

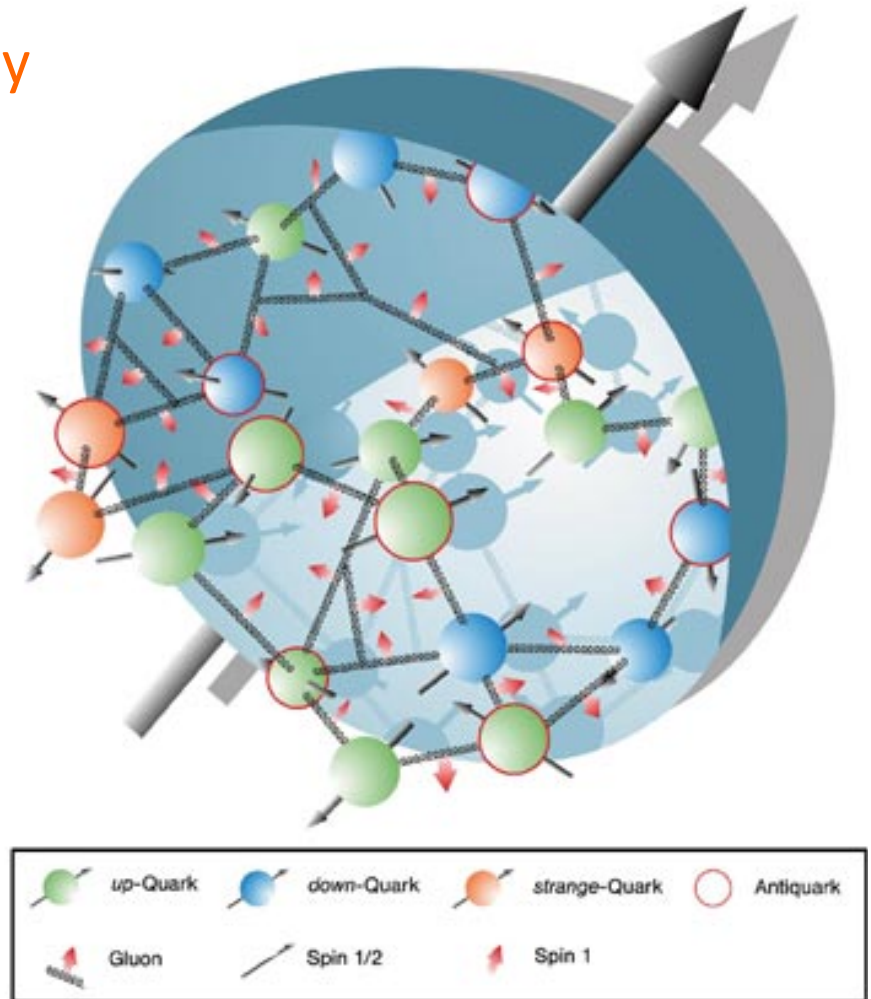
# Spin Structure of the Nucleon?

Zein-Eddine Meziani

Temple University  
Philadelphia

## Lecture # 3

Questions: [meziani@temple.edu](mailto:meziani@temple.edu)



# Jefferson Lab 12 GeV Science Program

- ⊙ The physical origins of quark confinement (GlueX, meson and baryon spectroscopy)
- ⊙ The spin and flavor structure of the proton and neutron (PDF's, GPD's, TMD's...)
- ⊙ The quark structure of nuclei
- ⊙ Probe potential new physics through high precision tests of the Standard Model

- ⊙ Defining the Science Program:

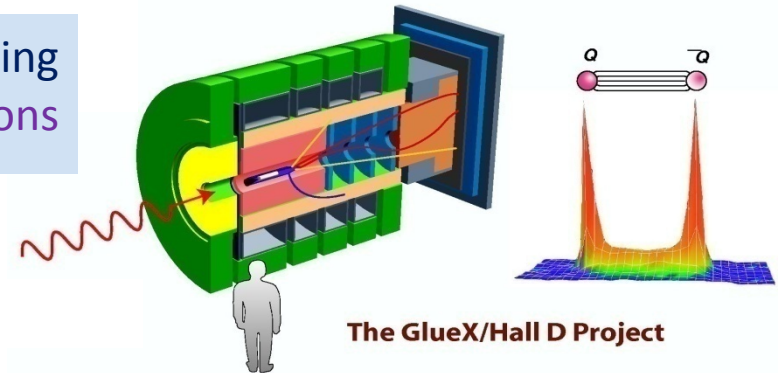
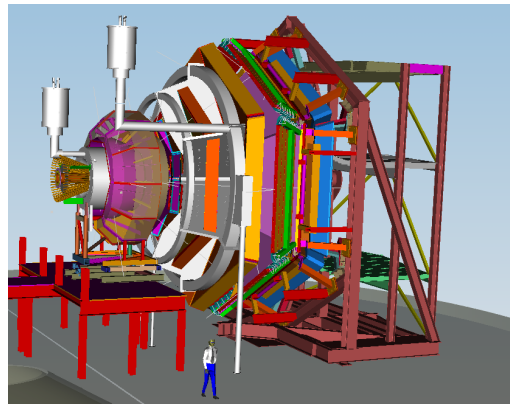
- ➔ Six Reviews: Program Advisory Committees (PAC) 30, 32, 34, 35, 36, 37, 38
- ➔ 2006 through 2011
- ➔ Results: *48 experiments approved; 4 conditionally approved*

*Exciting slate of experiments for 4 Halls planned for initial five years of operation!*

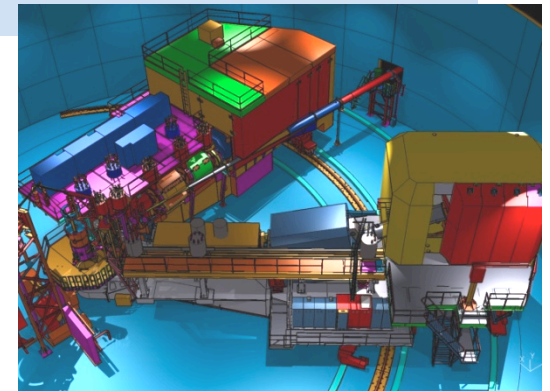


# 12 GeV Scientific Capabilities

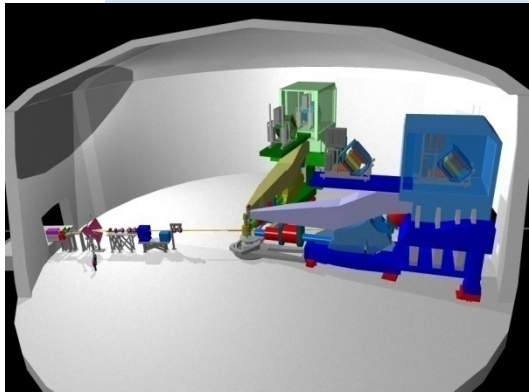
*Hall D* – exploring origin of **confinement** by studying exotic mesons



*Hall B* – understanding **nucleon structure** via generalized parton distributions and transverse momentum distributions



*Hall C* – precision determination of **valence quark** properties in nucleons and nuclei



*Hall A* – short range correlations, form factors, hyper-nuclear physics, **future new experiments** (e.g., MOLLER, PVDIS, SIDIS)

*Spin Structure in the Valence Region :  
Helicity Dependent Parton Distributions at Large  $x$*



# Parton Distributions Functions at Large x

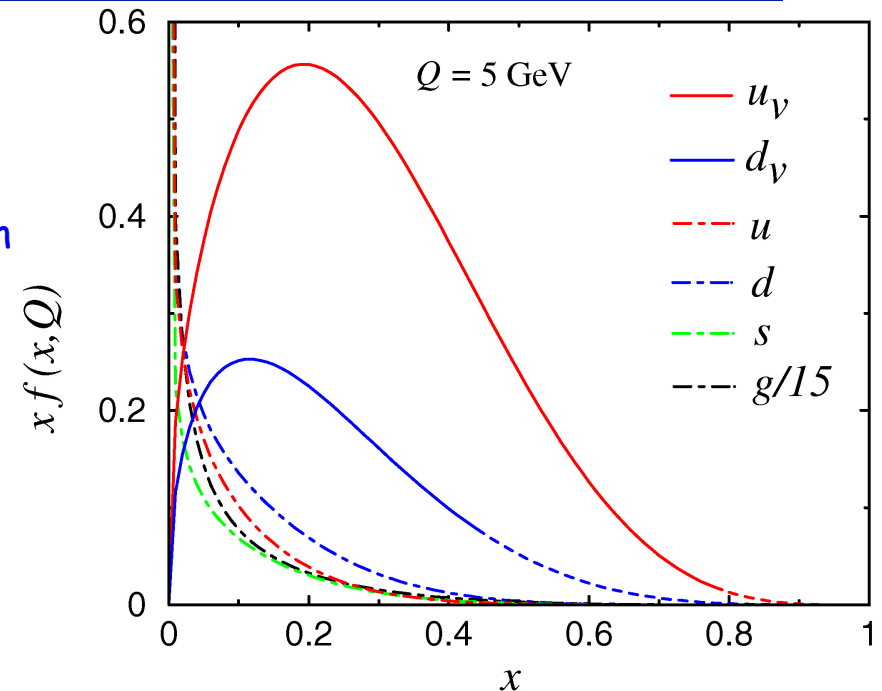
Understand the nucleon structure in the valence quark region

⊙ What is required?

→ Complete knowledge of parton distribution functions (PDFs).

At Large x

- large x exposes valence quarks
  - free of sea effects
  - no explicit hard gluons to be included
- x→1 behavior - sensitive test of spin-flavor symmetry breaking
- important for higher moments of PDFs - compare with lattice QCD
- intimately related with resonances, quark-hadron duality

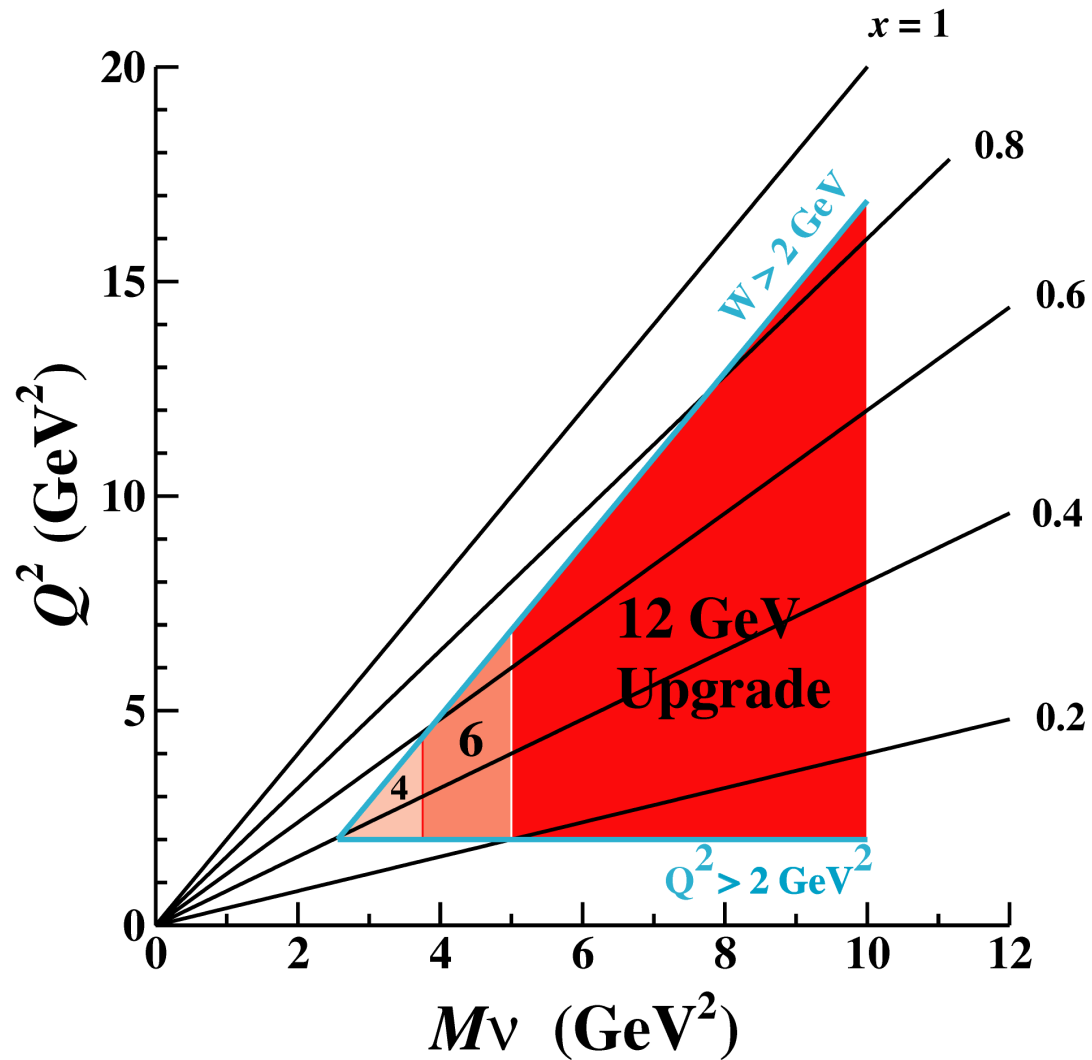


$$M_n(Q^2) = \int_0^1 dx x^{n-2} F_2(x, Q^2) \quad n = 2, 4, \dots$$

$$M_n(Q^2) = \int_0^1 dx x^{n-1} g_1(x, Q^2), \quad n = 1, 3, 5, \dots$$



# Kinematical reach at JLab

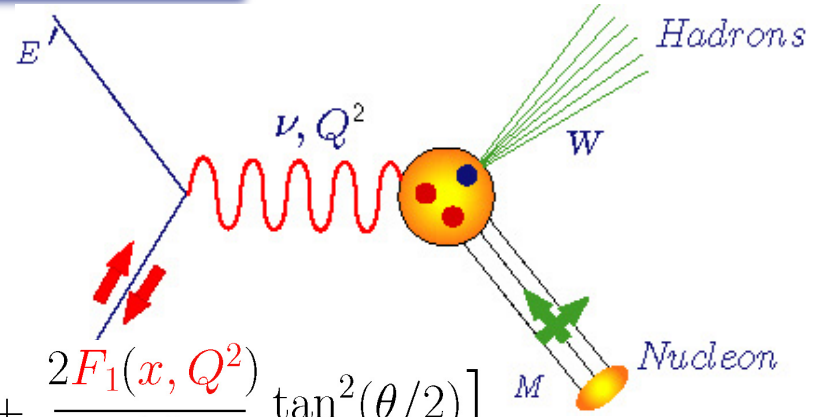


# Inclusive DIS

- Unpolarized structure functions  $F_1(x, Q^2)$  and  $F_2(x, Q^2)$

➔ Proton & neutron measurements provide  $d/u$  distributions ratio

$$U \quad \frac{d^2\sigma}{dE'd\Omega}(\downarrow\uparrow + \uparrow\uparrow) = \frac{8\alpha^2 \cos^2(\theta/2)}{Q^4} \left[ \frac{F_2(x, Q^2)}{\nu} + \frac{2F_1(x, Q^2)}{M} \tan^2(\theta/2) \right]$$



- Polarized structure functions

$g_1(x, Q^2)$  and  $g_2(x, Q^2)$

➔ Proton & neutron measurements combined with  $d/u$  provide the spin-flavor distributions  $\Delta u/u$  &  $\Delta d/d$

$Q^2$  : Four-momentum transfer  
 $x$  : Bjorken variable  
 $\nu$  : Energy transfer  
 $M$  : Nucleon mass  
 $W$  : Final state hadrons mass

$$L \quad \frac{d^2\sigma}{dE'd\Omega}(\downarrow\uparrow - \uparrow\uparrow) = \frac{4\alpha^2 E'}{MQ^2 \nu E} \left[ (E + E' \cos \theta) g_1(x, Q^2) - \frac{Q^2}{\nu} g_2(x, Q^2) \right]$$

$$T \quad \frac{d^2\sigma}{dE'd\Omega}(\downarrow\Rightarrow - \uparrow\Rightarrow) = \frac{4\alpha^2 \sin \theta E'^2}{MQ^2 \nu^2 E} \left[ \nu g_1(x, Q^2) + 2E g_2(x, Q^2) \right]$$



# Virtual photon-nucleon asymmetries

Longitudinal

$$\frac{\sigma_{\downarrow\uparrow} - \sigma_{\uparrow\uparrow}}{\sigma_{\downarrow\uparrow} + \sigma_{\uparrow\uparrow}} = A_{\parallel} = D(A_1 + \eta A_2)$$

Transverse

$$\frac{\sigma_{\downarrow\leftarrow} - \sigma_{\uparrow\leftarrow}}{\sigma_{\downarrow\leftarrow} + \sigma_{\uparrow\leftarrow}} = A_{\perp} = d(A_1 - \xi A_2)$$

$D$ ,  $d$ ,  $\eta$  and  $\xi$  are kinematic factors

$D$  depends on  $R(x, Q^2) = \sigma_L/\sigma_T$

$$A_1 = \frac{g_1(x, Q^2) - \gamma^2 g_2(x, Q^2)}{F_1(x, Q^2)}$$

$$A_2 = \frac{\gamma[g_1(x, Q^2) + g_2(x, Q^2)]}{F_1(x, Q^2)}$$

where  $\gamma = \sqrt{Q^2}/\nu$

- Positivity constraints

$$|A_1| \leq 1 \quad \text{and} \quad |A_2| \leq \sqrt{R(1 + A_1)/2}$$

In the quark-parton model:

$$F_1(x, Q^2) = \frac{1}{2} \sum_f e^2 q_f(x, Q^2)$$

$$g_1(x, Q^2) = \frac{1}{2} \sum_f e^2 \Delta q_f(x, Q^2)$$

$$q_f(x) = q_f^{\uparrow}(x) + q_f^{\downarrow}(x)$$

$$\Delta q_f(x) = q_f^{\uparrow}(x) - q_f^{\downarrow}(x)$$

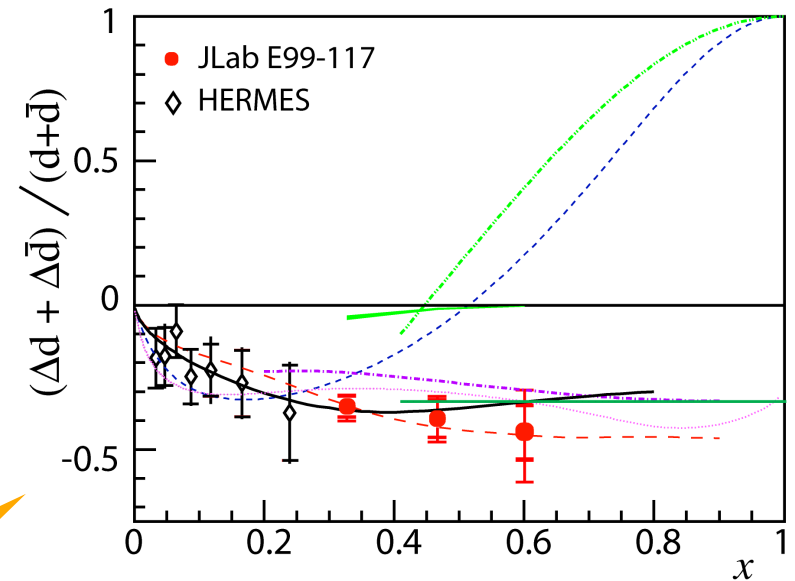
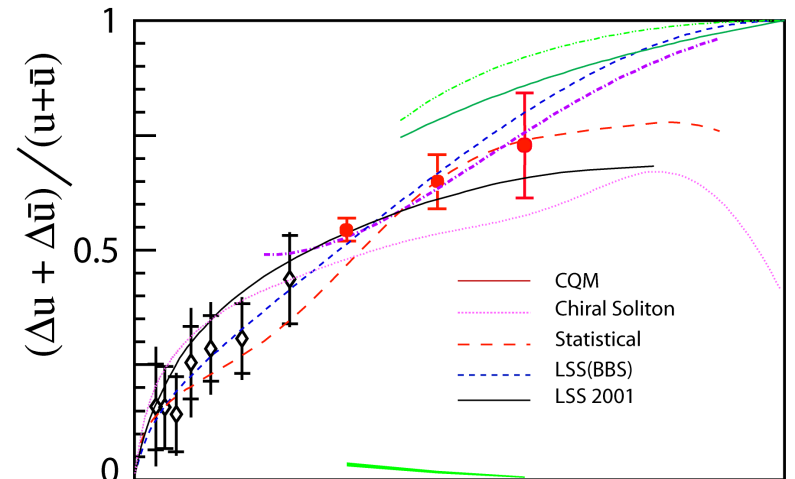
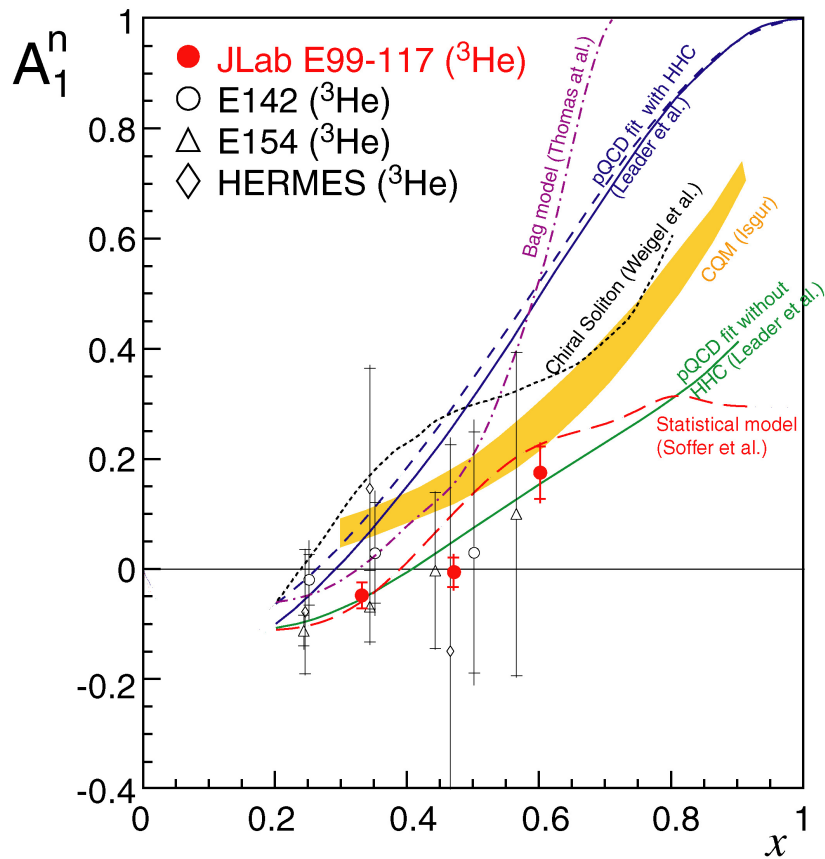
$q_f(x)$  quark momentum distributions of flavor  $f$   
 $\uparrow(\downarrow)$  parallel (antiparallel) to the nucleon spin

NNPSS 2012, Santa Fe, NM





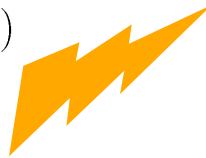
# $A_1^n$ and Helicity-Flavor Decomposition



$$\frac{\Delta u + \Delta \bar{u}}{u} = \frac{4}{15} \frac{g_1^p}{F_1^p} (4 + R^{du}) - \frac{1}{15} \frac{g_1^n}{F_1^n} (1 + 4R^{du})$$

$$\frac{\Delta d + \Delta \bar{d}}{d} = \frac{4}{15} \frac{g_1^n}{F_1^n} (4 + \frac{1}{R^{du}}) - \frac{1}{15} \frac{g_1^p}{F_1^p} (1 + 4\frac{1}{R^{du}})$$

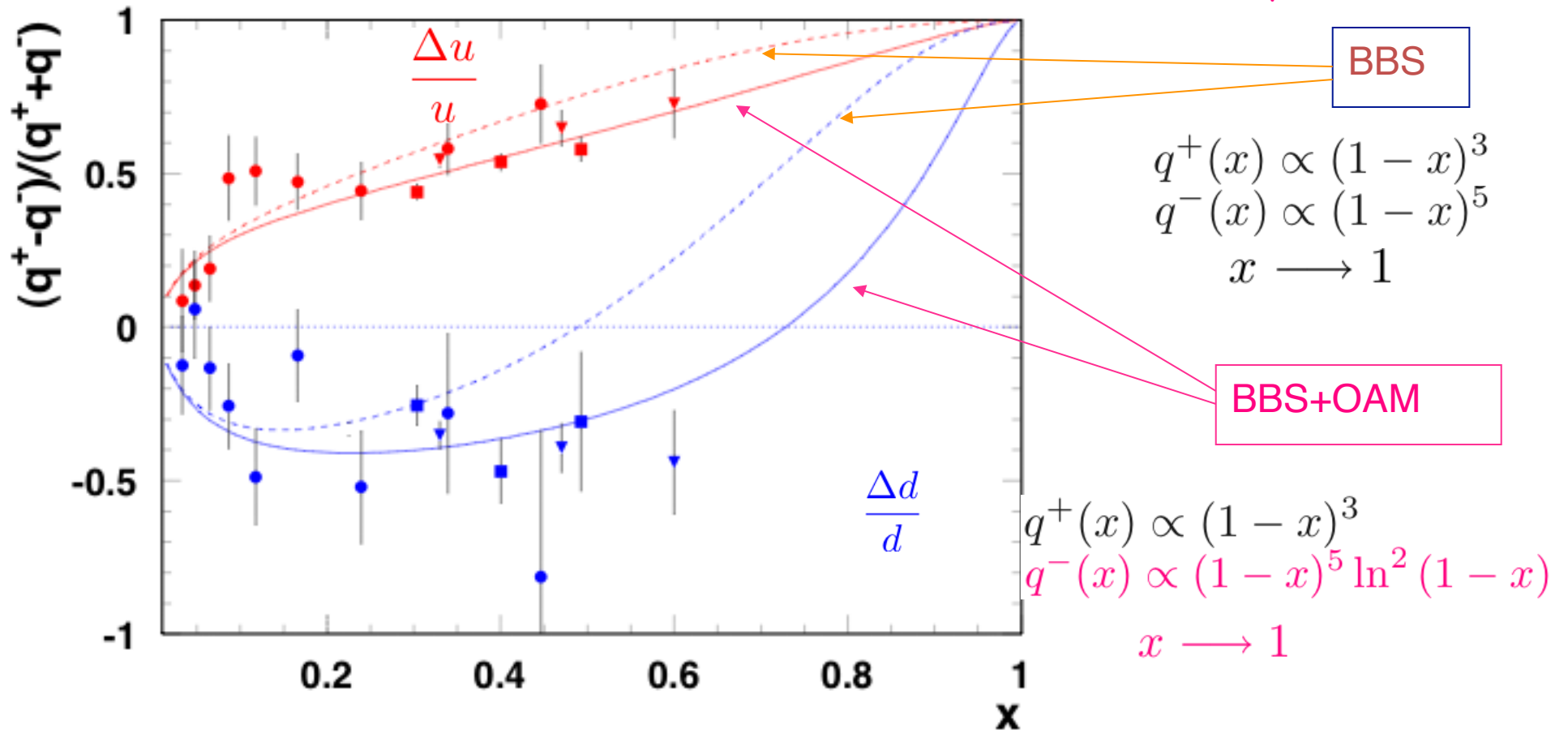
$$R^{du} = \frac{d + \bar{d}}{u + \bar{u}}$$



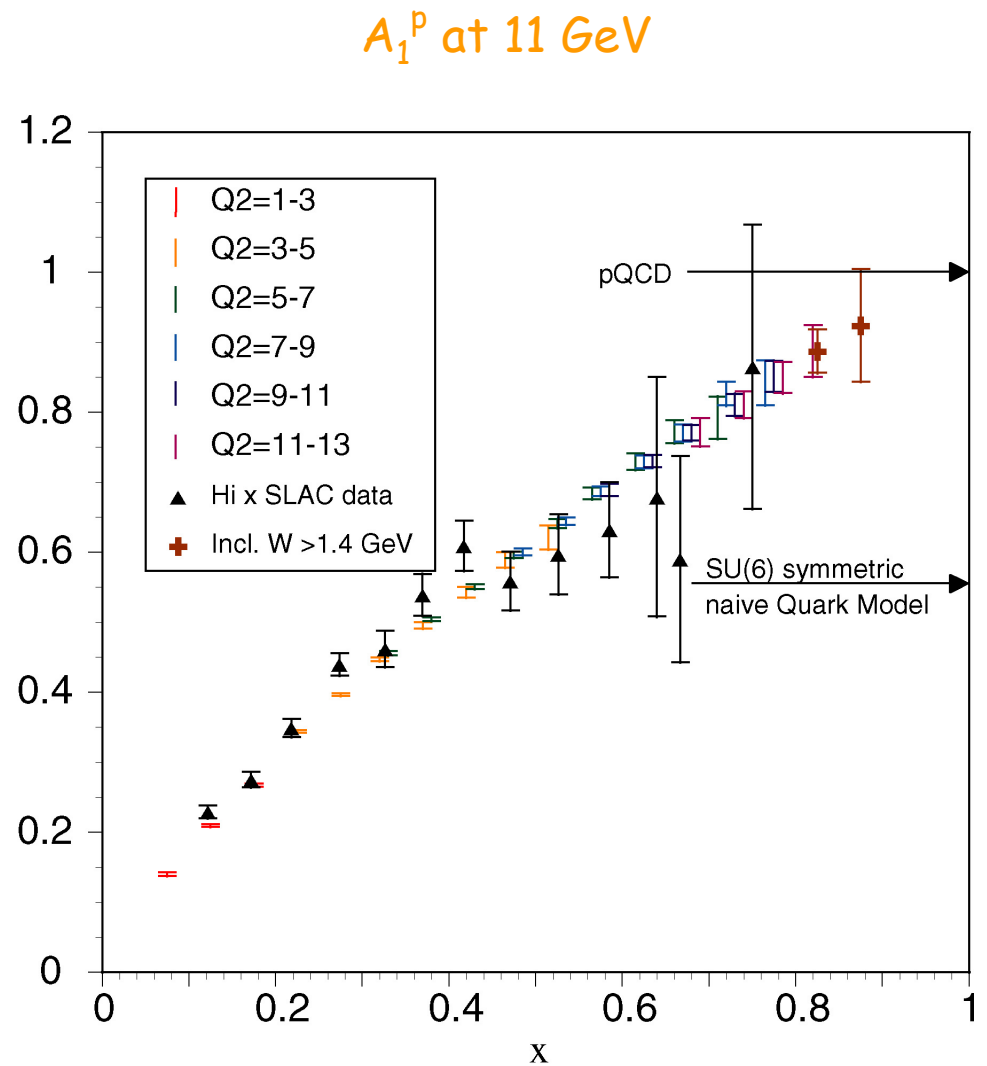
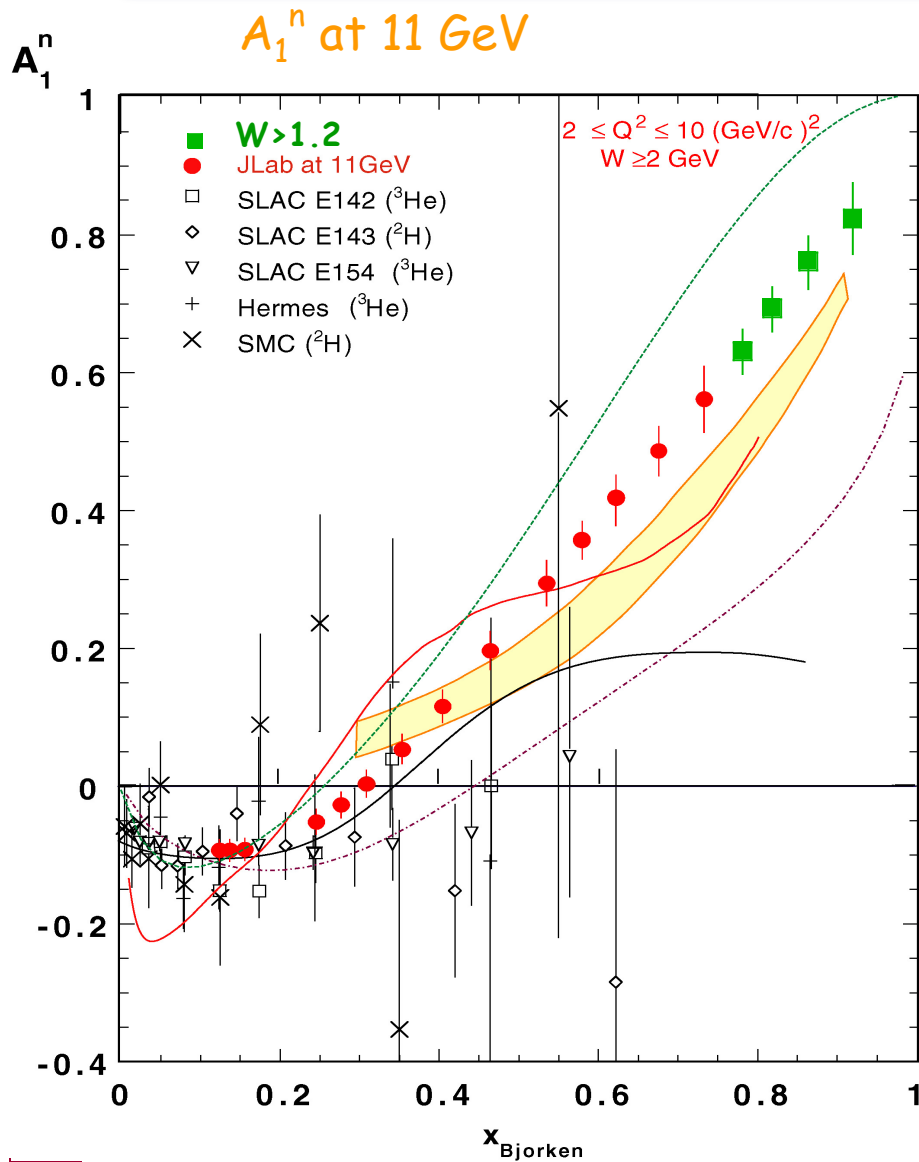
# Effect of quark orbital angular momentum

Inclusive Hall A and B and Semi-Inclusive Hermes

Avakian, Brodsky, Deur and Yuan

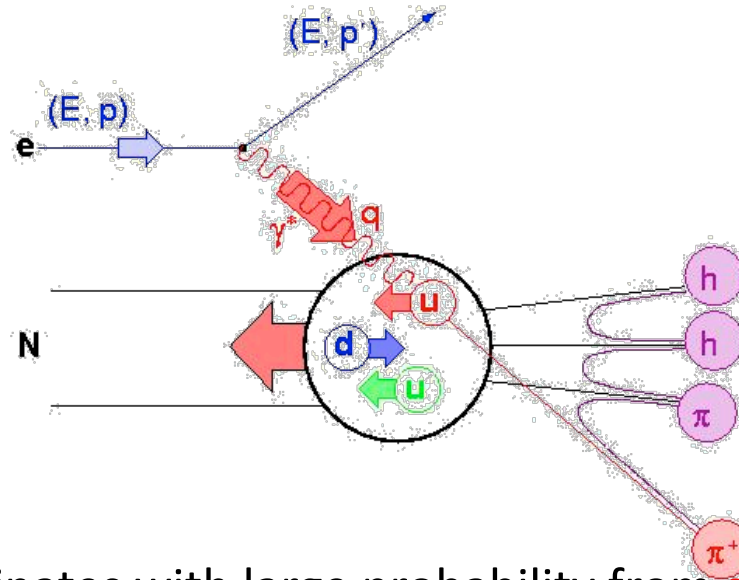


# Inclusive measurements of asymmetries



# Quark helicity distributions from Semi-Inclusive DIS

- Spin-flavor decomposition of valence and sea quarks by tagging hadron (e.g.  $\pi$ ,  $K$ ) in current fragmentation region



Leading hadron originates with large probability from struck quark

$D_q^h(z)$  := Fragmentation function (FF)

$$z = E_h / \nu$$

Measure hadron asymmetries

$$A_1^h(x, z) = \frac{\sum_q e_q^2 \Delta q(x) D_q^h(z)}{\sum_q e_q^2 q(x) D_q^h(z)}$$

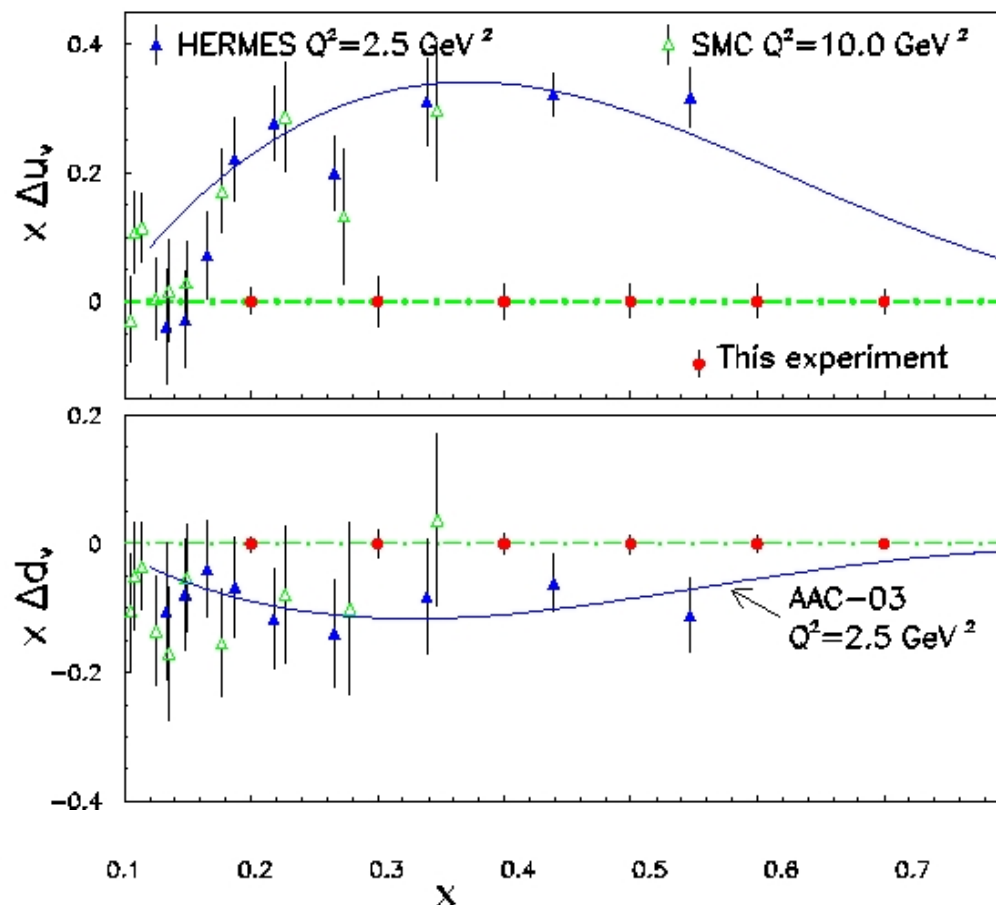
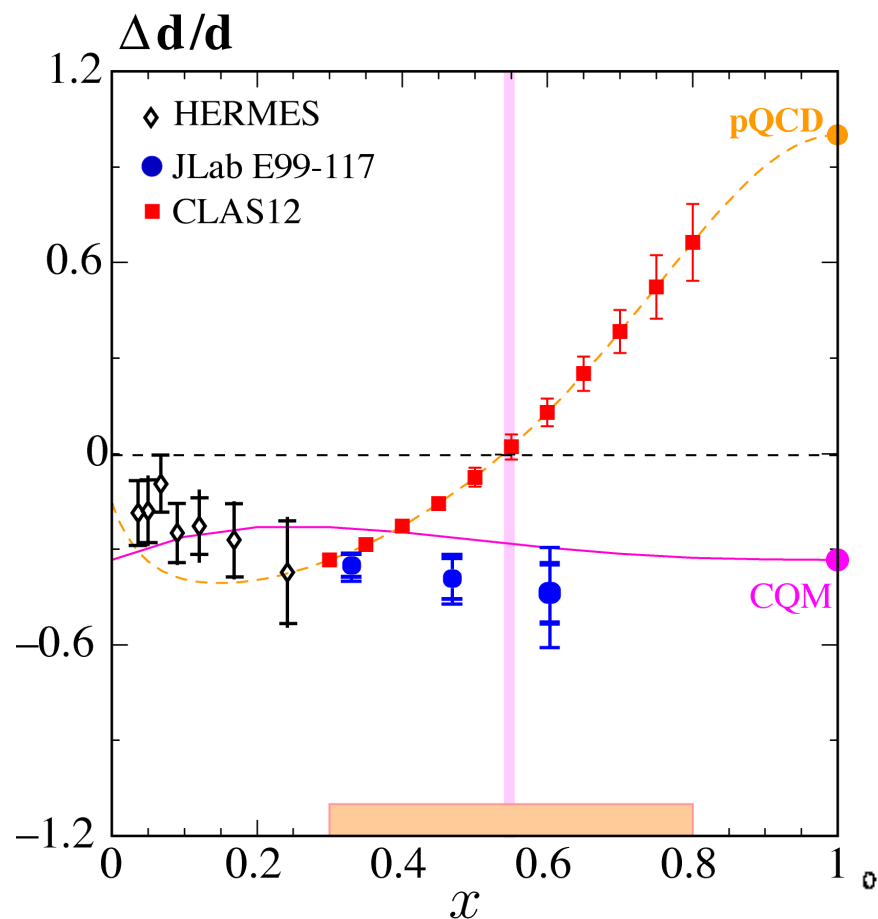
→ →  
Targets: H, D ; h =  $\pi^\pm, K^\pm, p$



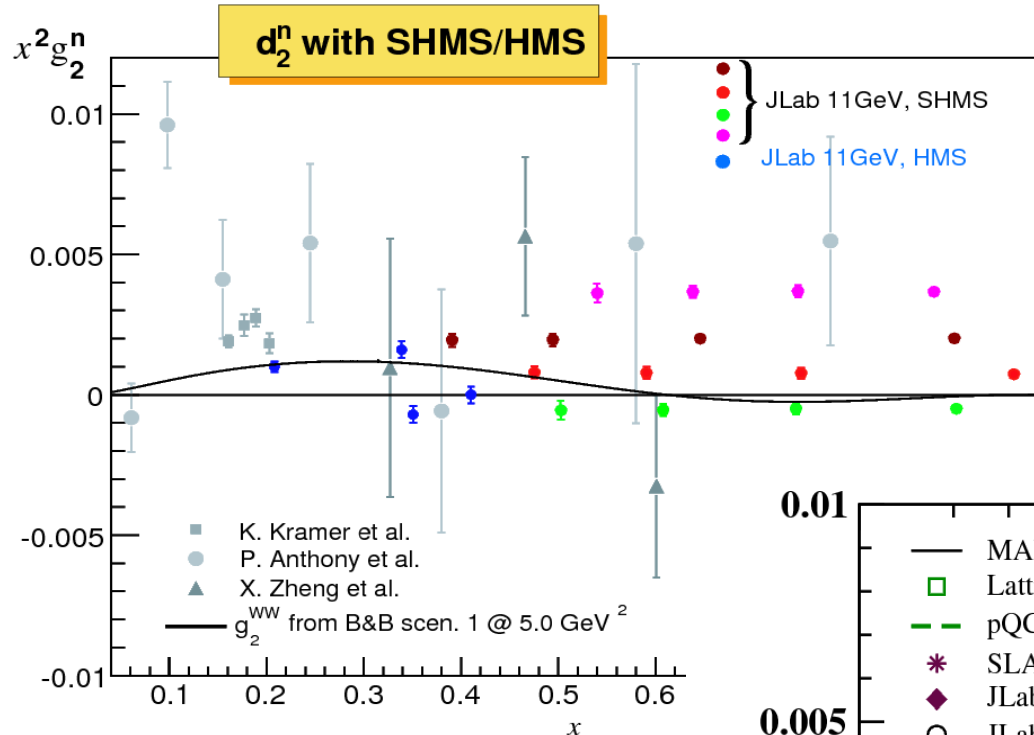
# Flavor decomposition

- Asymmetry measurements with different hadrons ( $\pi^+, \pi^-$ ) and targets (p,n) allow flavor separation

$E_e = 11 \text{ GeV}$   $\text{NH}_3$  and  $^3\text{He}$



# 12 GeV Projected results for $g_2^n$ and $d_2^n$

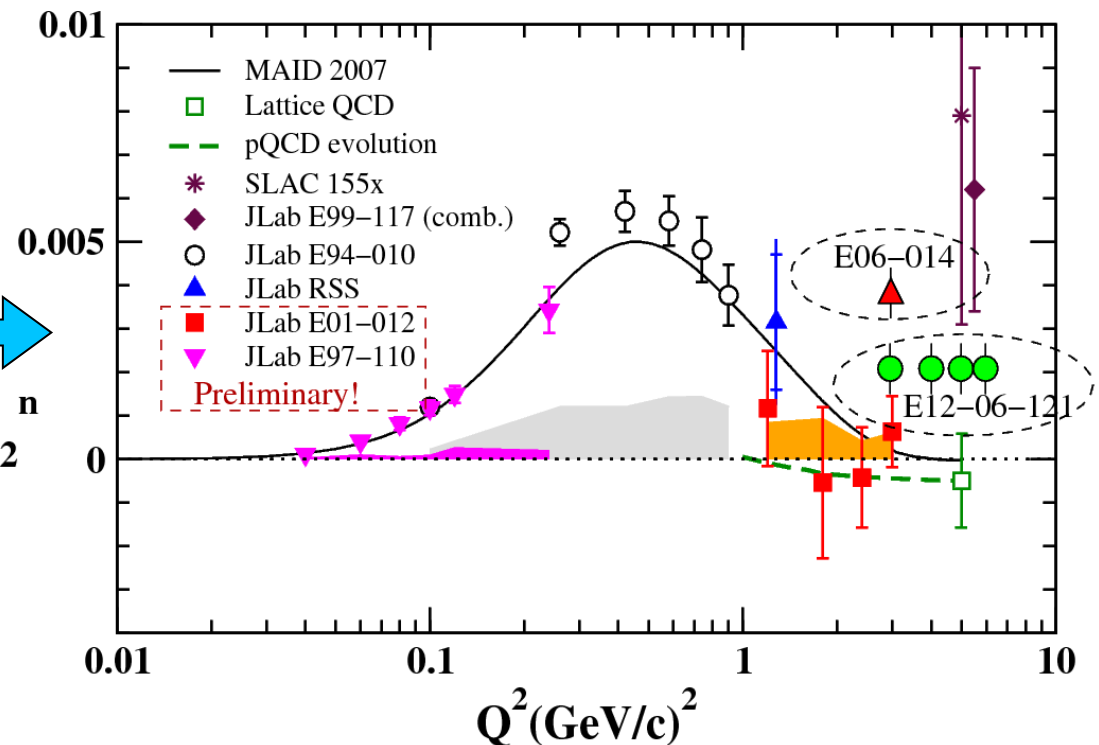


Projected  $g_2^n$  points are vertically offset from zero along lines that reflect different (roughly) constant  $Q^2$  values from  $2.5\text{--}7 \text{ GeV}^2$ .

- $g_2$  for  $^3\text{He}$  is extracted directly from L and T spin-dependent cross sections measured within the same experiment.
- Strength of SHMS/HMS: nearly constant  $Q^2$  (but less coverage for  $x < 0.3$ )



$d_2^n$



# *Beyond one dimensional View*



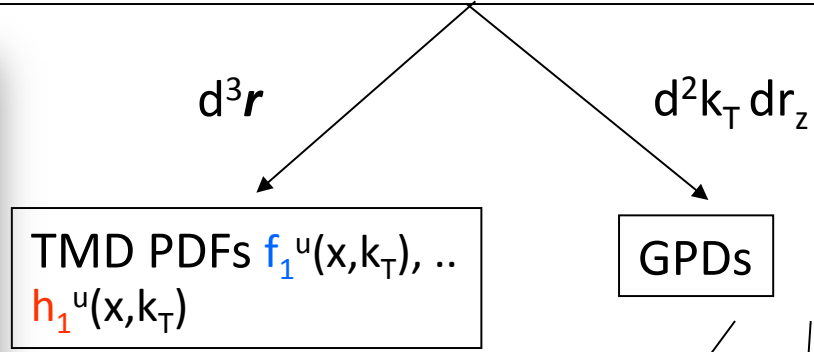
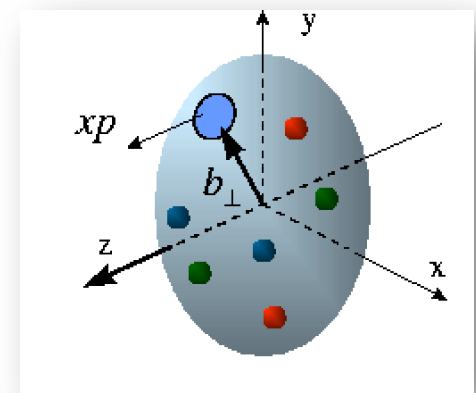
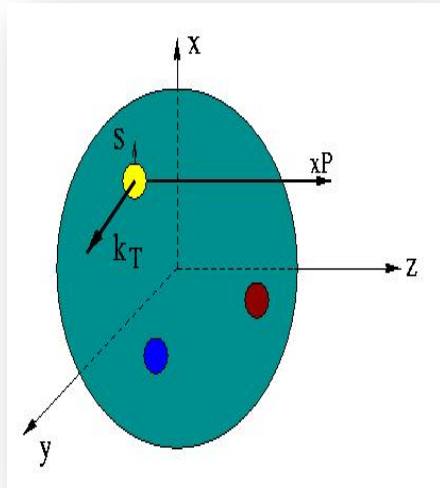
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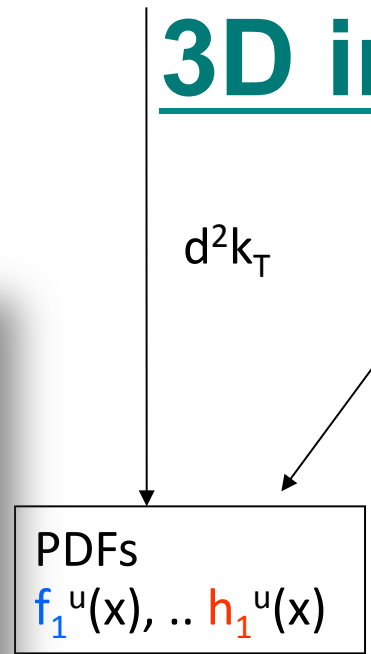
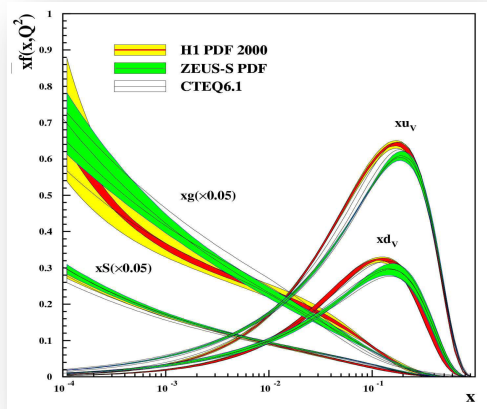
# Unified View of Nucleon Structure

$W_p^u(x, k_T, \mathbf{r})$  Wigner distributions

6D Dist.



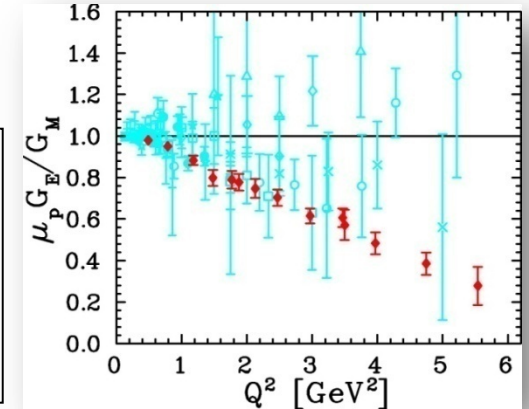
3D imaging



1D

dx & Fourier Transformation

Form Factors  
 $G_E(Q^2), G_M(Q^2)$





# 3-Dimensional view of the nucleon

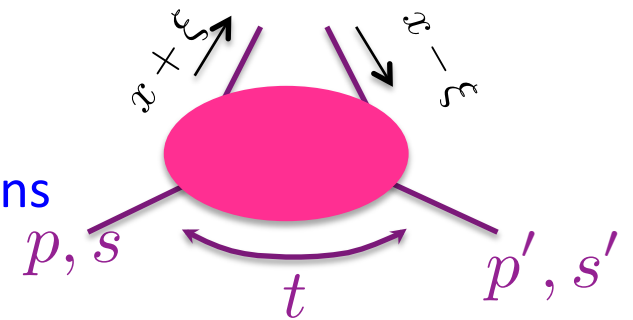
## Generalized Parton Distributions

- Matrix elements of non-local operators with quarks and gluon field

$$\langle p | \mathcal{O} | p \rangle$$

- Depend on two longitudinal momentum fractions

$$x, \xi \text{ and } t = (p - p')^2$$



- For unpolarized quarks we have two distributions:

$H^q$  conserves proton helicity

$E^q$  flips proton helicity

$$p = p' \implies H^q(x, 0, 0) = \begin{cases} q(x) & \text{for } x > 0 \\ -\bar{q}(x) & \text{for } x < 0 \end{cases}$$

$\int dx x^n \text{GPD}(x, \xi, t) \rightarrow$  local operators  $\rightarrow$  form factors

$$\sum_q e_q \int_{-1}^1 dx H^q(x, \xi, t) = F_1(t) \quad \text{Dirac}$$

$$\sum_q e_q \int_{-1}^1 dx E^q(x, \xi, t) = F_2(t) \quad \text{Pauli}$$

## Nucleon Angular Momentum Sum Rule

$$\frac{1}{2} = J^q(\mu) + J^g(\mu)$$

Ji Sum rule (1997)

$$J^q(\mu) = \frac{1}{2} \Delta\Sigma + L^q(\mu)$$

Spin of quarks  
contribution

Orbital angular momentum  
of quarks

$$J^q = \int dx x [H^q + E^q]$$

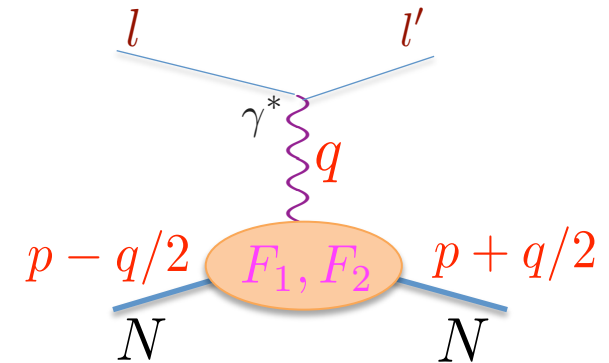
$$J^g = \int dx [H^g + E^g]$$

Total angular momentum of gluons



# Elastic Electron Scattering

- ⊙ Elastic  $e p \rightarrow e p$  scattering is like an electron microscope to investigate nucleon structure
- ⊙ In 1-photon exchange approximation: nucleon structure parameterized by two form factors



$$\begin{aligned}
 A_{\lambda\lambda'}^{\mu} &= \langle p + \frac{1}{2}q, \lambda' | J^{\mu}(0) | p - \frac{1}{2}q, \lambda \rangle \\
 &= \bar{u}(p + \frac{1}{2}q, \lambda') \left[ F_1(Q^2) \gamma^{\mu} + F_2(Q^2) \frac{i}{2m} \sigma^{\mu\nu} q_{\nu} \right] u(p - \frac{1}{2}q, \lambda)
 \end{aligned}$$

Dirac          Pauli

$F_1$  helicity conserving,  $F_2$  helicity flip form factors

- ⊙ In experiments we measure the Sachs form factors

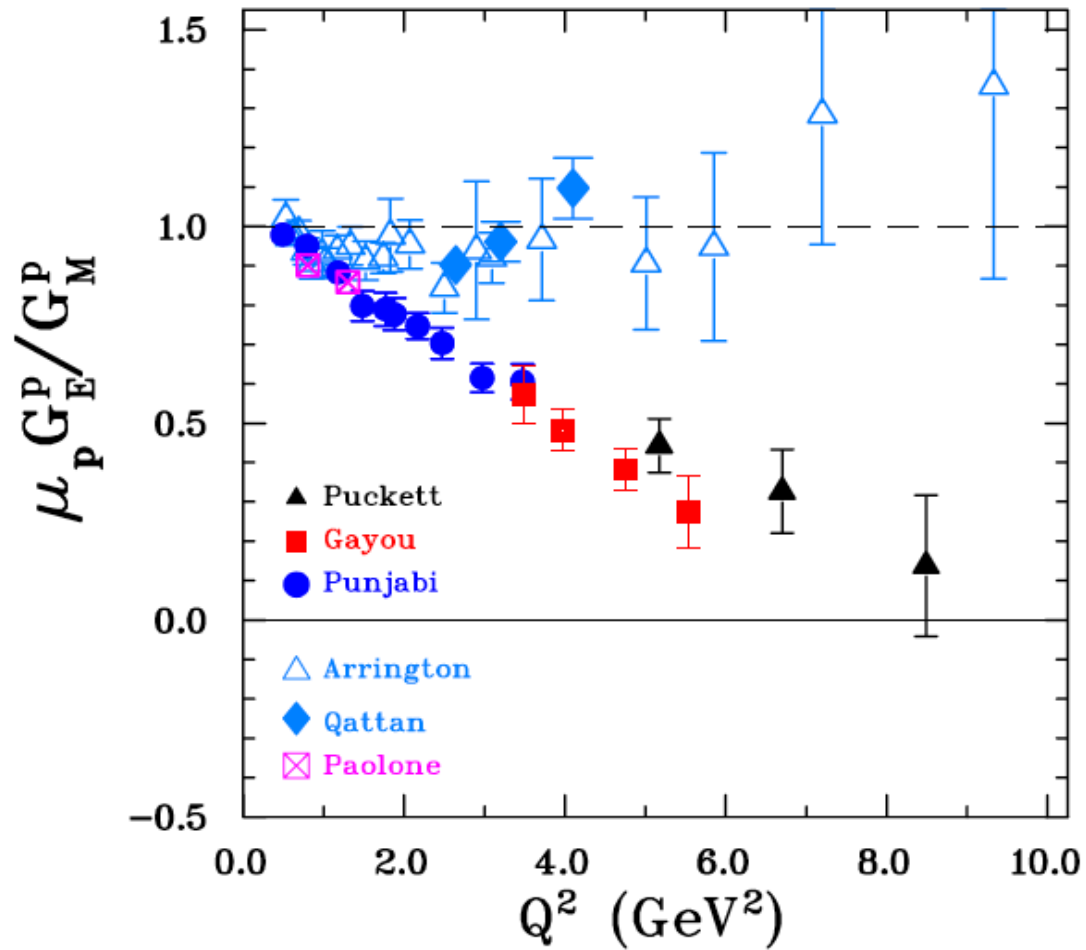
$$\begin{aligned}
 G_E(Q^2) &= F_1(Q^2) - \tau F_2(Q^2) \\
 G_M(Q^2) &= F_1(Q^2) + F_2(Q^2)
 \end{aligned}$$

$$\frac{d\sigma}{d\Omega}(E, \theta) = \sigma_M \left[ \frac{G_E^2 + \tau G_M^2}{1 + \tau} + 2\tau G_M^2 \tan^2\left(\frac{\theta}{2}\right) \right]$$

$$\tau = \frac{Q^2}{2M^2} \quad \sigma_M = \frac{\alpha^2 E' \cos^2\left(\frac{\theta}{2}\right)}{4E^3 \sin^4\left(\frac{\theta}{2}\right)}$$

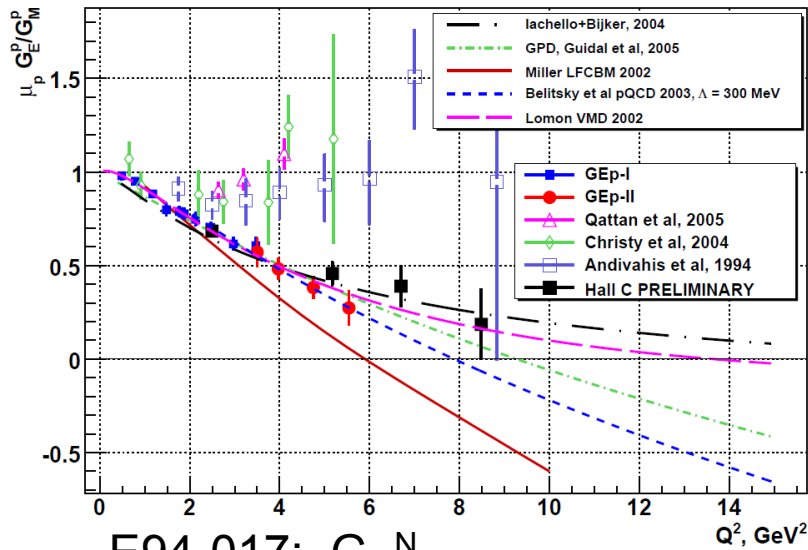


# Proton electric form factor

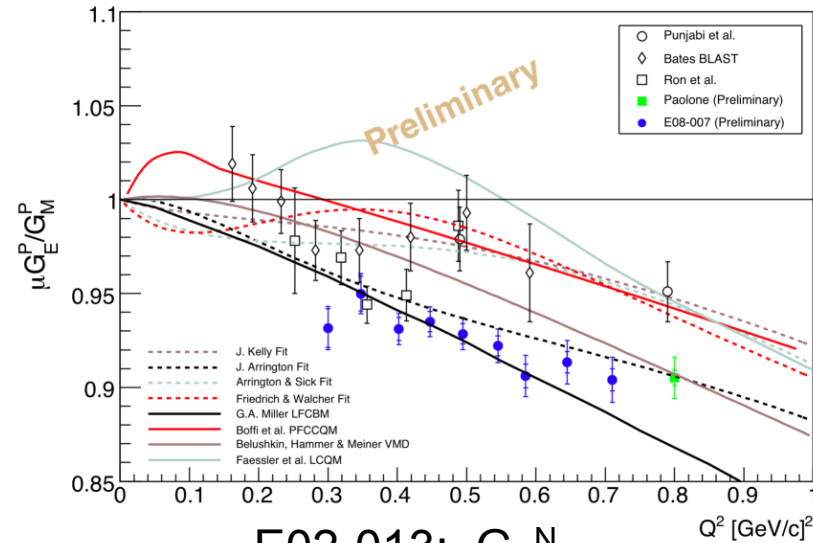


# Progress on the Nucleon EM Form Factors

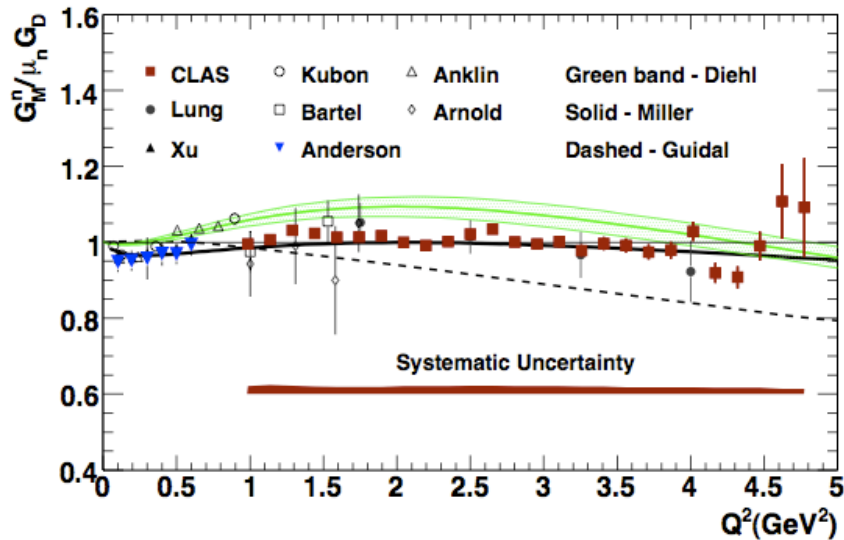
E04-108  $G_E^p$ -III



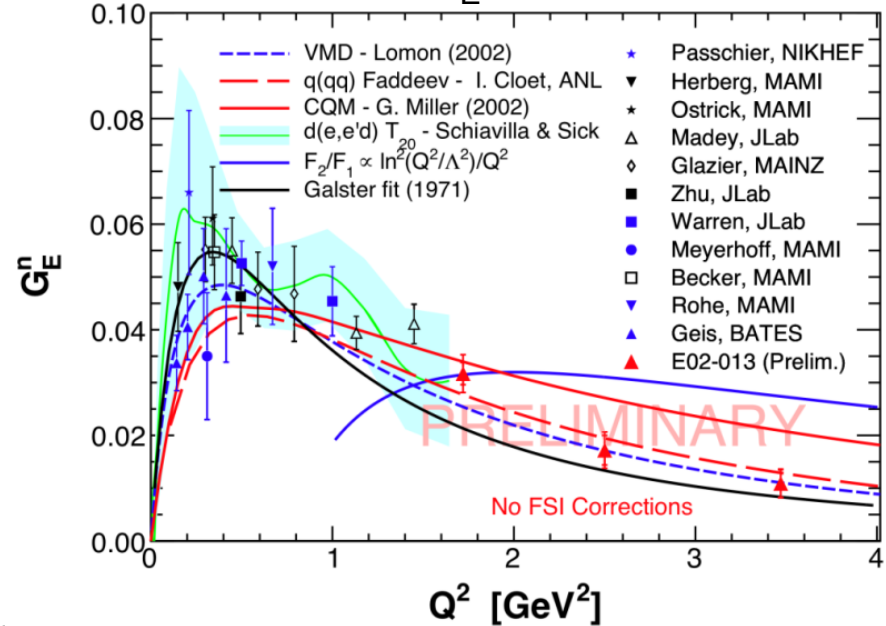
E08-007: High Precision Low  $Q^2$   $G_E^p$



E94-017:  $G_M^N$

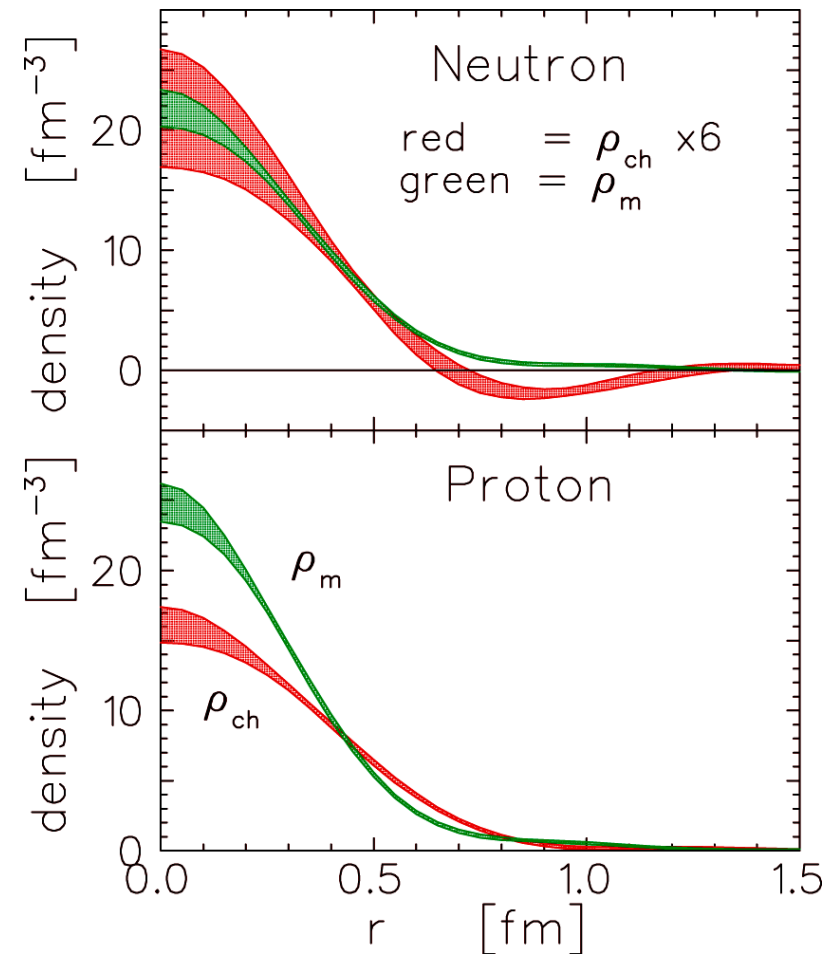


E02-013:  $G_E^N$

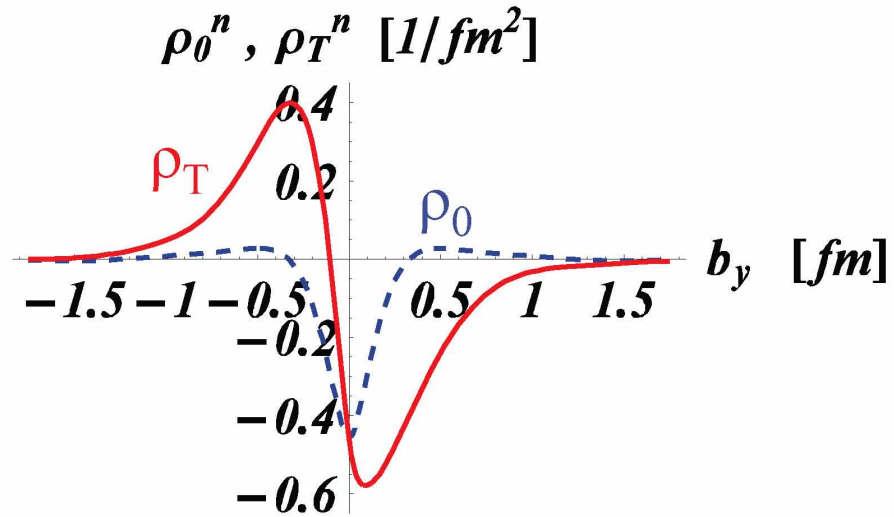
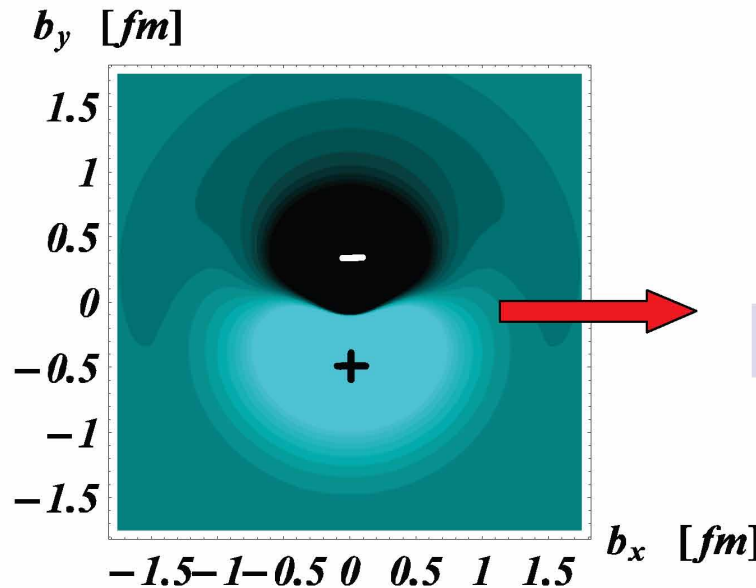
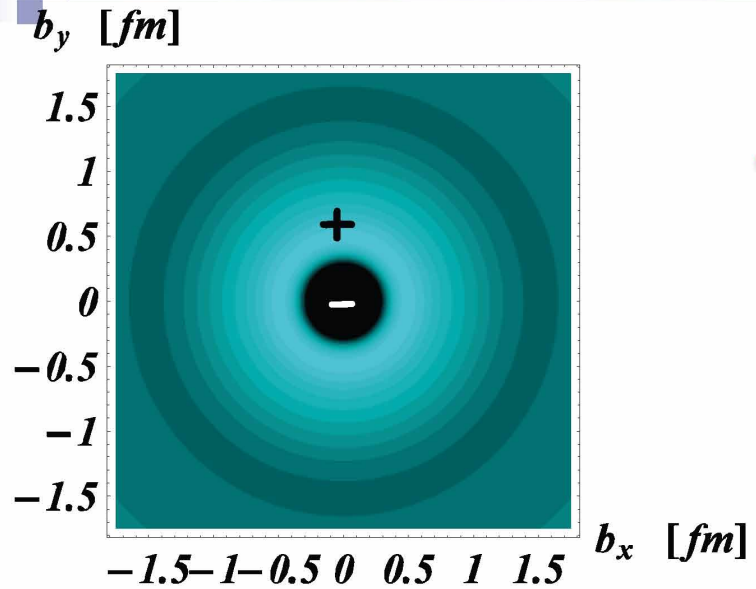


# Charge and magnetization distribution

- Charge and magnetization distribution as Fourier transform of form factors
- Extracted using the Breit (center of mass) frame
- At large momentum transfer the method of extraction has been revisited using light cone formalism
- The framework uses the Generalized Parton Distributions



# empirical quark transverse densities in neutron



induced EDM :  $d_y = F_{2n}(0) \cdot e / (2 M_N)$

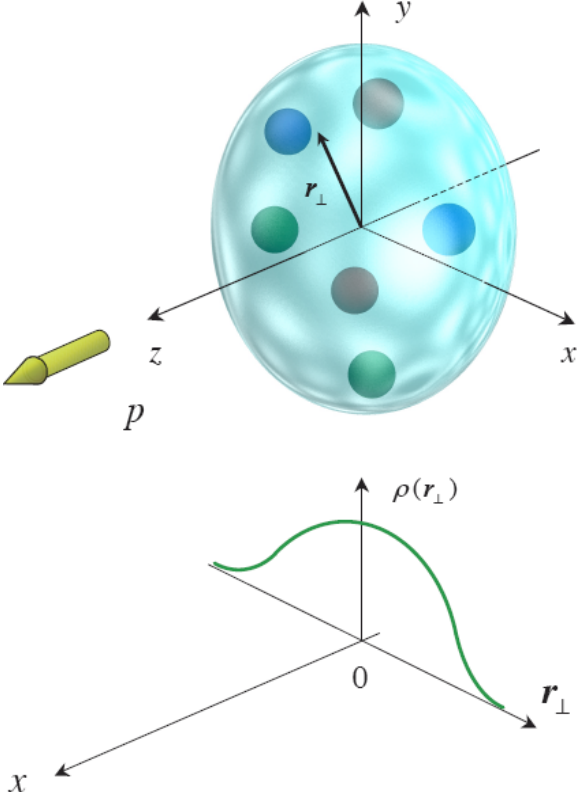
data: Bradford, Bodek, Budd, Arrington (2006)

densities : Miller (2007); Carlson, Vdh (2007)

# 3D imaging of the nucleon

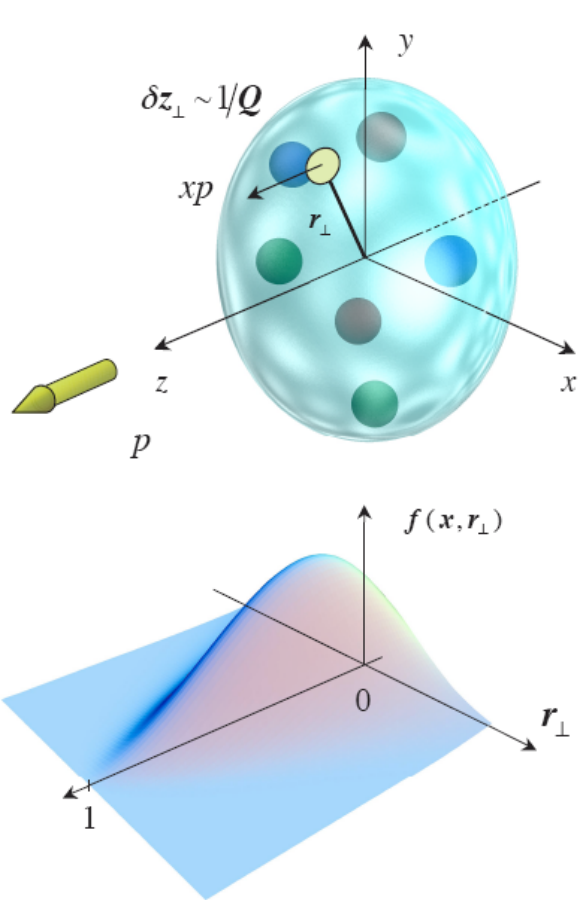
Tool: **G**eneralised **P**arton **D**istributions

### Form factors:



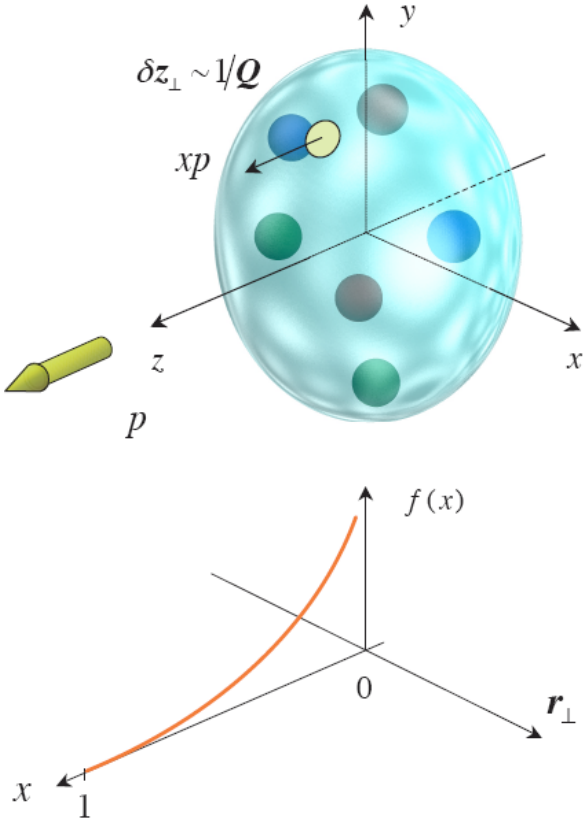
Fourier transform of e.g. a radial charge distribution

### GPDs:



Generalized description in 2+ 1 dimensions

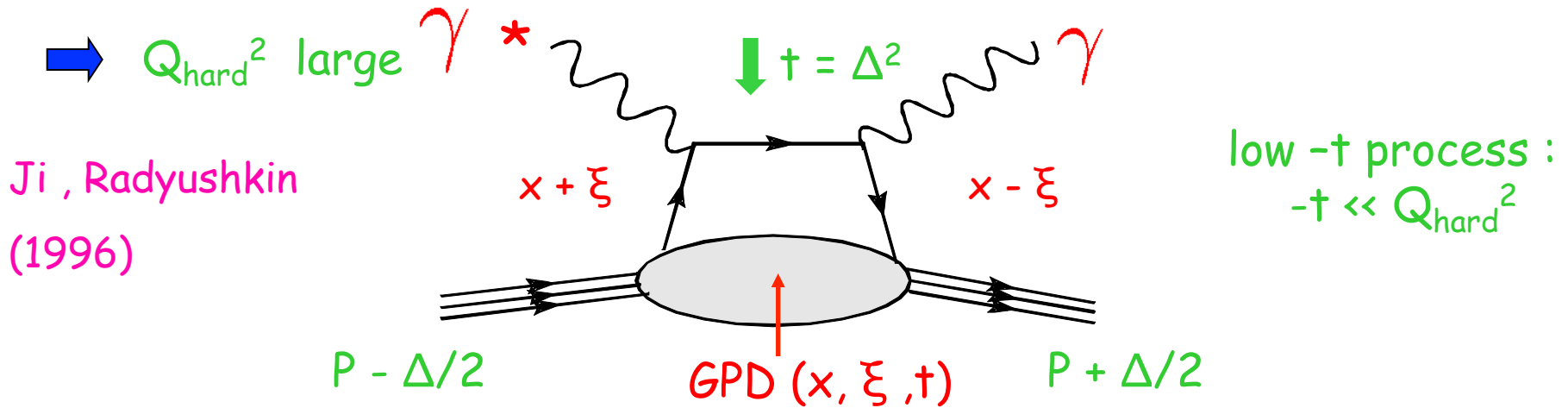
### Parton Distribution Functions:



Number density of quarks with longitudinal momentum fraction x



# Generalized Parton Distributions



$(x + \xi)$  and  $(x - \xi)$  : longitudinal momentum fractions of quarks

$\rightarrow$  at large  $Q^2$  : QCD factorization theorem  $\rightarrow$  hard exclusive process can be described by 4 transitions (GPDs) :

$$H(x, \xi, t)$$

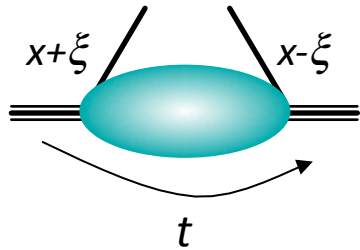
$$E(x, \xi, t)$$

$$\tilde{H}(x, \xi, t)$$

$$\tilde{E}(x, \xi, t)$$

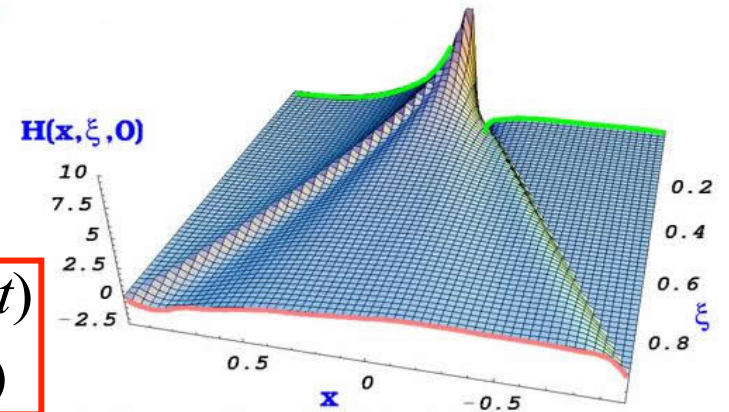


# Generalized Parton Distributions, Deeply Virtual Compton Scattering



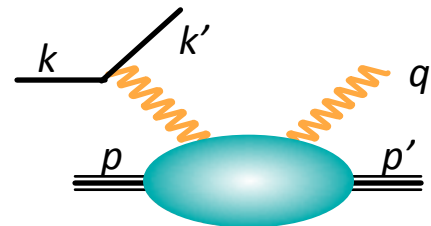
$$\langle p' s' | \bar{\psi}(-y/2) \gamma^\mu \psi(y/2) | p s \rangle \rightarrow H, E(x, \xi, t)$$

$$\langle p' s' | \bar{\psi}(-y/2) \gamma^\mu \gamma^5 \psi(y/2) | p s \rangle \rightarrow \tilde{H}, \tilde{E}(x, \xi, t)$$



Model by  
Goeke, Polyakov,  
Vanderhaeghen

**Deeply Virtual Compton Scattering  
is the simplest hard exclusive  
process involving GPDs**

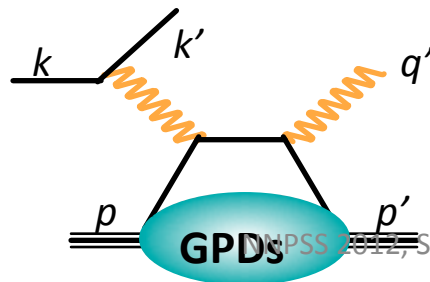


The handbag dominance:

$$Q^2 = -q^2 = -(k - k')^2 \gg M^2$$

$$t = (p - p')^2 = \Delta^2 \ll Q^2$$

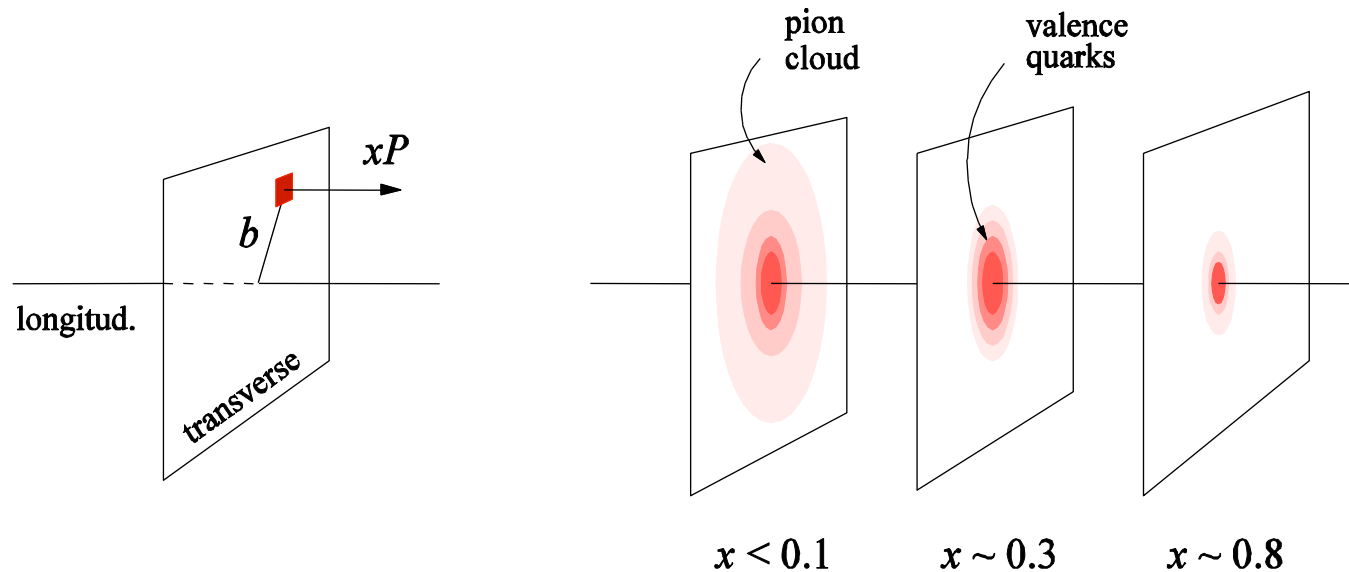
**Factorization  
Theorem**



$$\text{DVCS amplitude} \approx \int \frac{dx}{x - \xi + i\epsilon} \text{GPD}(x, \xi, t) + \dots$$



# GPDs : 3D quark/gluon imaging of nucleon



## Fourier transform of GPDs :

simultaneous distributions of quarks w.r.t. longitudinal momentum  $xP$  and transverse position  $b$

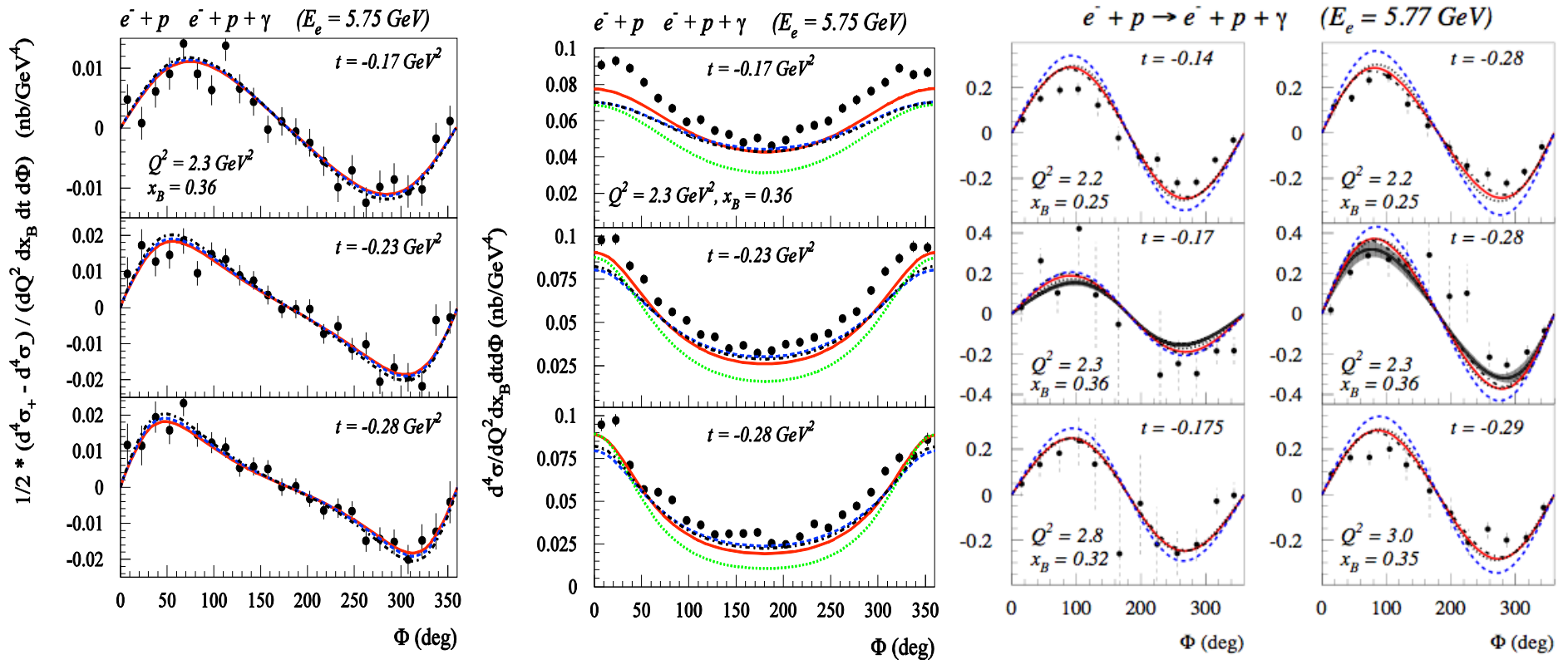
( M. Burkardt )

⇒ theoretical parametrization needed :

double distributions, dual param. (Guzey), conformal param. (Müller)



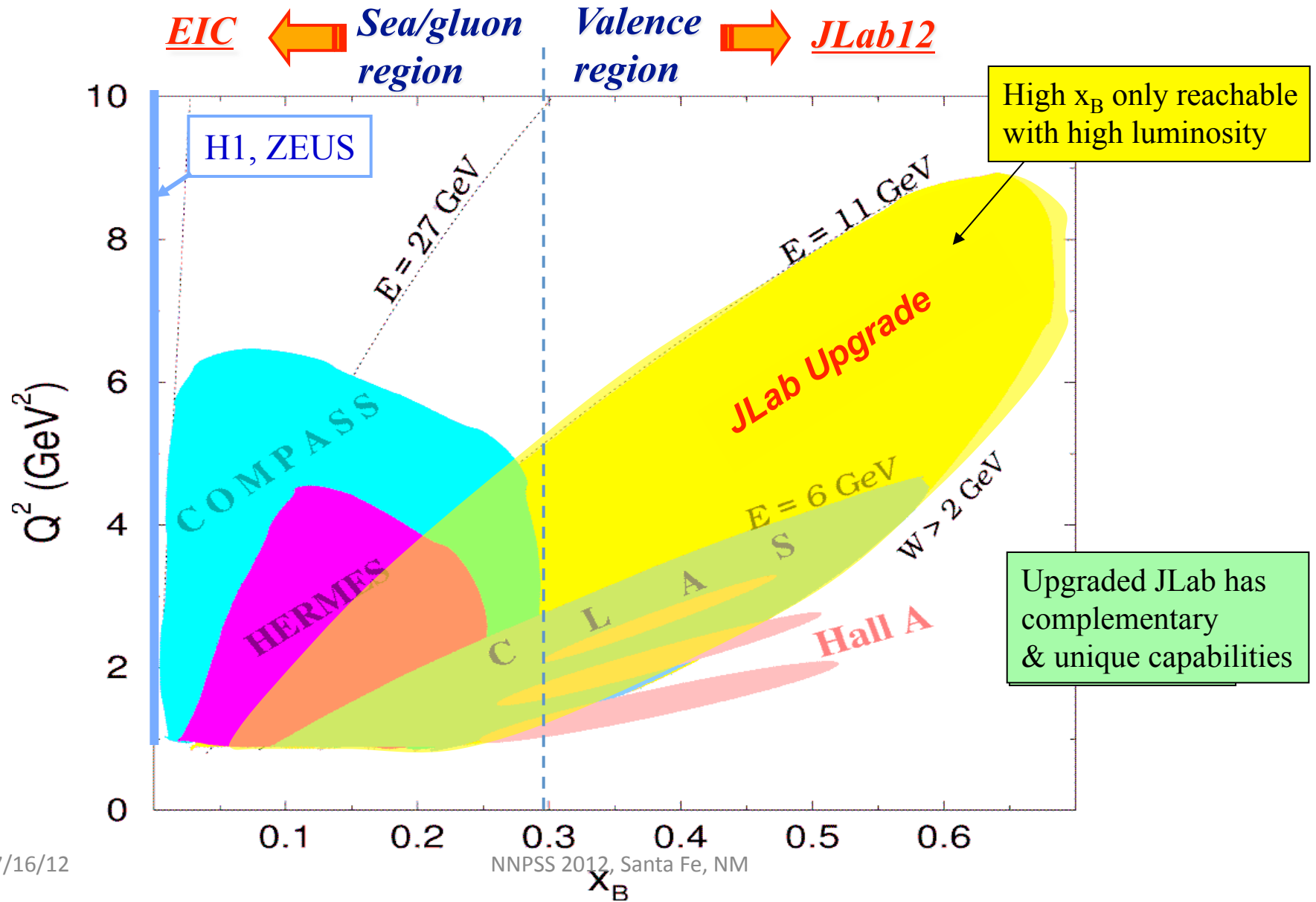
# Generalized Parton Distributions (GPDs)



Unprecedented set of Deeply Virtual Compton Scattering data accumulated in Halls A and B and more to come



*Large phase space ( $x, t, Q^2$ ) and High luminosity required*



# DVCS program at JLab 12GeV upgrade

Nucleon polarization	Sensitivity to GPDs	
U	$H, \tilde{H}, E$	E12-06-114 : (A) proton E12-06-119 : (B) proton E12-11-003: (B) neutron
L	$\tilde{H}, H, E$	E12-06-119 : (NH <sub>3</sub> ) (B) proton
T	$E, H$	E12-11-105 : (HD) (B) proton

The JLab DVCS program will be carried out in two experimental Halls: **A & B (CLAS12)**



# Extraction of GPD's

global analysis : cross sections, asymmetries, (p,n), ( $\gamma, M$ )

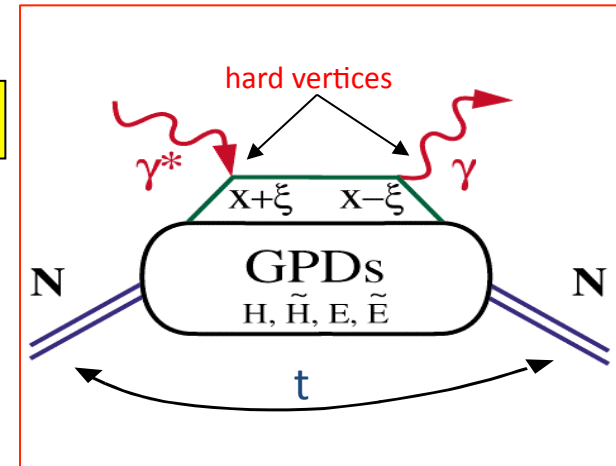
$ep \longrightarrow epy$

Cleanest process: Deeply Virtual Compton Scattering

$$A = \frac{\sigma^+ - \sigma^-}{\sigma^+ + \sigma^-} = \frac{\Delta\sigma}{2\sigma}$$

$$\xi = x_B / (2 - x_B)$$

$$k = -t/4M^2$$



Polarized beam, unpolarized target:

$$\Delta\sigma_{LU} \sim \sin\phi \{ F_1 H + \xi (F_1 + F_2) \tilde{H} + k F_2 E \} d\phi$$

$$\Rightarrow H(x, t)$$

Unpolarized beam, longitudinal target:

$$\Delta\sigma_{UL} \sim \sin\phi \{ F_1 \tilde{H} + \xi (F_1 + F_2) (H + \xi / (1 + \xi) E) \} d\phi$$

$$\Rightarrow \tilde{H}(x, t)$$

Unpolarized beam, transverse target:

$$\Delta\sigma_{UT} \sim \sin\phi \{ k (F_2 H - F_1 E) \} d\phi$$

$$\Rightarrow E(x, t)$$

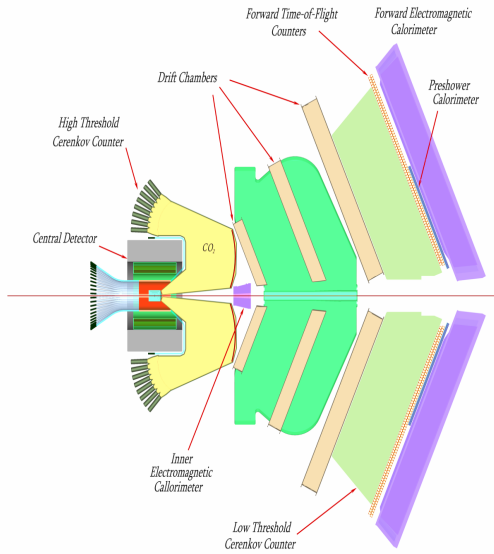


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NNPSS 2012, Santa Fe, NM

# exclusive DVCS : BSA @ JLab 12 GeV

CLAS12



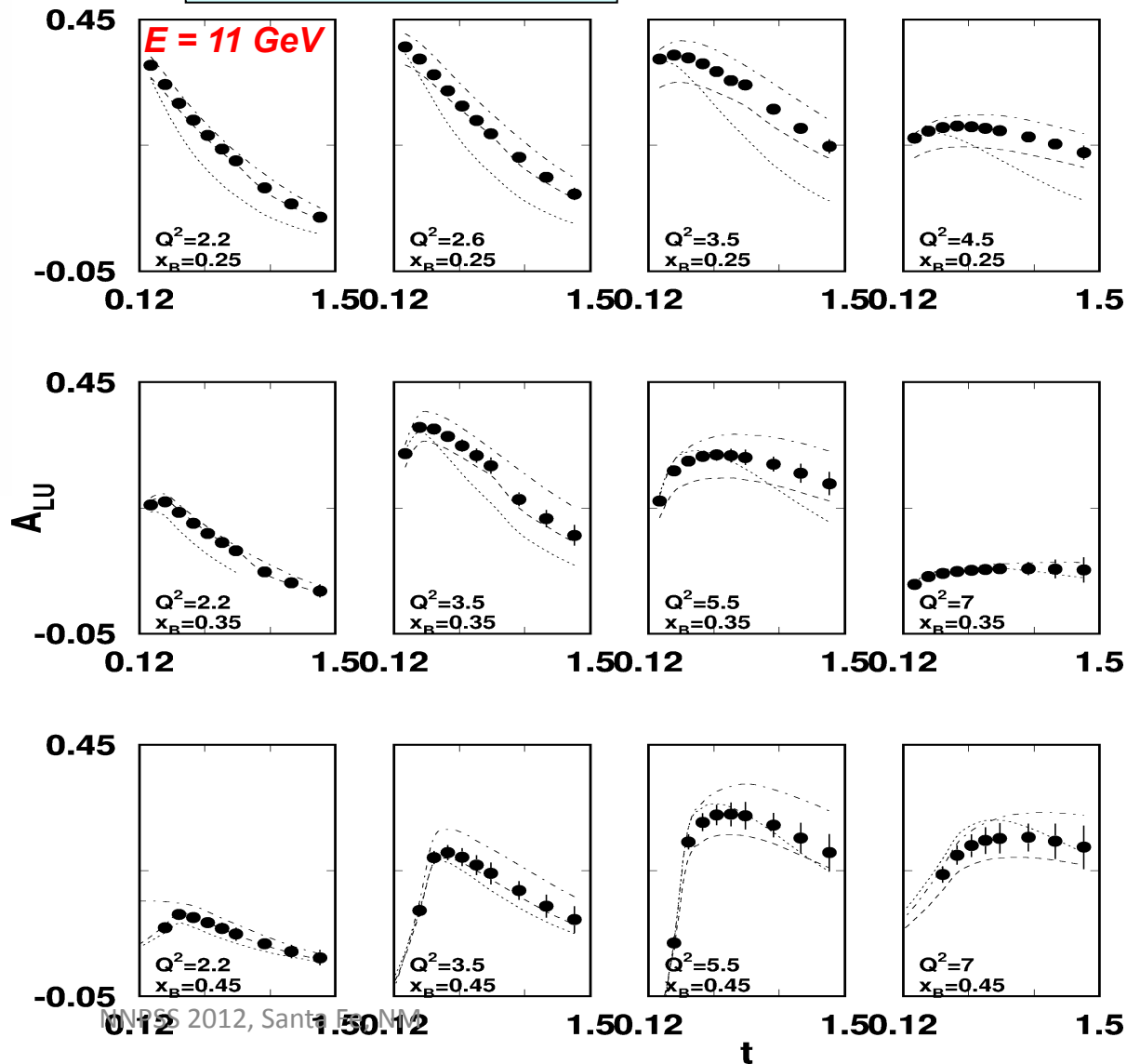
$$e p \rightarrow e p \gamma$$

Projected results

$$\Delta\sigma_{LU} \sim \sin\phi \text{Im}\{F_1 H^+\} d\phi$$

Selected Kinematics

$L = 1 \times 10^{35}$   
 $T = 2000 \text{ hrs}$   
 $\Delta Q^2 = 1 \text{ GeV}^2$   
 $\Delta x = 0.05$



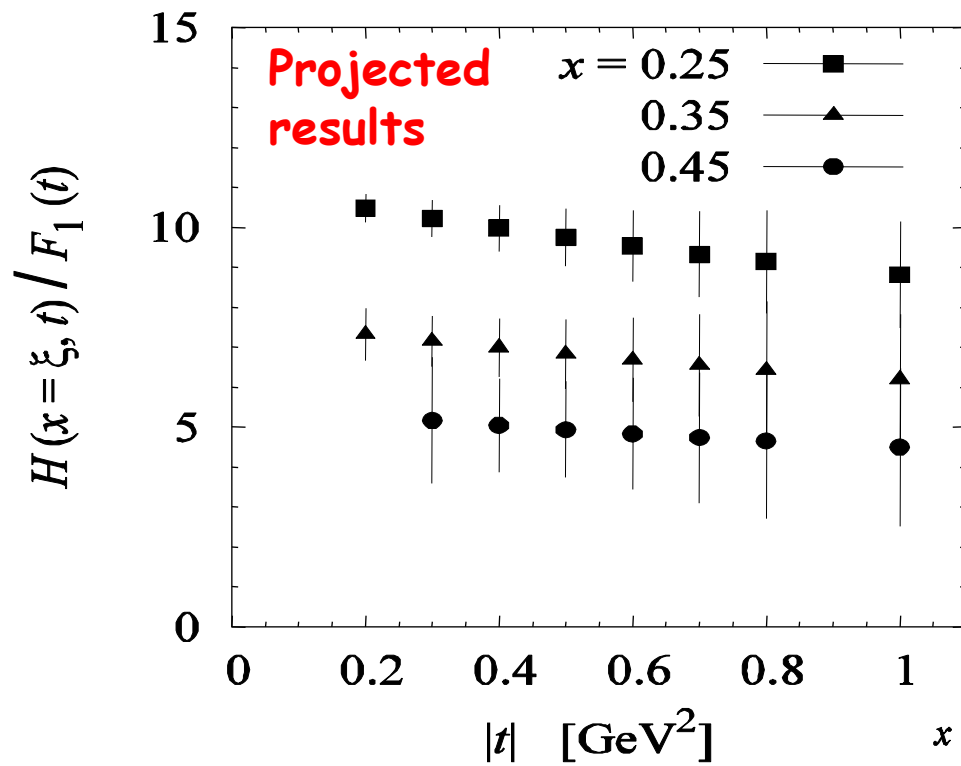
7/16/12

NPSS 2012, Santa Fe, NM

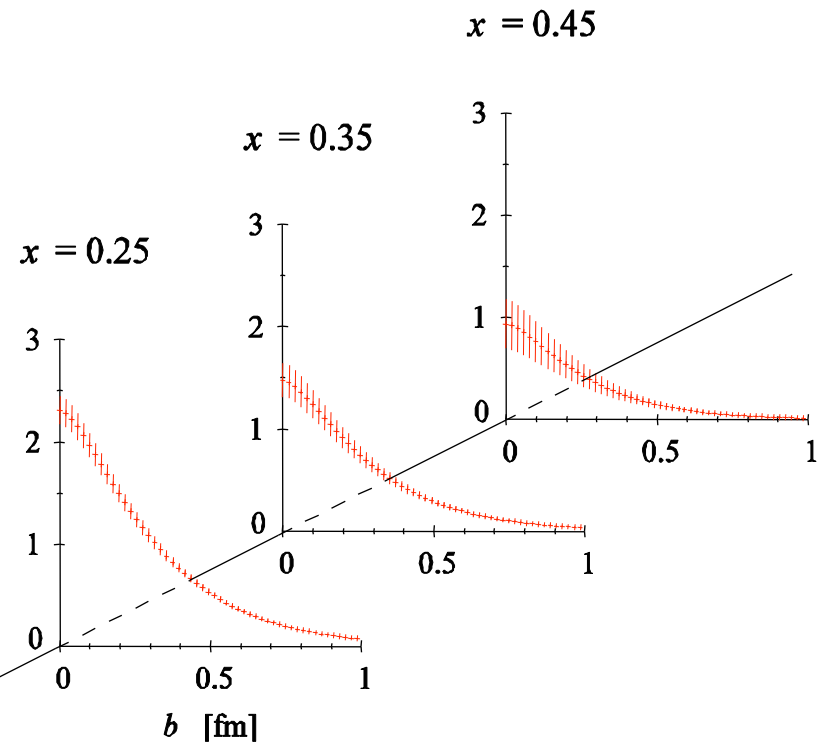


# Projected precision in extraction of

## GPD $H$ at $x = \xi$



spatial image

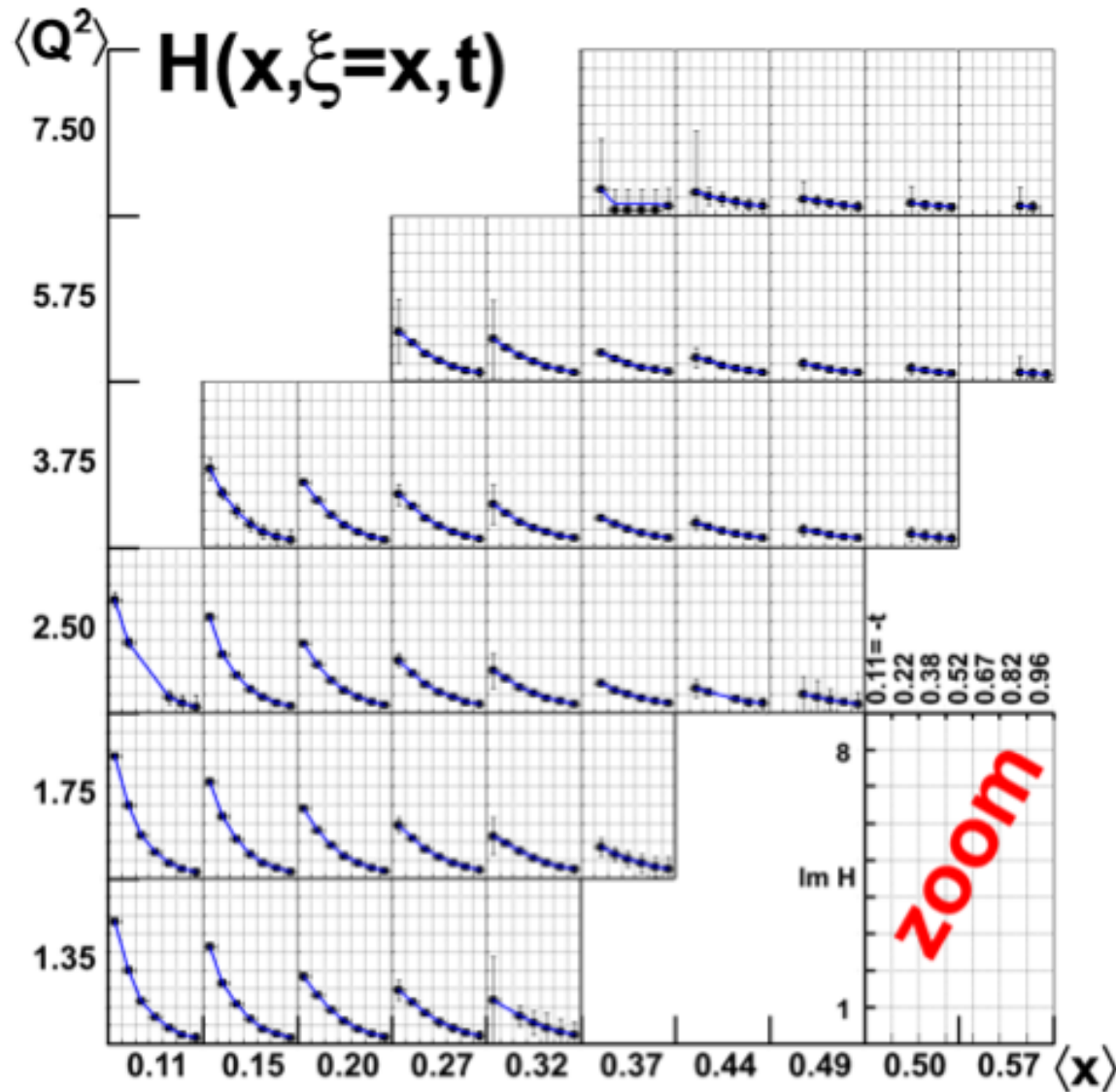


upgraded CLAS @ JLab12GeV

Avakian, Weiss



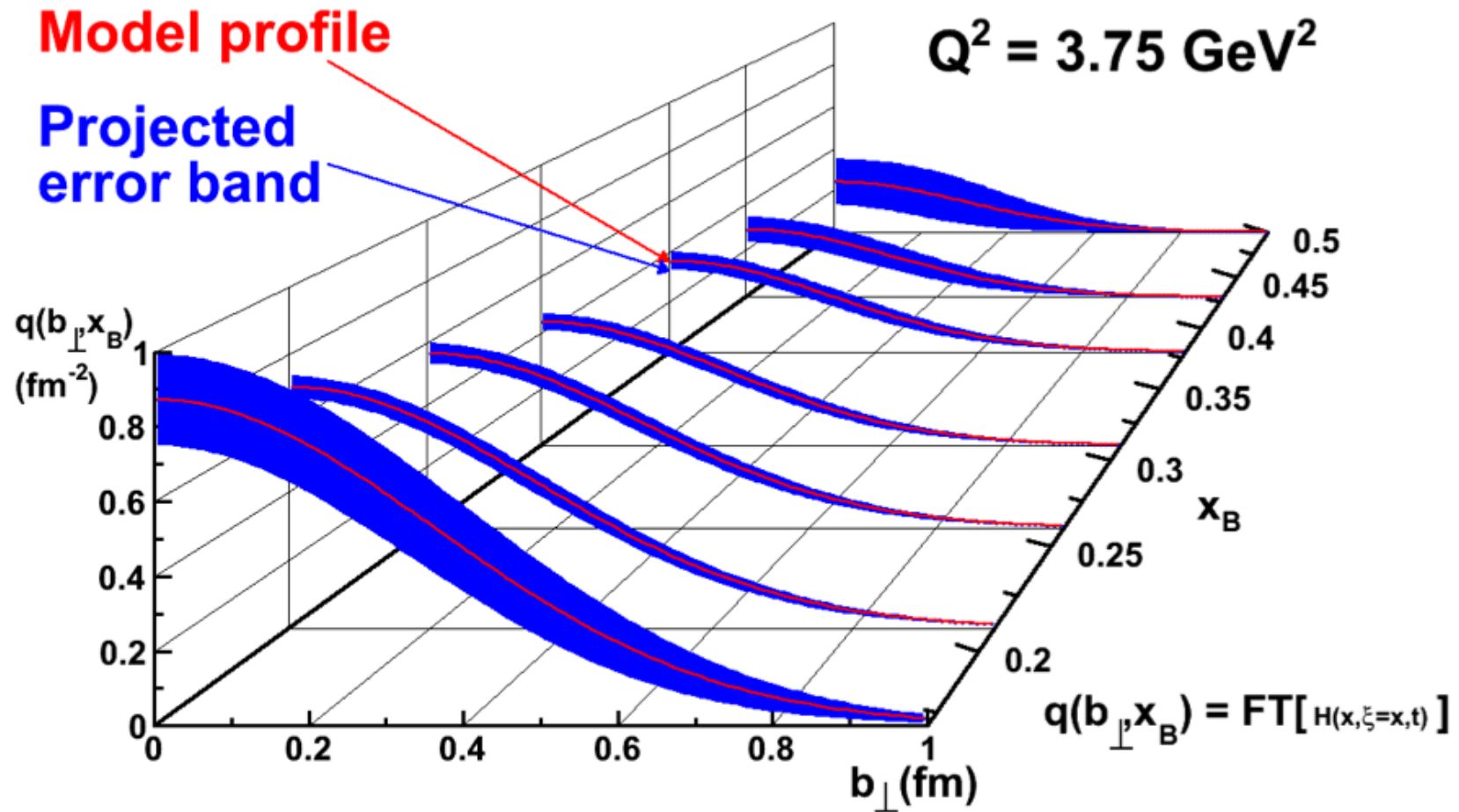
# Projected impact on GPD extraction methods



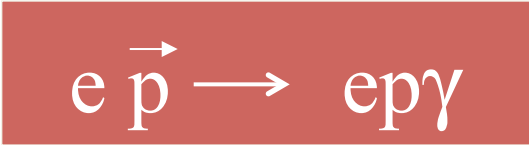
Using simulated data based on VGG model. Input GPD H extracted with good accuracy



# Nucleon Transverse Profile: Projections



# Exclusive DVCS on *longitudinal* target @ JLab 12 GeV

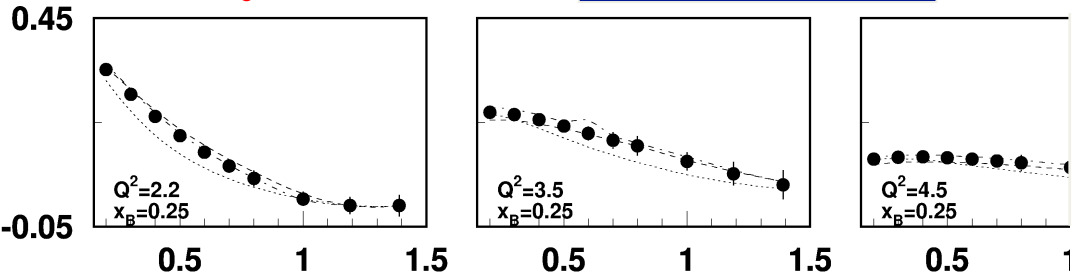


$L = 2 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$   
 $T = 1000 \text{ hrs}$   
 $\Delta Q^2 = 1 \text{ GeV}^2$   
 $\Delta x = 0.05$

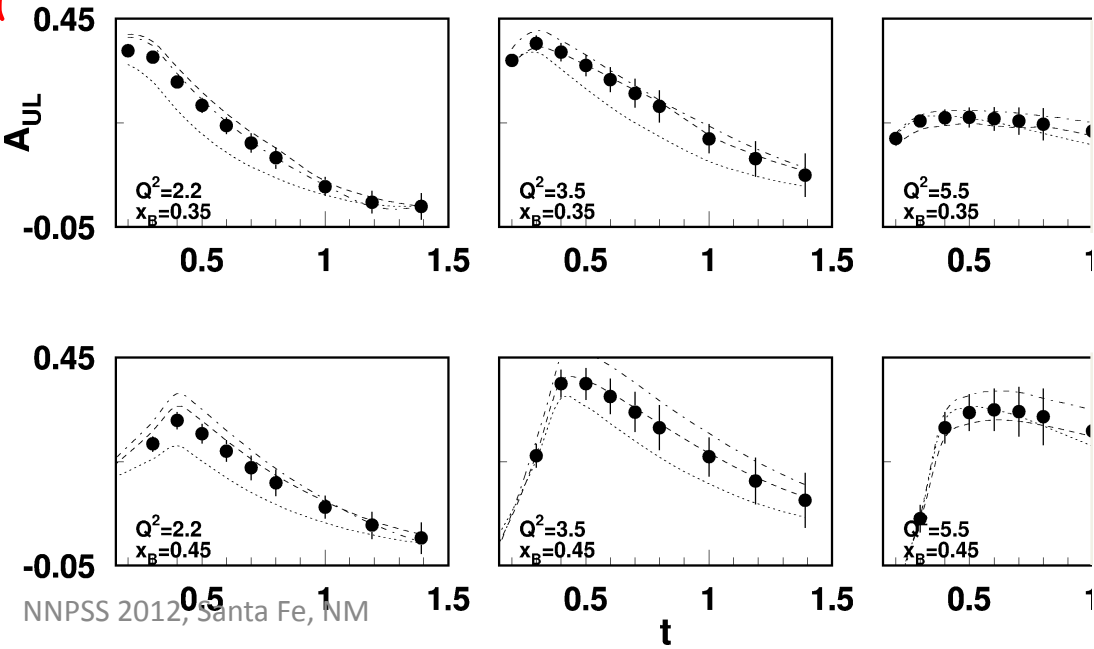
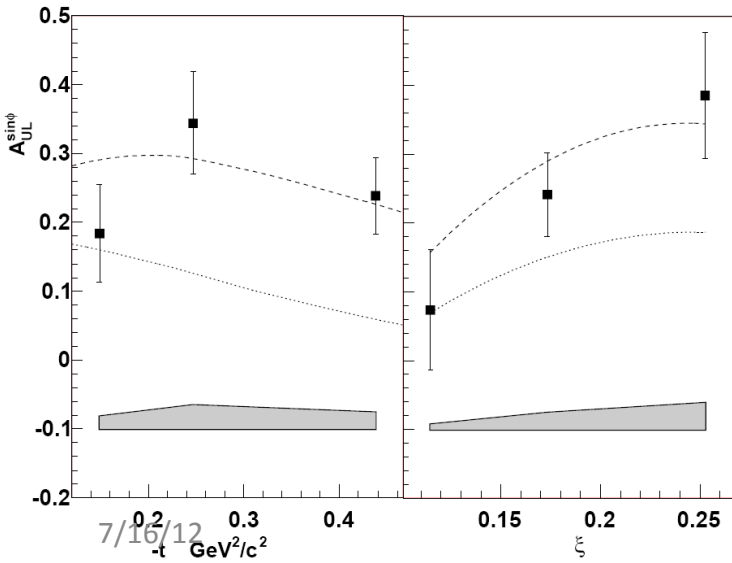
Longitudinally polarized target

$$\Delta\sigma \sim \sin\phi \text{Im}\{F_1 \tilde{H} + x(F_1 + F_2)H \dots\} d\phi$$

Projected results



CLAS exclusive DVCS data  
PRL97, 072002 (2006)



# Exclusive DVCS on *transverse* target @ JLab 12 GeV

$$e p^\uparrow \rightarrow e p \gamma$$

$E = 11 \text{ GeV}$

Transverse polarized target

$$\Delta\sigma \sim \sin\phi \text{Im}\{k_1(F_2^H - F_1^E) + \dots\}d\phi$$

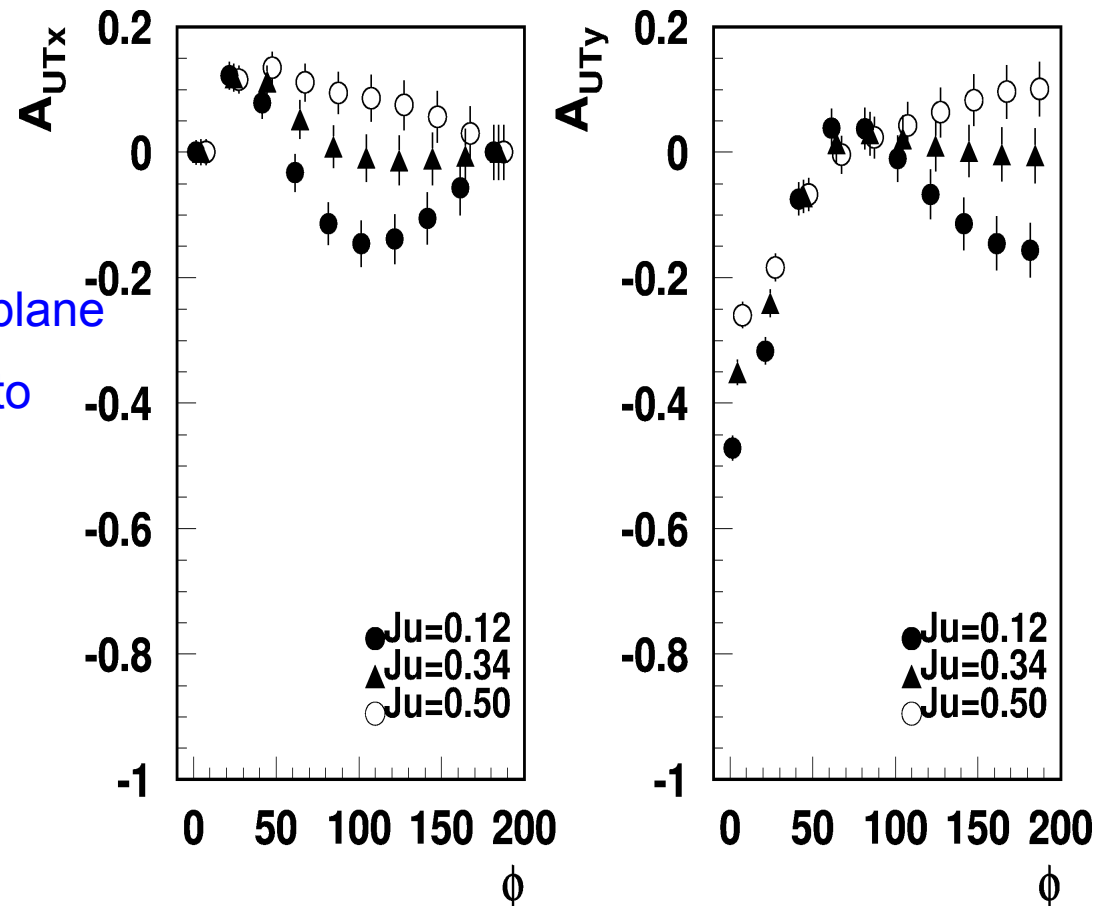
$A_{UTx}$  Target polarization in scattering plane

$A_{UTy}$  Target polarization perpendicular to scattering plane

- Asymmetry highly sensitive to the u-quark contributions to proton spin.

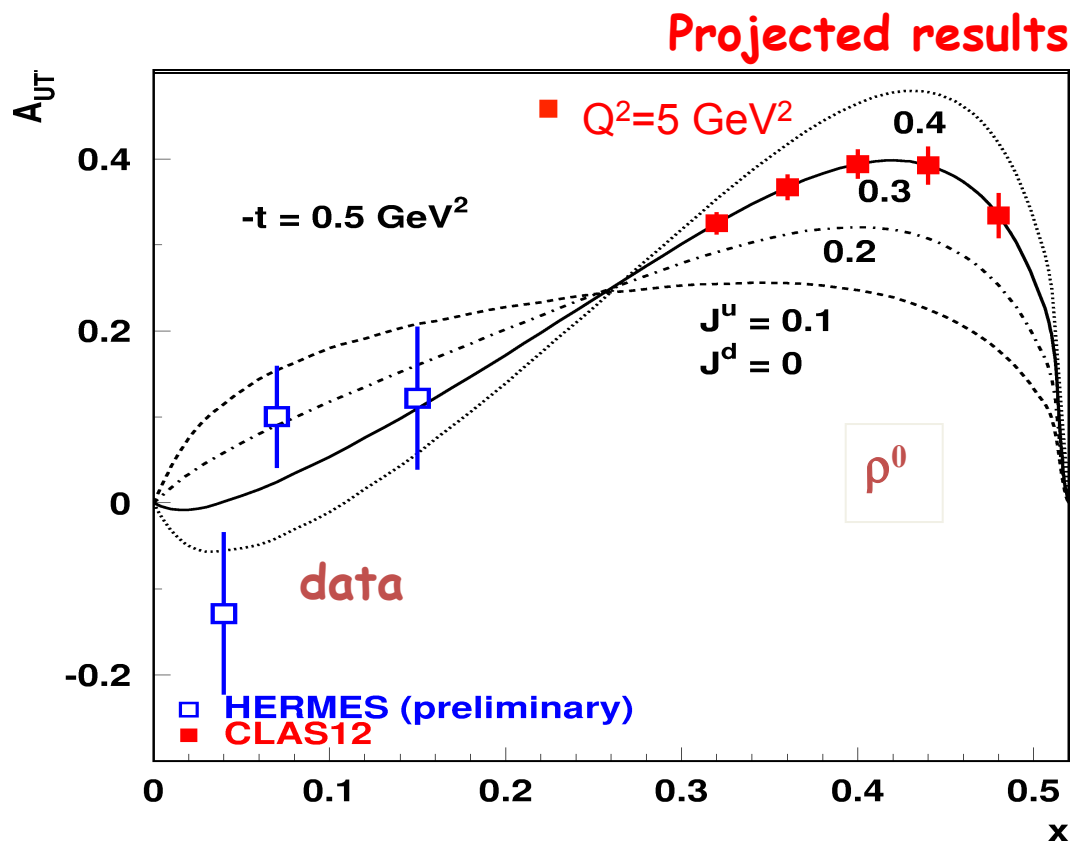
Projected results

$$Q^2=2.2 \text{ GeV}^2, x_B = 0.25, -t = 0.5 \text{ GeV}^2$$



# exclusive $\rho^0$ production on *transverse* target

$$A_{UT} = - \frac{2\Delta_{\perp}(\text{Im}(AB^*))/\pi}{|A|^2(1-x^2) - |B|^2(x^2+t/4m^2) - \text{Re}(AB^*)2x^2}$$



$\rho^0$

$$A \sim 2H^u + H^d$$

$$B \sim 2E^u + E^d$$

$\rho^+$

$$A \sim H^u - H^d$$

$$B \sim E^u - E^d$$

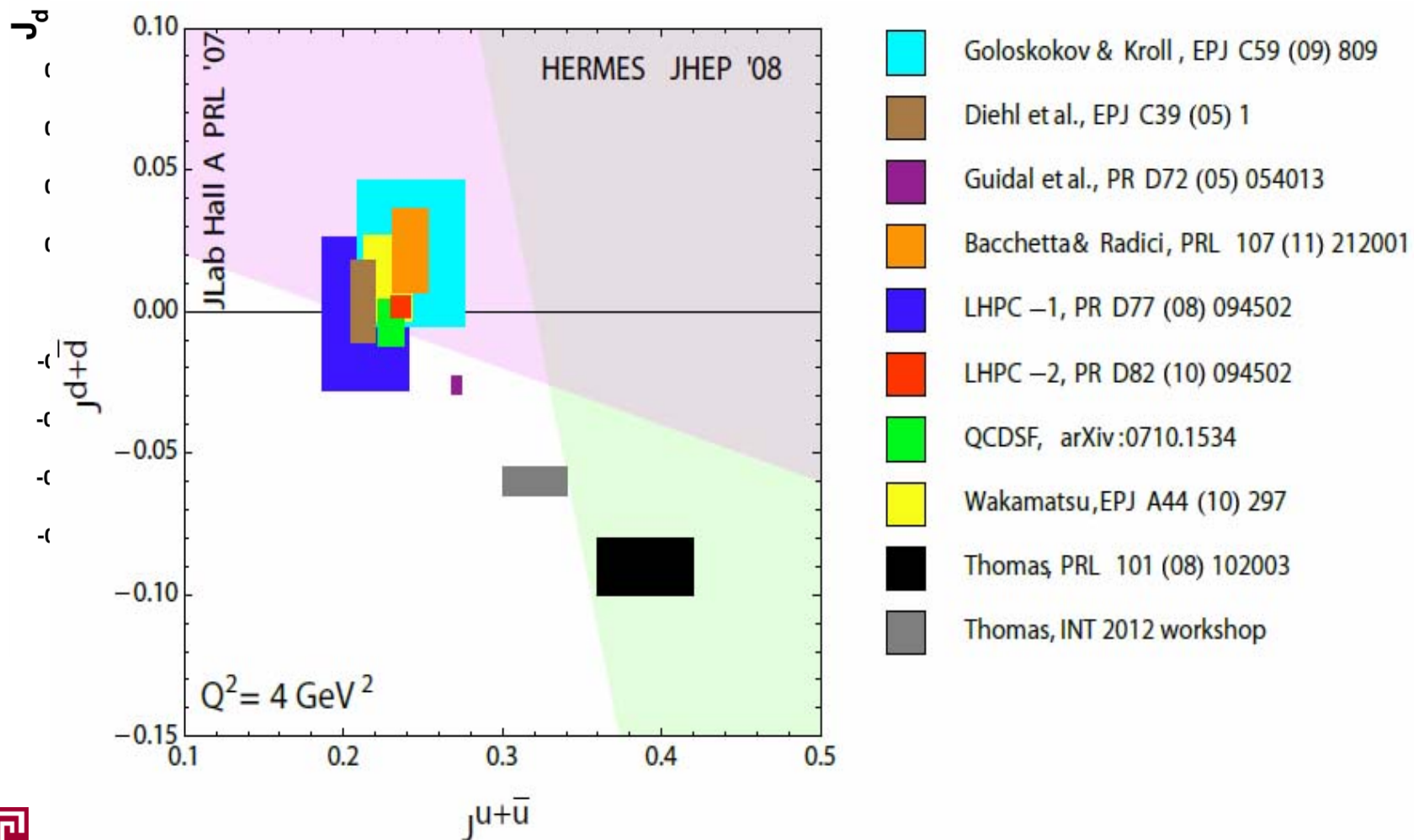
$E^u, E^d$  needed for  
angular momentum  
sum rule.

Goeke, Polyakov, Vdh (2001)



# Quark Angular Momentum

$$J^q(t) = \int_{-1}^{+1} dx x [H^q(x, \xi, t) + E^q(x, \xi, t)]$$

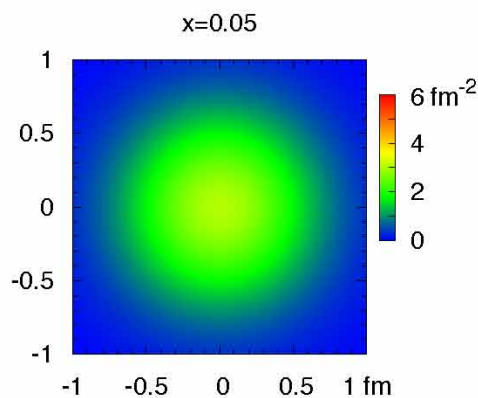


# What can we do with the GPDs?

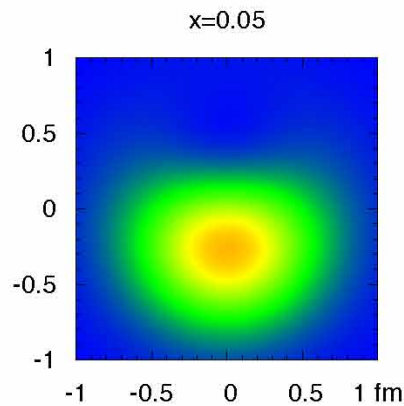
evaluate parton angular momenta from Ji's sum rule

$$J^u = 0.25 \pm 0.03 \quad J^d = 0.02 \pm 0.03 \quad J^s = 0.02 \pm 0.03 \quad J^g = 0.21 \pm 0.06$$

work out transverse localization of partons



unpolarized



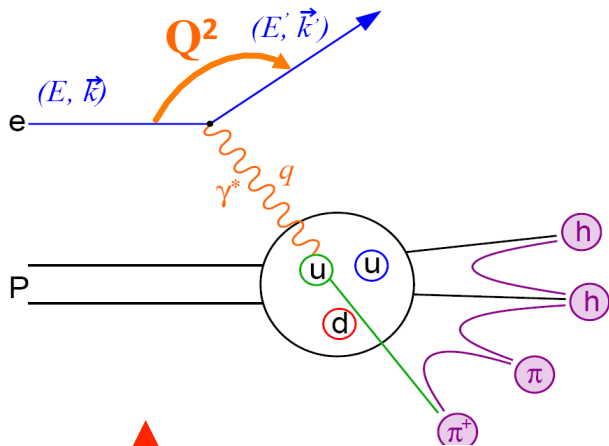
polarized proton

for  $d$  quarks

$$q_v^X(x, \mathbf{b}) = q_v(x, \mathbf{b}) - \frac{b^y}{m} \frac{\partial}{\partial \mathbf{b}^2} e_v^q(x, \mathbf{b})$$

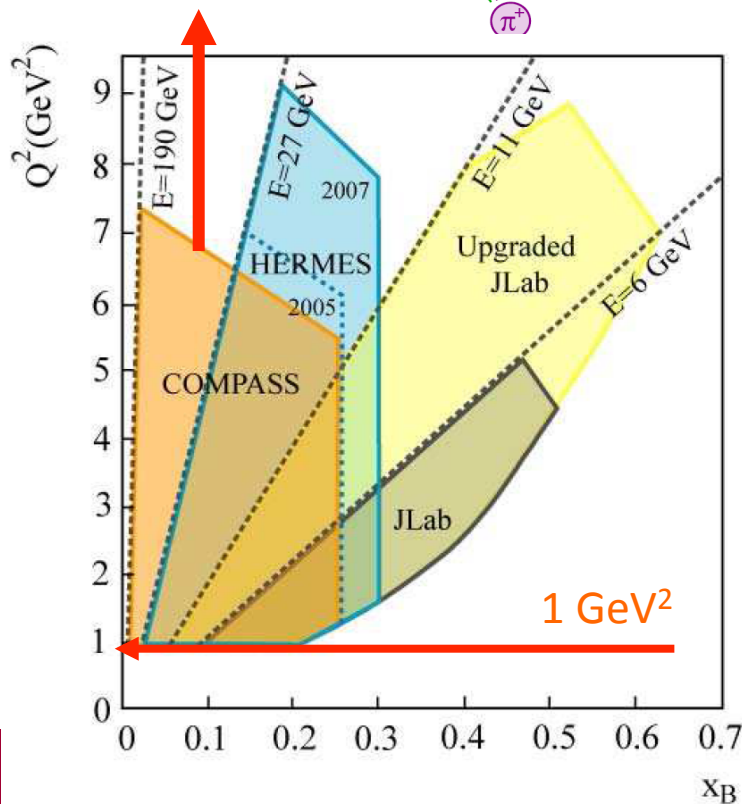


# Semi-Inclusive Deep-Inelastic Scattering

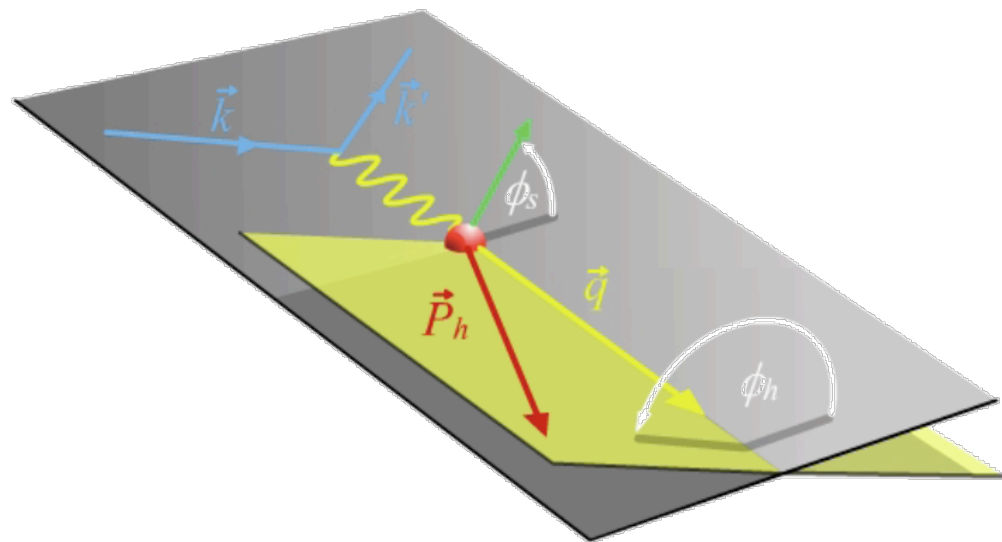


## Factorization



$$\sigma_{l,S}^h \propto \sum_f \sigma^{qf} \otimes pdf(x) \otimes frag^{qf,g \rightarrow h}(z)$$


















- Beam polarized
- Target polarized transverse (T) or longitudinal (L)



# Transverse Spin Structure: Leading Twist TMDs

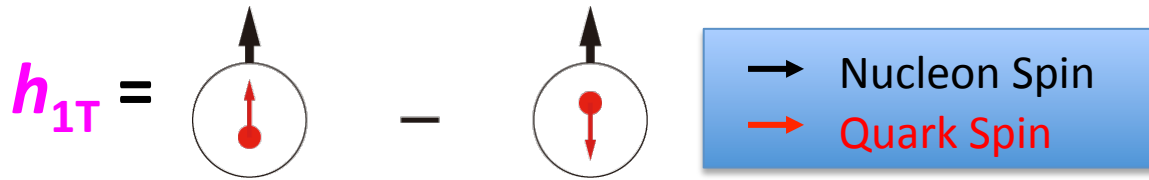
 Nucleon Spin  
 Quark Spin

Quark / Nucleon		Quark polarization		
		Un-Polarized	Longitudinally Polarized	Transversely Polarized
Nucleon Polarization	U	$f_1 =$ 		$h_1^\perp =$  -  <b>Boer-Mulder</b>
	L		$g_1 =$  -  <b>Helicity</b>	$h_{1L}^\perp =$  - 
	T	$f_{1T}^\perp =$  -  <b>Sivers</b>	$g_{1T}^\perp =$  - 	$h_{1T} =$  -  <b>Transversity</b> $h_{1T}^\perp =$  -  <b>Pretzelosity</b>



# Transversity and the Tensor Charge

- Quark transverse polarization in a transversely polarized nucleon:



- Can be probed in Semi-Inclusive DIS, Drell-Yan processes.
- Does not mix with gluons, has valence like behavior.
- Nucleon **tensor charge** can be extracted from the lowest moment of  $h_1$  and compared to LQCD calculations

## Tensor Charge

Intrinsic property  
Like axial or vector  
charge

$$\langle PS\bar{\psi}\sigma^{\mu\nu}\psi PS\rangle = \int_0^1 dx [\delta q(x) - \delta\bar{q}(x)]$$

$$\int_{thr}^{\infty} \left[ \frac{\sigma_{3/2} - \sigma_{1/2}}{\nu} \right] d\nu = \frac{2\pi^2\alpha}{M^2} \kappa^2$$

$$\int_0^1 [g_1^p(x, Q^2) - g_1^n(x, Q^2)] dx = \frac{1}{6} g_A$$



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GDH sum rule

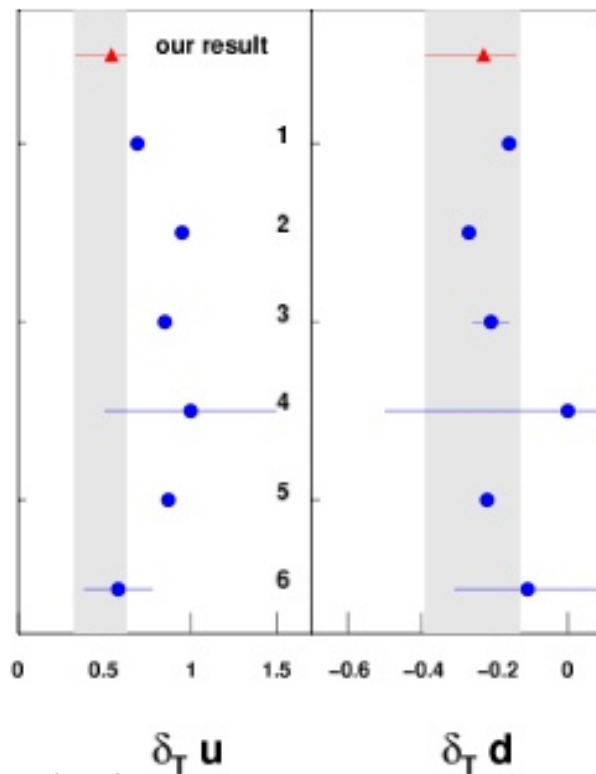
NNPSS 2012, Santa Fe, NM

Bjorken Sum rule

# Tensor charges

$$\delta_T q = \int_0^1 dx (h_{1q} - h_{1\bar{q}}) = \int_0^1 dx h_{1q}$$

$$\delta_T u = 0.54_{-0.22}^{+0.09}, \delta_T d = -0.23_{-0.16}^{+0.09} \text{ at } Q^2 = 0.8 \text{ GeV}^2$$



1. Quark-diquark model:  
Cloet, Bentz and Thomas  
PLB **659**, 214 (2008),  $Q^2 = 0.4 \text{ GeV}^2$
2. CQSM:  
M. Wakamatsu, PLB **653** (2007) 398.  
 $Q^2 = 0.3 \text{ GeV}^2$
3. Lattice QCD:  
M. Gockeler et al.,  
Phys.Lett.B627:113-123,2005 ,  
 $Q^2 = 4 \text{ GeV}^2$
4. QCD sum rules:  
Han-xin He, Xiang-Dong Ji,  
PRD 52:2960-2963,1995,  $Q^2 \sim 1 \text{ GeV}^2$
5. Constituent quark model:  
B. Pasquini, M. Pincetti, and S. Boffi,  
PRD72(2005)094029 and PRD76(2007)034020,  
 $Q^2 \sim 0.8 \text{ GeV}^2$
6. Spin-flavour SU(6) symmetry  
L. Gamberg, G. Goldstein,  
Phys.Rev.Lett.87:242001,2001  $Q^2 \sim 1 \text{ GeV}^2$

Courtesy of Prokudin

# TMDs program @ 12 GeV in Hall B and Dynamical Imaging

PAC approved experiments & Lol

E12-06-112: **Pion** SIDIS  
E12-09-008: **Kaon** SIDIS

E12-07-107: **Pion** SIDIS  
E12-09-009: **Kaon** SIDIS

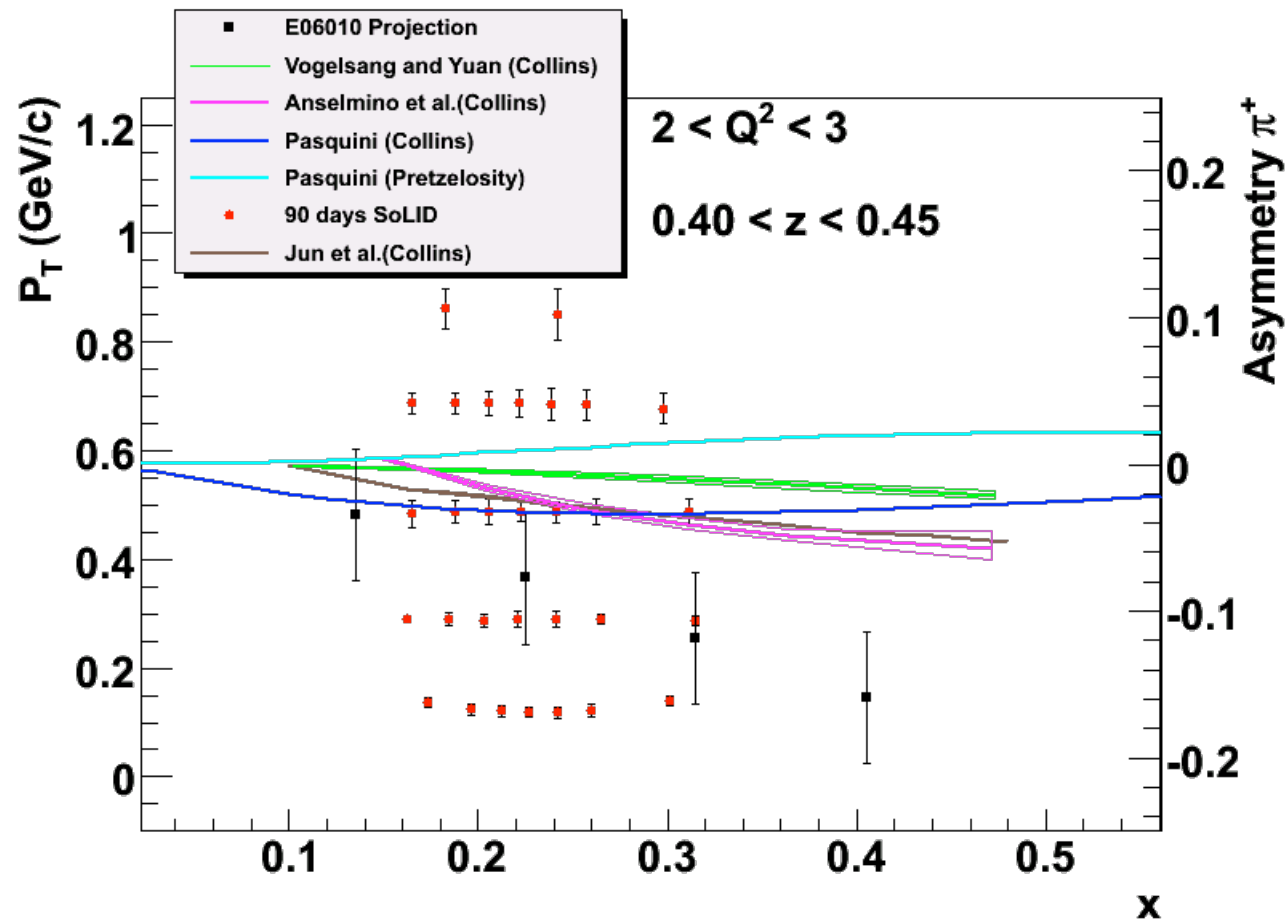
LOI12-06-108: **Pion** SIDIS  
LOI12-09-004: **Kaon** SIDIS

$N \backslash q$	U	L	T
U	$f_1$		$h_1^\perp$
L		$g_{1L}$	$h_{1L}^\perp$
T	$f_{1T}^\perp$	$g_{1T}$	$h_1, h_{1T}^\perp$

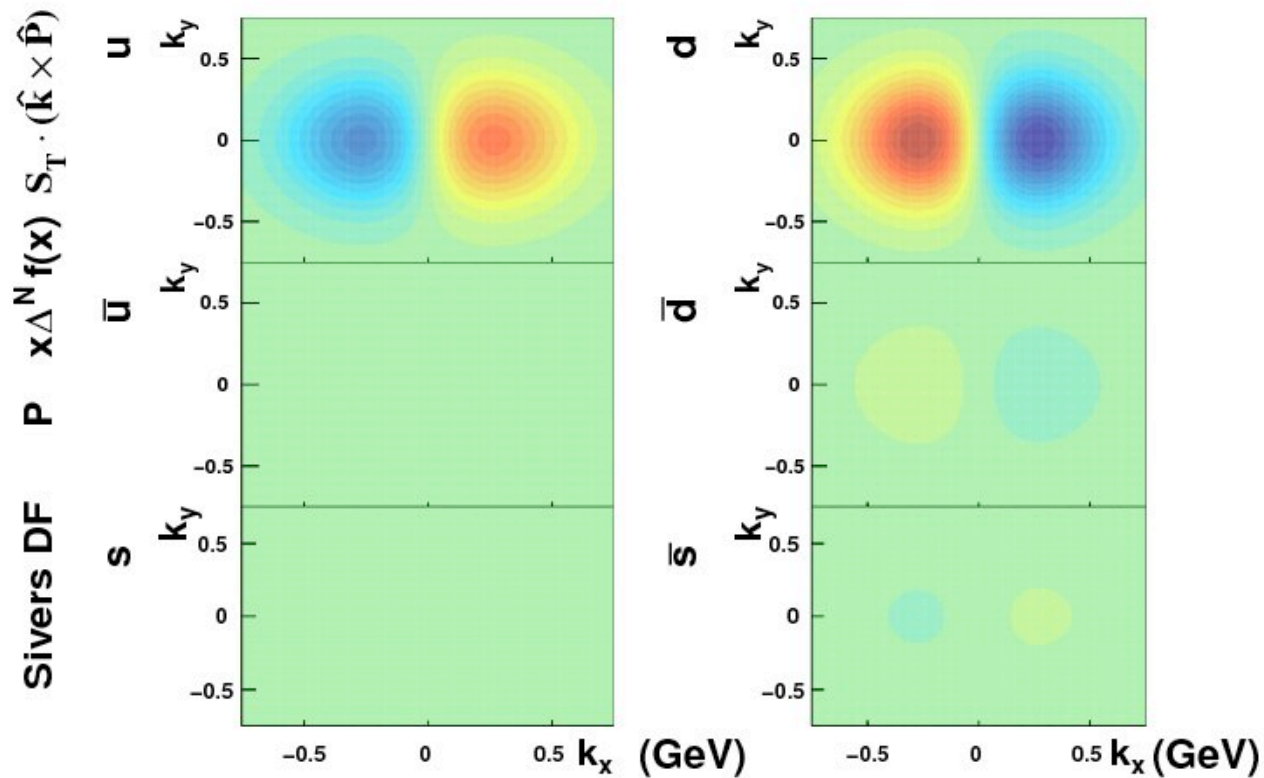
- Complete program of TMDs studies for pions and kaons
- Kaon measurements crucial for a better understanding of the TMDs “kaon puzzle”
- Kaon SIDIS program requires an **upgrade of the CLAS12 detector PID RICH detector** to replace LTCC  
Project under development

# Neutron Collins Asymmetry Projected Data Using SOLID

- Total 1400 bins in  $x$ ,  $Q^2$ ,  $P_T$  and  $z$  for 11/8.8 GeV beam.
- $z$  ranges from 0.3 ~ 0.7, only **one  $z$  and  $Q^2$  bin** of 11/8.8 GeV is shown here.  $\pi^+$  projections are shown, similar to the  $\pi^-$ .



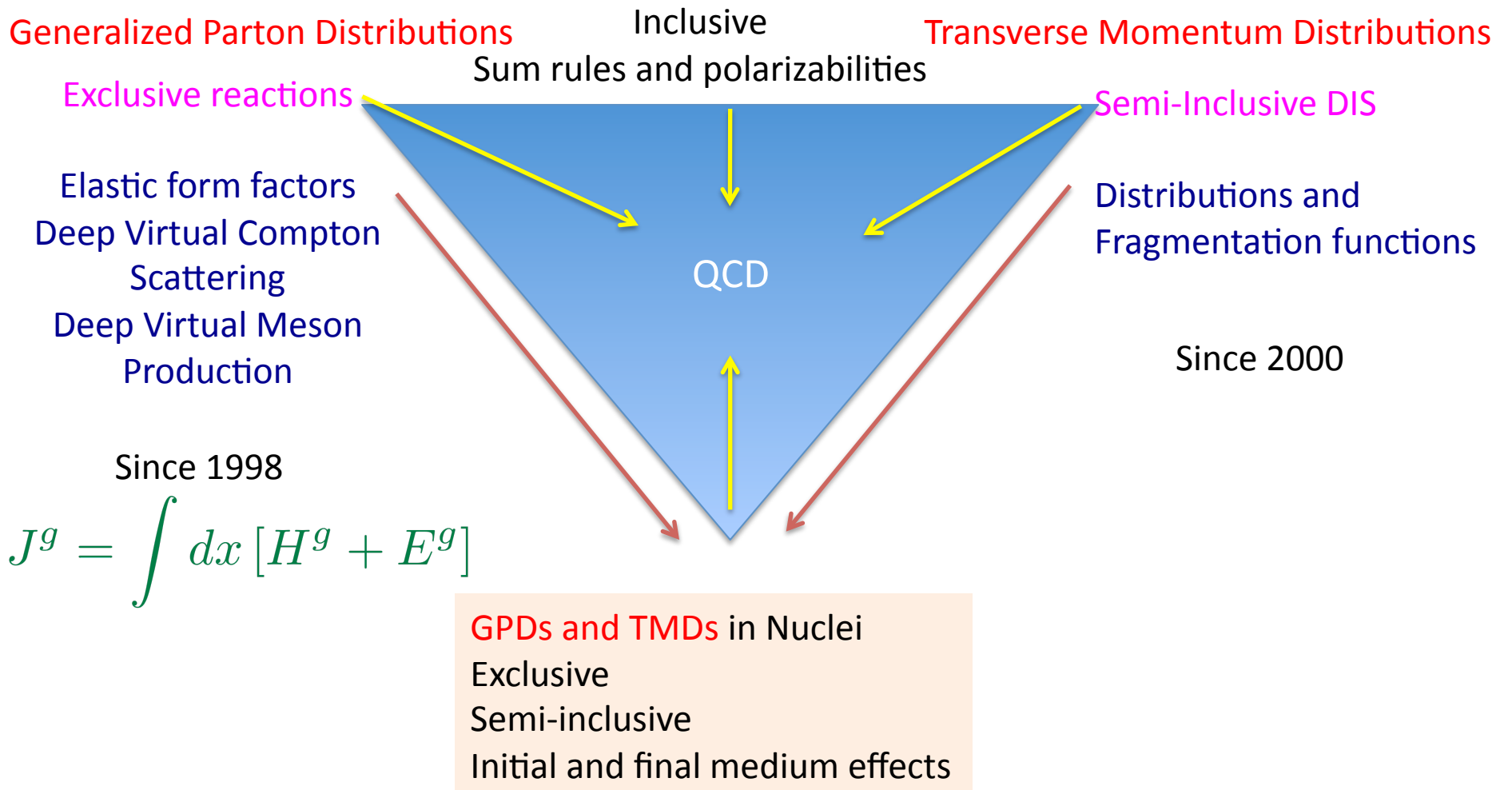
# 3-D momentum structure the nucleon: Dipole pattern due to Sivers effect



( Plot from Prokudin; red: positive effect, blue: negative effect)



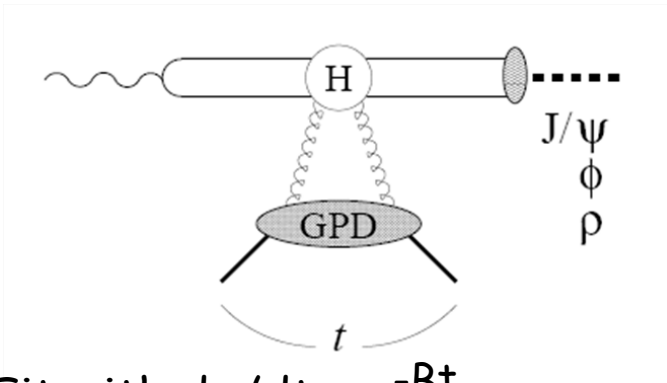
# EIC; a natural extension of studies planned for JLab but to probe the glue and the sea





# Gluon Imaging with exclusive processes

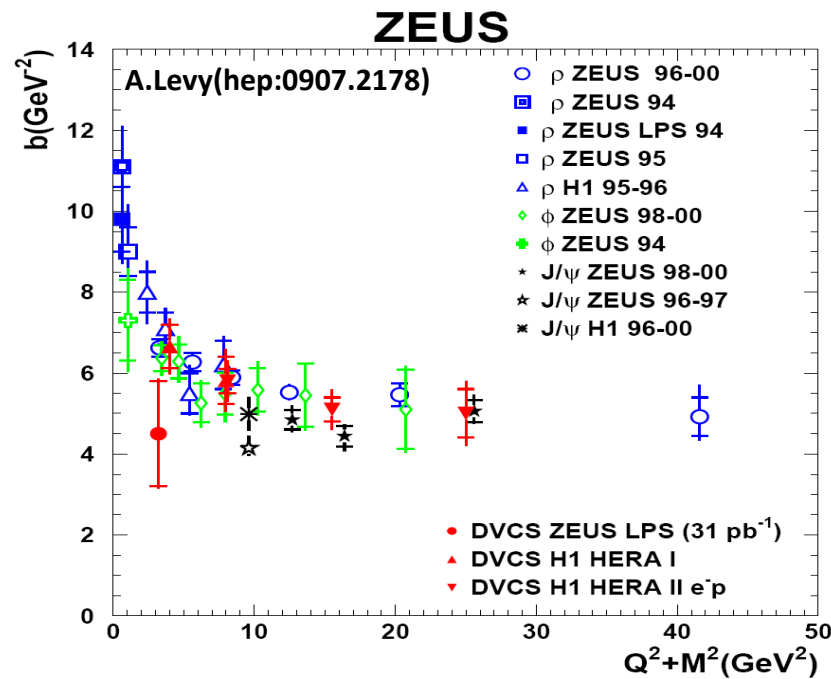
Goal: Transverse gluon imaging of nucleon over wide range of  $x$ :  $0.001 < x < 0.1$



Two-gluon exchange dominant for  $J/\psi, \phi, \rho$  production at large energies  $\rightarrow$  **sensitive to gluon distribution squared!**

LO factorization  $\sim$  color dipole picture  
 $\rightarrow$  access to gluon spatial distribution in nuclei

Fit with  $d\sigma/dt = e^{-Bt}$



Measurements at DESY of diffractive channels ( $J/\psi, \phi, \rho, \gamma$ ) confirmed the applicability of QCD factorization:

- $t$ -slopes **universal at high  $Q^2$**
- flavor relations  $\phi:\rho$

Hard exclusive processes provide access to transverse gluon imaging at EIC!



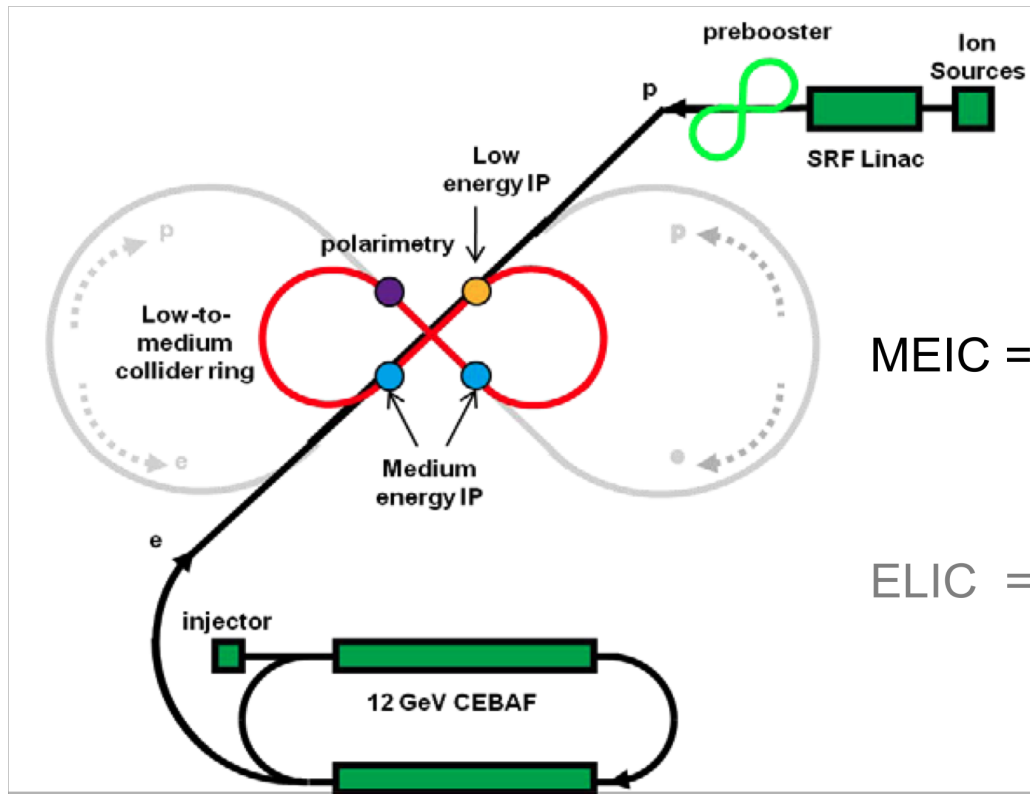


# Medium Energy Electron Ion Collider

Map the spin and 3D quark-gluon structure of protons

Discover the role of gluons in atomic nuclei

Understand the creation of the quark-gluon matter around us



Luminosity  $\sim$  few  $10^{34} \text{ cm}^{-1}\text{s}^{-1}$

MEIC = EIC@JLab

1 low-energy IR (s  $\sim$  200)

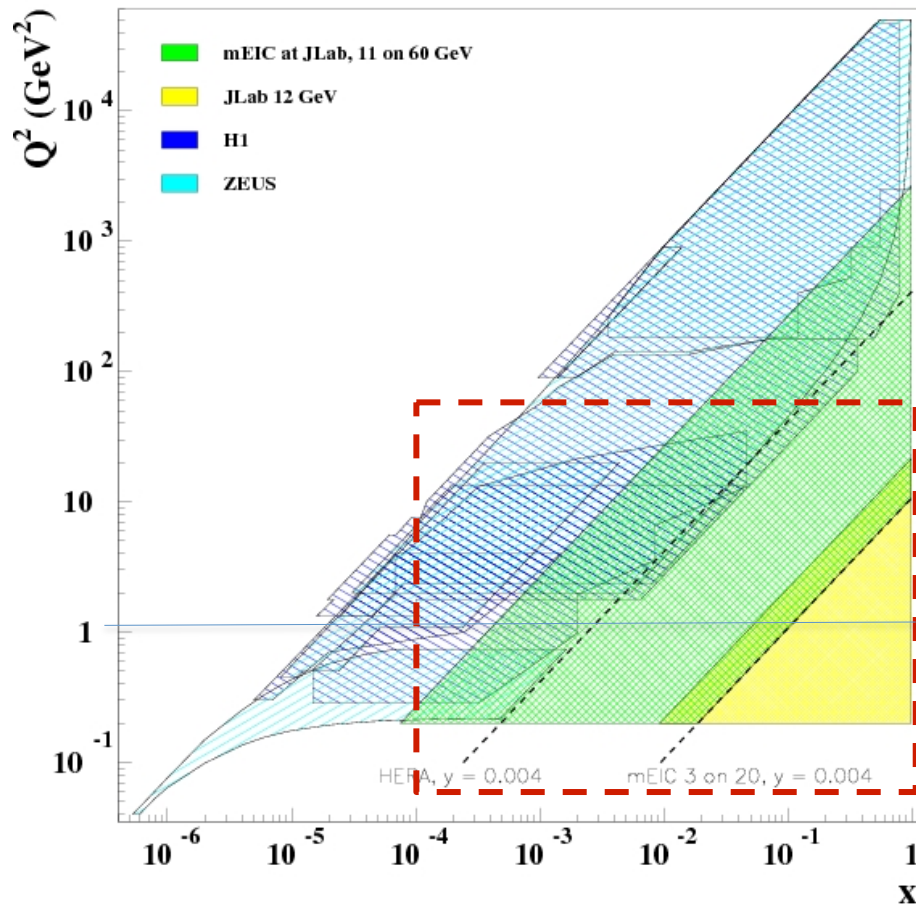
3 medium-energy IRs  
(s < 2600)

ELIC = high-energy EIC@JLab

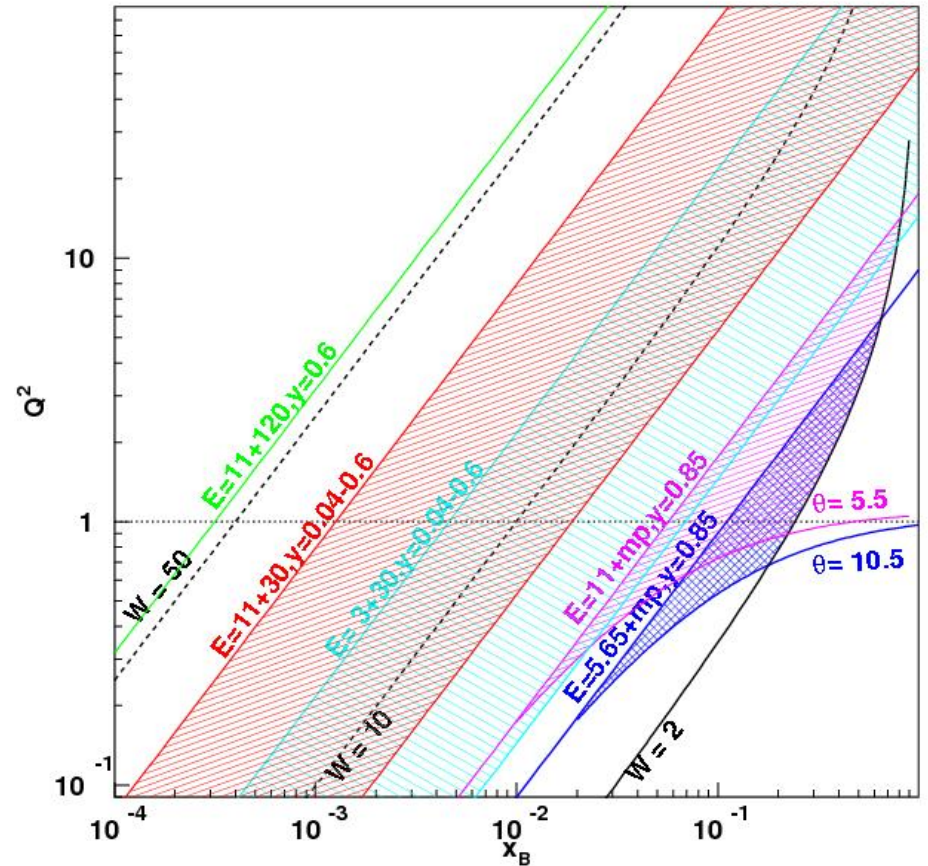
(s = 11000)

(limited by JLab site)

# EIC Kinematic Coverage



ep mEIC: 11+60



eA mEIC: 3+30/11+30 ( $0.04 < y < 0.6$ )  
 eA eLIC: 11+120 ( $y=0.6$ )

EIC connects JLab and HERA kinematic region

# Summary

- ⊙ There are important observables that tell a “story” about the constituents of the nucleon but need to be measured with precision.
- ⊙ Spin studies in the valence region will continue at Jefferson Lab in the 12 upgrade era
- ⊙ A new program to extend the one dimensional view of the nucleon into a 2+1 dimensional will be carried in the framework of GPDs and TMDs
- ⊙ Access of the orbital angular momentum carried by quarks will be possible using the new theoretical framework and DVCS & DVMO measurements
- ⊙ EIC, a natural extension of the JLab 12 GeV physics program of hadron structure/QCD



However, the emphasis is not the valence quarks  
but

Gluons and Sea Quarks in the valence region and  
beyond

⊙ This requires high luminosity and good center  
of mass energy

➔ Luminosity is key for probing rare processes

➔ Energy reach key for clean interpretation

