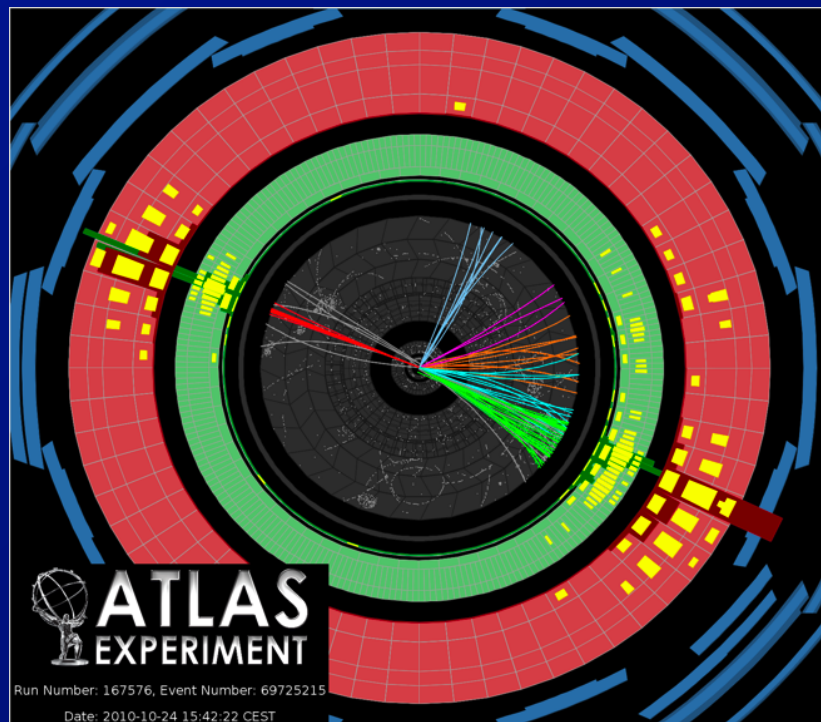
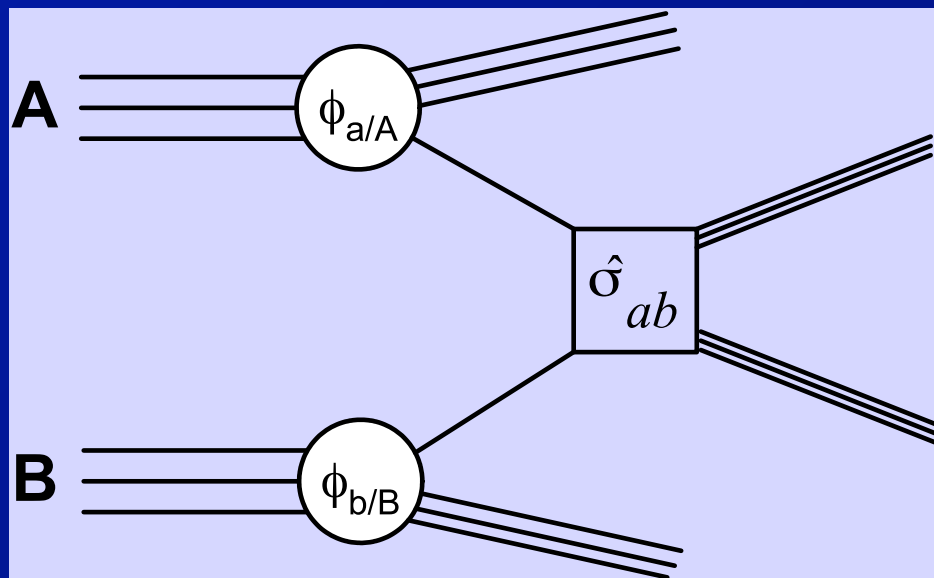


# Lecture 3: Results of jet measurements in p-p and heavy ion collisions

Brian. A Cole,  
Columbia University  
June 14, 2013

# Hard Scattering in p-p Collisions



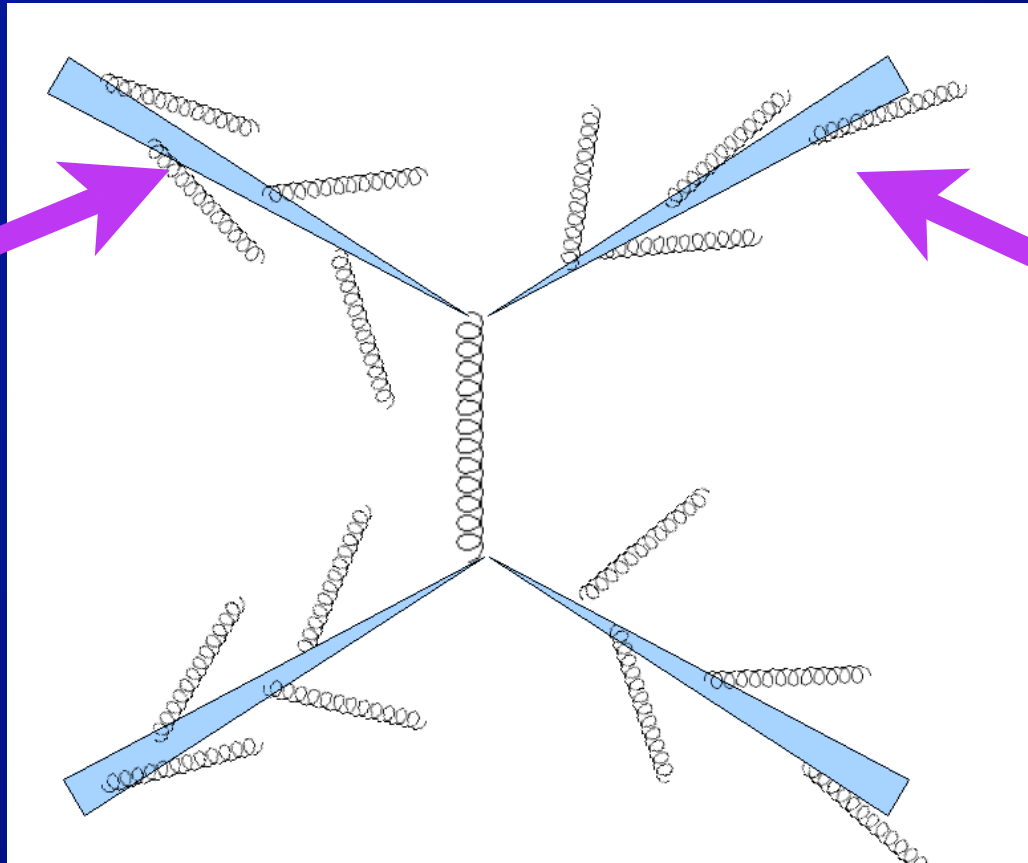
From Collins, Soper, Sterman  
*Phys. Lett. B*438:184-192, 1998

$$\sigma_{AB} = \sum_{ab} \int dx_a dx_b \phi_{a/A}(x_a, \mu^2) \phi_{b/B}(x_b, \mu^2) \hat{\sigma}_{ab} \left( \frac{Q^2}{x_a x_b s}, \frac{Q}{\mu}, \alpha_s(\mu) \right) \left( 1 + \mathcal{O} \left( \frac{1}{Q^P} \right) \right)$$

- **Factorization: separation of  $\sigma$  into**
  - Short-distance physics:  $\sigma_{ab}$
  - Long-distance physics:  $\phi$ 's

# Hard Scattering & parton showers

Virtuality  
evolution:  
low  $\rightarrow$  high

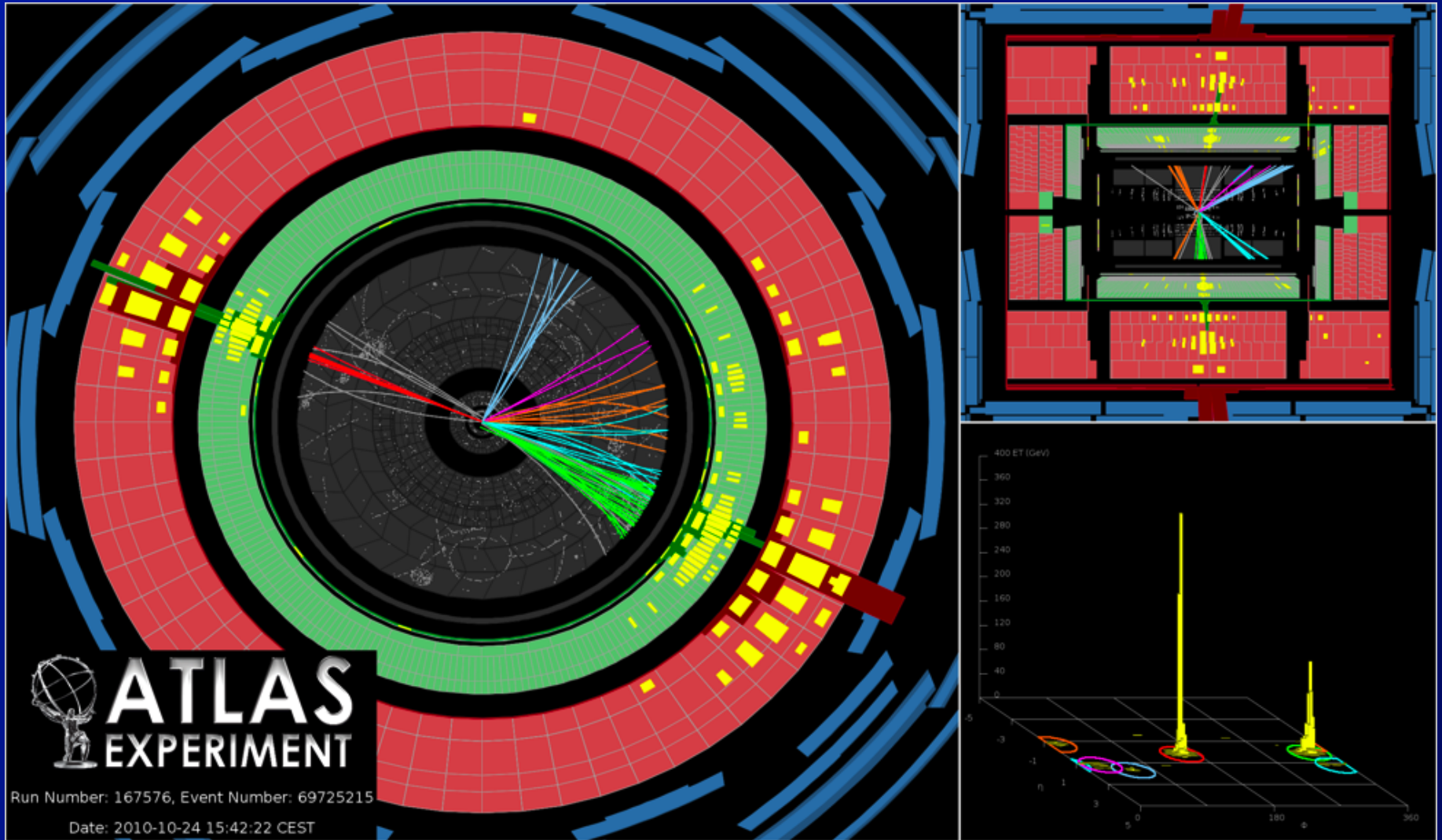


Virtuality  
evolution:  
high  $\rightarrow$  low

- **Initial and final state parton showers**

- Angular ordered (initial and) final state showers as by-product of virtuality evolution.

# “Baseline”: jets in p-p

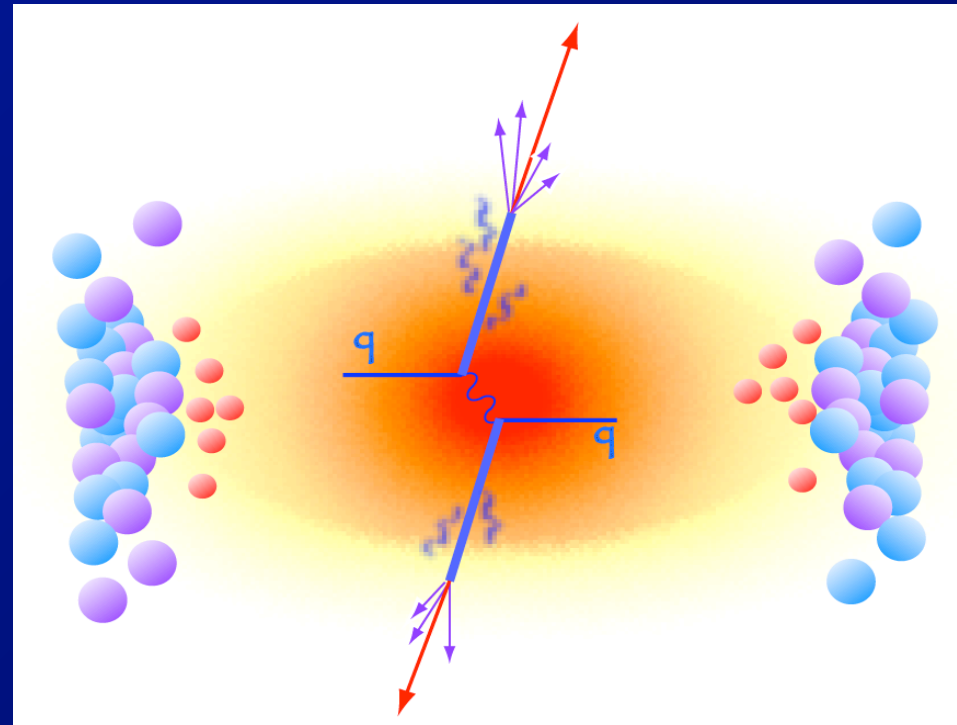


- ➔ Leading jet :  $p_T = 670$  GeV,  $\eta = 1.9$ ,  $\phi = -0.5$
- ➔ Sub-leading jet:  $p_T = 610$  GeV,  $\eta = -1.6$ ,  $\phi = 2.8$



# Jet probes of the quark gluon plasma

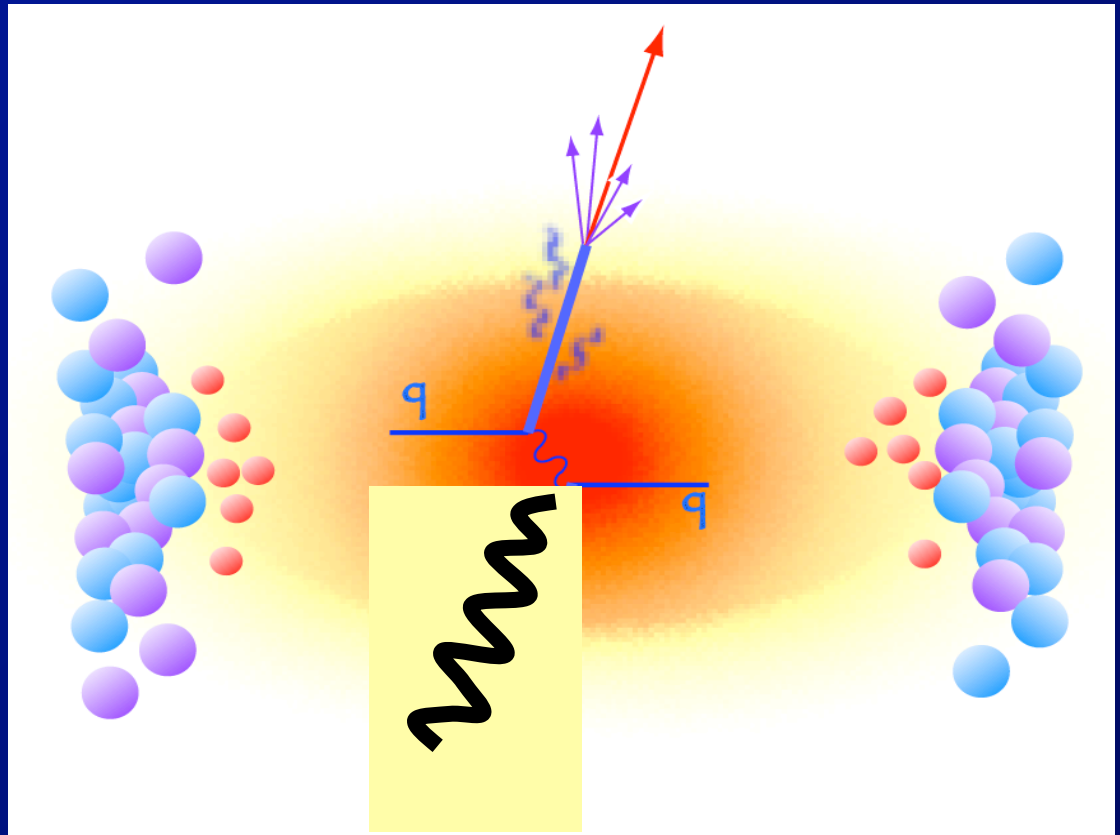
- Use jets from hard scattering processes to directly probe the quark gluon plasma (QGP)



- Key experimental question:
  - ⇒ How do parton showers in quark gluon plasma differ from those in vacuum?
- Use vector bosons -- for which the QGP is transparent -- to calibrate hard scattering rates in Pb+Pb collisions.

# Jet probes of the quark gluon plasma

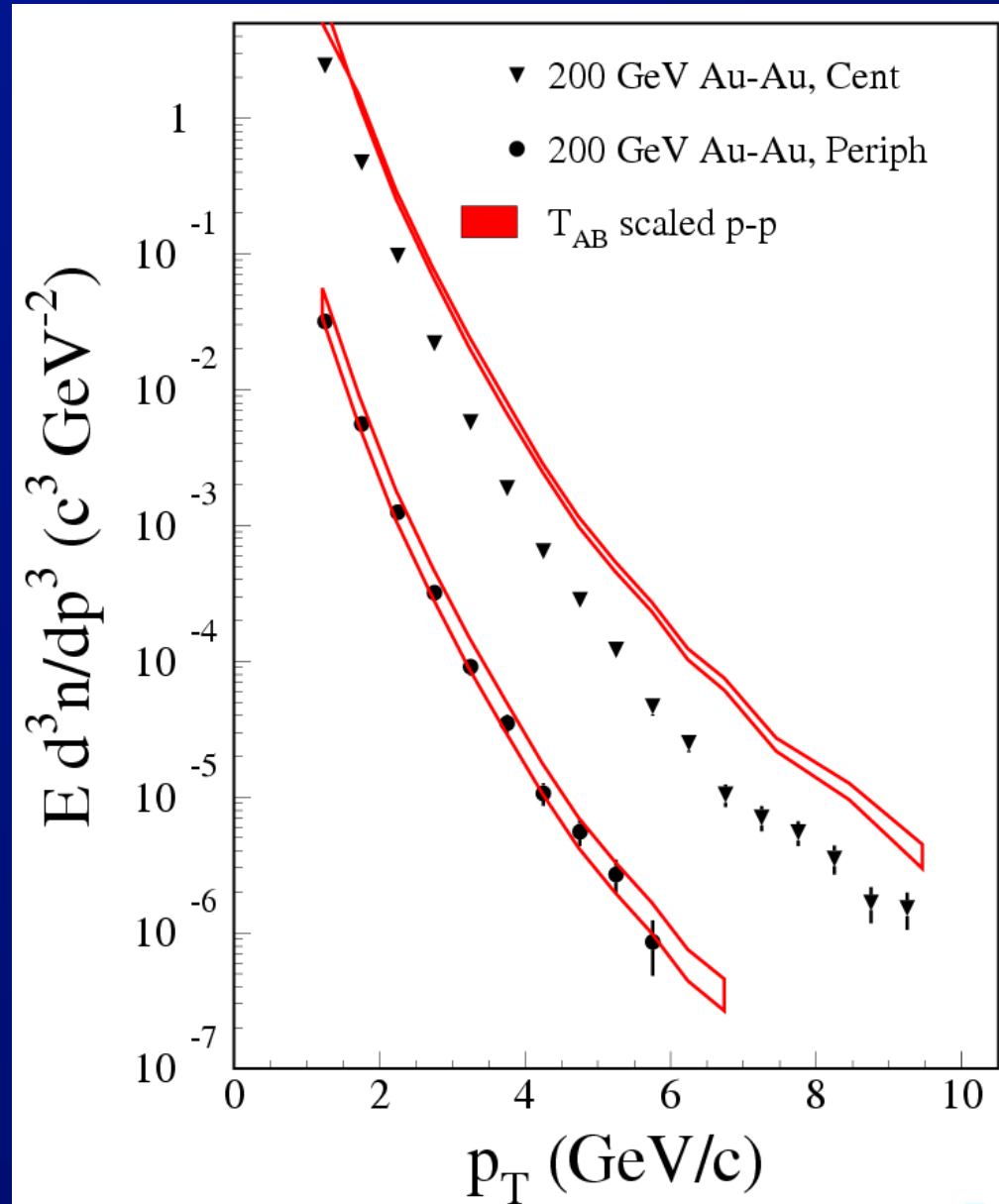
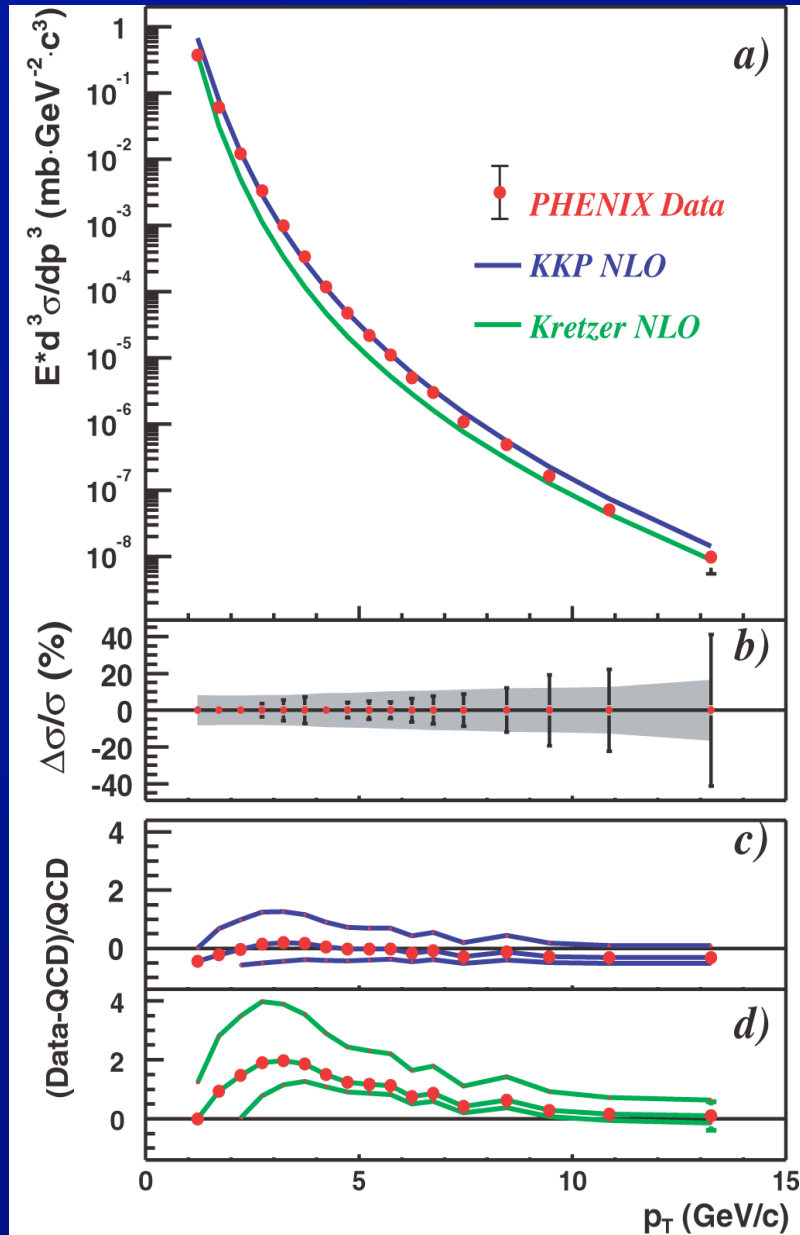
- Use  $\gamma$ -jet pairs to directly probe the quark gluon plasma (QGP)



- Key experimental question:
  - ⇒ How do parton showers in quark gluon plasma differ from those in vacuum?
  - » Where the photon provides a reference energy scale for the jet.

# The early days of jet quenching

PHENIX, Phys. Rev. Lett. 91, 241803 (2003)



# A-A Hard Scattering Rates

- For “partonic” scattering or production processes, rates are determined by  $T_{AB}$

$$T_{AB}(b) = \int d\vec{r} T_A(|\vec{r}|) T_B(|\vec{b} - \vec{r}|)$$

- t-integrated A-A parton luminosity
- Normalized relative to p-p

- If factorization holds, then

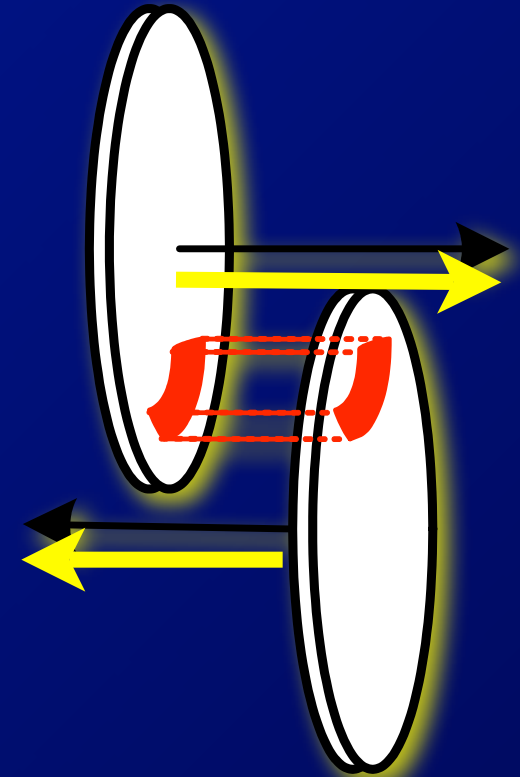
$$\frac{dn_{hard}^{AB}}{dp_{\perp}^2} = \frac{d\sigma_{hard}^{NN}}{dp_{\perp}^2} T_{AB}(b)$$

- Define ratio  $R_{AA}$

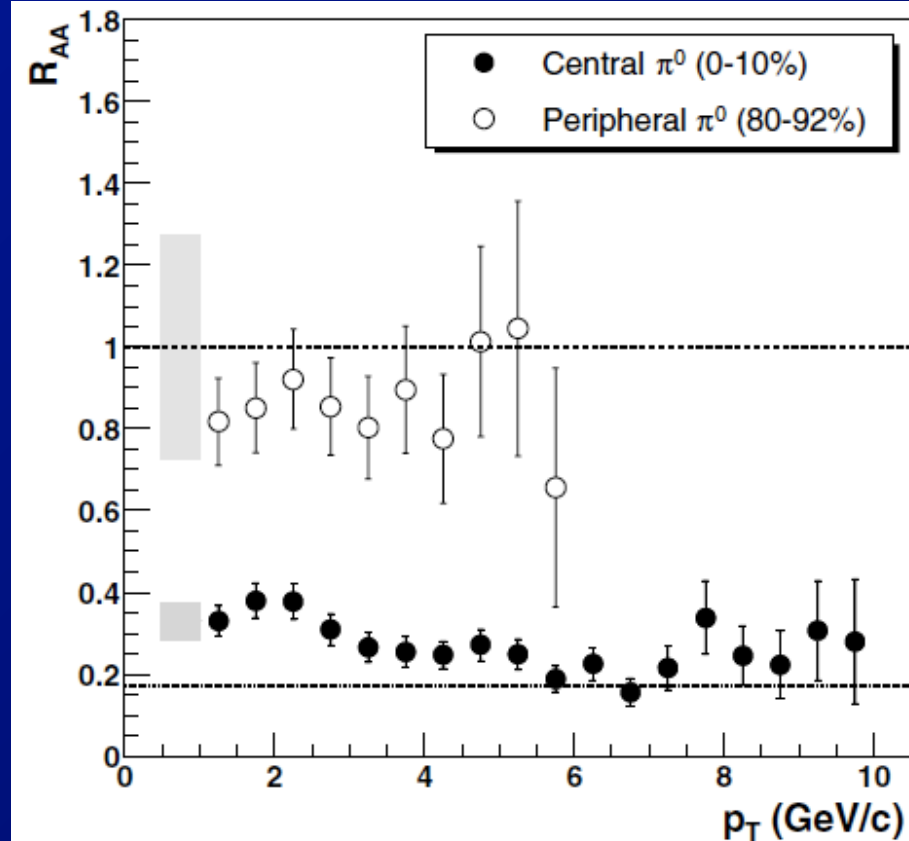
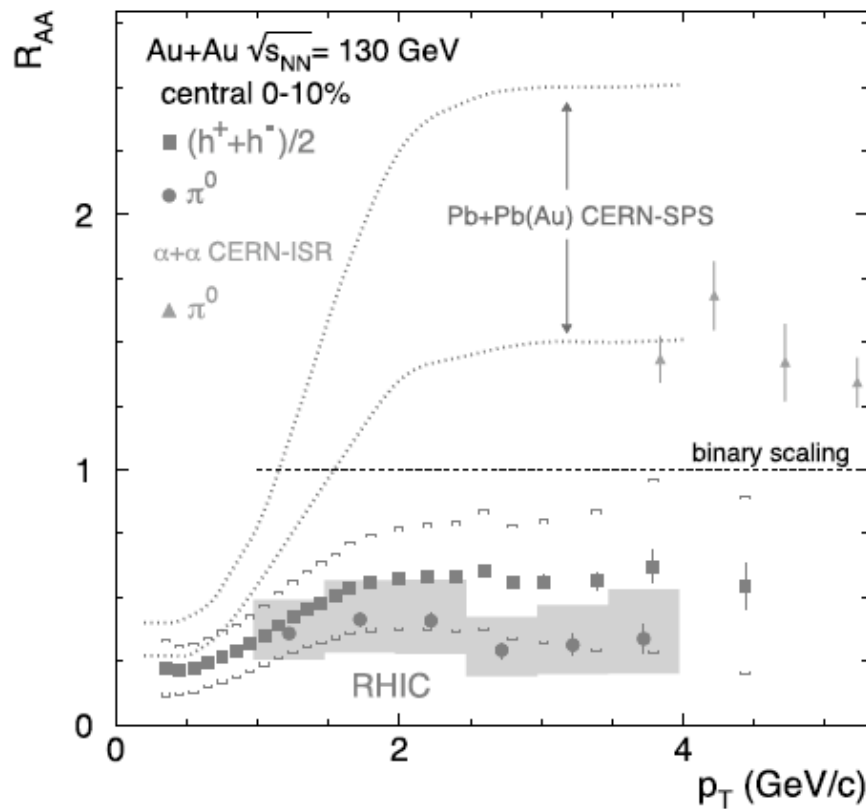
$$R_{AA} = \frac{dn_{hard}^{AB}}{dp_{\perp}^2} / \frac{d\sigma_{hard}^{NN}}{dp_{\perp}^2} T_{AB}(b)$$

- Note:  $N_{coll} = \sigma_{NN} T_{AB}$

$$T(r_t) = \int_{-\infty}^{\infty} dz \rho_A^{nucleon}(z, r_t)$$



# PHENIX: “jet” quenching @ 130, 200 GeV



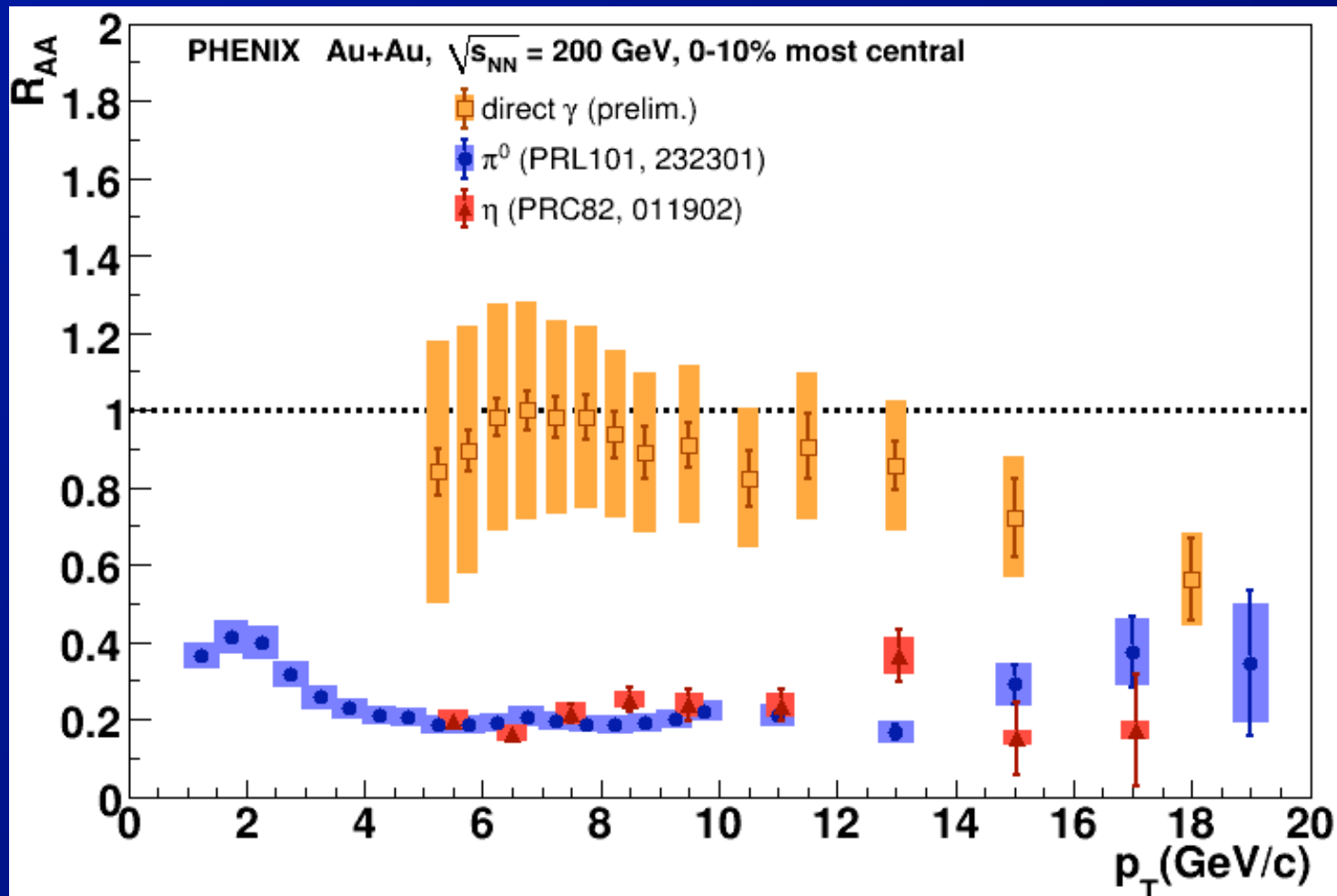
- Limited reach in  $p_T$  compared to what we are used to in the LHC era.

- Qualitative features of single hadron suppression already established in 2003.

⇒ In particular, apparent weak  $p_T$  variation

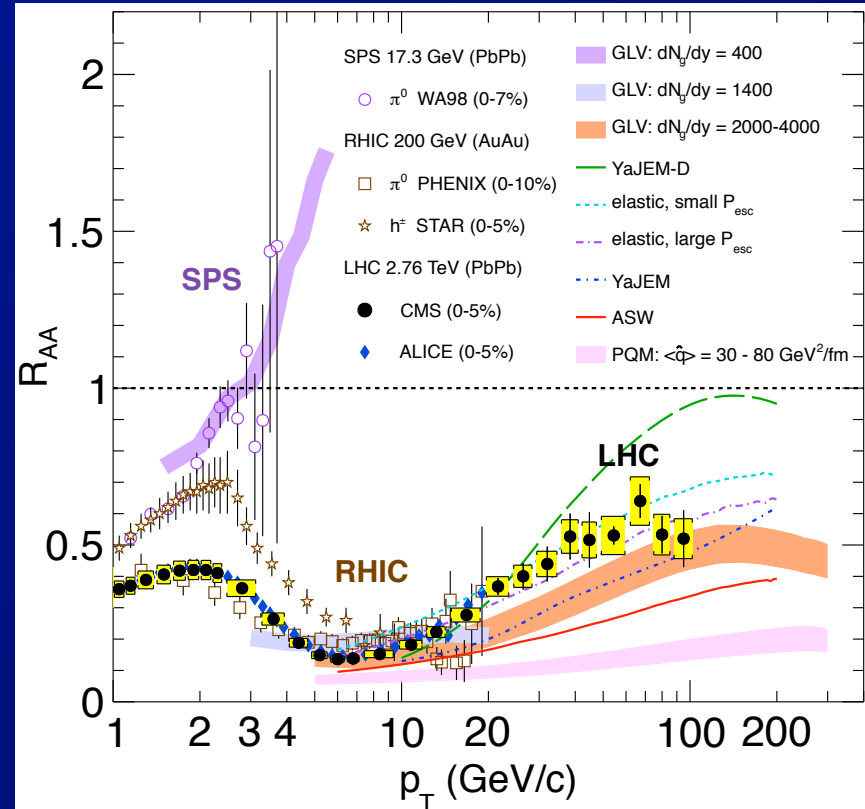
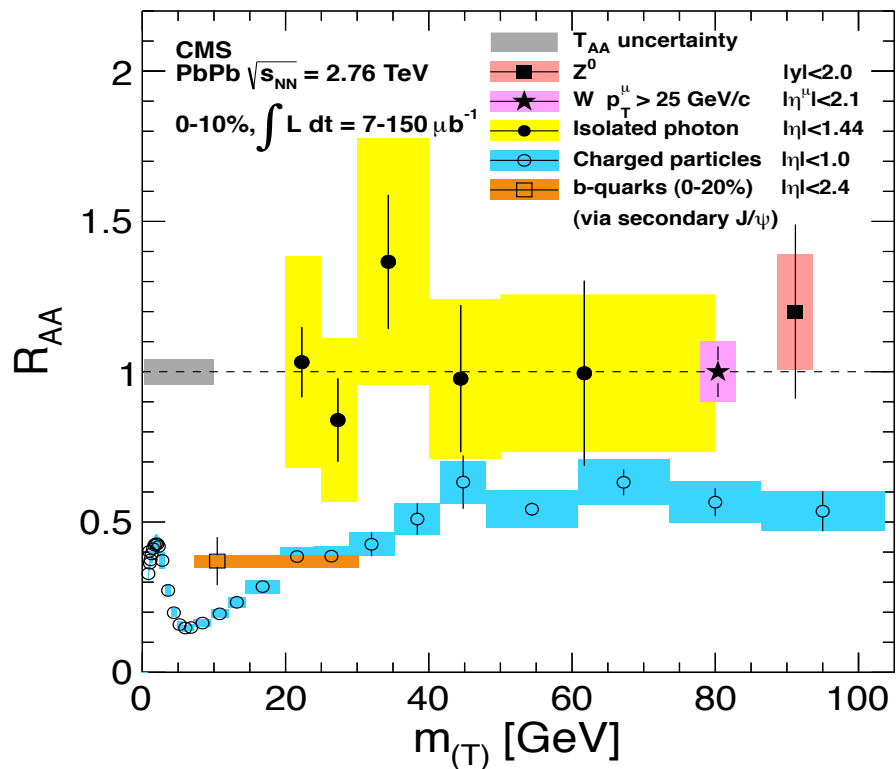


# Single hadrons, photon



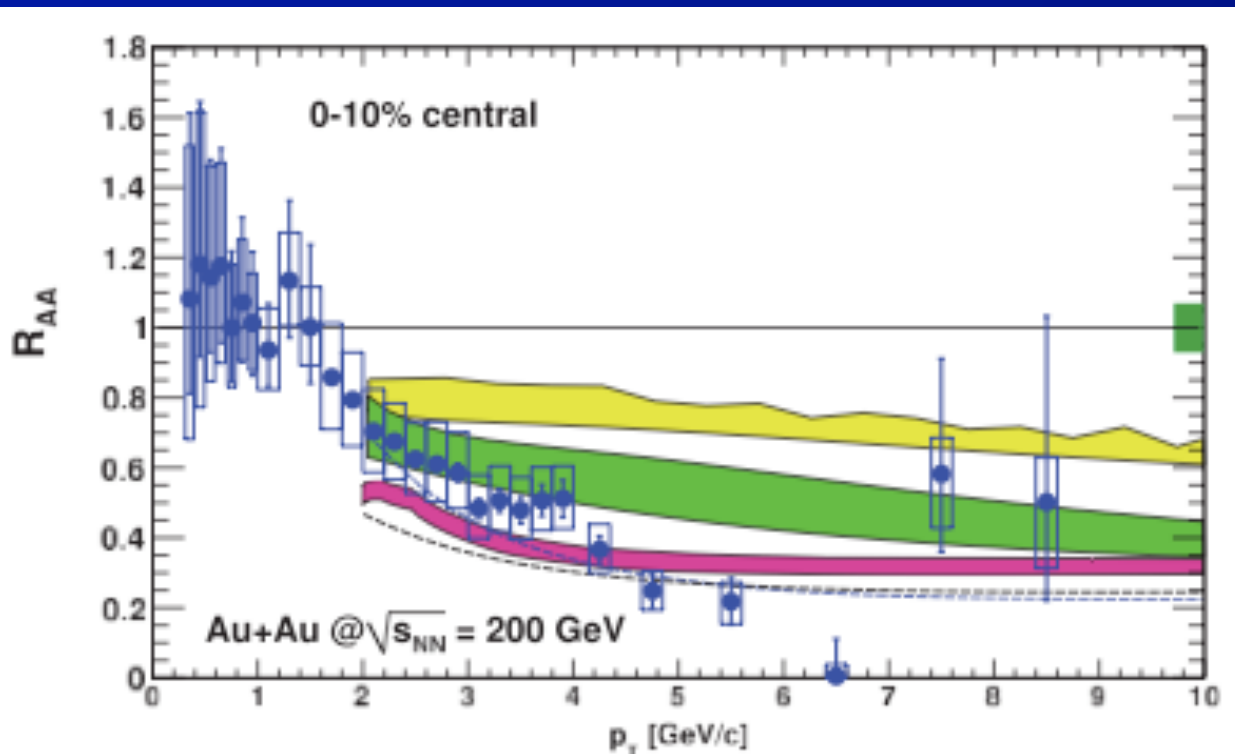
- “State of the art” in single hadron suppression measurements @ RHIC.

# Hadron suppression @ LHC



- At high  $p_T$ , see factor of 2 suppression in charged hadron yield.
  - photons, W's, Z rates show no suppression
- $p_T$  dependence matches RHIC measurements

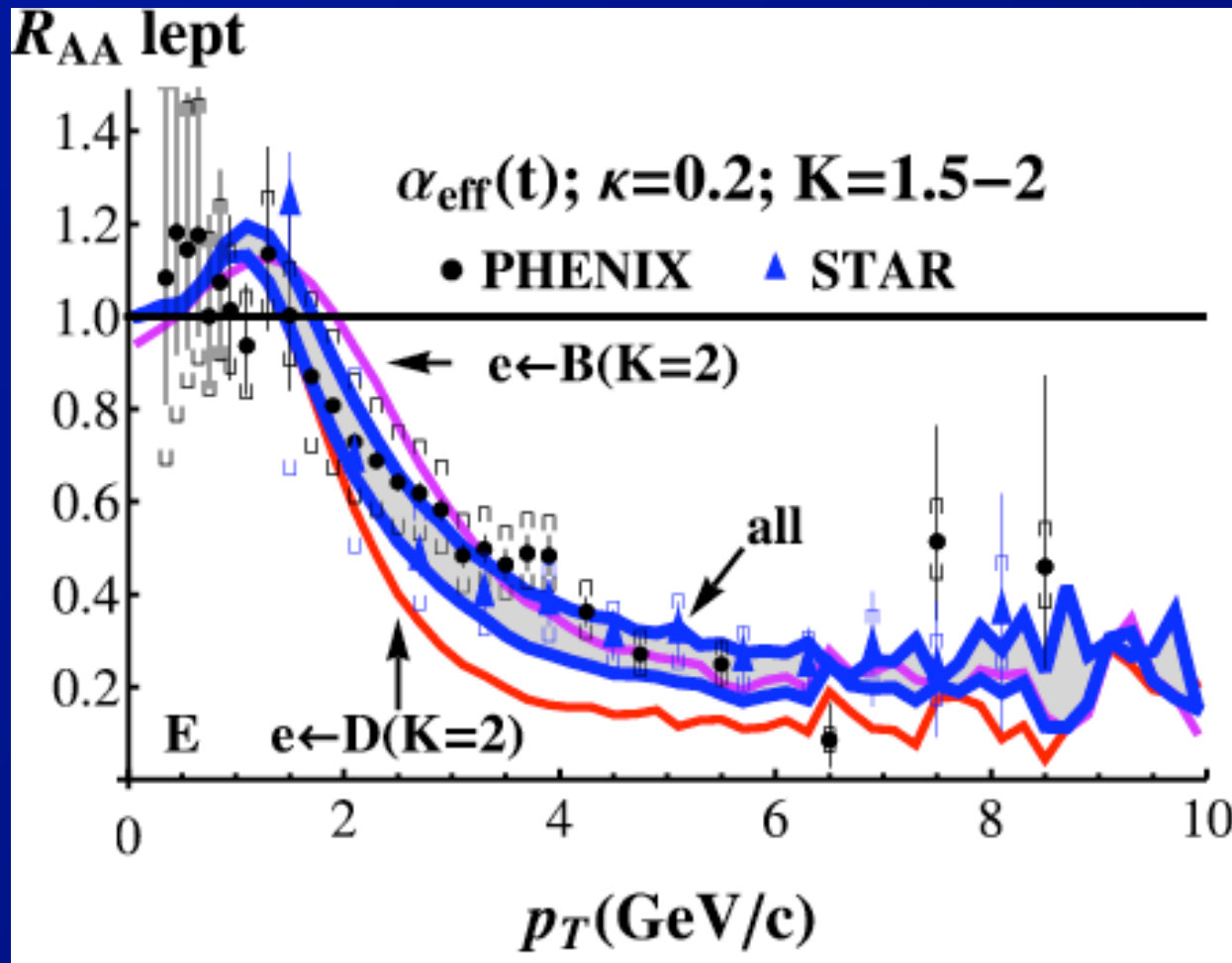
# Heavy quark suppression



← Radiative  
← Radiative + collisional  
← Hadronic dissociation

- Heavy quarks provide a valuable test of our understanding of energy loss
  - Large mass changes contribution of collisional and radiative energy loss
    - ⇒ But RHIC semi-leptonic decay data proved challenging to describe theoretically.

# Heavy quark suppression

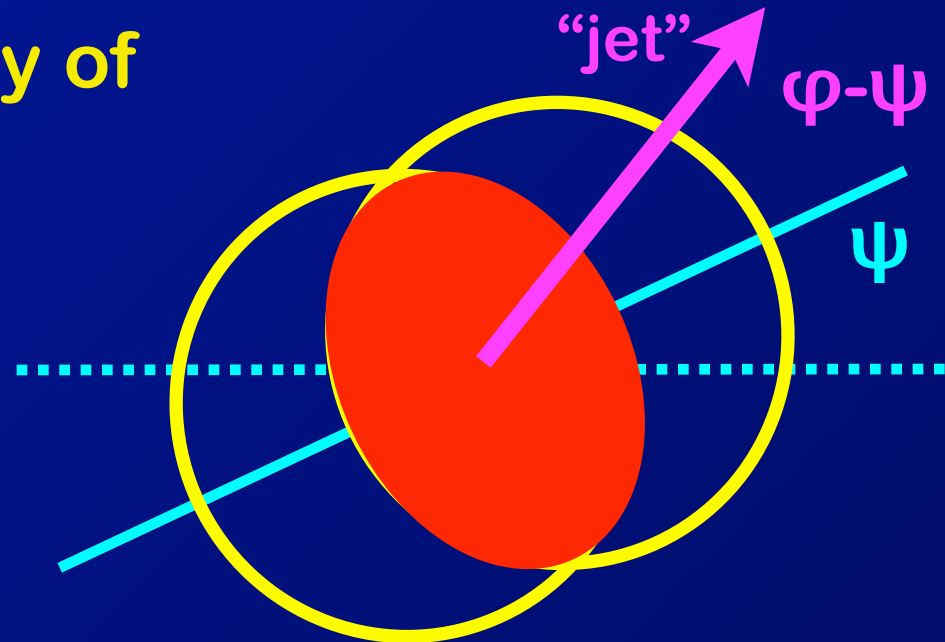


- Recent calculations by Aichelin et al are able to describe RHIC results
  - But only by scaling up the collisional interaction rates by a factor of 1.5-2

# Jet tomography

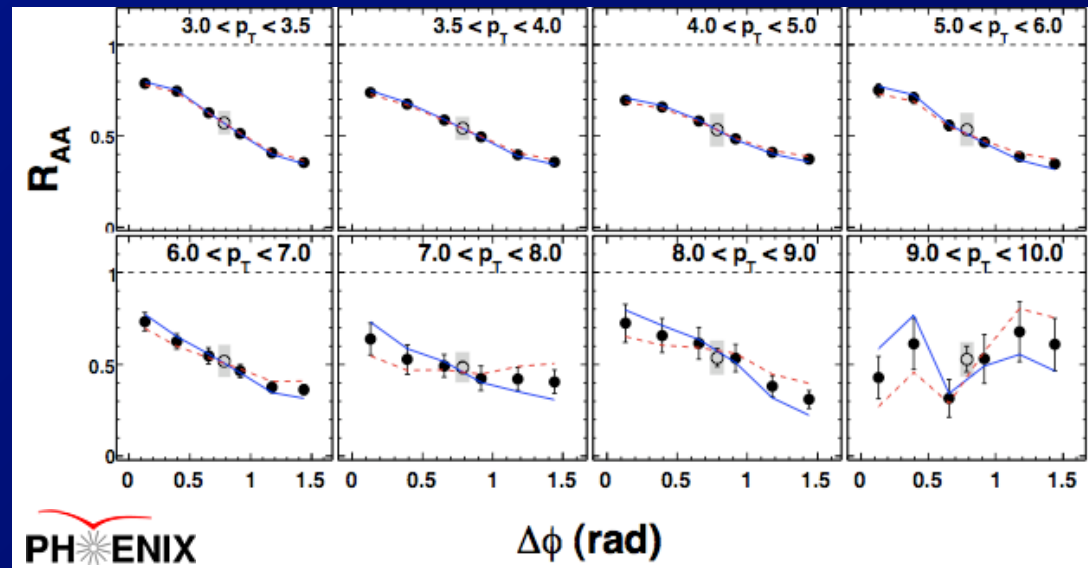
- How to probe geometry of the initial state?

- Use spatial asymmetry of medium @ non-zero impact parameter
- Measure orientation ( $\psi$ ) event-by-event



- Measure  $R_{AA}$  vs  $\Delta\phi = \phi - \psi$

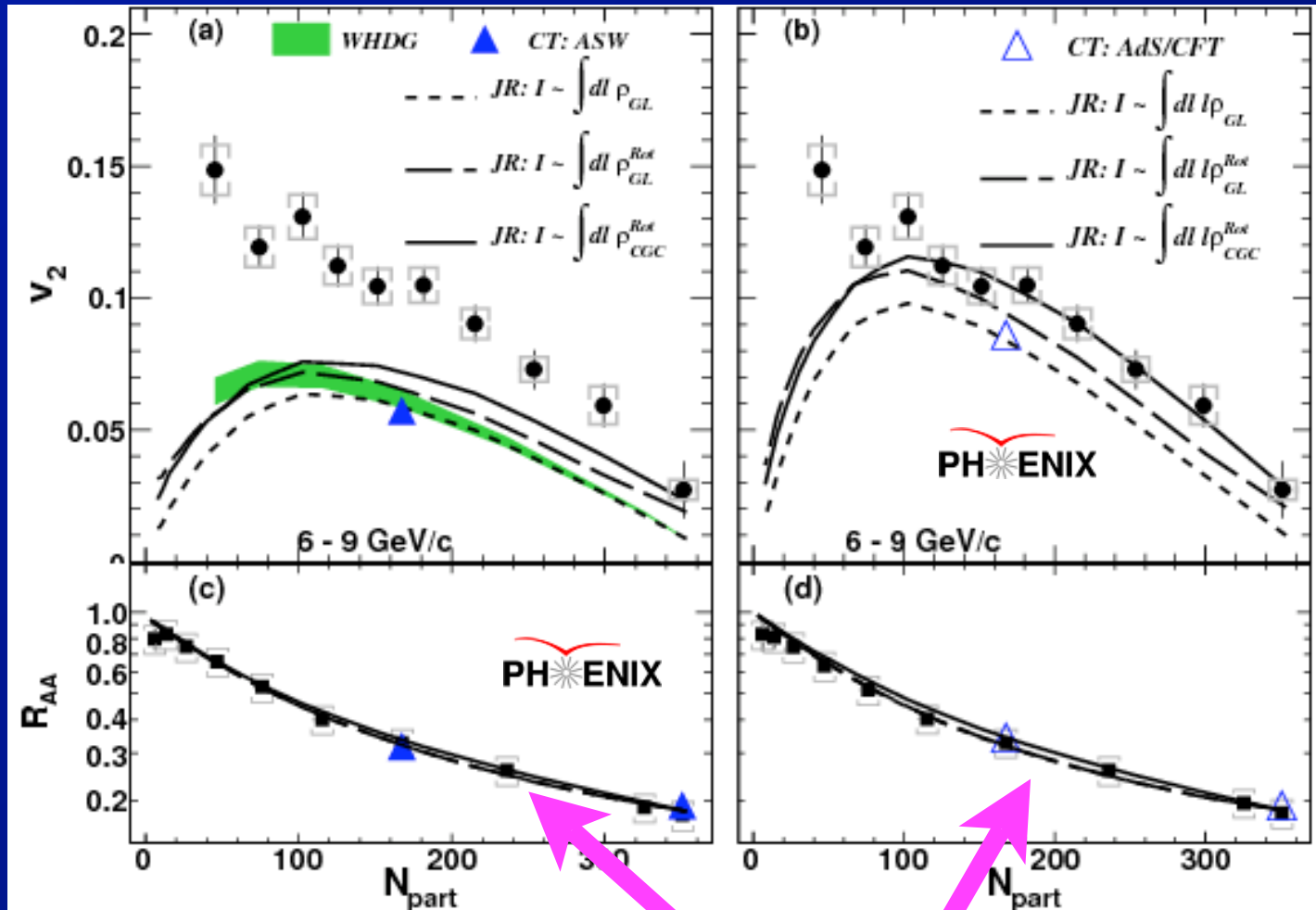
- Characterize by amplitude of  $\Delta\phi$  modulation:



$$\frac{dN}{d\phi} = C \left[ 1 + \underline{2v_2} \cos(2\Delta\phi) \right]$$



# Single hadron suppression



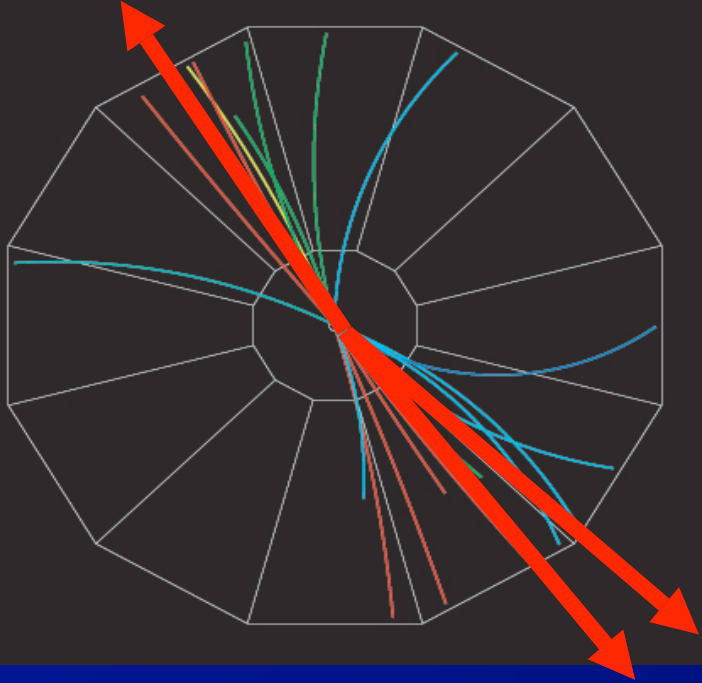
Calculations:

- ▶ Wicks et al., NPA784, 426
- ▶ Marquet, Renk, PLB685, 270
- ▶ Drees, Feng, Jia, PRC71, 034909
- ▶ Jia, Wei, arXiv: 1005.0645

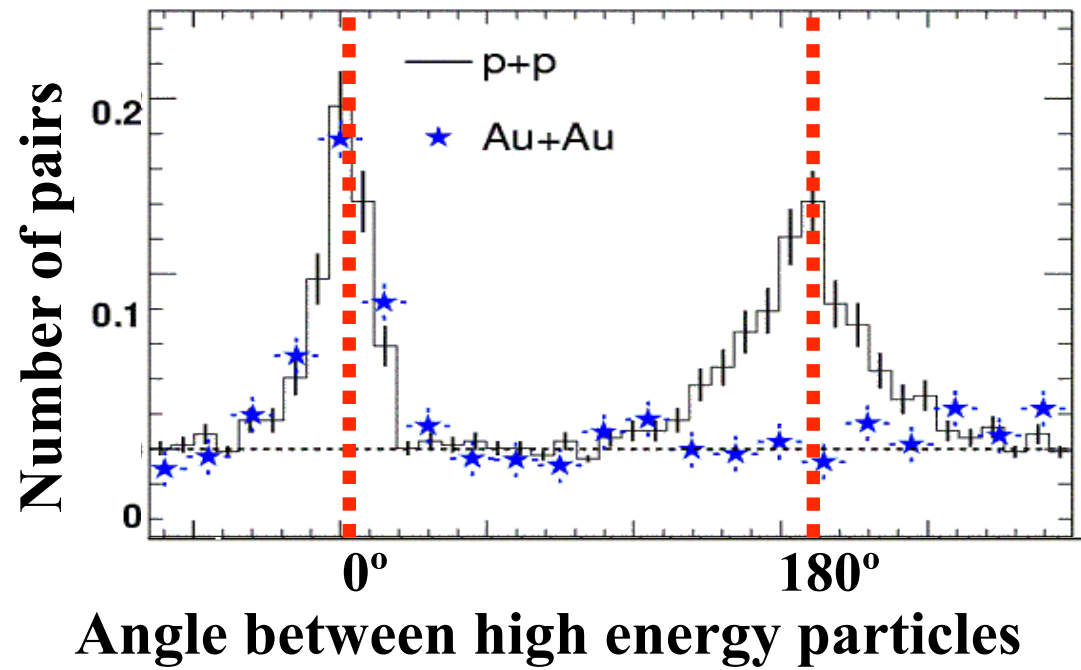
- Two calculations: weak, strong coupling
  - $N_{part}$  dependence same for both
  - But data prefer strong coupling

# STAR Experiment: “Jet” Observations

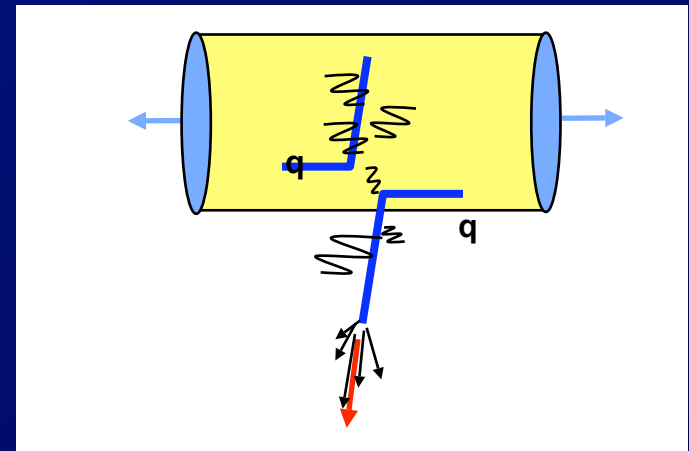
proton-proton jet event



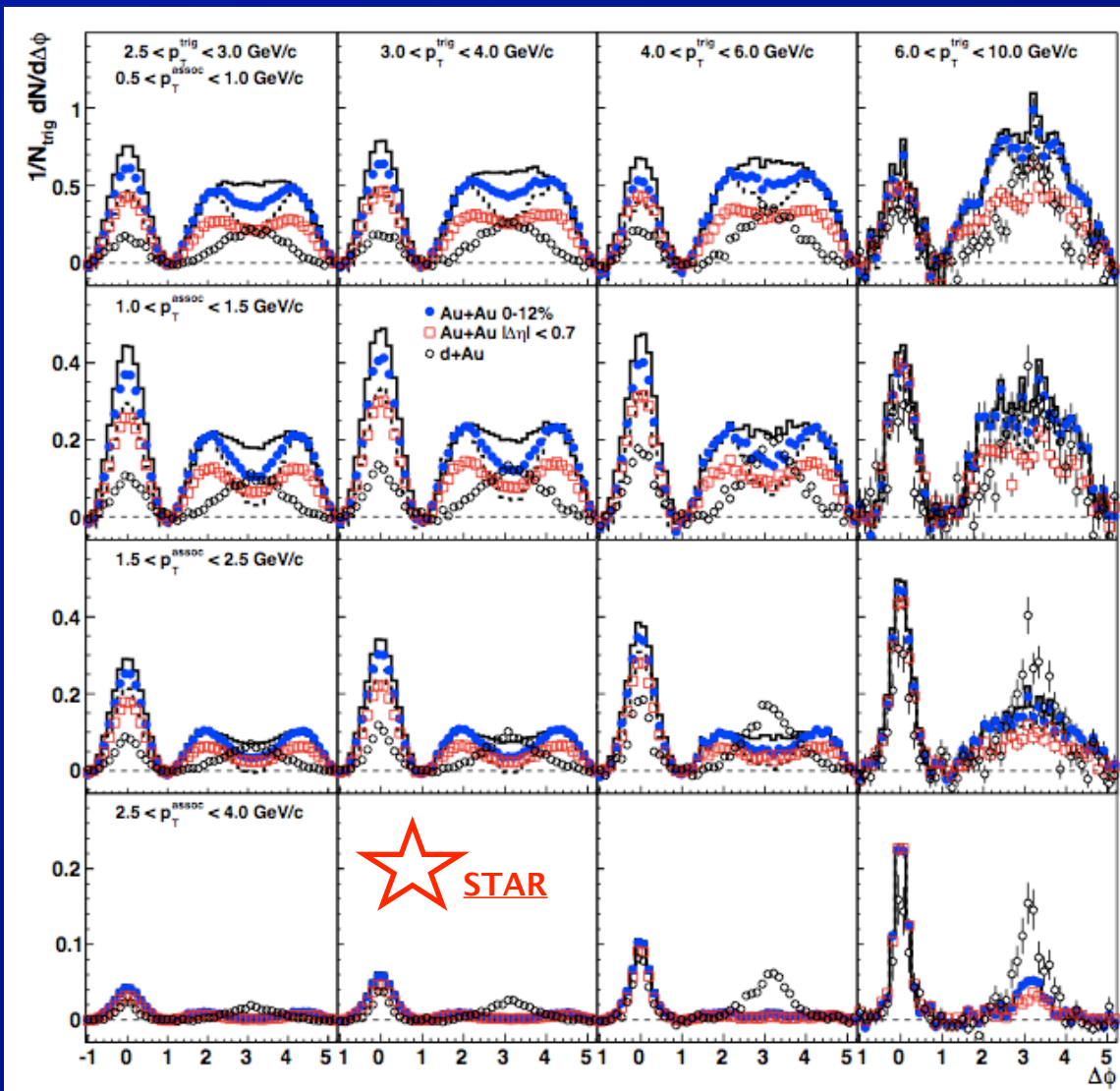
Analyze by measuring (azimuthal) angle between pairs of particles



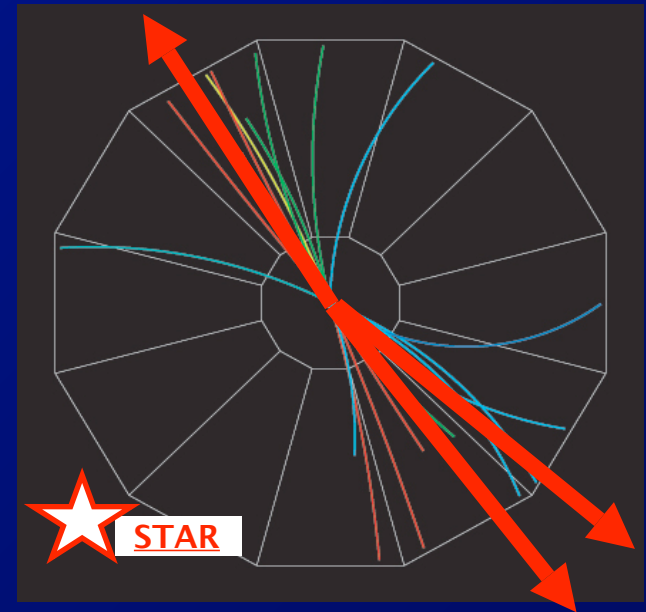
- In Au-Au collisions we see one “jet” at a time
- Strong jet quenching
- Enhanced by surface bias



# Two-particle correlations



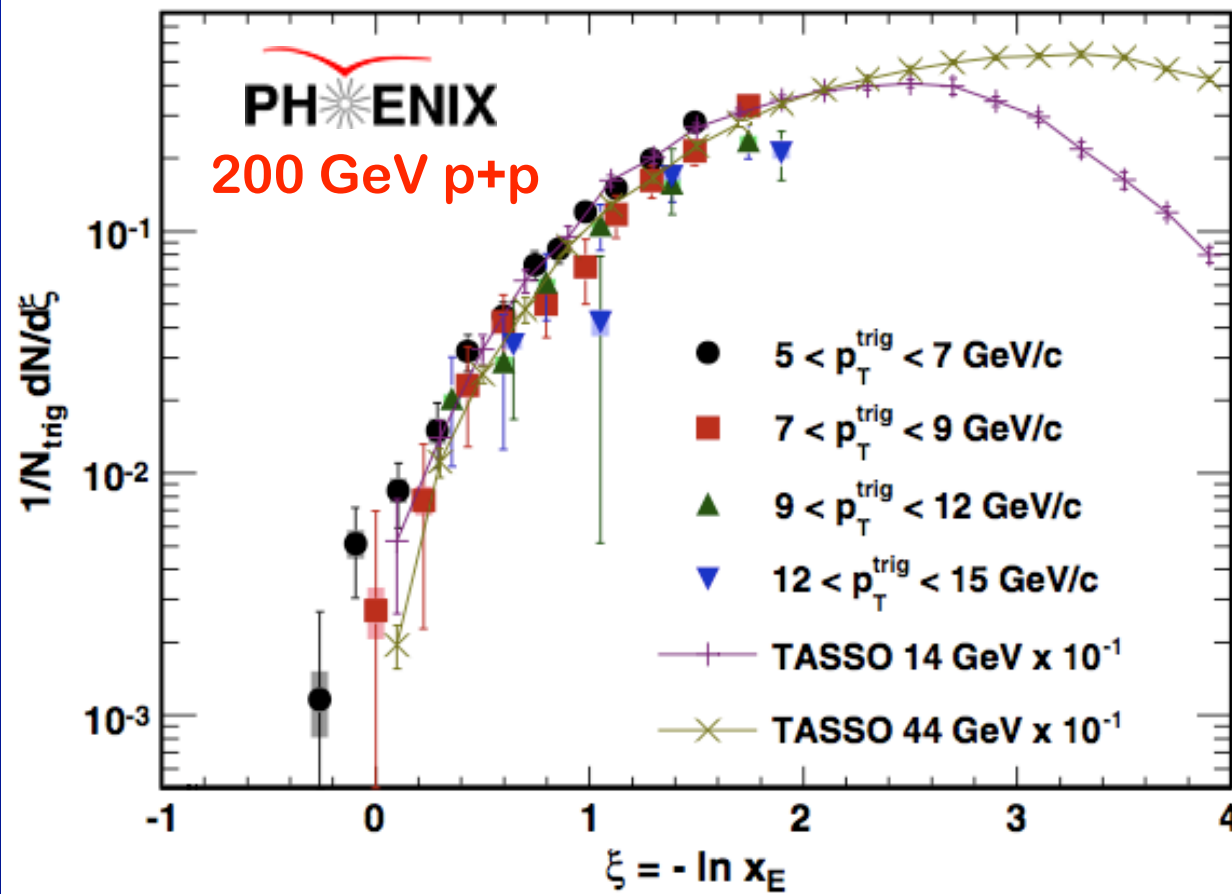
Indirect dijet measurement via dihadron correlations



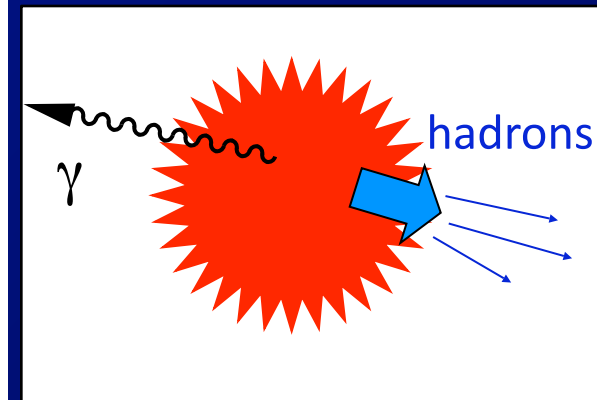
STAR,  
Phys. Rev. C82  
(2010) 024912

- Through very detailed measurements from STAR and PHENIX we've learned that most of this has little to do with high- $p_T$  physics, though it is very interesting

# First step towards jets: $\gamma$ -hadron



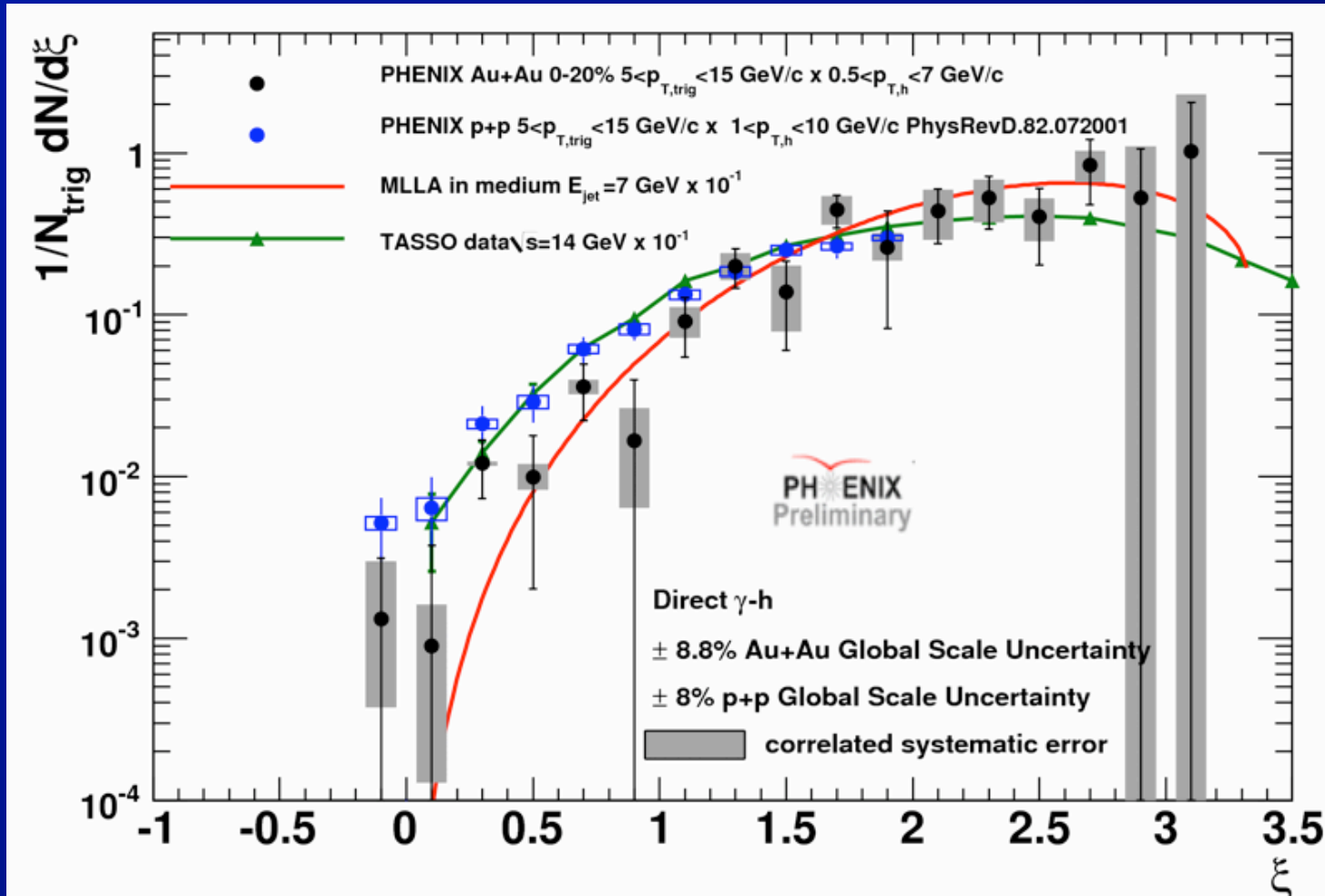
PHENIX,  
Phys. Rev. D82  
(2010) 072001



$$\xi = -\ln \left( \frac{p_T^h}{p_T^\gamma} \right)$$

- Measure jet fragmentation using  $\gamma$ -jet events but measuring “jet” via single hadrons
  - Compare to measurements from TASSO
  - ⇒ Good agreement

# First step towards jets: $\gamma$ -hadron (2)



- Observe suppression in yield of large  $z$  (small  $\xi$ ) fragments in (central) Au+Au collisions

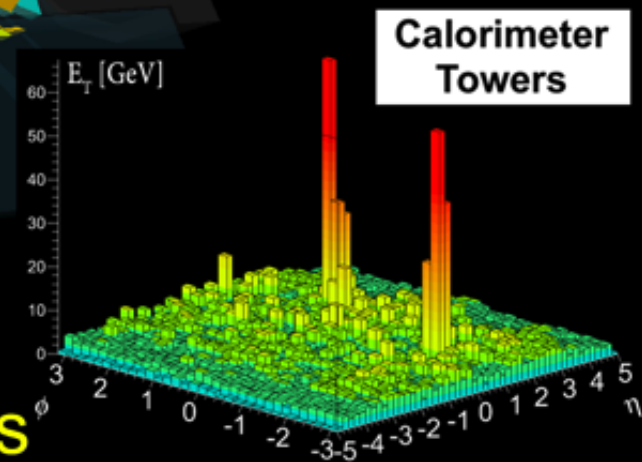
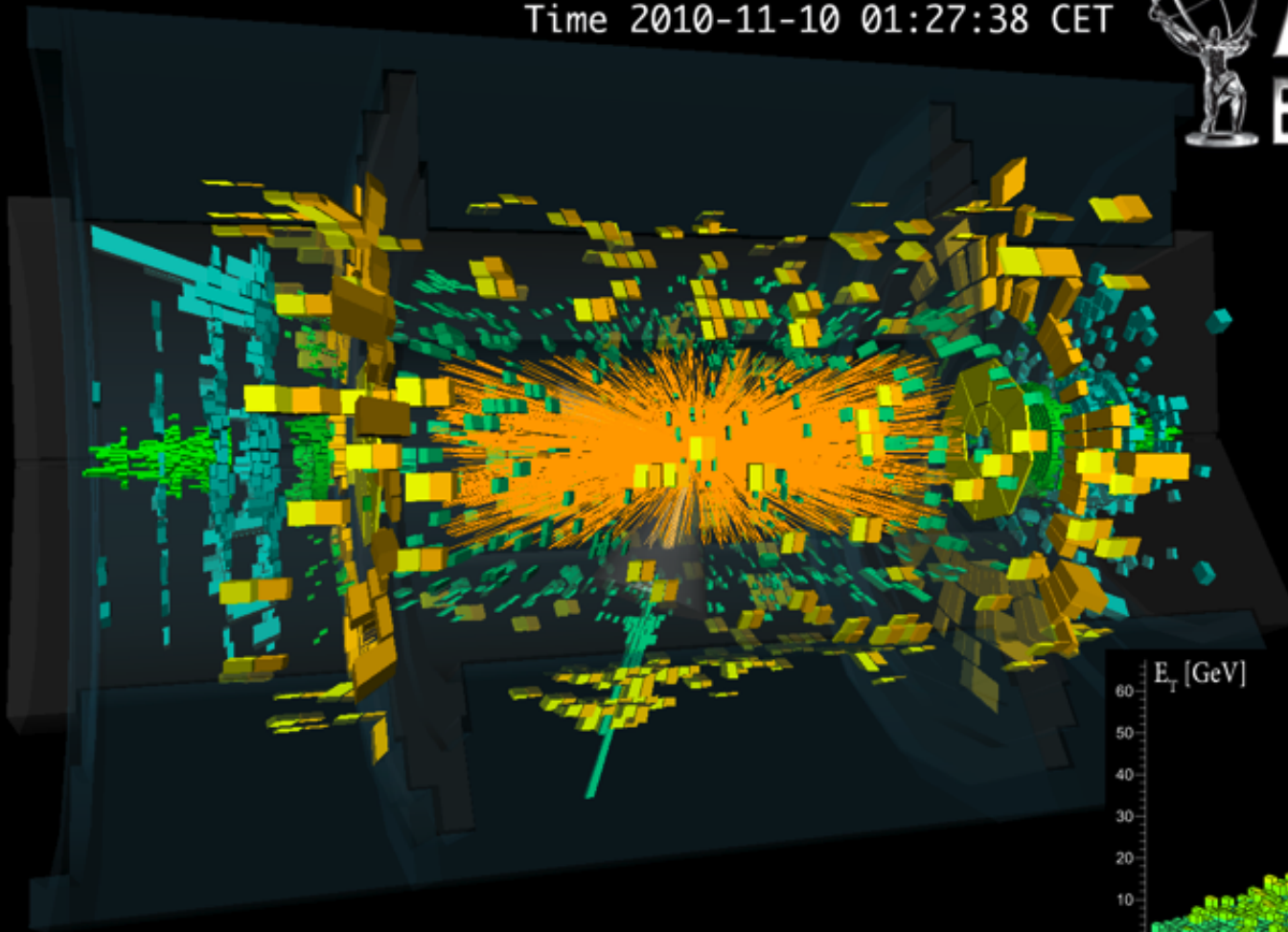


# Jet measurements at the LHC

Run 168875, Event 1577540  
Time 2010-11-10 01:27:38 CET



**ATLAS**  
EXPERIMENT

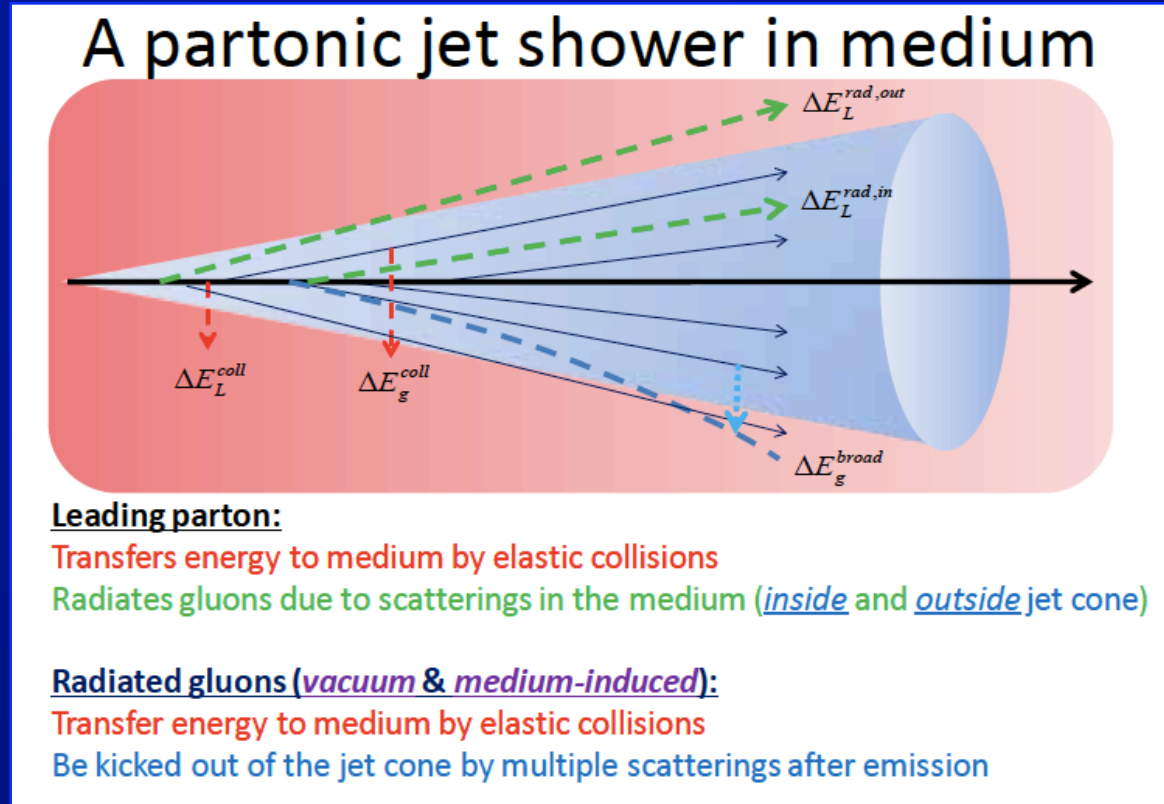


Heavy Ion Collision Event with 2 Jets

# Jet probes of the quark gluon plasma (2)

Jet - QGP  
interactions  
schematically

From Quark  
Matter 2011  
talk by B. Muller



## • QGP can modify jets in multiple ways:

1. Collisional energy loss (analog of Bethe-Bloch)
2. Radiative energy loss (enhanced splitting)
3. Broadening of parton shower

⇒ 2 & 3 will depend on jet radius

# Successive recombination algorithms

- Start with “proto-jets”

- Particles, towers, clusters, ...

- Define angular distance measure:

- $D_{ij} = \min \left( p_{T_i}^{2p}, p_{T_j}^{2p} \right) \frac{\Delta R_{ij}^2}{R^2}$ ,  $p = -1, 0, 1$ .

- $\Delta R_{ij}^2 = (\eta_i - \eta_j)^2 + (\phi_i - \phi_j)^2$

- Also, define single-jet “cutoff”,  $D_i = p_{T_i}^{2p}$

- From all pairs select minimum of  $\{D_{ij}, D_i\}$

- If  $D_i$  is minimum, jet  $i$  is final

- Otherwise combine  $i$  and  $j$  (below)

- Iterate until all jets are final

# $k_T$ algorithm

- $k_T$  algorithm,  $p = 1$

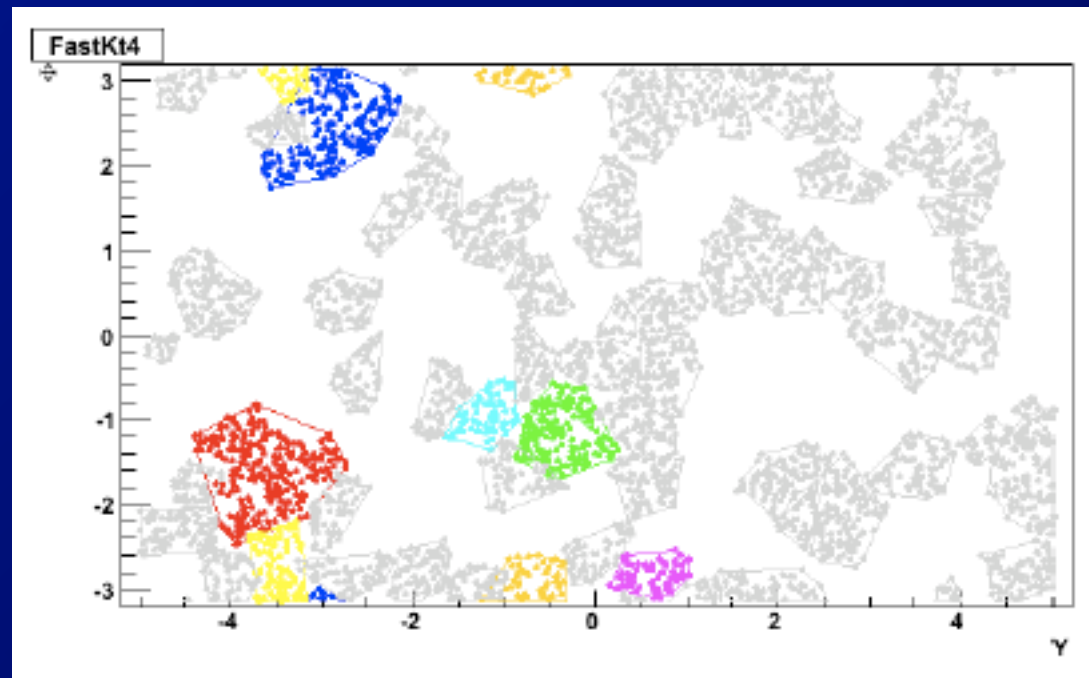
- $k_T$  of pair measured with respect to the higher energy parton

$$\Rightarrow D_{ij} = \min(p_{T_i}^{2p}, p_{T_j}^{2p}) \frac{\Delta R_{ij}^2}{R^2} \rightarrow \min(k_T^2)$$

$$\Rightarrow k_T \approx p_T \Delta R$$

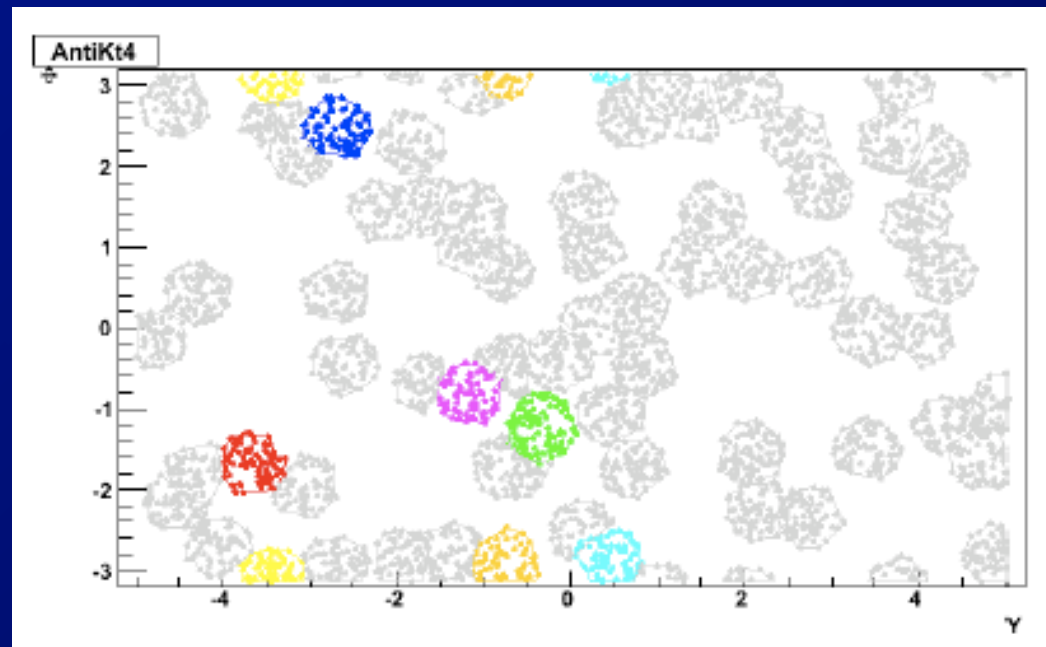
- designed to reverse pQCD splitting

- tends to make large, lumpy jets



# anti- $k_T$ algorithm

- $k_T$  algorithm,  $p = -1$ 
  - High  $p_T$  proto-jets provide minimum  $1/p_T^2$ 
    - ⇒ define stable points around which  $D_{ij}$  is measured
    - ⇒ Proto-jets get clustered to the local maximum proto-jet out to a radius  $R$ .
- anti- $k_T$  algorithm behaves like an IR and collinear safe cone algorithm.
  - ⇒ Most commonly used algorithm



# Cambridge-Aachen, SIScone

- Cambridge-Aachen algorithm,  $p = 0$

- Clusters proto-jets that are closest in angle

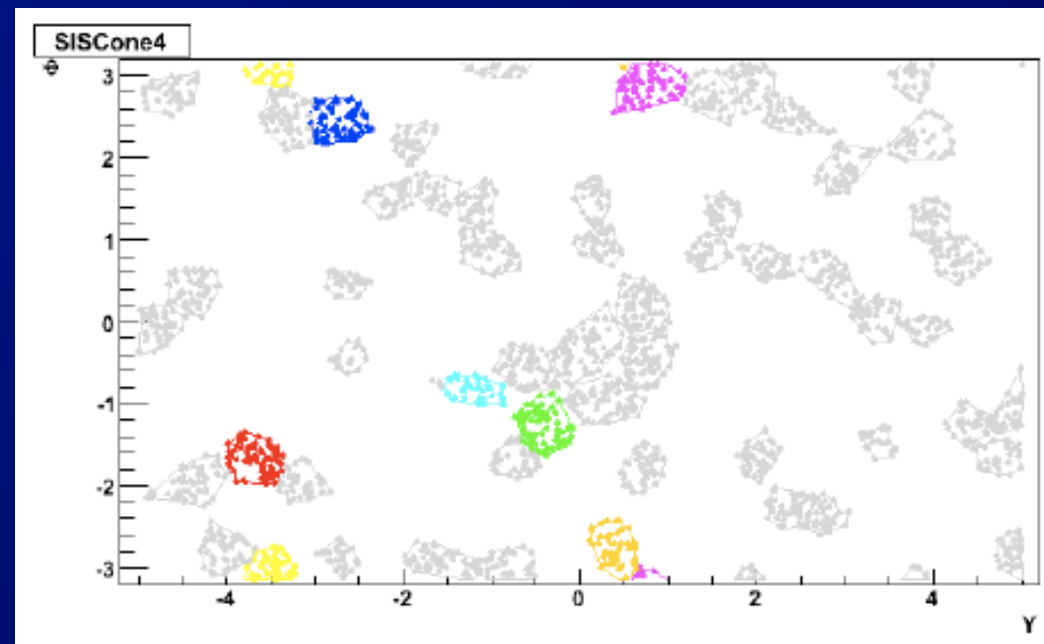
$$\Rightarrow D_{ij} \rightarrow \frac{\Delta R_{ij}^2}{R^2}$$

- Similar in behavior to  $k_T$  algorithm

- SIScone

- Seedless, infrared safe cone algorithm by Soyez

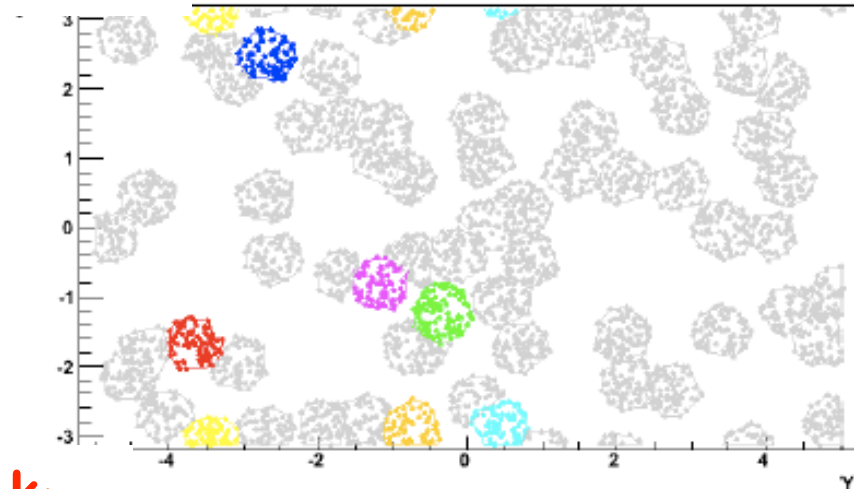
From 2009 talk  
by P.A. Delsart



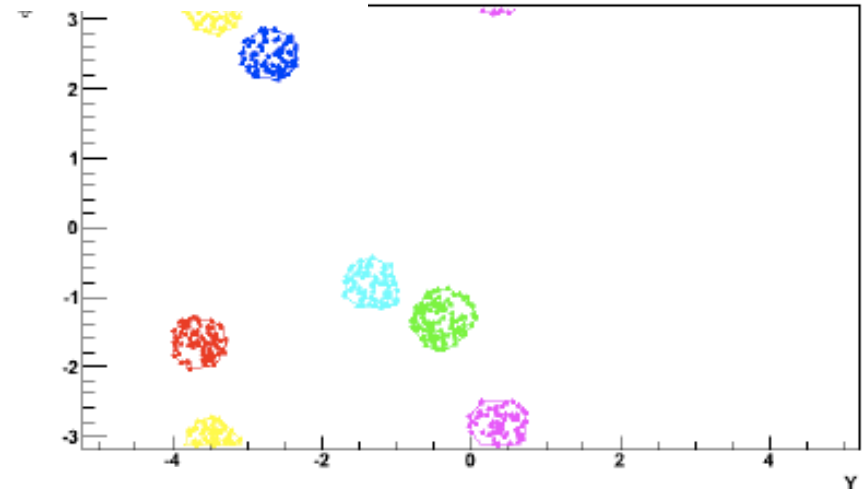


# Comparison of jet algorithms

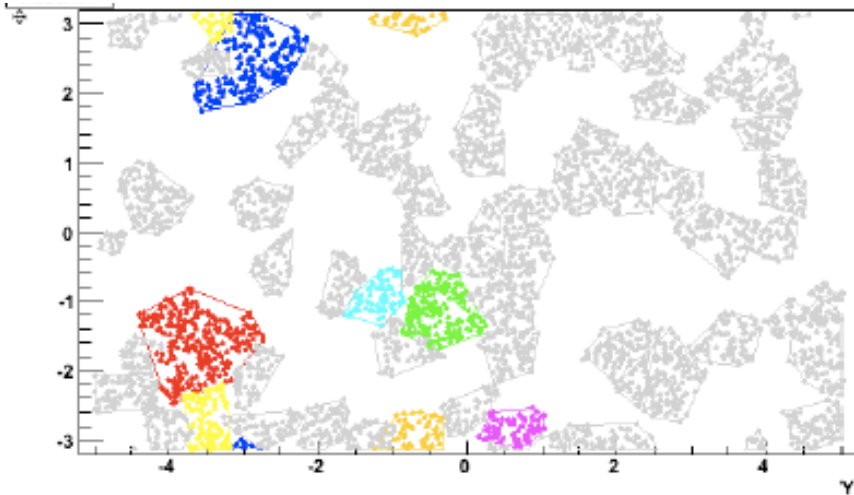
anti- $k_t$



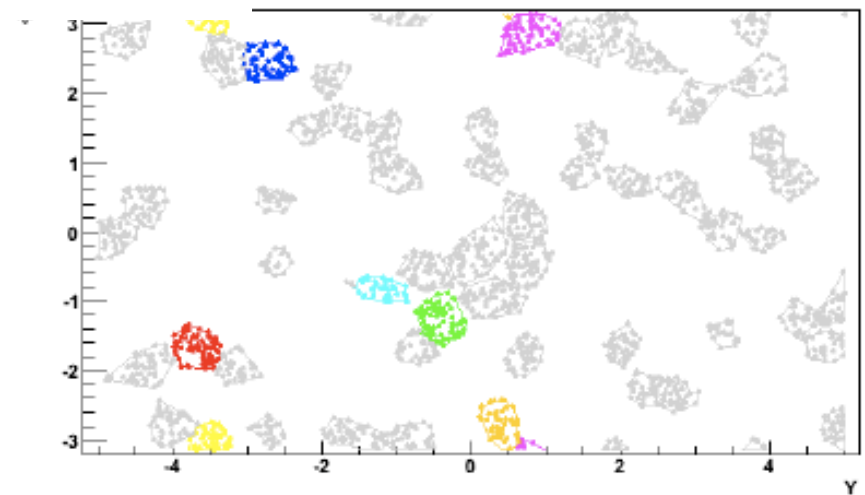
ATLAS cone



$k_t$



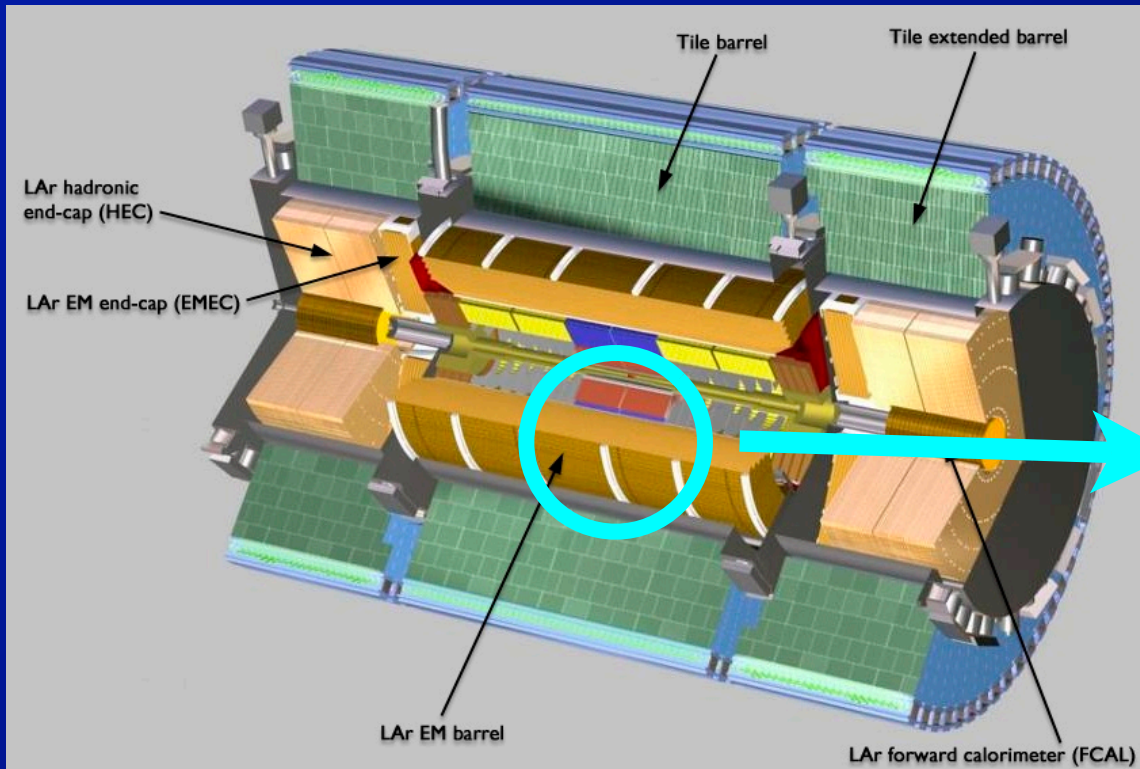
SIScone



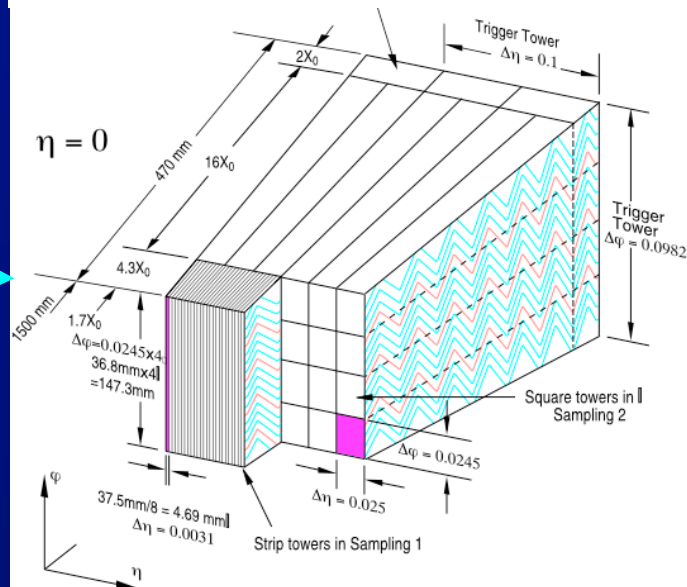
- Four algorithms, one event.

- $k_t$ , anti- $k_t$ , and SIScone are collinear, IR safe

# Jet reconstruction: reality



## EM Longitudinal Segmentation



## • Details that matter for all calorimeters:

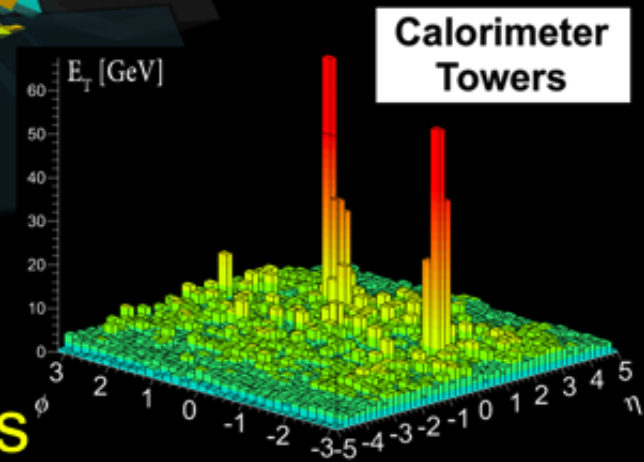
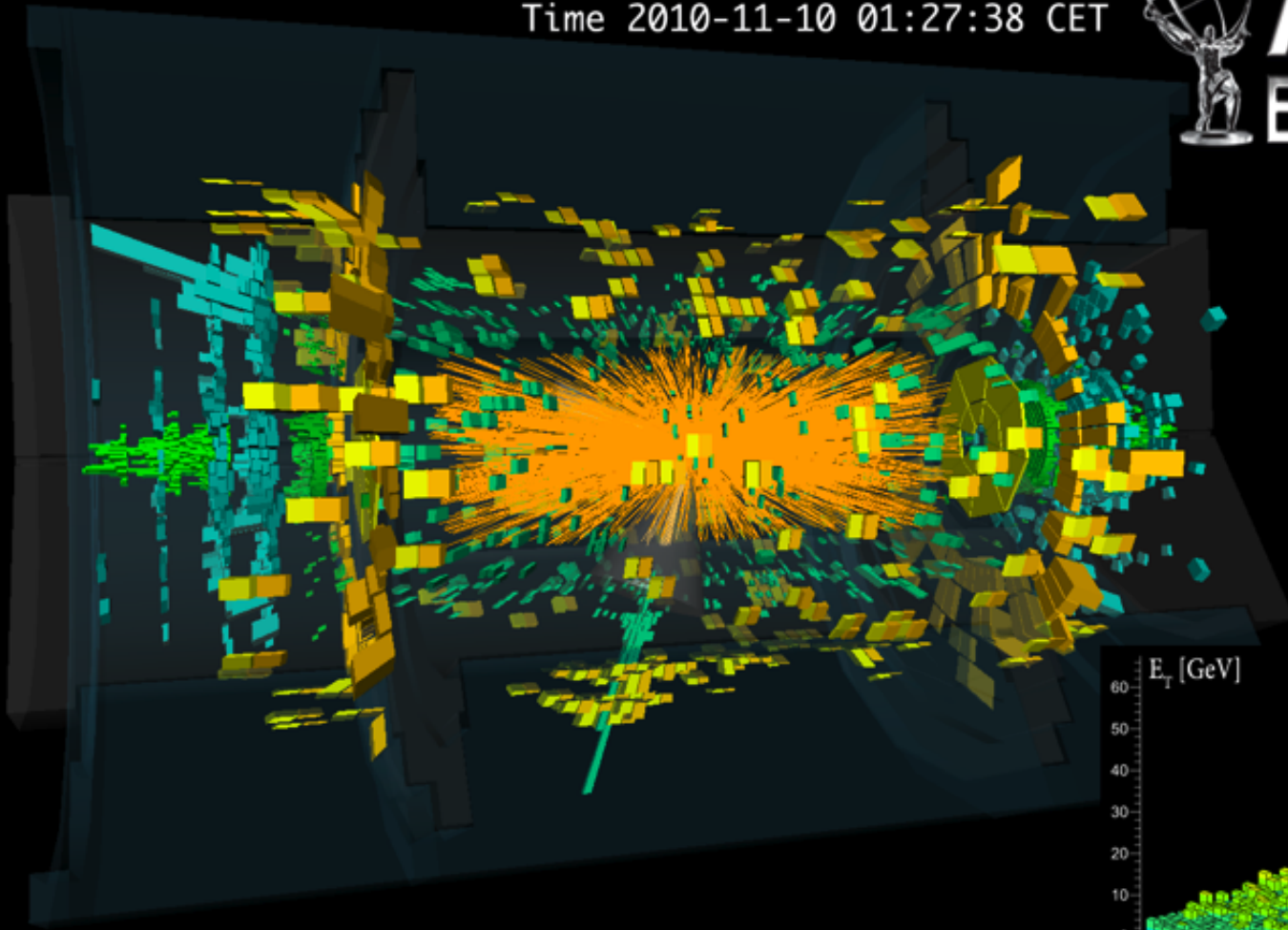
- Technology
- Longitudinal, transverse segmentation
- Hadronic vs electromagnetic response
- Electronic noise
- Dead material

Run 168875, Event 1577540  
Time 2010-11-10 01:27:38 CET



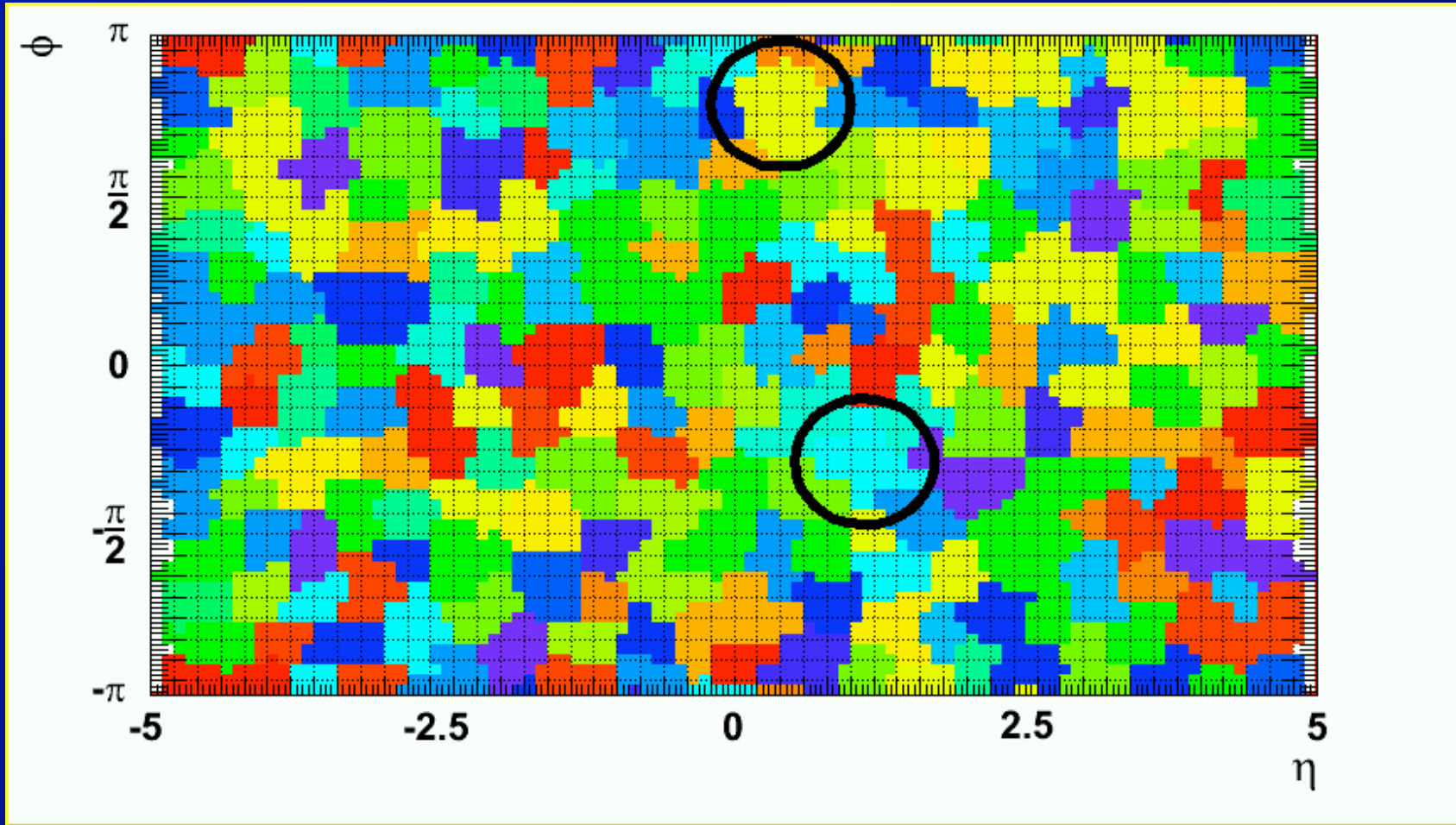
# ATLAS

## EXPERIMENT



### Heavy Ion Collision Event with 2 Jets

# The starting point



- **Reconstruct (unsubtracted) Pb+Pb event**
  - Here, for demonstration, with  $k_t$  algorithm
    - ⇒ But the  $k_t$  algorithm is problematic because the background jets “eat” edges of real jets



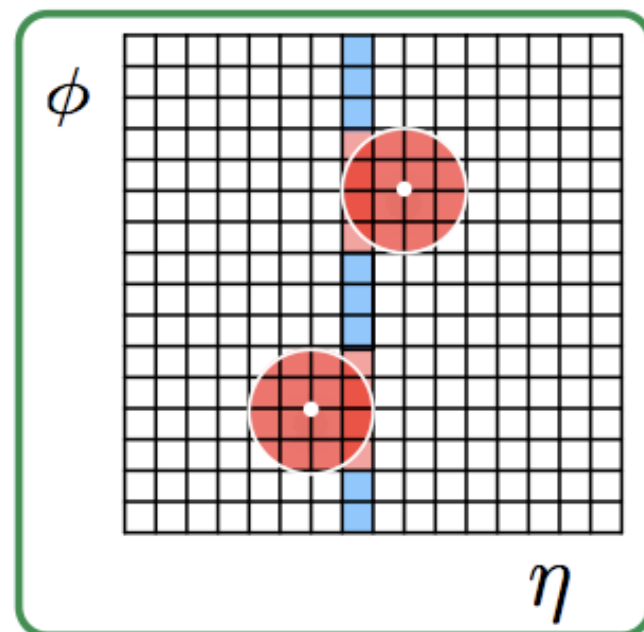
# The underlying event

- ~ universal starting point for UE subtraction
  - $E_T^{\text{subtr}} = E_T^{\text{unsubtr}} - \rho A$ 
    - ➡ But the details are critical
- Important considerations:
  - What kind of objects is subtraction applied to?
    - ➡ Towers, topoclusters, cells, ...
  - How to estimate UE energy density,  $\rho$  ?
  - With what granularity?
  - Event -by-event or event-averaged?
    - ➡ But if averaged, need separate measure of  $\mu$
  - How to exclude jets, photons, ... from  $\rho$  ?

# The underlying event (ATLAS)

$$\rho(\eta) = \left\langle \frac{E_T^i}{\Delta\eta^i \Delta\phi^i} \right\rangle_{i \notin \text{jet}, |\eta^i - \eta| < 0.05}$$

- For each Pb+Pb event:
  - For each calorimeter layer:
    - ➡ Calculate an **AVERAGE** (not median!) cell  $E_T$  density in  $\Delta\eta = 0.1$  intervals
    - ➡ Excluding cells that lie within  $\Delta R = 0.4$  of seeds
- Then, apply  $E_T^{\text{subtr}} = E_T^{\text{unsubtr}} - \rho A$  to each cell within tower constituents of reconstructed jets



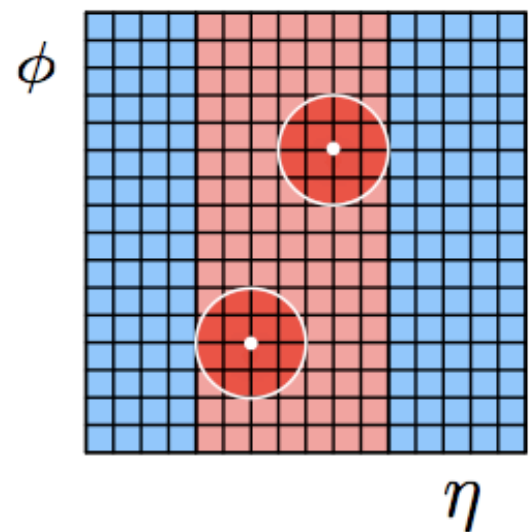
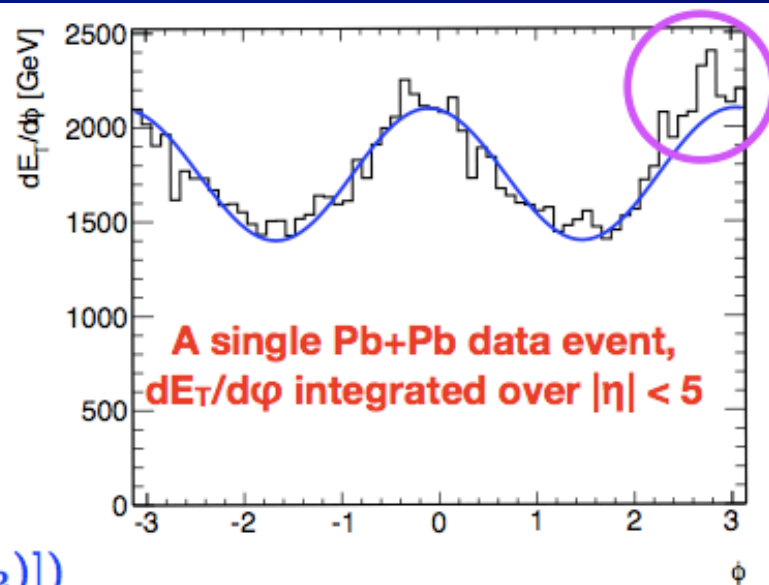


# The underlying event (ATLAS)

- Pb+Pb collisions present additional complications
  - collective flow in the UE
    - ➔ as large as  $\pm 20\%$
    - ➔ fluctuates event to event
- Accounted for in subtraction
  - $\rho^{\text{Pb+Pb}}(\eta, \phi) = \rho(\eta)(1 + 2v_2^{\text{UE}} \cos[2(\phi - \Psi_2)])$
- With amplitude of modulation ( $v_2$ ) determined event-by-event

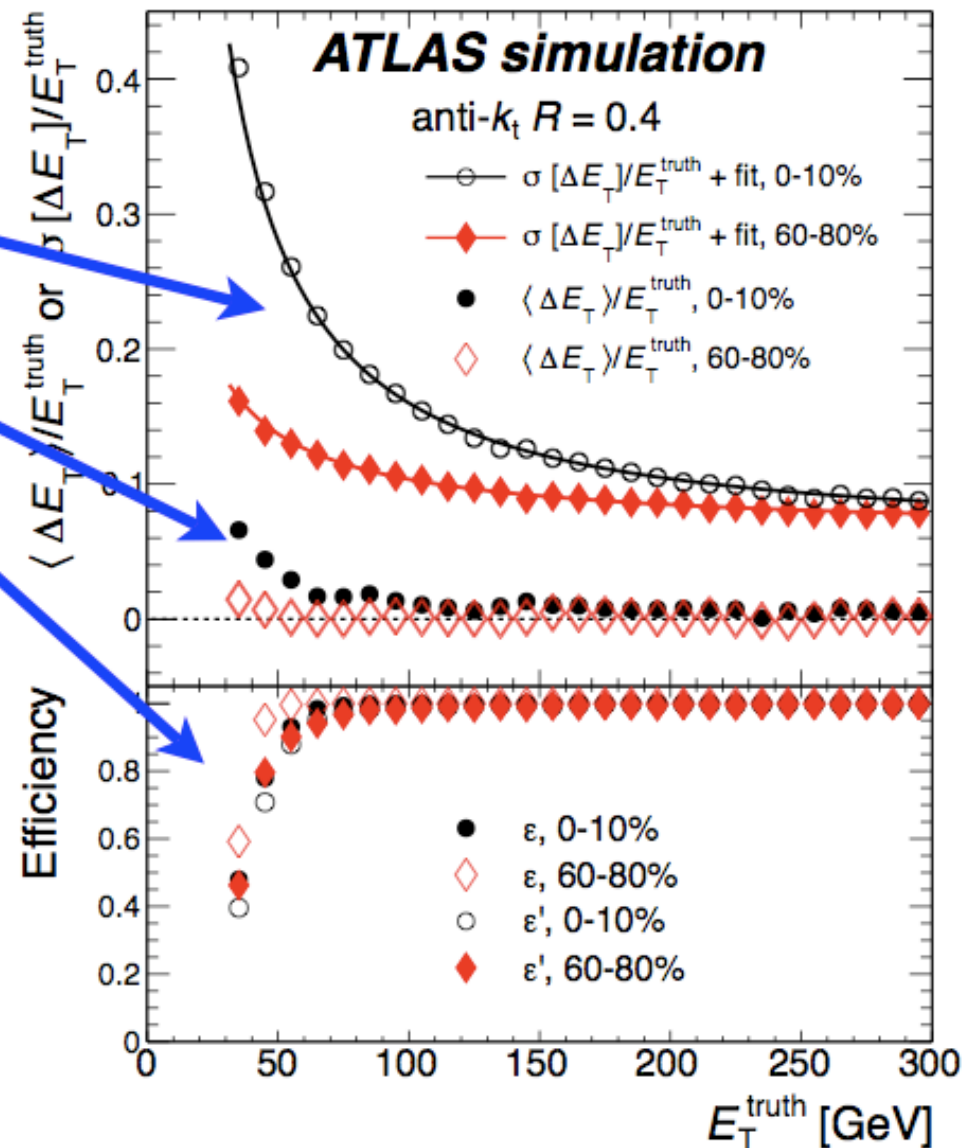
$$v_2^{\text{UE}} = \langle E_T^i \cos[2(\phi^i - \Psi_2)] \rangle_{i \notin \text{jet}}$$

- ➔ excluding any  $\eta$  interval containing a seed

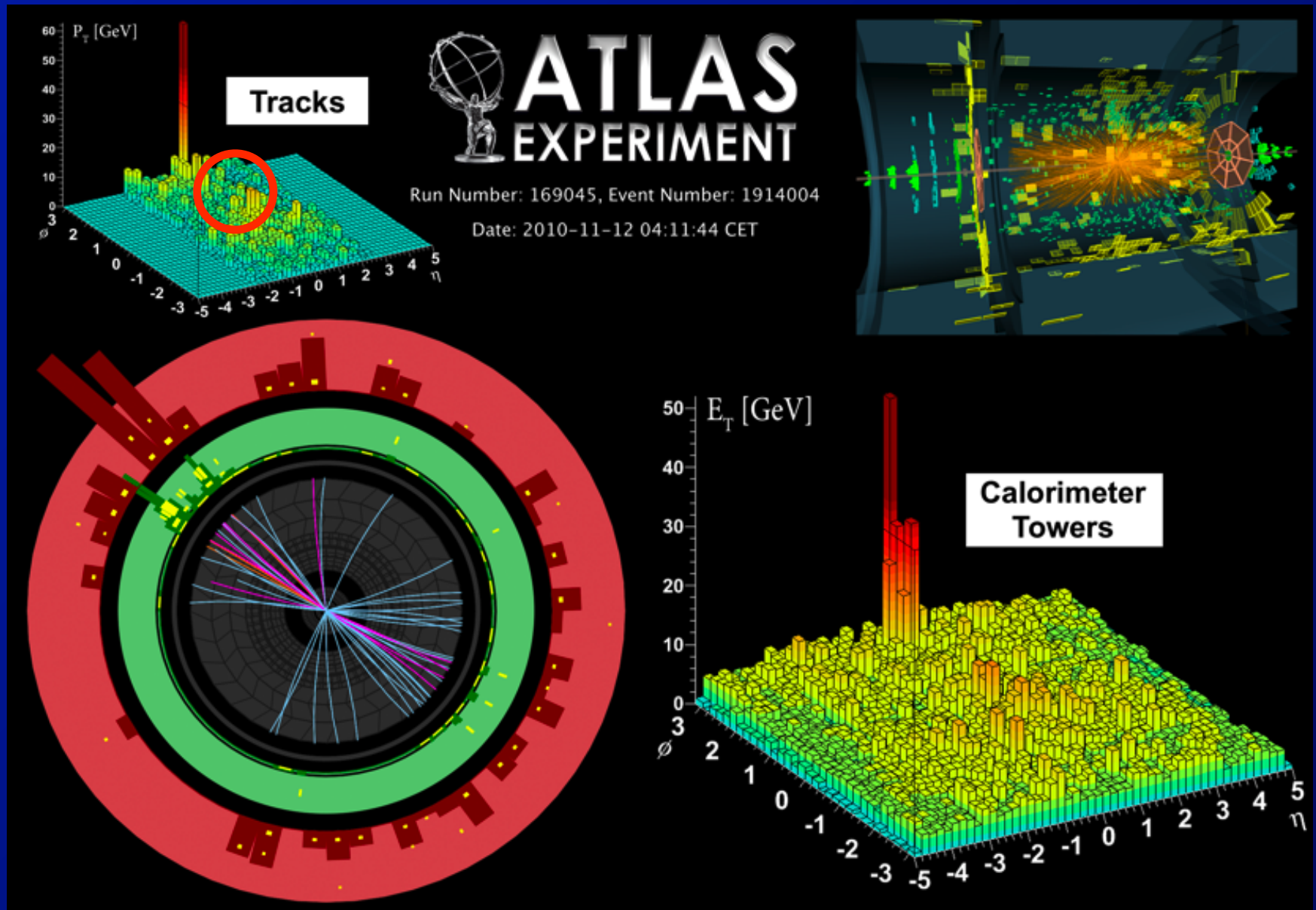


# ATLAS jet performance

- Three metrics
  - Jet energy resolution
  - Jet energy scale
  - Jet reconstruction efficiency
- ➔ with ( $\epsilon'$ ) and without ( $\epsilon$ ) fake rejection
- Of these, we only have control over JES
  - ➔ Sensitive test of background subtraction

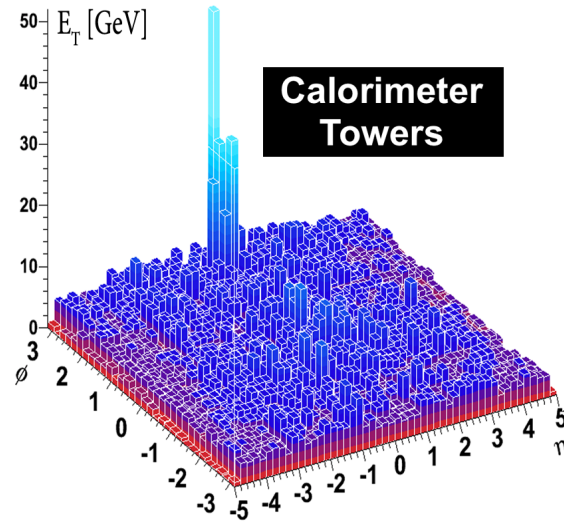
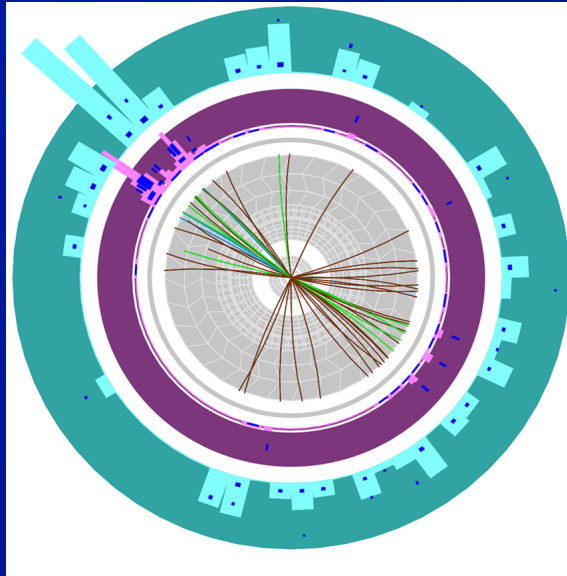


# An example Pb+Pb jet event



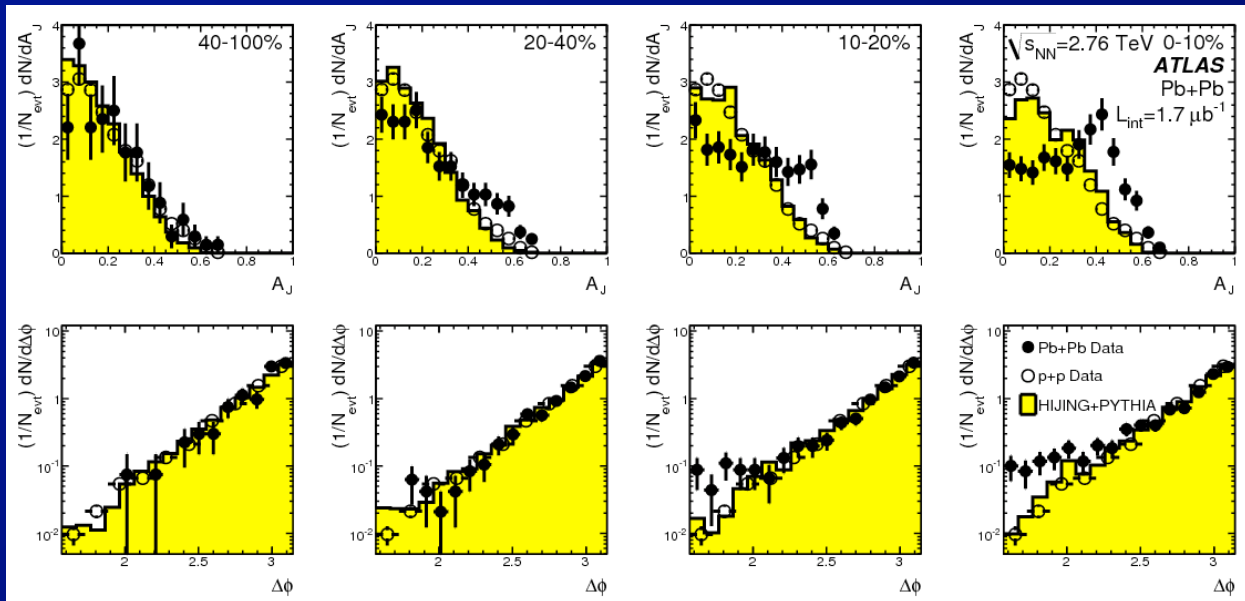
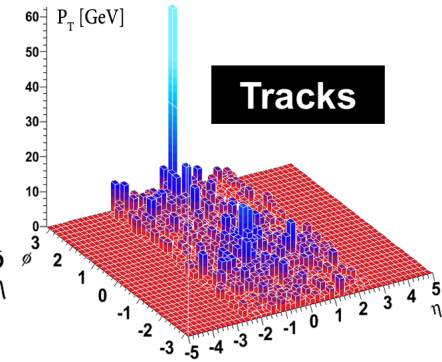
Even more central collision, more asymmetric dijet

# ATLAS dijet asymmetry measurement



ATLAS

Run: 169045  
Event: 1914004  
Date: 2010-11-12  
Time: 04:11:44 CET



$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}$$

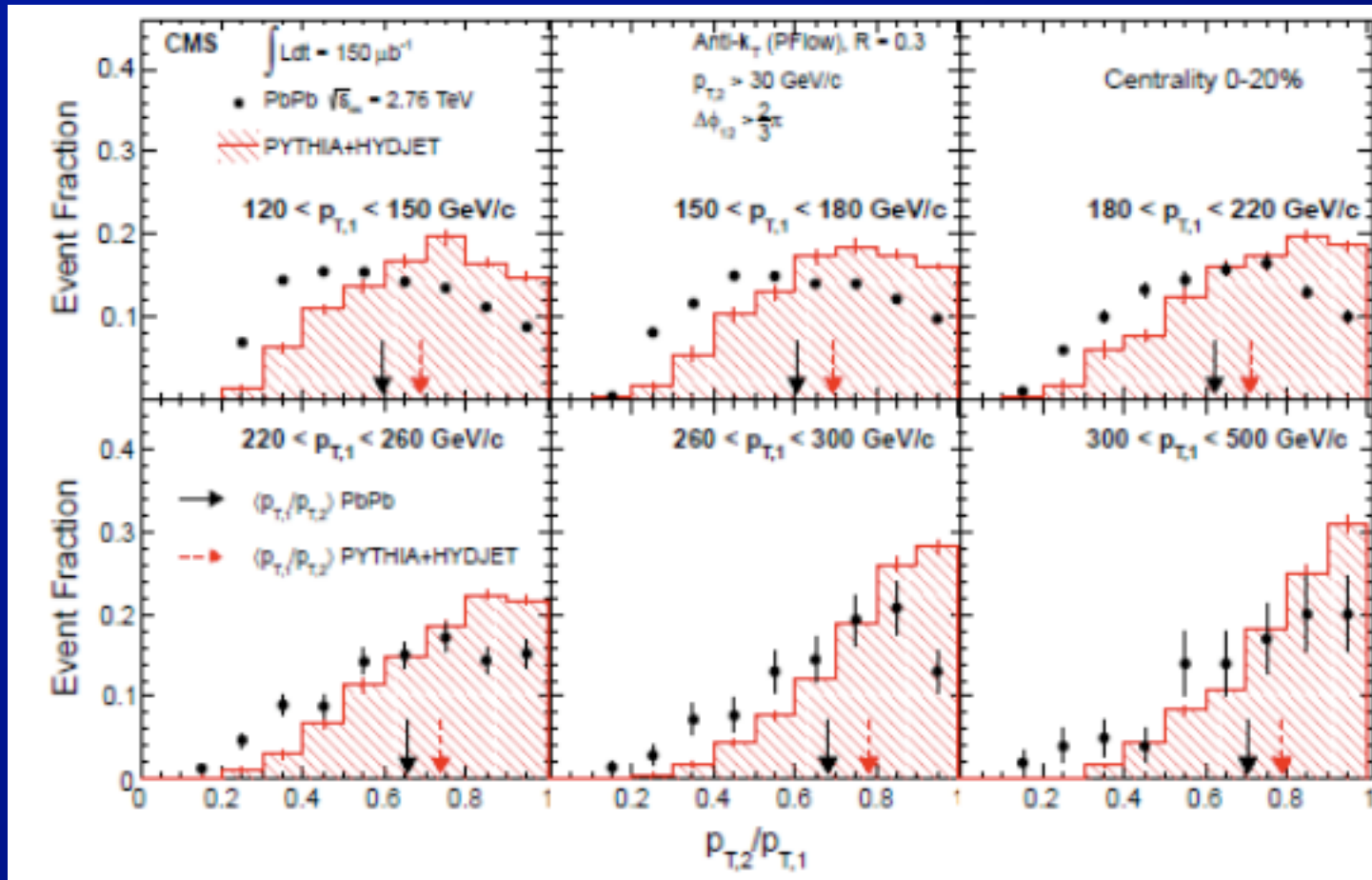
$$E_{T1} > 100 \text{ GeV}$$

$$E_{T2} > 25 \text{ GeV}$$

1<sup>st</sup> indication of medium modifications of jets @ LHC

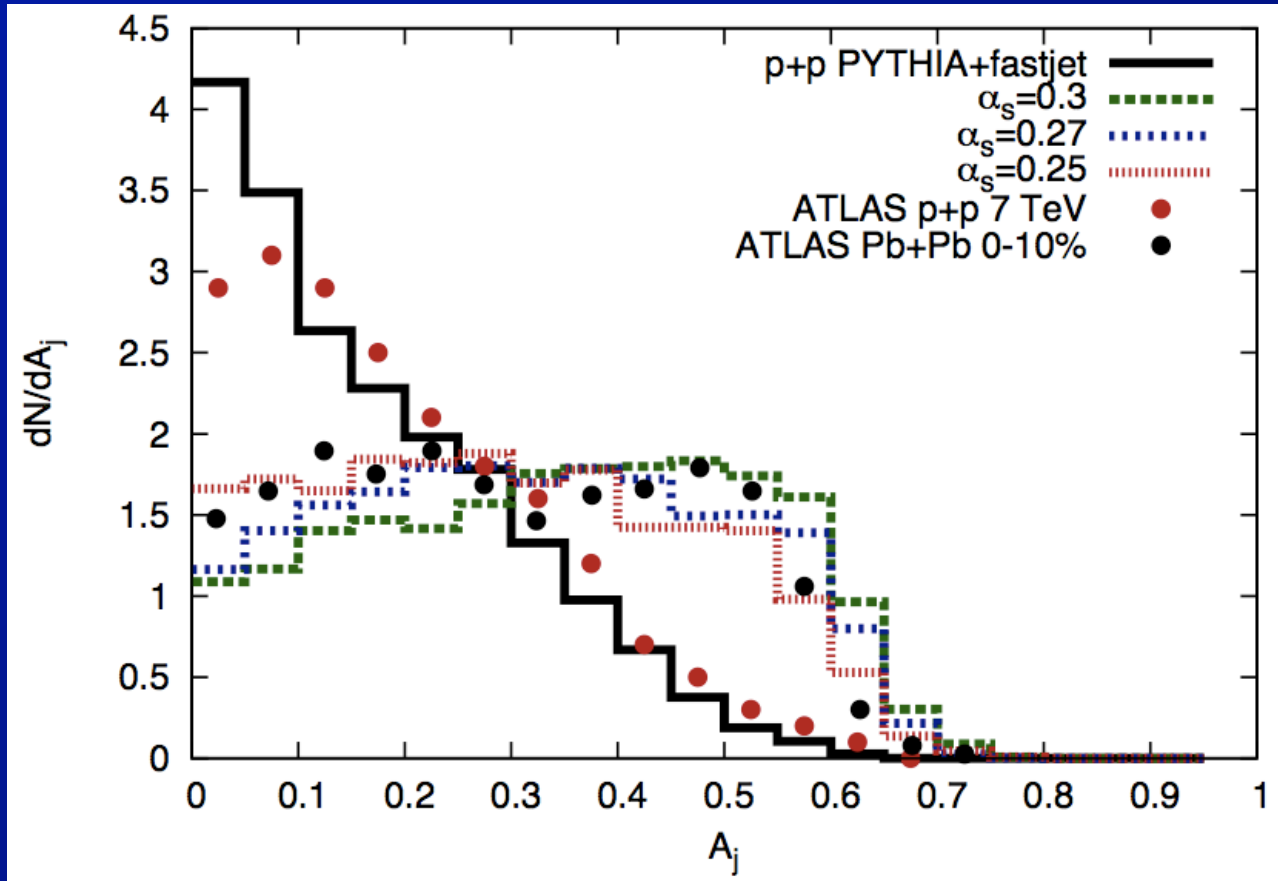


# Dijets: CMS 2011 data



- Clear demonstration that the effects of differential quenching extend to high  $p_T$ 
  - what is role of jet flavor (quark, gluon, heavy)?
    - ⇒ In particular, gg vs qg.

# Dijet asymmetry: Theory comparisons



Young et al,  
arXiv 1103.5769  
[nucl-th]

AMY energy loss  
formalism

- **AMY energy loss with 1 free parameter ( $\alpha_s$ )**

- Good description of modified asymmetry distribution

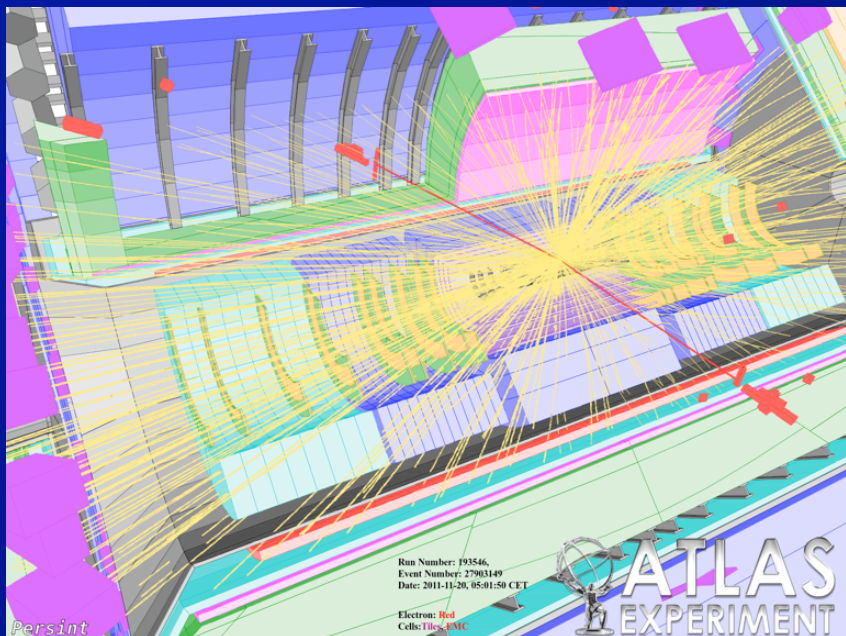
- ⇒ **Decisive test of energy loss calculations**

- ⇒ **1<sup>st</sup> step towards quantitative probe of jet + sQGP interactions using jets**

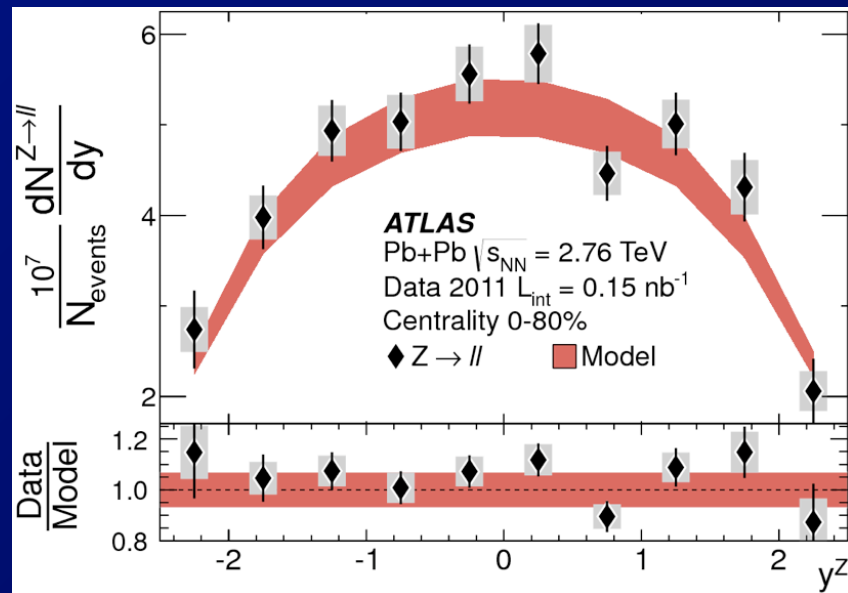
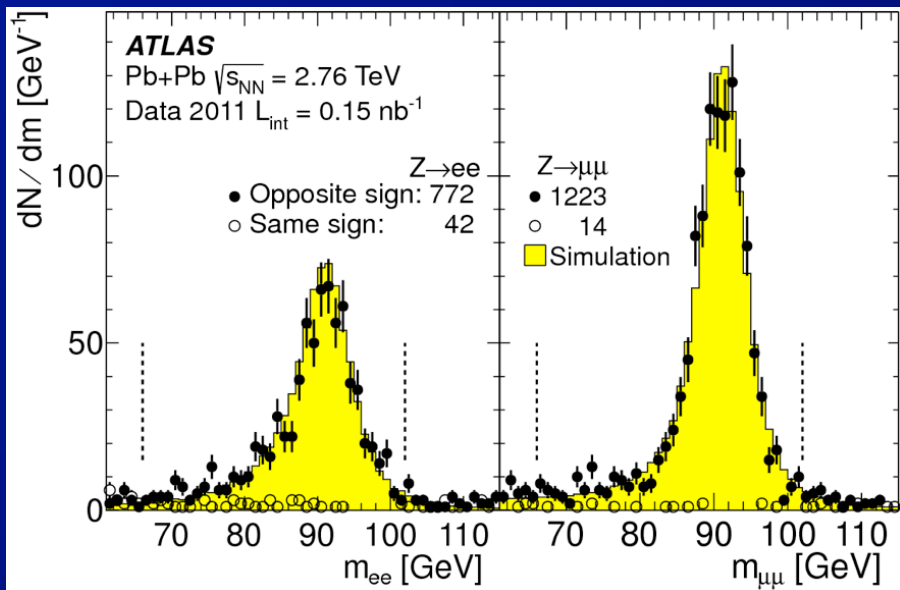


# Hard scattering rate control: Z

## Z → e<sup>+</sup>e<sup>-</sup> event display

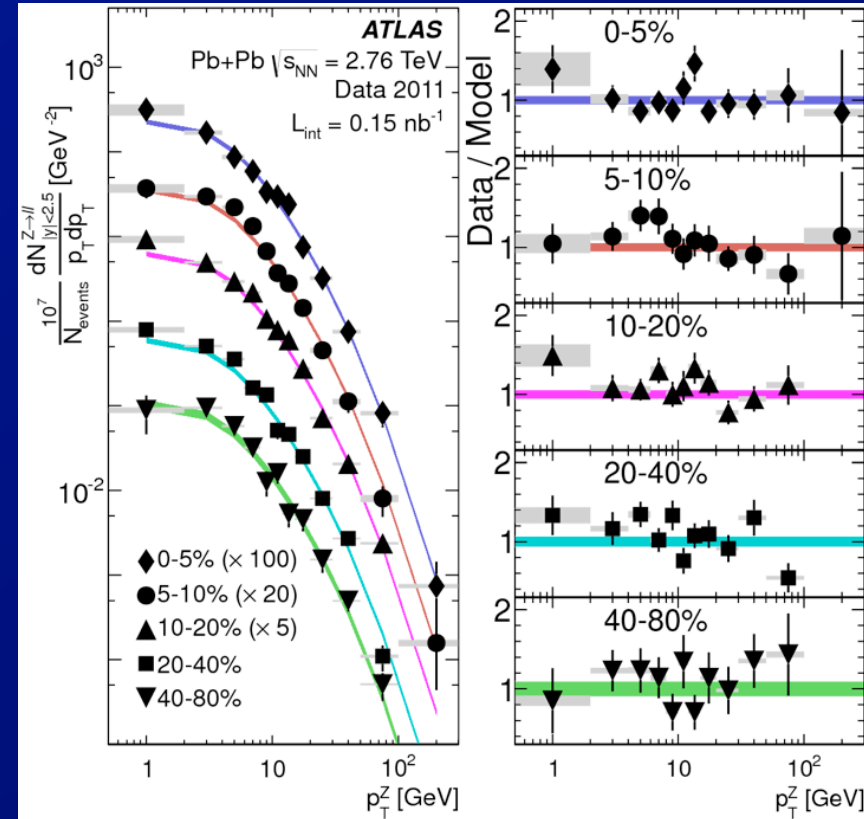
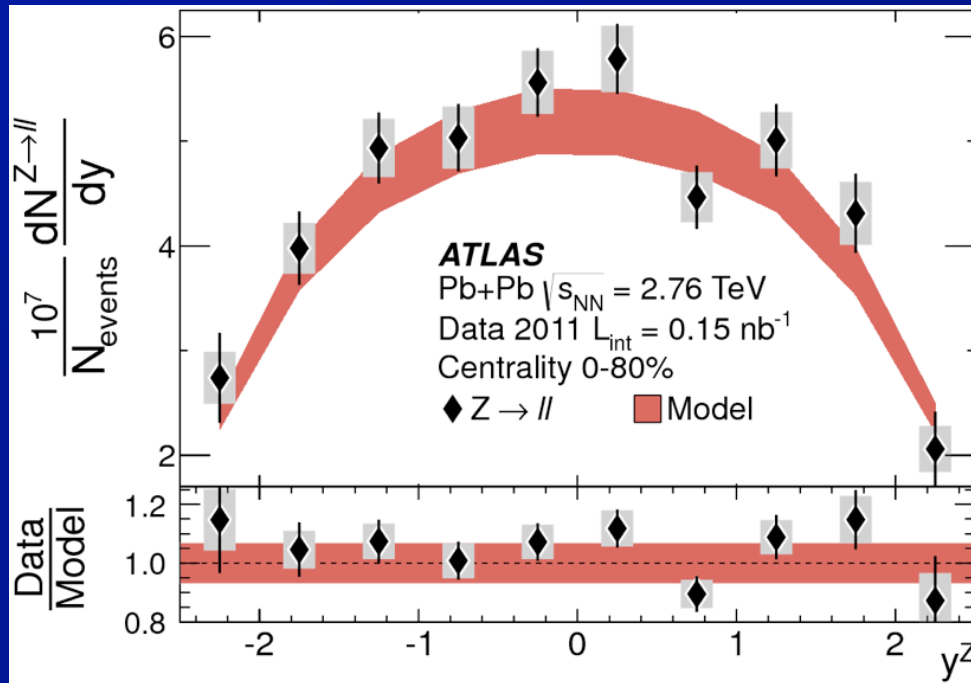


## Z → μ<sup>+</sup>μ<sup>-</sup> event display



# Hard scattering rate control: Z

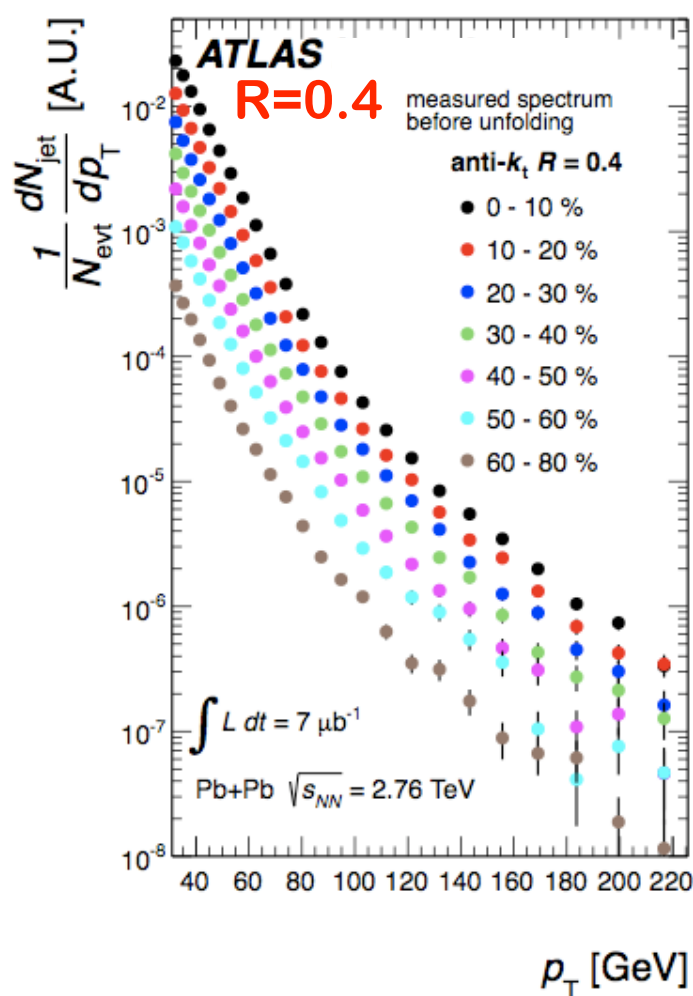
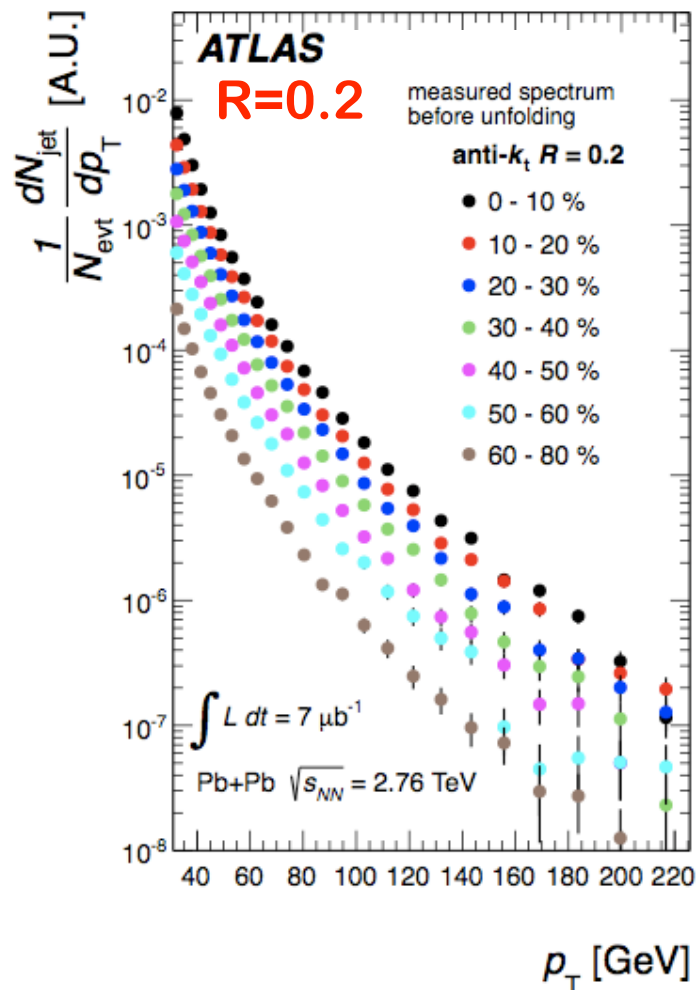
Phys. Rev. Lett. 110, 022301 (2013)



- Compare Pb+Pb Z rapidity distributions (minimum-bias) and  $p_T$  spectra to PYTHIA scaled to NNLO calculations

- Pb+Pb Z production rates consistent with MC  
⇒ hard scattering rates under control

# Pb+Pb Jet Spectra



Unfolded  
(SVD) and  
efficiency  
corrected

- For these results, no absolute normalization

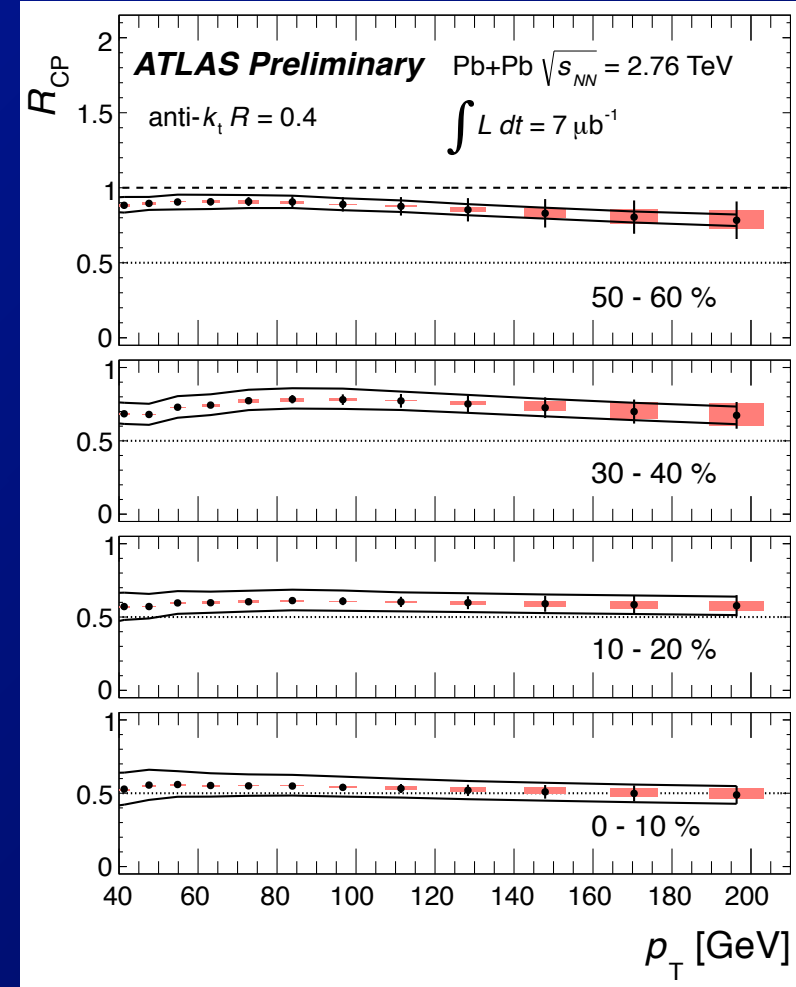
– awaiting absolute jet energy scale uncertainty <sub>40</sub>

# Jet yields: centrality dependence

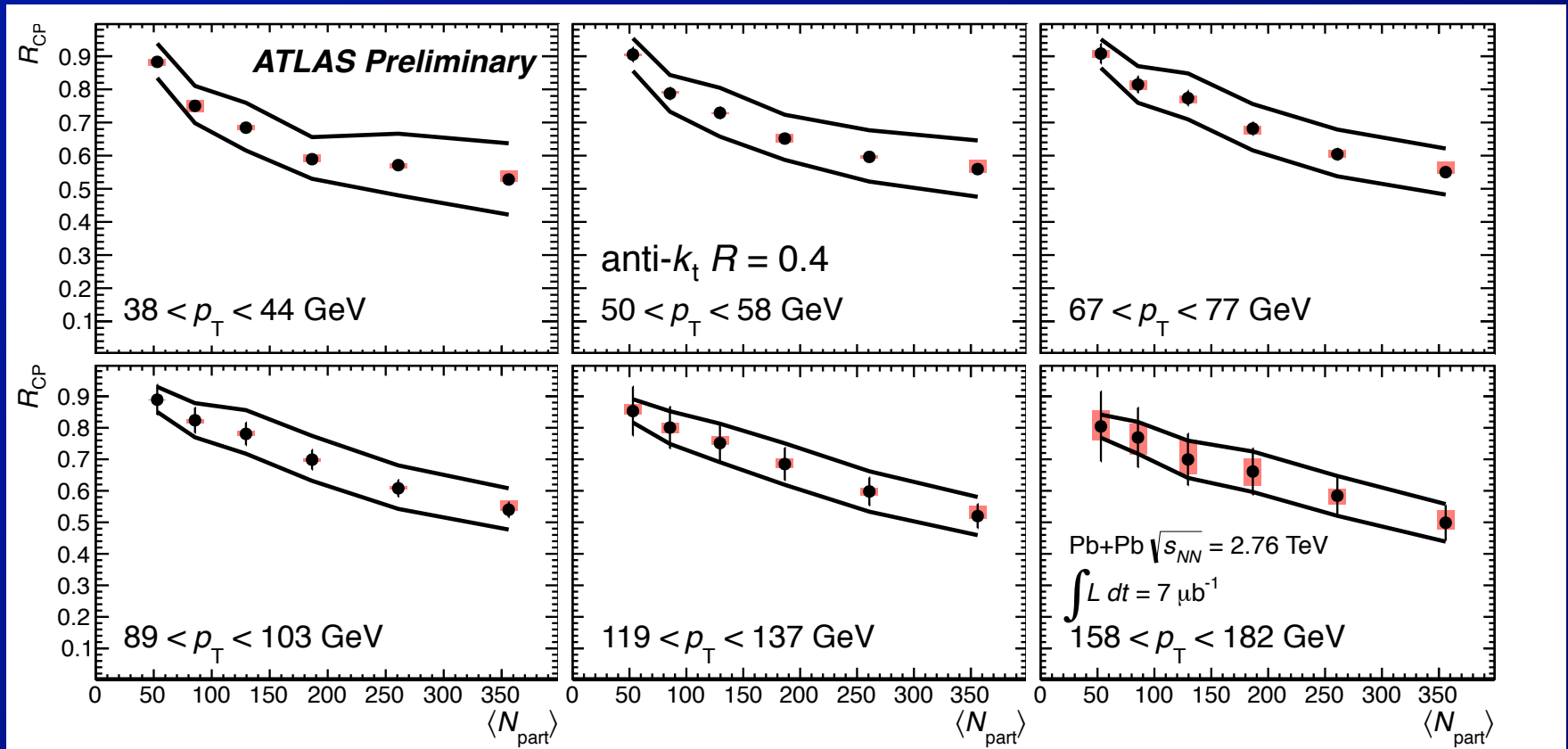
- If factorization holds jet yields should vary with centrality  $\propto N_{\text{coll}}$
- Compare yields between centrality bins using “ $R_{\text{CP}}$ ”

$$R_{\text{CP}} = \frac{\frac{1}{N_{\text{coll}}} \frac{1}{N_{\text{evt}}} \frac{dN}{dp_{\text{T}}} \Big|_{\text{cent}}}{\frac{1}{N_{\text{coll}}} \frac{1}{N_{\text{evt}}} \frac{dN}{dp_{\text{T}}} \Big|_{60-80}}$$

– Overall jet energy scale divides out in ratio



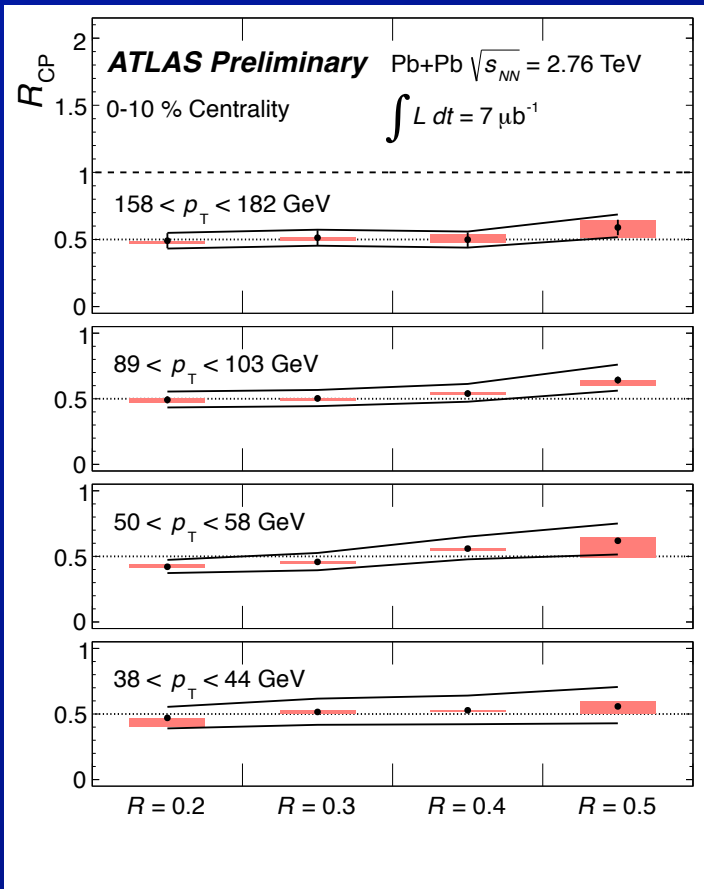
# Centrality dependence of jet $R_{CP}$



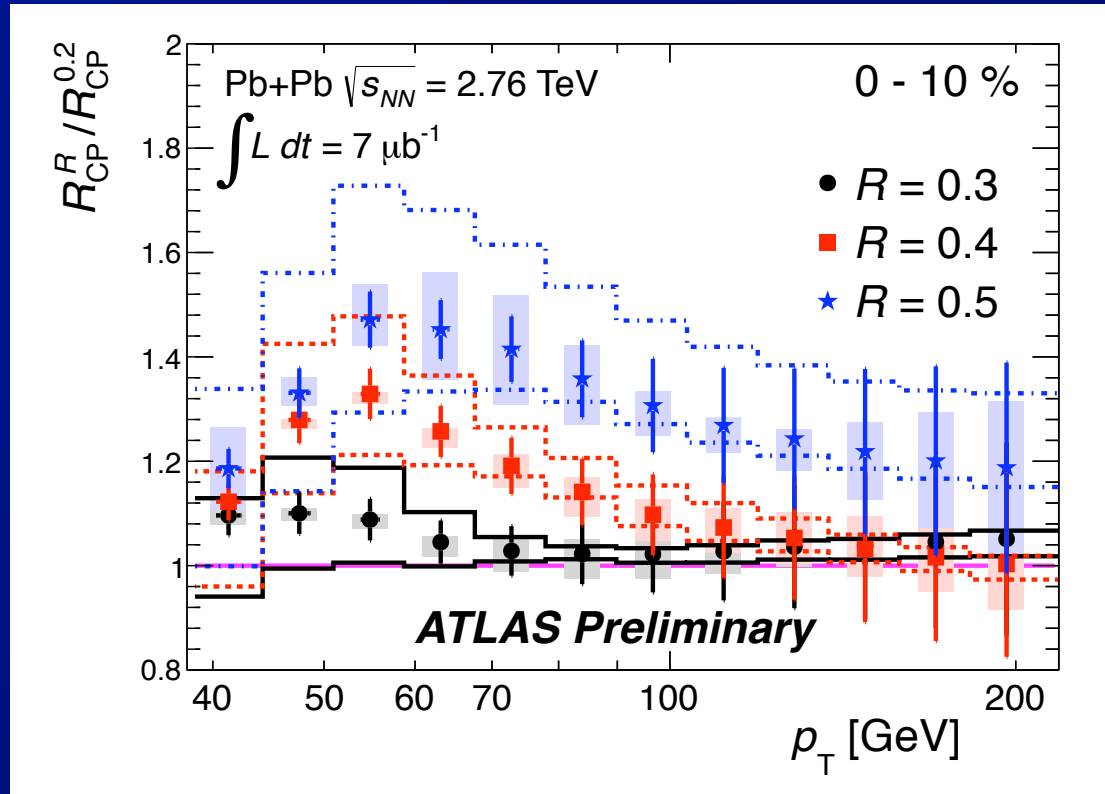
- **Study centrality evolution for fixed jet  $p_T$** 
  - $R_{CP}$  vs  $N_{part}$ 
    - ⇒ Smooth turn on of jet suppression between peripheral and central collisions.



# Jet radius dependence of $R_{CP}$



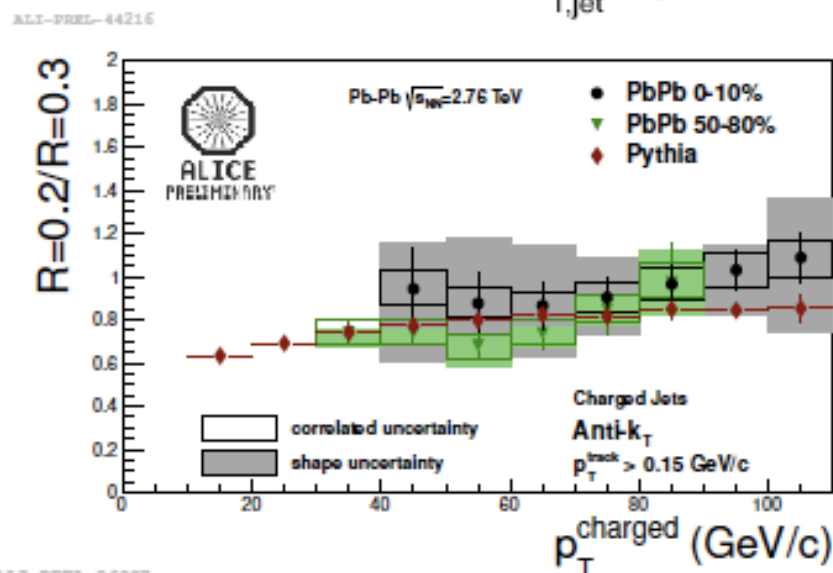
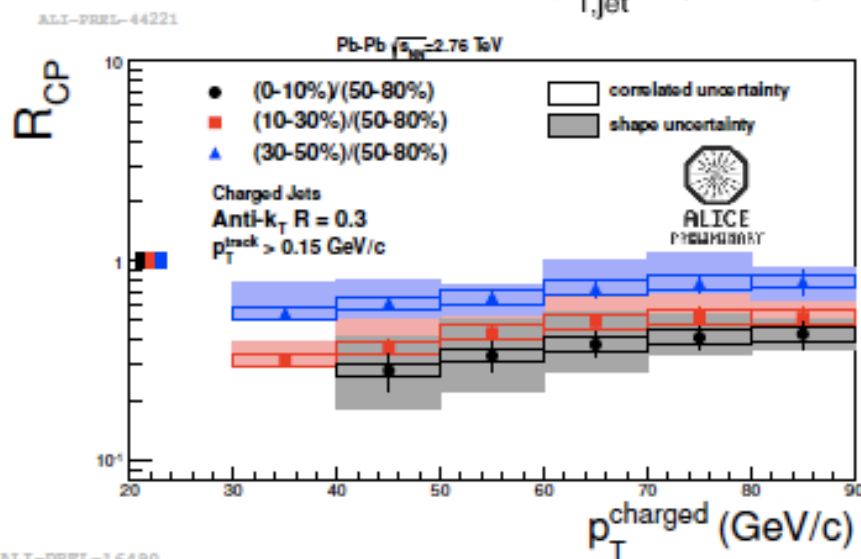
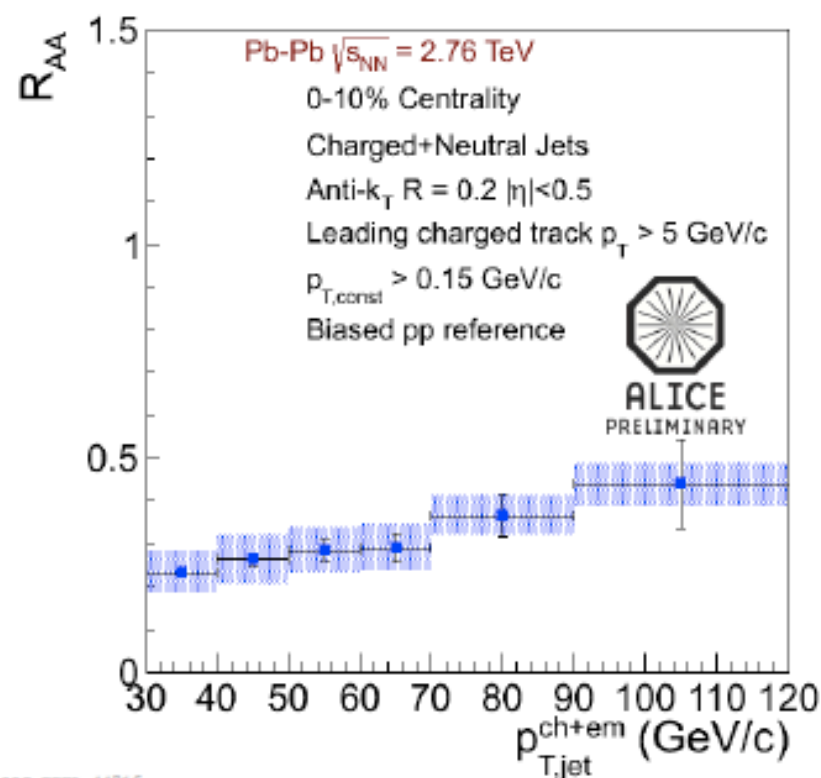
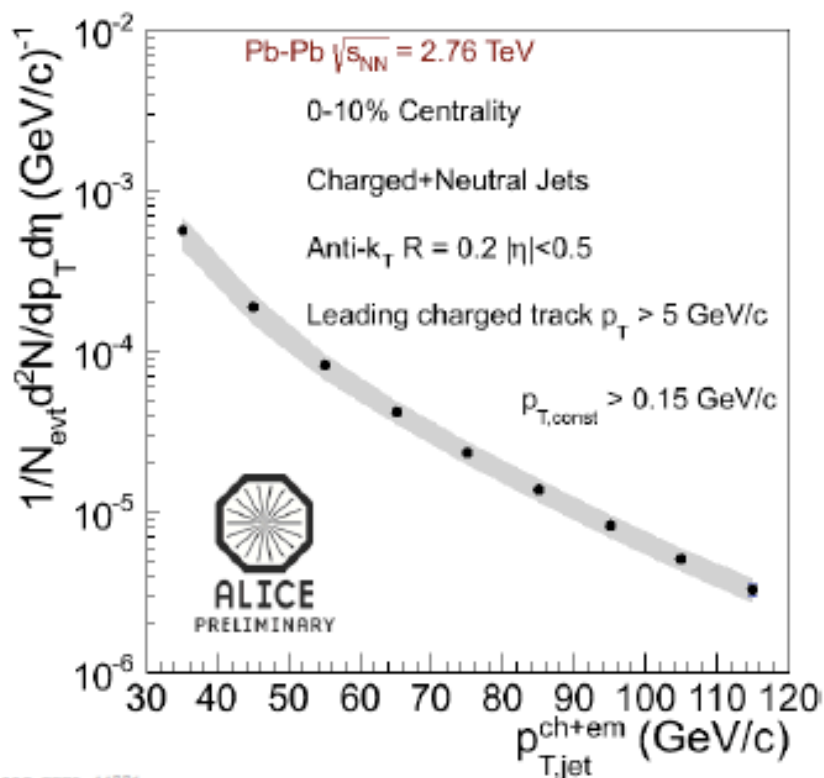
Significant cancellation of correlated errors



- Evaluate jet radius dependence of  $R_{CP}$ 
    - Modest but significant variation of  $R_{CP}$
    - Less suppression for larger  $R$
- ⇒ An indication of jet broadening?



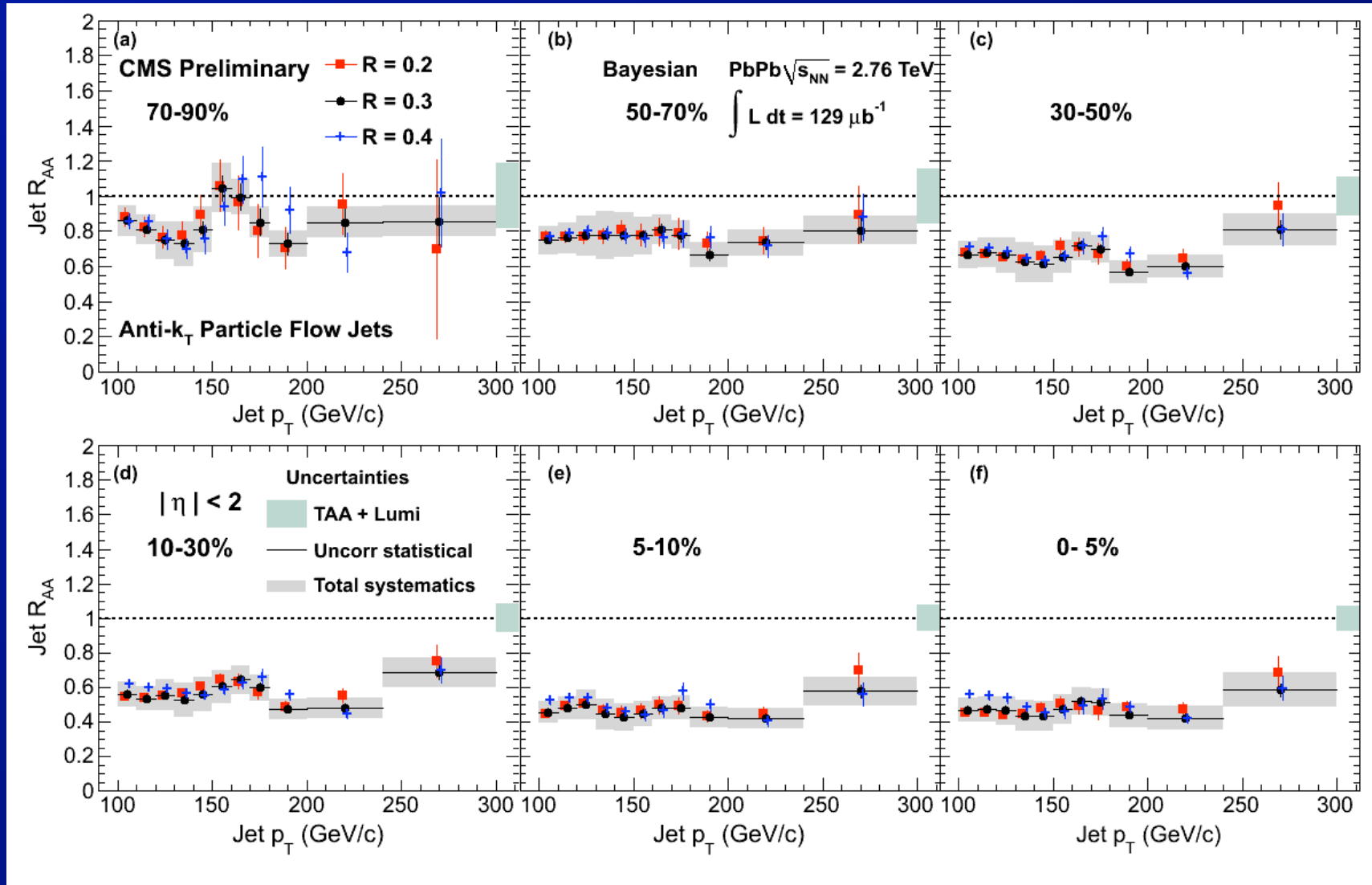
# ALICE: jet suppression



ALI-PREL-16490

ALI-PREL-26887

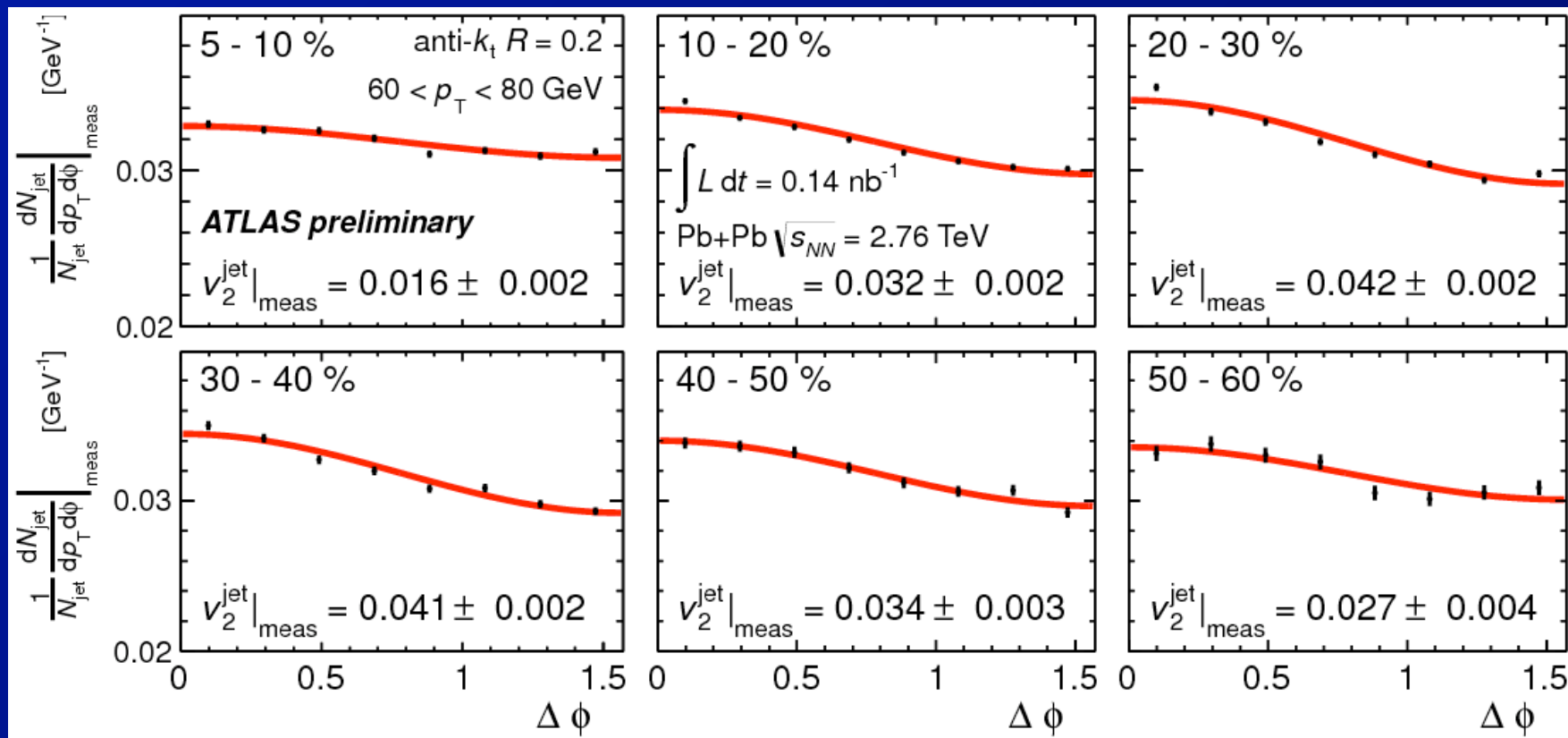
# CMS jet $R_{AA}$



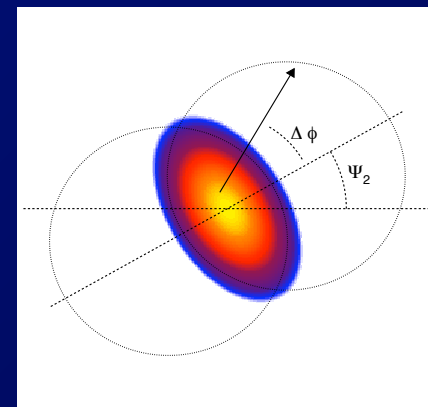
- **First results on jet  $R_{AA}$  @ LHC**

⇒ **Consistent behavior with ATLAS  $R_{cp}$**

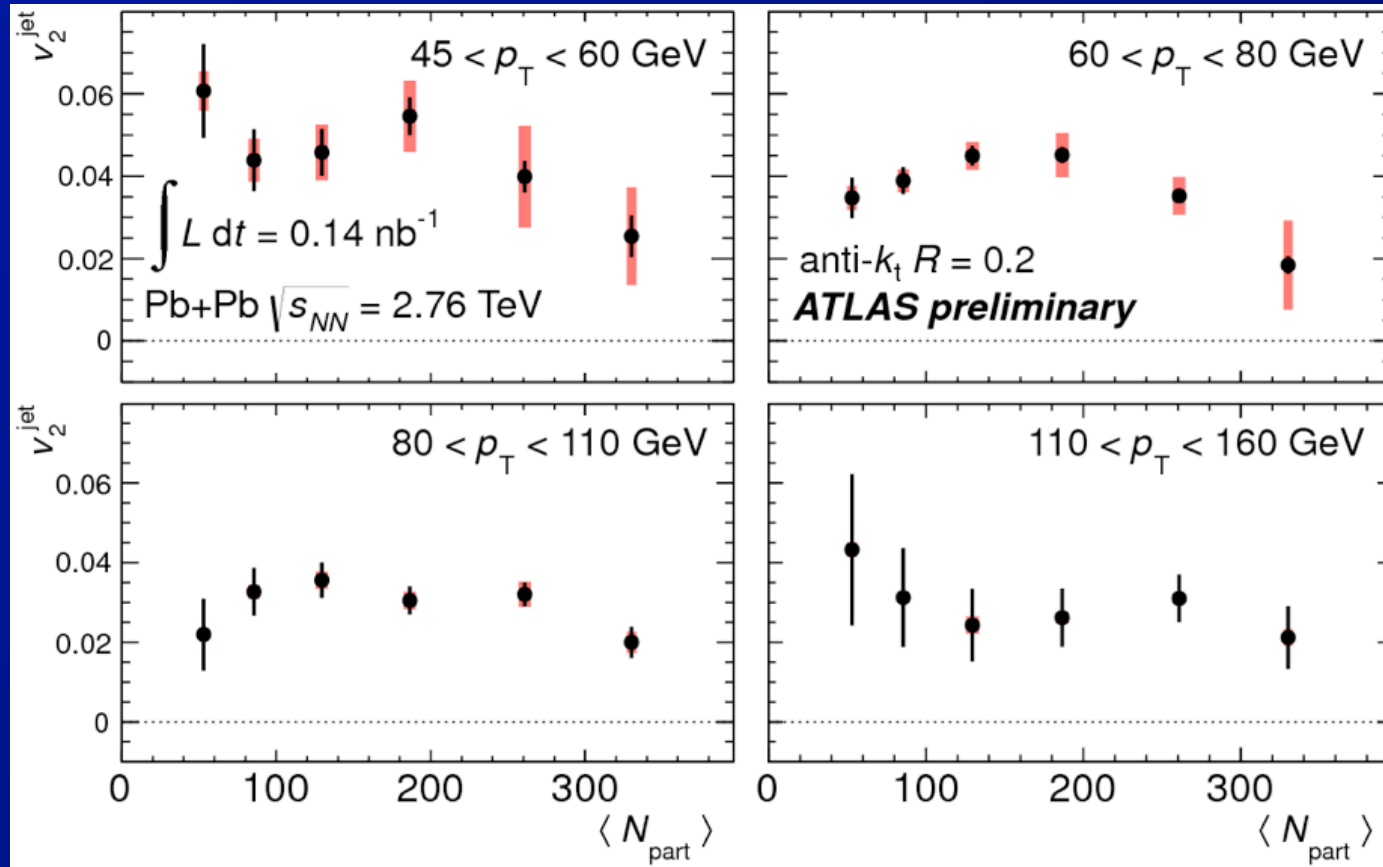
# Differential jet suppression



- Measure jet yields in 8 bins of  $\Delta\phi$  with respect to the elliptic event plane
  - Here for  $R = 0.2$  jets,  $60 < p_T < 80$  GeV
  - ⇒ UE subtraction corrected for elliptic flow modulation in calorimeter



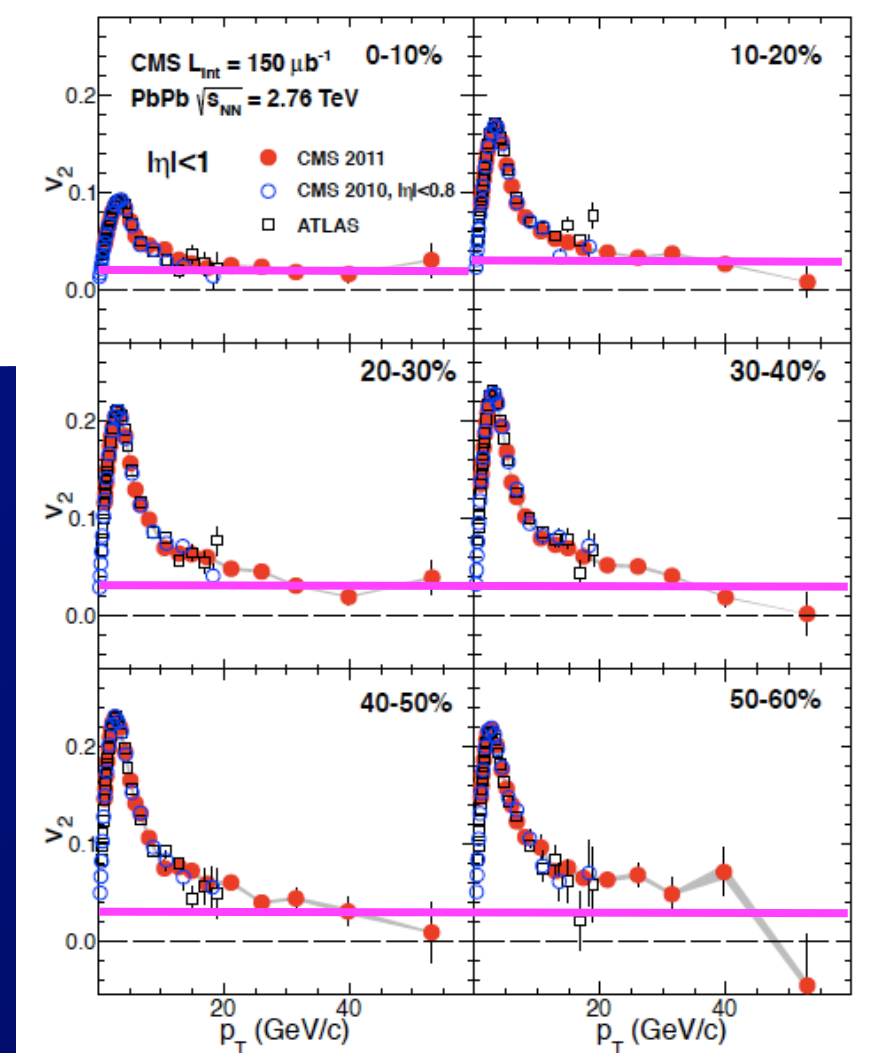
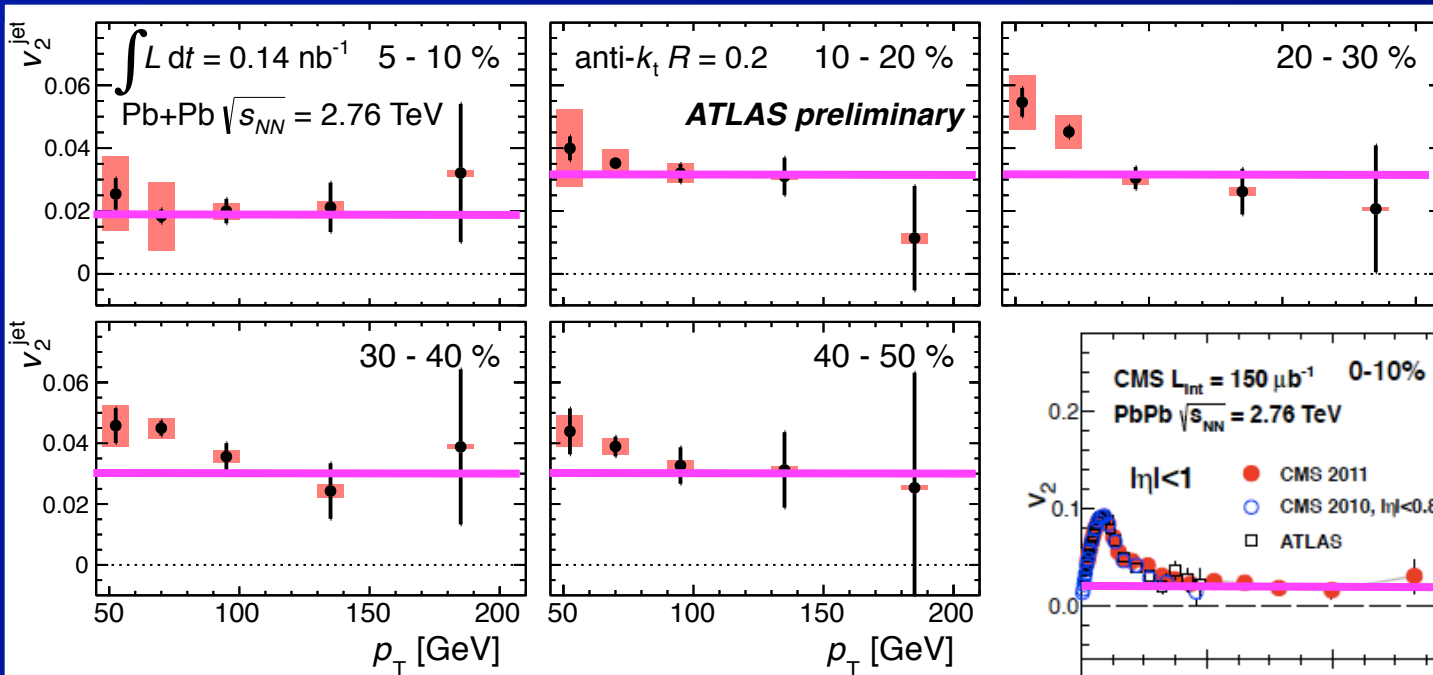
# Differential jet suppression



- Observe non-zero jet  $v_2$  for ( $R = 0.2$ )  $p_T$  values  $> 100$  GeV

⇒ jet quenching clearly sensitive to initial geometry out to very high  $p_T$

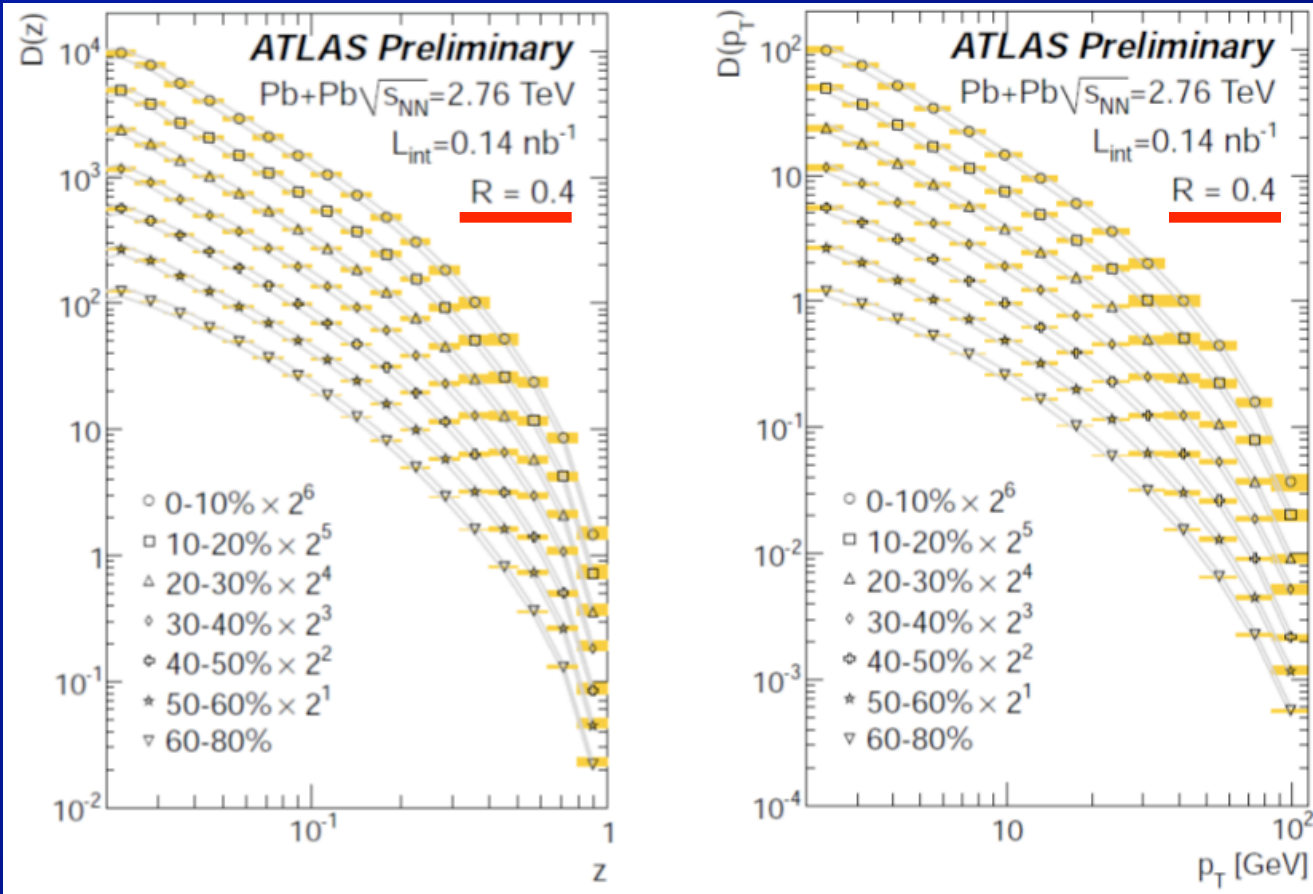
# Jet $v_2(p_T)$



- Do rough comparison of jet, charged  $v_2$  at high  $p_T$ 
    - plot 0.02 for 0/5-10%
    - plot 0.03 for  $> 10\%$
- ⇒ As good as could be expected



# Inclusive jet fragmentation



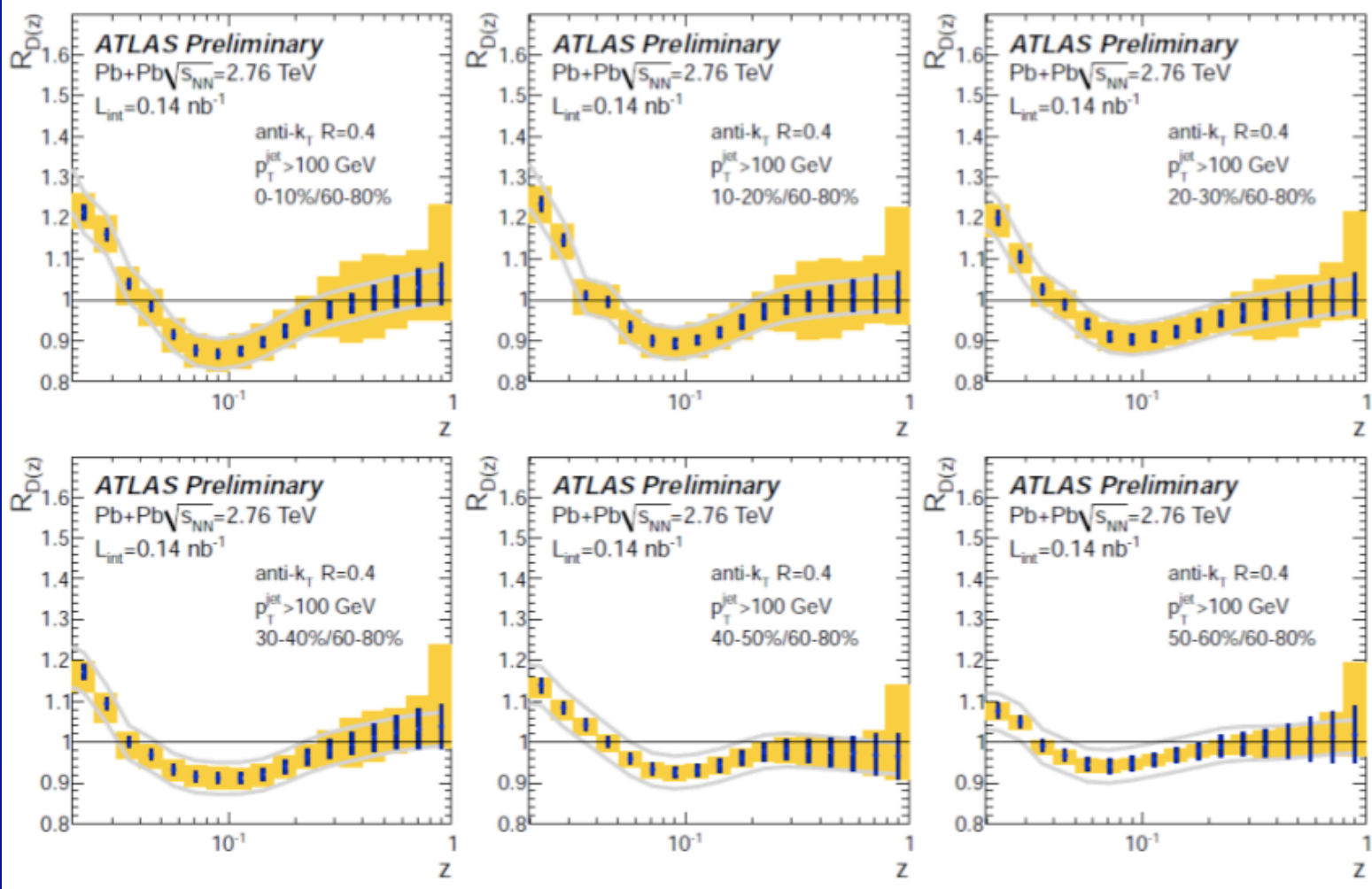
Unfolded  
for jet and  
charged  
particle  
resolution

$$D(z) = \frac{1}{N_{jet}} \frac{dN_{chg}}{dz}, \quad z = \vec{p}_{chg} \cdot \vec{p}_{jet} / |\vec{p}_{jet}|$$

$$D(p_T) = \frac{1}{N_{jet}} \frac{dN_{chg}}{dp_T}$$

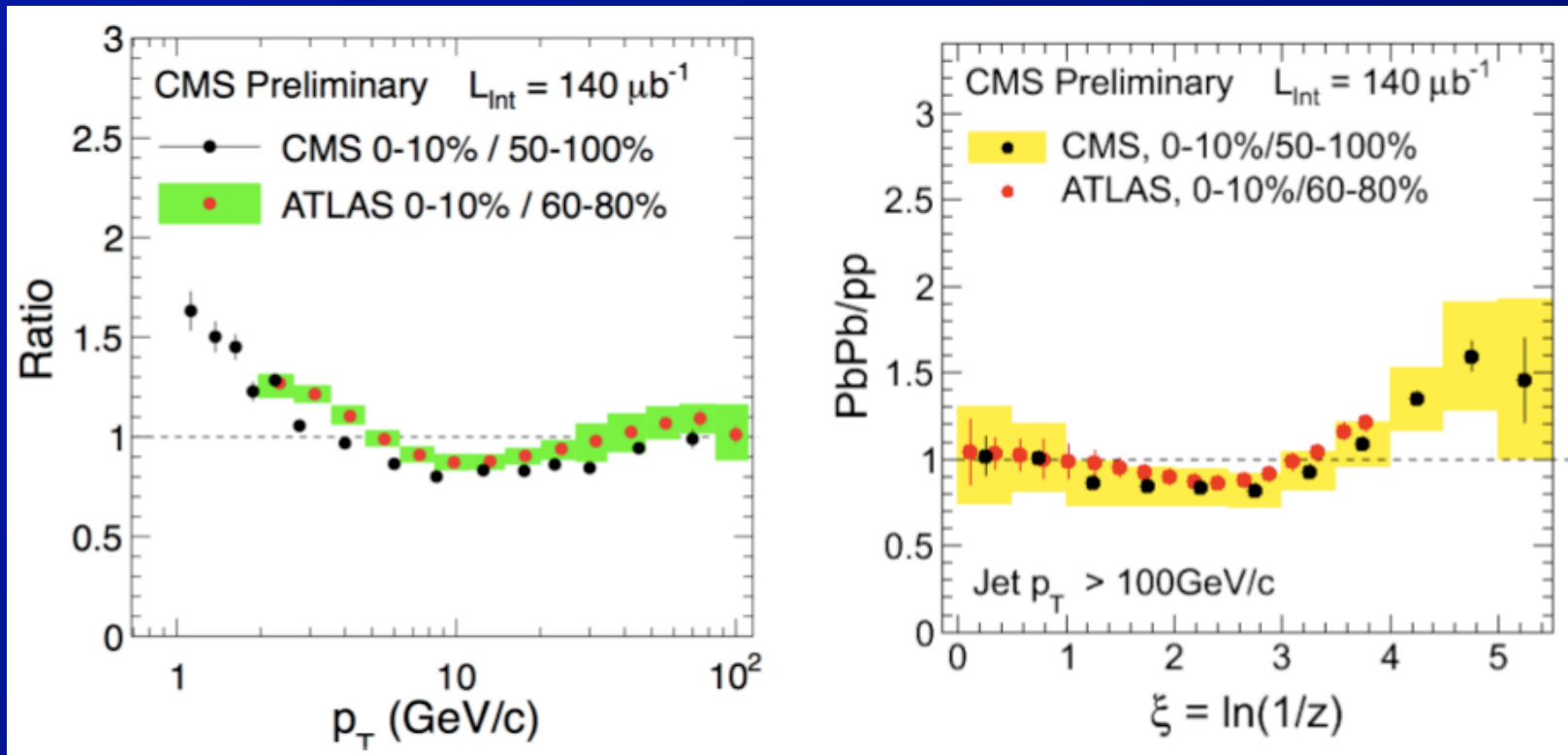
# Inclusive jet fragmentation (2)

$R = 0.4$



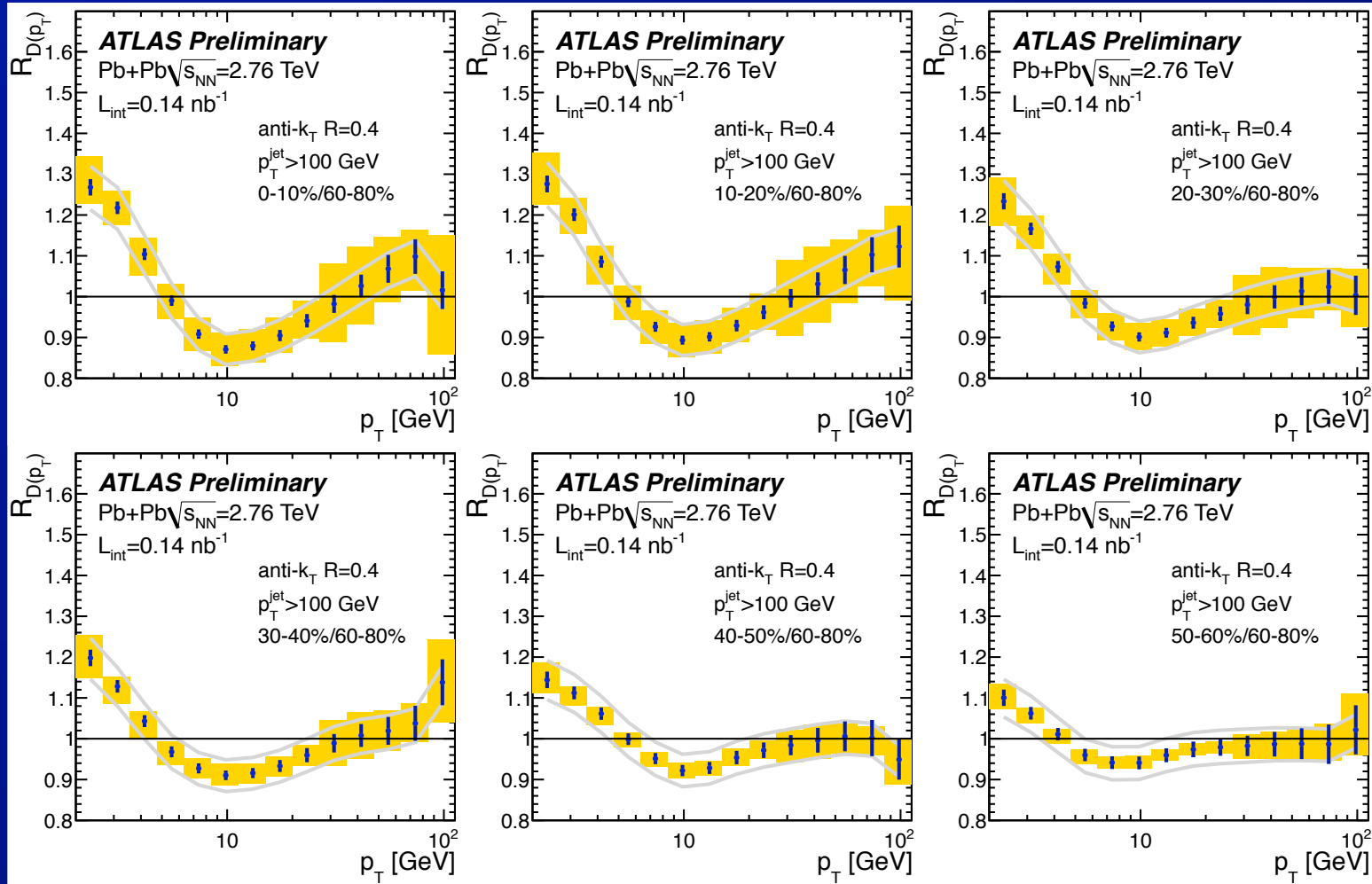
- First observation of modified parton shower in inclusive jets  
⇒ Not only seeing “left over” unquenched jets.

# Inclusive jet fragmentation



- First direct handle on the  $p_T$  dependence of modifications of the parton shower.
  - ⇒ Important to determine whether modification is  $p_T$  or  $z$  dependent.
  - ⇒ How to determine whether low- $p_T$  enhancement is from PS or from medium?

# Inclusive jet fragmentation (3)

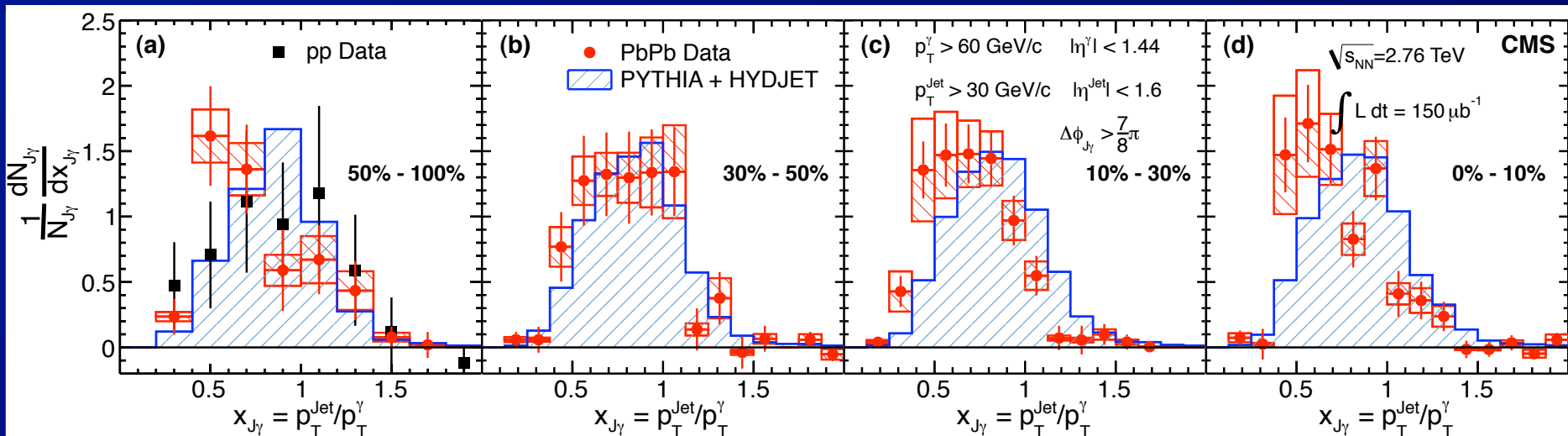
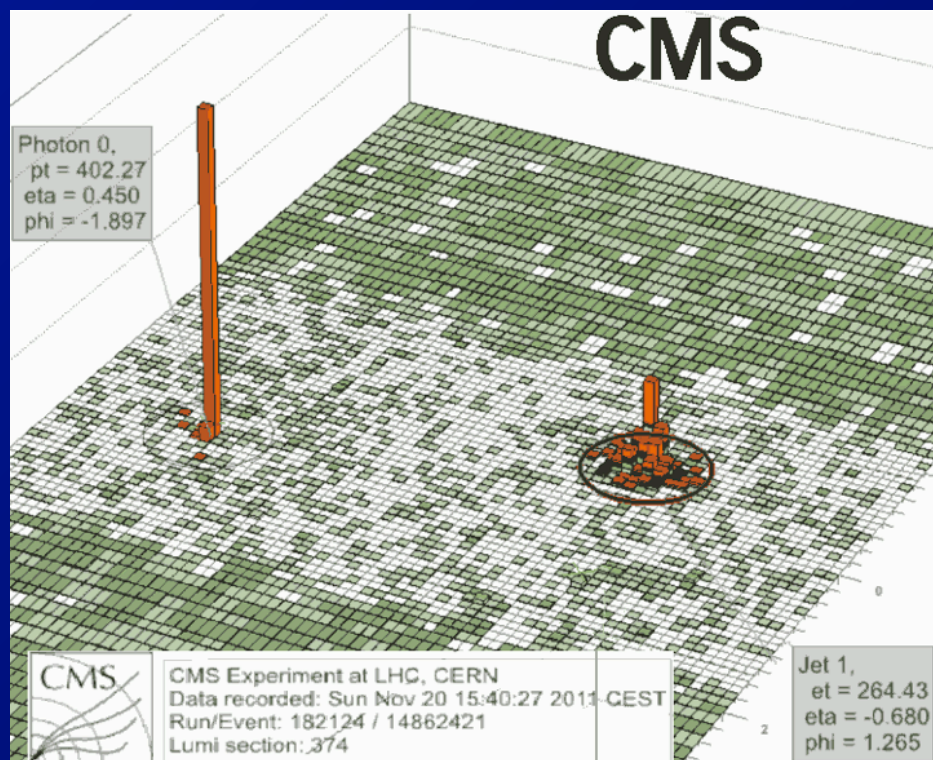


- Check that the modification is not due to the measurement of jet  $p_T \Rightarrow D(p_T)$   
 $\Rightarrow D(p_T)$  shows similar modifications



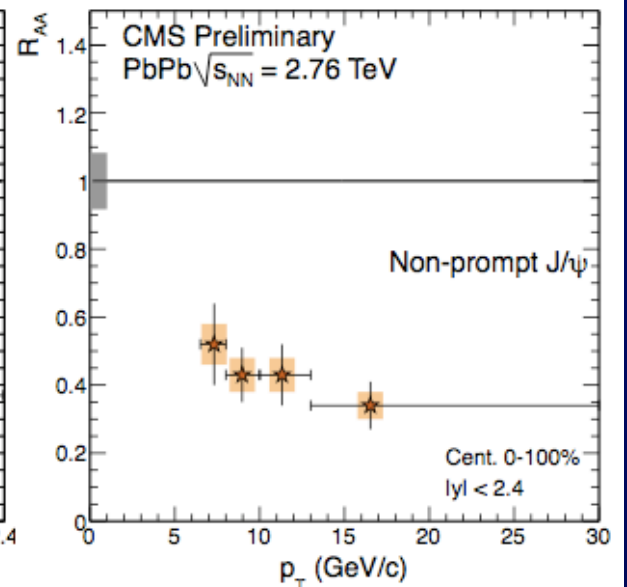
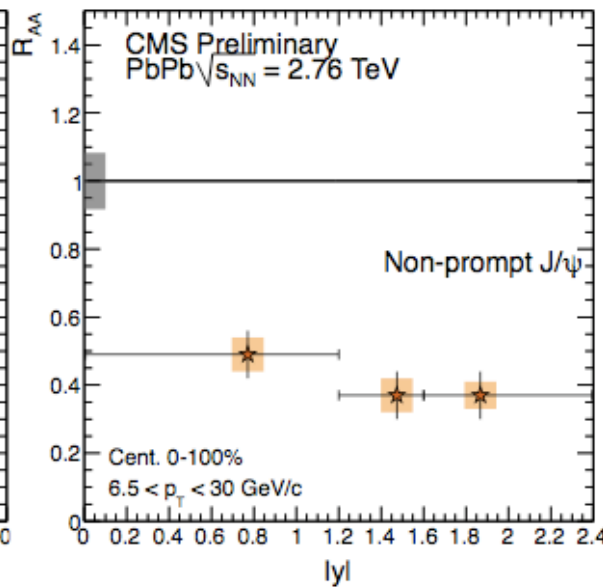
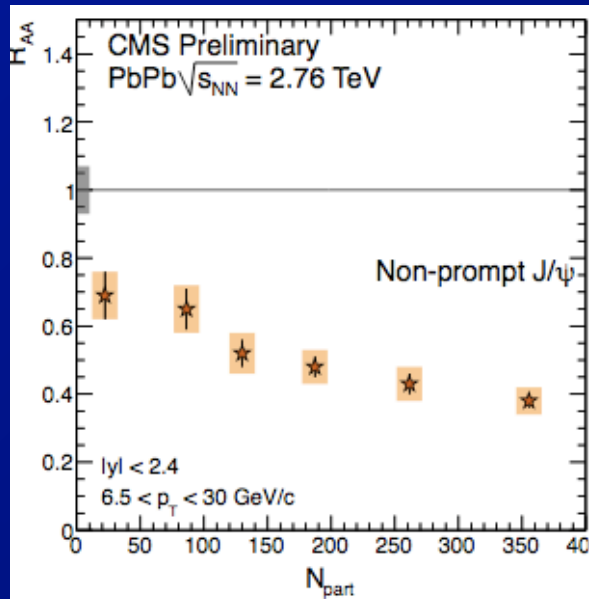
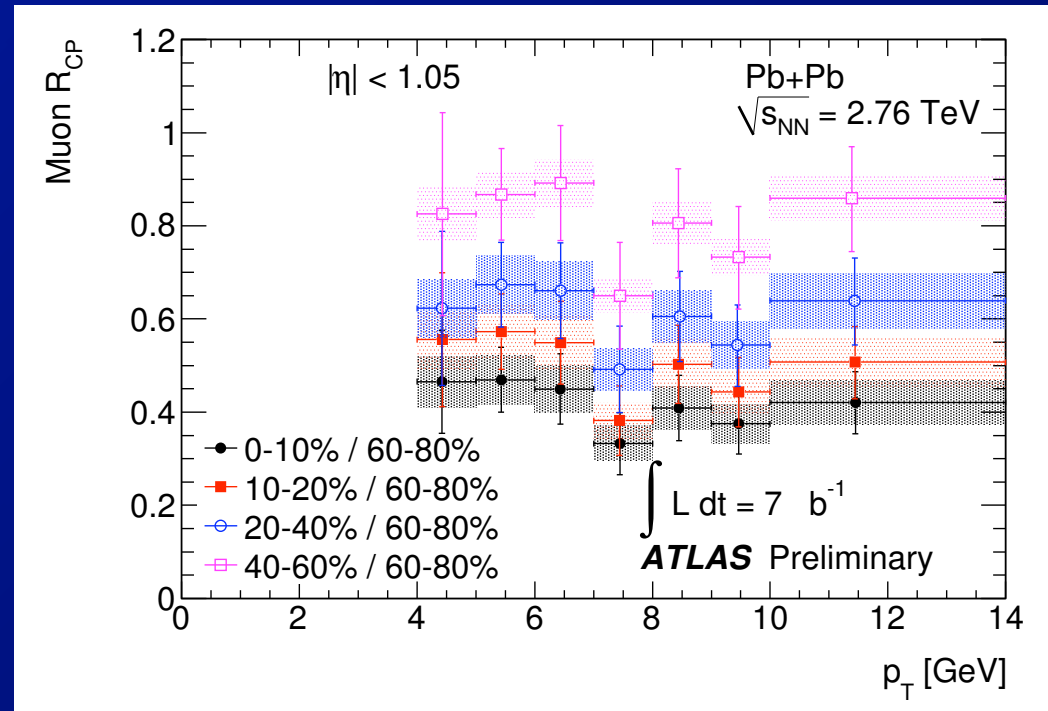
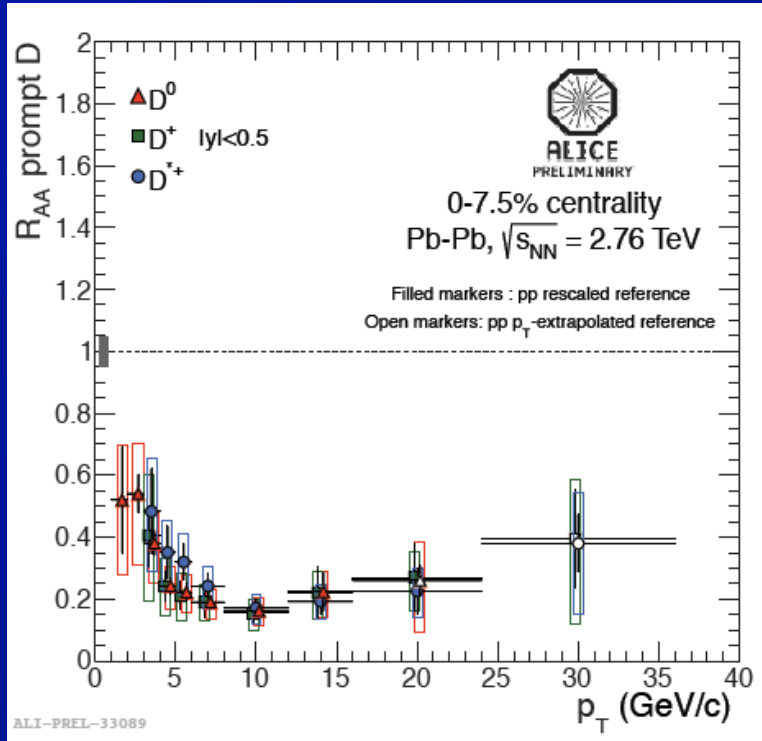
# CMS gamma-jet

- Analogous to dijet measurement but with “clean” photon
- See clear shift in fraction of photon energy carried by jet
- ⇒ But beware, photon is not proxy for unquenched jet (p-p)





# Heavy flavor @ moderate $p_T$



# Summary

- Extensive set of measurements at RHIC and the LHC showing that high- $p_T$  quarks and gluons lose energy in the quark gluon plasma.
  - Non-trivial theoretical problem
    - Controlling approximations
    - Role of collisional and radiative energy loss
    - Parton shower not single quark
    - Description of the time-evolving medium
  - Data prior to start of the LHC program was not sufficiently discriminating to sufficiently constrain theory
    - More rapid progress with jet measurements
- ⇒ Stay tuned