$

Longitudinal  $\rightarrow$  no asymmetry

## Asymmetry vs $\phi$



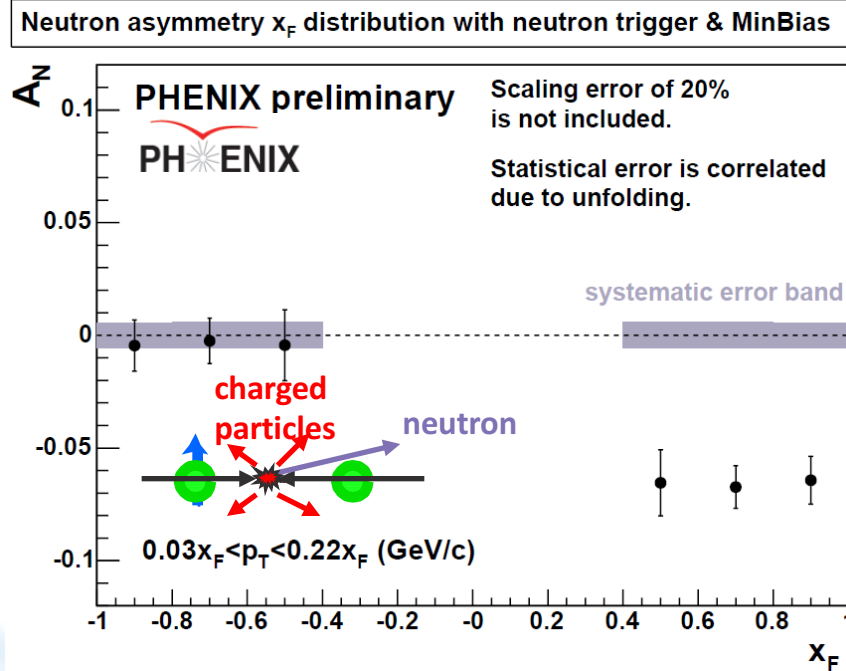
$-\pi/2$       0       $\pi/2$



# LOCAL POLARIMETER: PHENIX & STAR

## PHENIX

Utilizes spin dependence of very forward neutron production discovered in RHIC Run-2002 (PLB650, 325) detected in zero degree calorimeter



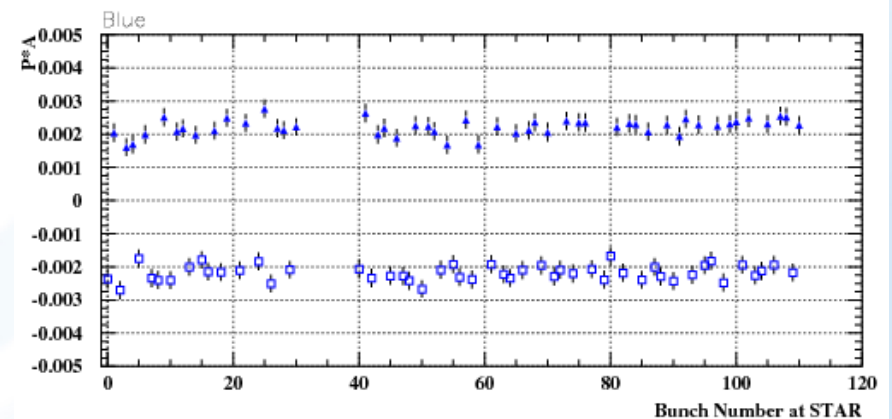
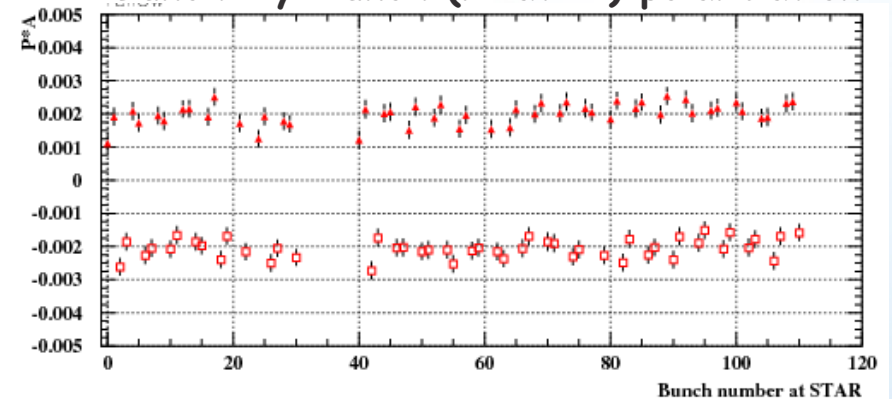
Quite unexpected asymmetry  
Theory can not yet explain it

But can be used for polarimetry !

## STAR

Utilizes spin dependence of hadron production at high  $x_F$  measured in beam-beam counters  
 $3.3 < |\eta| < 5.0$

Bunch-by-bunch (relative) polarization



*NOW WE HAVE THE POLARISED PROTON  
BEAM  
AND  
KNOW WHAT THE POLARISATION IS,  
WHAT IS NEXT*

*How do we measure things  
→ Detectors*

 **BROOKHAVEN**  
NATIONAL LABORATORY

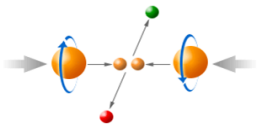
*a passion for discovery*



U.S. DEPARTMENT OF  
**ENERGY**

Office of  
Science

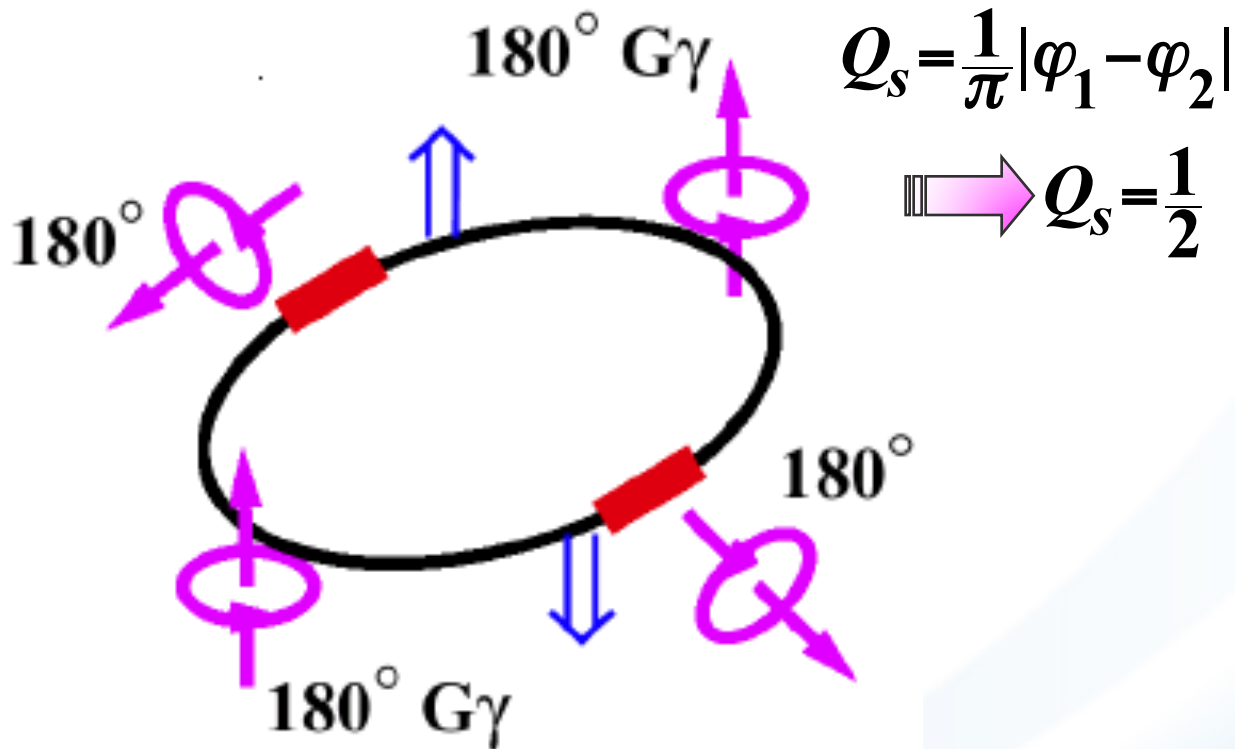


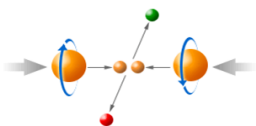


**BACKUP**

# POLARIZED PROTON ACCELERATION SETUP IN RHIC

- Energy: 23.8 GeV ~ 250 GeV (maximum store energy)
  - A total of 146 imperfection resonances and about 10 strong intrinsic resonances from injection to 100 GeV.
    - *Two full Siberian snakes*

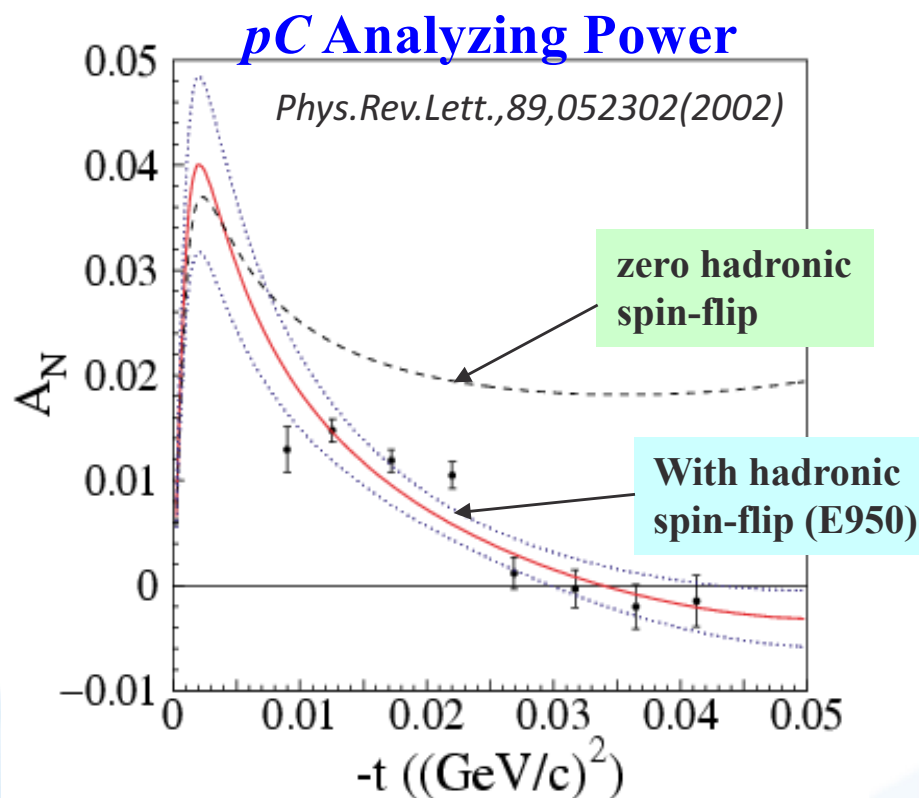




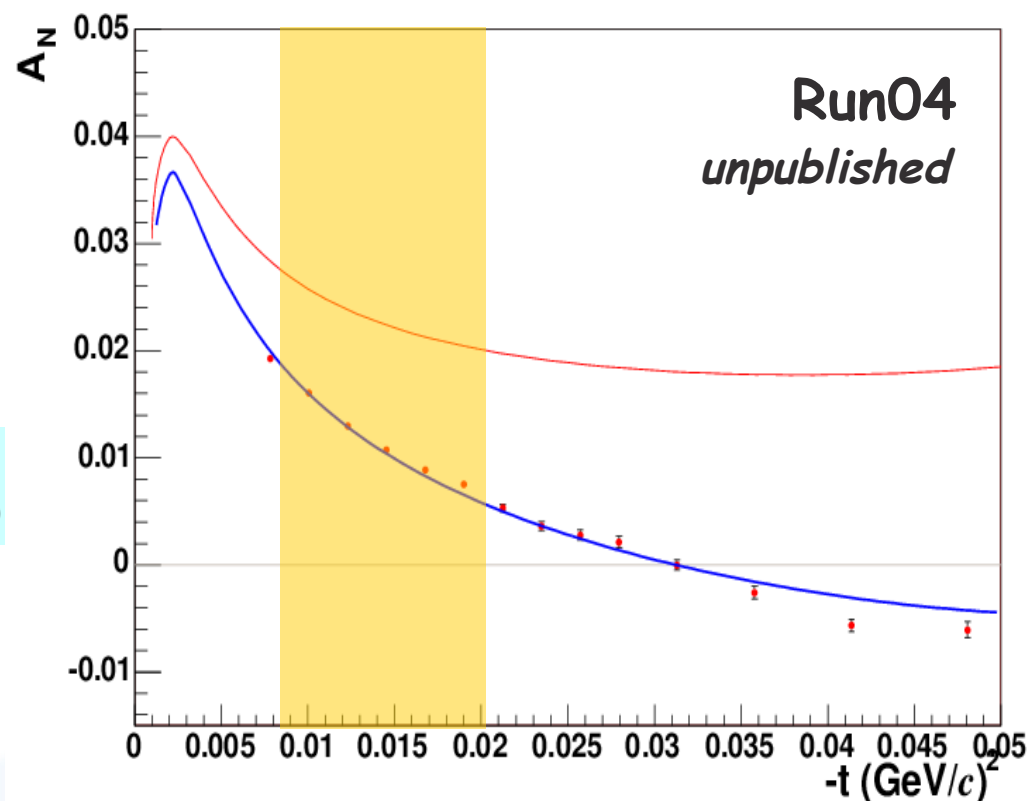
PC:  $A_N$

Elastic scattering: interference between electromagnetic and hadronic amplitudes in the Coulomb-Nuclear Interference (CNI) region

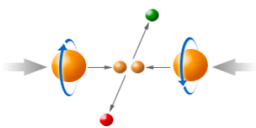
$$A_N = C_1 \begin{matrix} em \\ flip \end{matrix} \begin{matrix} * \\ had \\ non \\ flip \end{matrix} + C_2 \begin{matrix} em \\ non \\ flip \end{matrix} \begin{matrix} * \\ had \\ flip \end{matrix}$$



$E_{beam} = 21.7 \text{ GeV}$



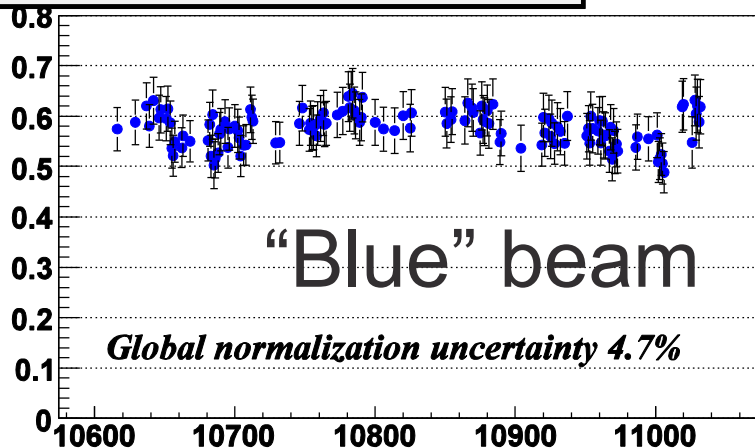
$E_{beam} = 100 \text{ GeV}$



# PC+HJET: POLARIZATION VS FILL

Run-2009 results ( $E_{\text{beam}}=100 \text{ GeV}$ )

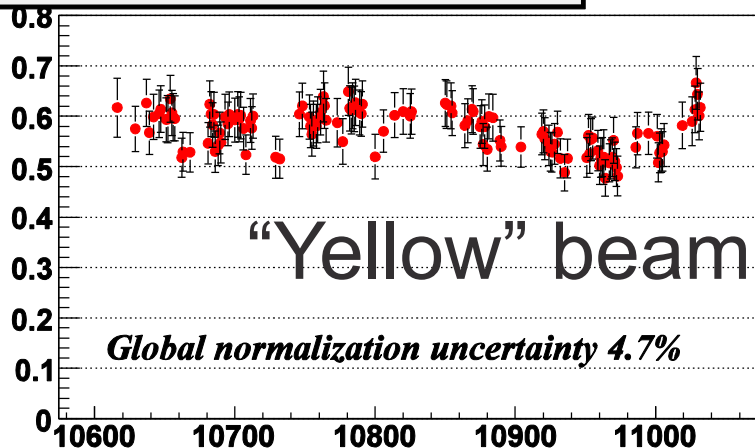
Run9 sqrt(s)=200 GeV: Polarization in collision vs Fill #



- ✓ Normalized to HJet
- ✓ Corrected for polarization profile (by pC)

$$\delta P/P < 5\%$$

Run9 sqrt(s)=200 GeV: Polarization in collision vs Fill #



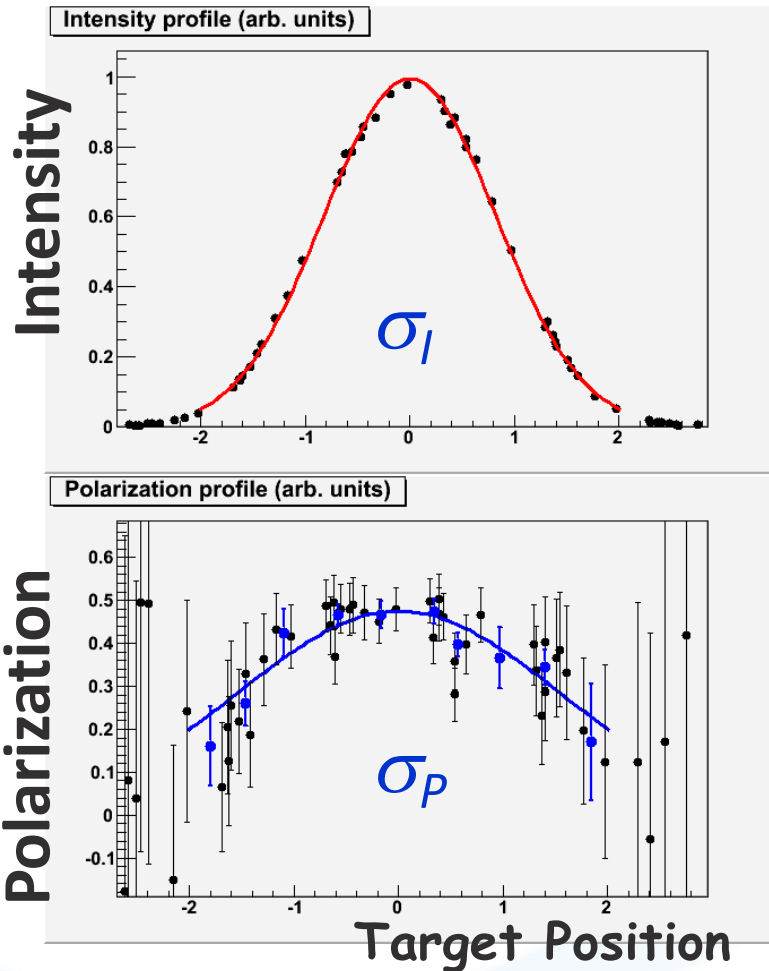
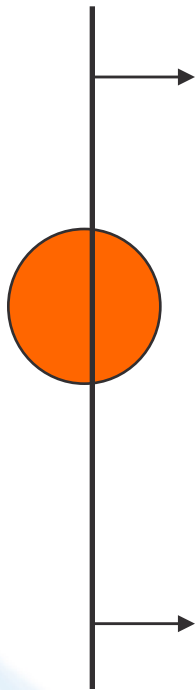
Dominant sources of syst. uncertainties:

- ~3% - HJet background
- ~3% - pC stability  
(rate dependencies, gain drift)
- ~2% - Pol. profile

# POL. PROFILE AND AVERAGE POLARIZATION

Scan C target across the beam  
In both X and Y directions

Carbon



$$R = \frac{2}{2} \frac{I}{P}$$

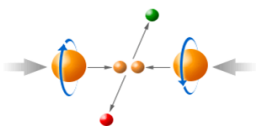
$$\frac{\langle P \rangle_{Exp}}{\langle P \rangle_{HJet}} = \frac{\sqrt{(1+R_X) \cdot (1+R_Y)}}{\sqrt{\left(1+\frac{1}{2}R_X\right) \cdot \left(1+\frac{1}{2}R_Y\right)}} \approx 1 + \frac{1}{4}(R_X + R_Y)$$

Ideal case: flat pol. profile ( $\sigma_p = \infty \Rightarrow R=0$ )

Run-2009:

$E_{beam} = 100 \text{ GeV}$ :  $R \sim 0.1 \Rightarrow 5\% \text{ correction}$

$E_{beam} = 250 \text{ GeV}$ :  $R \sim 0.35 \Rightarrow 15\% \text{ correction}$

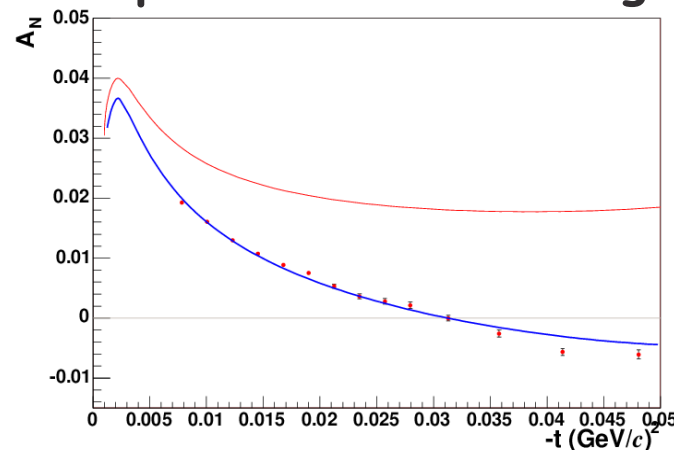


# POLARIZATION MEASUREMENTS

$$P = \frac{N_{Left} - N_{Right}}{N_{Left} + N_{Right}} = \frac{1}{A_N} \frac{N_{Left} - N_{Right}}{N_{Left} + N_{Right}}$$

$A_N$  depends on the process and kinematic range of the measurements

pC elastic scattering



$$-t = 2M_C \cdot E_{kin}$$

Precision of the measurements

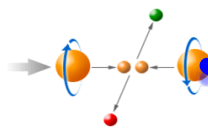
$$\delta(P) = \frac{1}{A_N} \frac{1}{\sqrt{N}} \quad N = N_{Left} + N_{Right}$$

For  $\delta(P)=0.01$  and  $A_N \sim 0.01 \Rightarrow N \sim 10^8$

**Requirements:**

Large  $A_N$  or/and high rate ( $N$ )

Good control of kinematic range



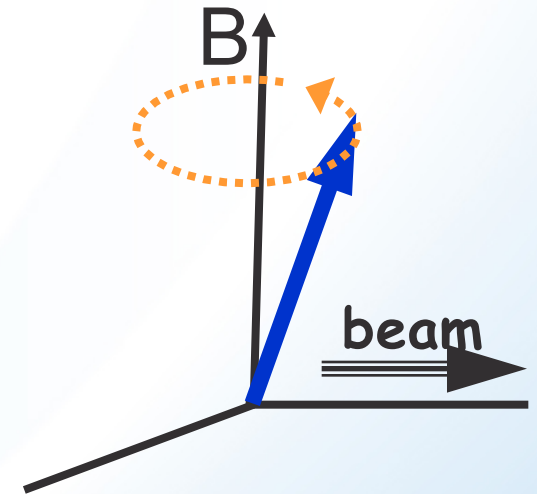
# SPIN MOTION IN CIRCULAR ACCELERATOR: THOMAS BMT EQUATION

$$\frac{d\vec{S}}{dt} = \vec{\omega} \cdot \vec{S} = \frac{e}{m} [G \vec{B} + (1+G)\vec{B}_{//}] \cdot \vec{S}$$

Spin vector in particle's rest frame

- In a perfect accelerator, spin vector precesses around the bending dipole field direction: vertical
- Spin tune  $Q_s$ : number of precessions in one orbital revolution. In general,

$$Q_s = G\gamma$$

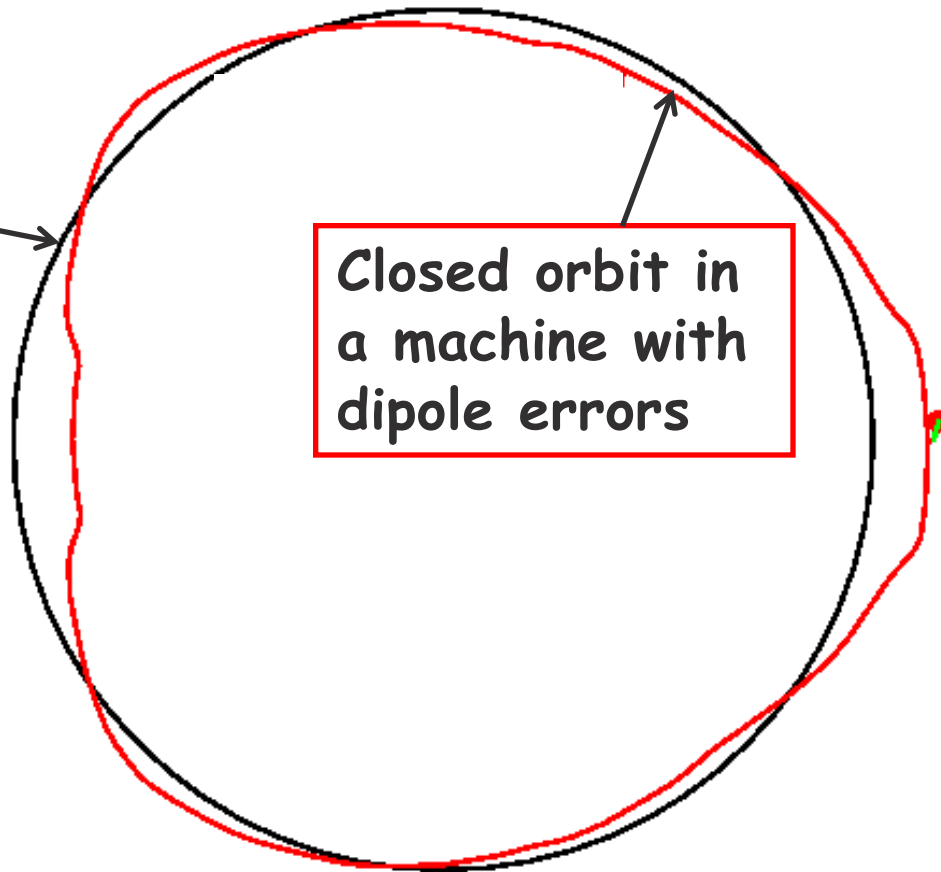


# CLOSED ORBIT IN A CIRCULAR ACCELERATOR

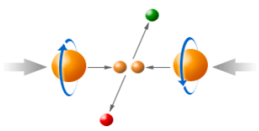
Closed orbit: particle comes back to the same position after one orbital revolution

Closed orbit in a perfect machine: center of quadrupoles

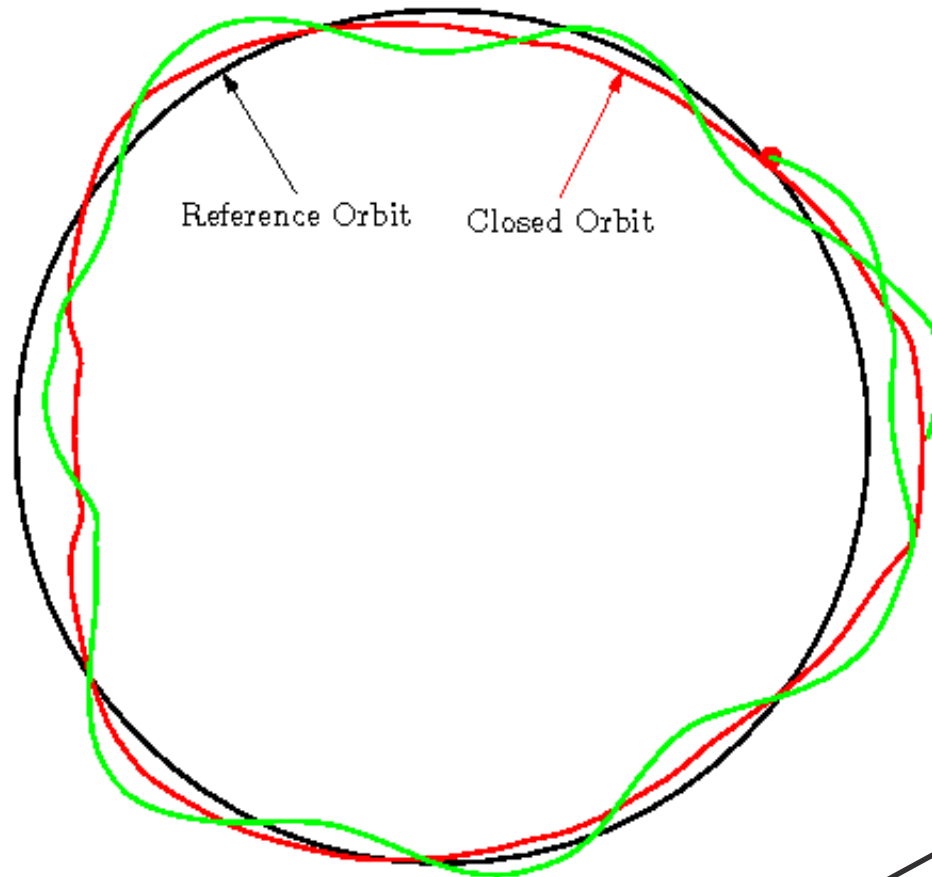
Closed orbit in a machine with dipole errors







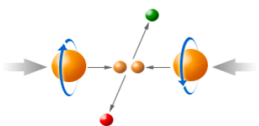
# BETATRON OSCILLATION IN A CIRCULAR ACCELERATOR



Betatron tune: number of oscillations in one orbital revolution

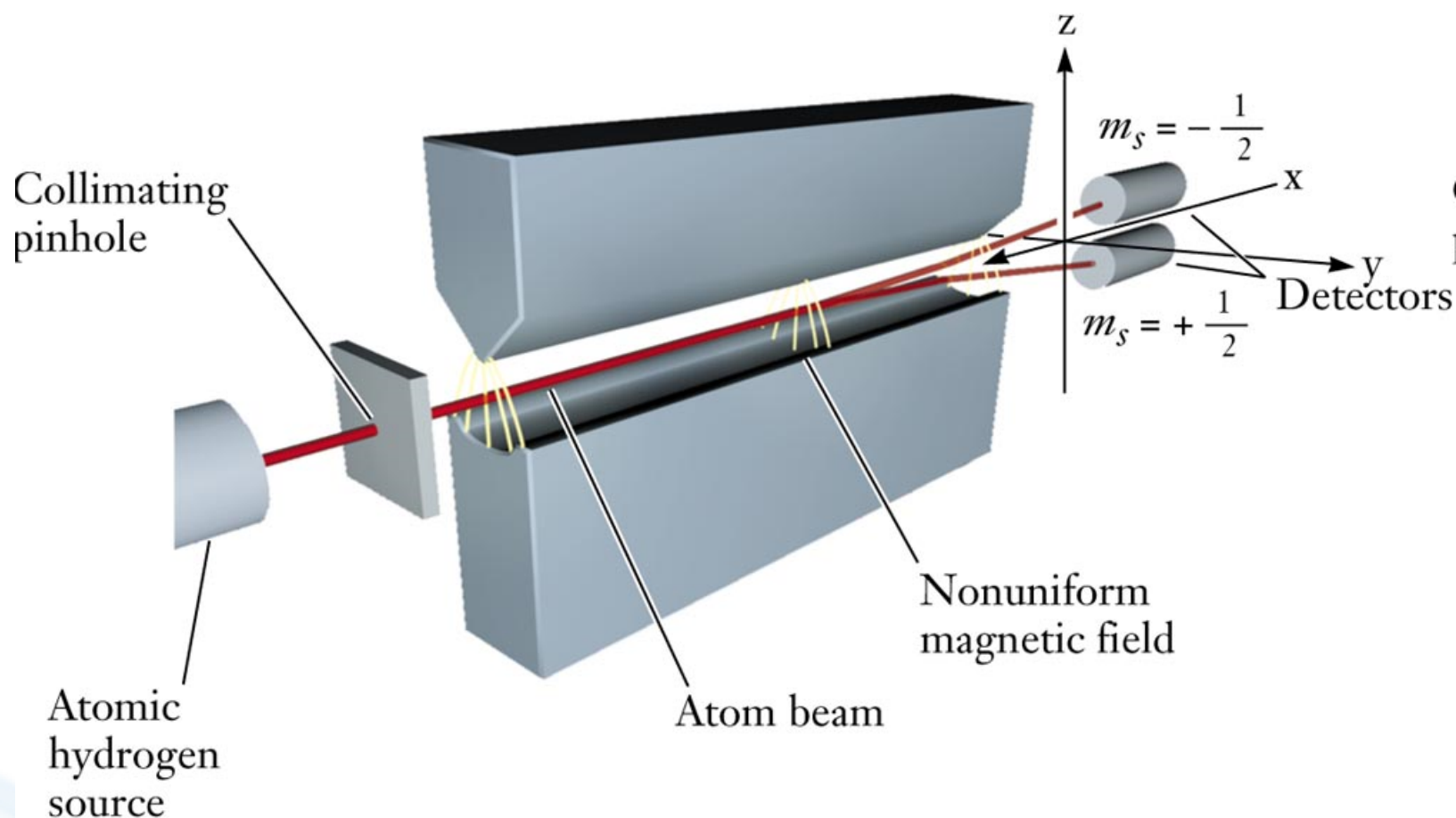
$$y(s) = \sqrt{2} J \cos(2 Q_y (s) + \phi_y)$$

Beta function

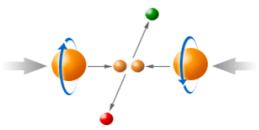


# STERN-GERLACH EXPERIMENT

Separation of spin states in the inhomogeneous magnetic field



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# THE RHIC ACCELERATOR SYSTEM

